# Landscape 

Bert Schellekens
NIKHEF

## Topics

- Landscape remarks
- RCFT orientifolds
- Summary of 2004 results*
- Preliminary results from the 2005 run**
*With L. Huiszoon and T. Dijkstra
**With P. Anastasopoulos, T. Dijkstra, E Kiritsis, to appear


## I984-2005: a slow revolution

## |984-2005: a slow revolution

1984: Hope for deriving Standard Model from string theory

## |984-2005: a slow revolution

1984: Hope for deriving Standard Model from string theory

## I984-2005: a slow revolution

1984: Hope for deriving Standard Model from string theory

2005: Evidence for a huge "discretuum" or "landscape"

## |984-2005: a slow revolution

1984: Hope for deriving Standard Model from string theory

2005: Evidence for a huge "discretuum" or "landscape"

A unique theory with a very large number of ground states:
The ideal setting for the anthropic principle

## Landscape Advertisement

## Landscape Advertisement

- A success for String Theory


## Landscape Advertisement

- A success for String Theory
- Evidence for its correctness


## Landscape Advertisement

- A success for String Theory
- Evidence for its correctness
- An answer to Einstein's question "Did the creator of our Universe have any choice?"


## Landscape Advertisement

- A success for String Theory
- Evidence for its correctness
- An answer to Einstein's question
"Did the creator of our Universe have any choice?"
- The big paradigm shift in physics


## Landscape Advertisement

- A success for String Theory
- Evidence for its correctness
- An answer to Einstein's question
"Did the creator of our Universe have any choice?"
- The big paradigm shift in physics
- Fits nicely with other controversial discoveries (Heliocentric model, Evolution, ....)


## Landscape Advertisement

- A success for String Theory
- Evidence for its correctness
- An answer to Einstein's question
"Did the creator of our Universe have any choice?"
- The big paradigm shift in physics
- Fits nicely with other controversial discoveries (Heliocentric model, Evolution, ....)
... if string theory is correct...


## The Landscape "Drake" equation



## The Landscape "Drake" equation



Not likely to yield 1!

## The Landscape "Drake" equation



Not likely to yield 1 !
Not likely to yield 0, either?

Shifting goals


Shifting goals Find THE vacuum of string theory

Shifting goals Find THE SM vacuum of string theory


Shifting goals


Shifting goals


Shifting goals Find A SM vacuum of string theory


## RCFT Orientifolds

## Data:

- A rational CFT with $\mathrm{N}=2$ and $c=9$
- The exact spectrum
- The modular matrix $S$


## For simple current MIPFs:

- The "fixed point resolution matrices" $S^{J}$


## Closed strings:

CY compactification (Heterotic, type-II)
With boundary and crosscap states:
CY orientifold with wrapped D-branes

## Formalism can be applied to:

- "Gepner Models" (minimal $\mathrm{N}=2$ tensor products)
- Kazama-Suzuki models (requires exact spectrum computation)
- Permutation orbifolds


## Strong points:

- Scan parts of the landscape that are otherwise unaccessible
- Conceptually very simple


## Weak points:

- More data needed for couplings (not yet available)
- Fixed point in moduli space
- Moduli stabilization?
$\rightarrow$ Especially useful as a scanning tool


## Gepner Models

$$
c=\frac{3 k}{k+2}, \quad k=1, \ldots, \infty
$$

168 ways of solving

$$
\sum_{i} c_{k_{i}}=9
$$

Spectrum:

$$
\begin{aligned}
& h_{l, m}=\frac{l(l+2)-m^{2}}{4(k+2)}+\frac{s^{2}}{8} \\
& (l=0, \ldots k ; \quad q=-k, \ldots k+2 ; \quad s=-1,0,1,2) \\
& \quad \text { (plus field identification) }
\end{aligned}
$$

## $4(k+2)$ simple currents

- Preserve worldsheet Susy

Simple current extension with "alignment currents"

- Impose space-time Susy

Simple current extension with gravitino vertex operator (can be relaxed to allow broken susy)

- Surviving simple currents used to build MIPFs and define orientifold projection

For symmetric MIPFs: Type IIB

- Use complete set of boundaries that respect all bulk symmetries


## Simple current MIPFs are specified by

- A group $\mathcal{H}$ that consists of simple currents. ${ }^{3}$
$\mathcal{H}=\prod_{\alpha} \mathbb{Z}_{N_{\alpha}}$.
The generator of the $\mathbb{Z}_{N_{\alpha}}$ will be denoted as $J_{\alpha}$; Then $J=\prod_{\alpha} J_{\alpha}^{n_{\alpha}}$
- A symmetric matrix $X_{\alpha \beta}$ that obeys

$$
\begin{aligned}
2 X_{\alpha \beta} & =Q_{J_{\alpha}}\left(J_{\beta}\right) \bmod 1, \alpha \neq \beta \\
X_{\alpha \alpha} & =-h_{J_{\alpha}} \\
N_{\alpha} X_{\alpha \beta} & \in \mathbb{Z} \text { for all } \alpha, \beta
\end{aligned}
$$

Here $Q_{J}(a)=h(a)+h(J)-h(J a), \quad h$ is the conformal weight.

Then $Z_{i j}$ is the number of currents $L \in \mathcal{H}$ such that

$$
\begin{aligned}
& j=L i \\
& Q_{M}(i)+X(M, L)=0 \bmod 1 \\
& \text { for all } M \in \mathcal{H} .\left(X\left(J, J^{\prime}\right)=\prod_{\alpha, \beta} n_{\alpha} m_{\beta} X_{\alpha \beta}\right)
\end{aligned}
$$

## Orientifold specification

- A Klein bottle current $K$. This can be any simple current that obeys

$$
Q_{I}(K)=0 \bmod 1 \text { for all } I \in \mathcal{H}, I^{2}=0
$$

- A set of phases $\beta_{K}(J)$ for all $J \in \mathcal{H}$ that satisfy

$$
\begin{aligned}
& \qquad \beta_{K}(J) \beta_{K}\left(J^{\prime}\right)=\beta_{K}\left(J J^{\prime}\right) e^{2 \pi i X\left(J, J^{\prime}\right)} \quad, J, J^{\prime} \in \mathcal{H} \\
& \text { with } \beta_{K}(L)=e^{i \pi\left(h_{K L}-h_{K}\right)} \eta(K, L), \eta(K, L)= \pm 1 \text {. } \\
& \text { if } \mathcal{H} \text { has } N \text { even factors, there are } 2^{N} \text { free signs in } \\
& \text { the solution of this equation. } \\
& \text { These are called the crosscap signs }
\end{aligned}
$$

- This includes all know RCFT orientifold choices.
- Not all choices are inequivalent.


## Boundaries and crosscaps*

- Boundary coefficients

$$
R_{\left[a, \psi_{a}\right](m, J)}=\sqrt{\frac{|\mathcal{H}|}{\left|\mathcal{C}_{a}\right|\left|\mathcal{S}_{a}\right|}} \psi_{a}^{*}(J) S_{a m}^{J}
$$

- Crosscap coefficients

$$
U_{(m, J)}=\frac{1}{\sqrt{|\mathcal{H}|}} \sum_{L \in \mathcal{H}} \eta(K, L) P_{L K, m} \delta_{J, 0}
$$

$S^{J}$ is the fixed point resolution matrix $\mathcal{S}_{a}$ is the Stabilizer of $a$ $\mathcal{C}_{a}$ is the Central Stabilizer $\left(\mathcal{C}_{a} \subset \mathcal{S}_{a} \subset \mathcal{H}\right)$
$\psi_{a}$ is a discrete group character of $c C_{a}$ $P=\sqrt{T} S T^{2} S \sqrt{T}$

## Partition functions

- Klein bottle:

$$
K^{i}=\sum_{m, J, J^{\prime}} \frac{S^{i}{ }_{m} U_{(m, J)} g_{J, J^{\prime}}^{\Omega, m} U_{\left(m, J^{\prime}\right)}}{S_{0 m}}
$$

- Unoriented Annulus:

$$
A_{\left[a, \psi_{a}\right]\left[b, \psi_{b}\right]}^{i}=\sum_{m, J, J^{\prime}} \frac{S^{i}{ }_{m} R_{\left[a, \psi_{a}\right](m, J)} g_{J, J^{\prime}}^{\Omega, m} R_{\left[b, \psi_{b}\right]\left(m, J^{\prime}\right)}}{S_{0 m}}
$$

- Moebius:

$$
M_{\left[a, \psi_{a}\right]}^{i}=\sum_{m, J, J^{\prime}} \frac{P^{i}{ }_{m} R_{\left[a, \psi_{a}\right](m, J)} g_{J, J^{\prime}}^{\Omega, m} U_{\left(m, J^{\prime}\right)}}{S_{0 m}}
$$

Here $g^{\Omega, m}$ is the Ishibashi metric

$$
g_{J, J^{\prime}}^{\Omega, m}=\frac{S_{m 0}}{S_{m K}} \beta_{K}(J) \delta_{J^{\prime}, J^{c}} .
$$

Closed string partition function

$$
\frac{1}{2}\left[\sum_{i j} \chi_{i}(\tau) Z_{i j} \chi_{i}(\bar{\tau})+\sum_{i} K_{i} \chi_{i}(2 \tau)\right]
$$

Open string partition function

$$
\frac{1}{2}\left[\sum_{i, a, n} N_{a} N_{b} A^{i}{ }_{a b} \chi_{i}\left(\frac{\tau}{2}\right)+\sum_{i, a} N_{a} M^{i}{ }_{a} \hat{\chi}_{i}\left(\frac{\tau}{2}+\frac{1}{2}\right)\right]
$$

Subject to tadpole cancellation

$$
\sum_{b} N_{b} R_{b(m, J)}=4 \eta_{m} U_{(m, J)}
$$

## Model Building

- Find set of labels a,b,c,d,... that match the required spectrum (done systematically)
- If needed, search for "hidden branes" to solve tadpoles (systematic search impossible)

In both steps, we allow NON-chiral "exotic" matter

Exotic: anything except quarks, leptons, Higgs

## Orientifold model building

```
Angelantonj, Bianchi, Pradisi, Sagnotti, Stanev (1996)
Chiral spectra from Orbifold-Orientifolds
Blumenhagen, Wisskirchen (1998)
Gepner Orientifolds
Aldazabal, Franco, Ibanez, Rabadan, Uranga (2000)
Blumenhagen, Görlich,Körs,Lüst (2000)
Ibanez, Marchesano, Rabadan (2001)
Non-supersymmetric SM-Spectra with RR tadpole cancellation
Cvetic, Shiu, Uranga (2001)
Cvetic, Papadimitriou (2003)
Supersymmetric SM-Spectra with chiral exotics
Blumenhagen, Görlic, Ott (2002)
Honecker (2003)
Supersymmetric Pati-Salam Spectra with brane recombination
Brunner, Hori, Hosomichi, Walcher (2004)
Chiral spectrum from Gepner Orientifolds
```


## "The Spanish Quiver"



Chiral $S U(3) \times S U(2) \times U(I)$ spectrum:

$$
3(u, d)_{L}+3 u_{L}^{c}+3 d_{L}^{c}+3\left(e^{-}, \nu\right)_{L}+3 e_{L}^{+}
$$

Y massless

## Type

CP group

| 0 | $U(3) \times S p(2) \times U(I) \times U(I)$ | massless |
| :---: | :--- | :--- |
| 1 | $U(3) \times U(2) \times U(I) \times U(I)$ | massless |
| 2 | $U(3) \times S p(2) \times O(2) \times U(I)$ | massless |
| 3 | $U(3) \times S p(2) \times S p(2) \times U(I)$ | massless |
| 4 | $U(3) \times U(2) \times S p(2) \times U(I)$ | massless |
| $\mathbf{4}$ | $U(3) \times S p(2) \times U(I) \times U(I)$ | massless |
| 7 | $U(3) \times U(2) \times U(I) \times U(I)$ | massive |
| $\mathbf{4}$ |  | massive |

## Results (2004)*

- Solutions to Tadpole conditions for 44/I68 Gepner models, 333/5403 MIPFs
- Total number of 4 stacks with SM spectrum: $45 \times 10^{6}$ (out of $\sim 10^{18}$ )
- Total number of 4 stacks with tadpole solutions: $1.6 \times 10^{6}$
- Total number of distinct SM spectra: $1.8 \times 10^{5}$ (counting non-chiral, but the not hidden sector)
- No solutions for C-invariant
- No solutions for orbifolds
- No solutions for quintic
- More solutions for more "rational" combinations
*T. Dijkstra, L. Huiszoon, A. Schellekens Nucl.Phys.B7I0:3-57,2005


## Global Anomalies*

*B. Gato-Rivera and A.N. Schellekens, hep-th/05 I 0074

## Global anomalies in the CP group

Odd number of vectors in a symplectic factor (including doublets of $\mathrm{SU}(2)$ ):

Occurs in 1015 out of 270058 spectra and in 2075 out of 845513 symplectic factors

## Global Anomalies on Probe Branes

Local anomaly cancellation from tadpole cancellation:

$$
\sum_{i, a} N_{a}\left[\left(\chi_{i}\right)_{0, L}-\left(\chi_{i}\right)_{0, R}\right]\left(A_{a b}^{i}+4 M_{b}^{i}\right)=0
$$

for any label $b$.
Global anomaly cancellation for symplectic boundaries b

$$
\sum_{i, a} N_{a} A_{a b}^{i}\left(\chi_{i}\right)_{0, L}=0 \bmod 2,
$$

Requires re-generation of old models
Seems to lead to a huge number of restrictions

## Example:

## Tensor (1,6,46,46), MIPF 10

Tadpole conditions: 24<br>Independent: IO<br>Local anomalies mod 2: 2<br>All tadpole conditions mod 2: 10<br>From symplectic probe branes: I55<br>Combined: I57 conditions, I 0 already satisfied

## Result:

Previously: 19644 solutions
Probe brane constraint violations: 59 (-8)

## Conclusions on Global Anomalies

- Very important in principle
- Almost irrelevant in practice (only occur in 25 out of 333 MIPFs with solutions)
- Relation with K-theory charges to be understood
- Are probe branes sufficient?


## RCFT orientifolds with Standard Model Spectrum

## Tim Dijkstra, Lennaert Huiszoon and Bert Schellekens

On this page you can search through all our supersymmetric, tadpole-free $D=4, N=1$ orientifold vacua with a three family chiral fermion spectrum identical to that of the Standard Model. They were constructed in a semi-systematic way by considering orientifolds of all Gepner Models (see Phys.Lett.B609:408-417 and Nucl.Phys.B710:3-57 for more information). Since the publication of these papers all spectra have been re-analysed and checked for the presence of global (Witten) anomalies. A few cases (less than 1\%) needed correction. All spectra in this database are now free from global anomalies, and the total number is 210,782, slightly more than reported in these papers.

As explained in referenced articles the standard model gauge group can be realized in different ways (which we call types). In addition to these factors, the gauge group usually has extra hidden gauge group factors. Chiral states with one leg in the standard model gauge group are not permitted.
All these models of course have the same chiral spectrum for the standard model gauge group, except for the higgssector of which we do not know how it is realized in nature.

These models then differ in multiplicities of the non-chiral particles, hidden gauge group, higgs sector coupling constants on the string scale, and others.
To search for your favorite realization you can use the form below to filter our set with an condition. Example:

```
type==0 && nrHidden<2
```

You can consult a list of valid field names. Also much more complicated expressions are possible, see the syntax description.

## Filter form

Two output formats are provided. The first only gives the number of answers, the second lists all the spectra satisfying the search criteria. Be warned that output can be very large and take up to a minute to compile; at the moment we have

## Filter form

Two output formats are provided. The first only gives the number of answers, the second lists all the spectra satisfying the search criteria. Be warned that output can be very large and take up to a minute to compile; at the moment we have 210,782 models in the database, which means you can generate hunderds of MBs of output!

## Filter condition

```
udmir=0 && umir==0 && dmir==0 && enmir==0 && emir=0 && nmir=0 &&
aadj==0 && badj==0 & & cadj==0 && dadj=0 & & 
aa=0 & & ba==0 && ca==0 && da==0
&& as==0 && bs==0 && cs==0&& ds=0
```


## Output format

Summary for each model

Tensor 44622 , MIPF 8, Orientifold 0
Klein bottle current: 12 Crosscap signs: ( $-1,-1$ )
Standard model boundaries: (89,44,45,2)
Dilaton couplings to SM branes and O-plane:
0.0070459
0.0122039
0.0122039
0.0070459
0.1073896
alpha_3/alpha_2 = 0.8660246
$\sin ^{\wedge} 2($ theta $w)=0.3610368$
Total number of branes: 9
CP multiplicities: 89:3 91:3 44:2 45:2 2:1 3:1 $400: 6$ 38:4 $349: 2$ Standard model type: 4

Number of factors in hidden gauge group: 3
Gauge group: $U(3) \times \operatorname{Sp}(2) \times \operatorname{Sp}(2) \times U(1) \times \operatorname{Sp}(6) \times \operatorname{Sp}(4) \times \operatorname{Sp}(2)$
Number of representations: 19

$$
\left.\begin{array}{lllllllll}
3 & \mathrm{x} & (\mathrm{~V}, \mathrm{~V}, 0 & , 0 & 0 & 0 & 0 & , 0 & ) \\
3 & \mathrm{x} & (\mathrm{~V}, 0 & 0 & \mathrm{~V}, 0 & 0 & , 0 & , 0 & , 0
\end{array}\right) \text { chirality } 3
$$

## Summary:

Higgs: $(2,1 / 2)+(2 *, 1 / 2)$
Non-chiral SM matter (Q,U,D,L,E,N Adjoints:
Symmetric Tensors:
Anti-Symmetric Tensors:
0 0 0
Lepto-quarks: $(3,-1 / 3),(3,2 / 3)$
Non-SM (a,b,c,d)
162 (chirality 0
Hidden (Total dimension)
Closed sector
h11-=2
h11+=31
h21=9
Vector multiplets: 2
Chiral multiplets: 40


## Summary:

Higgs: $(2,1 / 2)+(2 *, 1 / 2)$

```
Non-chiral SM matter (Q,U,D,L,E,N): 0 0 0 0 0 0 0
    Adjoints:
    Symmetric Tensors:
    Anti-Symmetric Tensors:
        Lepto-quarks: (3,-1/3),(3,2/3)
    Non-SM (a,b,c,d)
Hidden (Total dimension)
```

$\sin ^{2}\left(\theta_{w}\right)=.3610368$
$\frac{\alpha_{3}}{\alpha_{2}}=.8660246$

```
        Standard model type: 6
Number of factors in hidden gauge group: 0
    Gauge group: U(3) x Sp(2) x U(1) x U(1)
```

    Number of representations: 19
    | 3 | x | (V) , V | , 0,0 | chirality 3 |
| :---: | :---: | :---: | :---: | :---: |
| 3 | x | (V , 0 | , V , 0 | chirality -3 |
| 3 | x | (V , 0 | , V*, 0 ) | chirality -3 |
| 9 | x | ( 0 , V | , 0 , V ) | chirality 3 |
| 5 | x | (0,0 | , V , V ) | chirality -3 |
| 3 | x | (0,0 | , V , V*) | chirality |
| 2 | x | (V , 0 | , 0 , V ) |  |
| 10 | x | ( 0 , V | , V , 0 ) |  |
| 2 | x | (Ad, 0 | , 0,0 ) |  |
| 2 | x | (A , 0 | , 0,0 ) |  |

## Standard model type: 6 <br> Number of factors in hidden gauge group: 0 Gauge group: $\mathrm{U}(3) \mathrm{x} \operatorname{Sp}(2) \mathrm{x} \mathrm{U}(1) \mathrm{x} \mathrm{U}(1)$

Number of representations: 19


Higgs: $(2,1 / 2)+2 *, 1 / 2)$

| Non-chiral SM matter $(Q, U, D, L, E, N):$ | 0 | 0 | 0 | 3 | 1 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Adjoints: | 2 | 0 | 9 | 3 |  |  |
| Symmetric Tensors: | 1 | 10 | 7 | 3 |  |  |
| Anti-Symmetric Tensors: | 1 | 14 | 3 | 2 |  |  |
| Lepto-quarks: $3,-1 / 3), ~ 3,2 / 3)$ |  | 1 | 0 |  |  |  |
| Non-SM a,b,C,d) | 0 | 0 | 0 | 0 |  |  |
| Hidden Total dimension) | 0 | (chirality 0$)$ |  |  |  |  |

## Standard model type: 6 <br> Number of factors in hidden gauge group: 0 Gauge group: $\mathrm{U}(3) \mathrm{x} \operatorname{Sp}(2) \mathrm{x} \mathrm{U}(1) \mathrm{x} \mathrm{U}(1)$ <br> Number of representations: 19

$3 \mathrm{x}(\mathrm{V}, \mathrm{V}, 0,0$ ) chirality 3
$3 \mathrm{x}(\mathrm{V}, 0, \mathrm{~V}, 0$ ) chirality -3
$3 \mathrm{x}(\mathrm{V}, 0, \mathrm{~V} *, 0)$ chirality -3
$9 \mathrm{x}(0, V, 0, V)$ chirality 3
$5 \mathrm{x}(0,0, V, V)$ chirality -3
$3 \mathrm{x}\left(0,0, V, V^{*}\right)$ chirality
$2 \mathrm{x}(\mathrm{V}, 0,0, \mathrm{~V})$
$10 \mathrm{x}(0, \mathrm{~V}, \mathrm{~V}, 0$ )
$2 \mathrm{x}(\mathrm{Ad}, 0,0,0)$
$2 \mathrm{x}(\mathrm{A}, 0,0,0)$

Higgs: $(2,1 / 2)+2 *, 1 / 2)$

| Non-chiral SM matter $(Q, U, D, L, E, N):$ | 0 | 0 | 0 | 3 | 1 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Adjoints: | 2 | 0 | 9 | 3 |  |  |
| Symmetric Tensors: | 1 | 10 | 7 | 3 |  |  |
| Anti-Symmetric Tensors: | 1 | 14 | 3 | 2 |  |  |
| Lepto-quarks: 3,-1/3), 3,2/3) |  | 1 | 0 |  |  |  |
| Non-SM a,b,c,d) | 0 | 0 | 0 | 0 |  |  |
| Hidden Total dimension) | 0 | (chirality 0$)$ |  |  |  |  |

$$
\sin ^{2}\left(\theta_{w}\right)=.5271853
$$

$\frac{\alpha_{3}}{\alpha_{2}}=3.2320501$





## Require only:

- U(3) from a single brane
- $U(2)$ from a single brane
- Quarks and leptons, Y from at most four branes
- $G_{c p} \supset S U(3) \times S U(2) \times U(I)$
- Chiral $G_{c p}$ fermions reduce to quarks, leptons (plus non-chiral particles) but
- No fractionally charged mirror pairs
- Massless Y
E. Kiritsis, P. Anastasopoulos, A. N.S, in (slow) progress


## This allows in particular:

- (Anti)-quarks from anti-symmetric tensors
- leptons from anti-symmetric tensors
- family symmetries
- non-standard Y-charge assignments
- Unification (Pati-Salam, SU(5) ....)*
- Baryon and/or lepton number violation
-....

$$
\begin{aligned}
G_{C P} & =U(3)_{a} \times\left\{\begin{array}{c}
U(2)_{b} \\
S p(2)_{b}
\end{array}\right\} \times G_{c} \quad\left(\times G_{d}\right) \\
Y & =\alpha Q_{a}+\beta Q_{b}+T_{c}+T_{d}
\end{aligned}
$$

$*_{a, b, c, d}$ may be identical

## Results

- Searched all MIPFs with < 1750 boundaries
- 19845 chirally different SM embeddings found
- Tadpole conditions solved in 1894 cases
(18"old" ones)

| 0 | 1512 | 9785532 | 647 | U3S2S6U1 VVVV | $\checkmark$ | ! |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 838 | 8459664 | 674 | U3S2S2U1 VVVV | $\checkmark$ | ! | (Type 4) |
| 2 | 722 | 5769030 | 820 | U4S2S6 VVV | $\checkmark$ | ! |  |
| 3 | 559 | 4801518 | 867 | U4S2S2 VVV | $\checkmark$ | ! |  |
| 4 | 1514 | 4751603 | 554 | U3S206U1 VVVV | $\checkmark$ | ! |  |
| 5 | 546 | 4584392 | 751 | U4S206 VVV | $\checkmark$ |  |  |
| 6 | 837 | 4509752 | 513 | U3S2O2U1 VVVV | $\checkmark$ | ! | (Type 2) |
| 7 | 564 | 3744864 | 690 | U4S2O2 VVV | $\checkmark$ | ! |  |
| 8 | 1513 | 3603236 | 466 | U3S2S6U3 VVVV | $\checkmark$ |  |  |
| 9 | 2755 | 3308076 | 340 | U3S2U3U1 VVVV | $\checkmark$ |  |  |
| 10 | 2756 | 3308076 | 340 | U3S2U3U1 VVVV | $\checkmark$ |  |  |
| 11 | 1206 | 3091021 | 622 | U6S2S6 VVV | $\checkmark$ |  |  |
| 12 | 1164 | 2713960 | 460 | U3S2S2U3 VVVV | $\checkmark$ | $!$ |  |
| 13 | 1424 | 2384626 | 560 | U6S2O6 VVV | $\checkmark$ |  |  |
| 14 | 560 | 2250118 | 668 | U6S2S2 VVV | $\checkmark$ | ! |  |
| 15 | 835 | 1803909 | 519 | U6S2O2 VVV | $\checkmark$ | ! |  |
| 16 | 718 | 1787210 | 486 | U4S2U3 VVV | $\checkmark$ |  |  |
| 17 | 719 | 1787210 | 486 | U4S2U3 VVV | $\checkmark$ |  |  |
| 18 | 1421 | 1674989 | 516 | U8S2S6 VVV | $\checkmark$ |  |  |
| 19 | 1707 | 1674416 | 384 | U3S206U3 VVVV | $\checkmark$ |  |  |
| 20 | 1577 | 1641845 | 359 | U3S2S6U5 VVVV | $\checkmark$ |  |  |
| 21 | 1163 | 1486664 | 346 | U3S2O2U3 VVVV | $\checkmark$ | ! |  |
| 22 | 1425 | 1323363 | 476 | U8S2O6 VVV | $\checkmark$ |  |  |
| 23 | 1515 | 1135044 | 349 | U3S2S2U5 VVVV | $\checkmark$ | ! |  |
| 24 | 2757 | 1106616 | 209 | U3S2U3U3 VVVV | $\checkmark$ |  |  |
| 25 | 2758 | 1106616 | 209 | U3S2U3U3 VVVV | $\checkmark$ |  |  |
| 26 | 834 | 1049176 | 531 | U8S2S2 VVV | $\checkmark$ |  |  |
| 27 | 836 | 956980 | 421 | U8S2O2 VVV | $\checkmark$ |  |  |


| 28 | 1422 | 949189 | 448 | U10S2S6 VVV | $\checkmark$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 29 | 720 | 935034 | 351 | U6S2U3 VVV | $\checkmark$ |  |  |
| 30 | 721 | 935034 | 351 | U6S2U3 VVV | $\checkmark$ |  |  |
| 31 | 774 | 910132 | 51 | U3U2S2O1 AAVV | $\checkmark$ |  |  |
| 32 | 1578 | 884695 | 292 | U3S2S6U7 VVVV | $\checkmark$ |  |  |
| 33 | 2751 | 869428 | 246 | U3S2U1U1 VVVV | $\checkmark$ | ! | (Type 0) |
| 34 | 554 | 853080 | 36 | U3S2S2U3 VVVV | $\checkmark$ |  |  |
| 35 | 1708 | 762244 | 297 | U3S206U5 VVVV | $\checkmark$ |  |  |
| 36 | 1426 | 760721 | 409 | U10S206 VVV | $\checkmark$ |  |  |
| 37 | 1579 | 667189 | 262 | U3S2O2U5 VVVV | $\checkmark$ | ! |  |
| 38 | 775 | 641312 | 43 | U3U2S401 AAVV |  |  |  |
| 39 | 7166 | 572804 | 301 | U8S2U3 VVV | $\checkmark$ |  |  |
| 40 | 7167 | 572804 | 301 | U8S2U3 VVV | $\checkmark$ |  |  |
| 41 | 6323 | 567930 | 276 | U3S2S2U7 VVVV | $\checkmark$ |  |  |
| 42 | 555 | 558996 | 31 | U3S2S2U5 VVVV | $\checkmark$ | ! |  |
| 43 | 1423 | 555346 | 398 | U12S2S6 VVV | $\checkmark$ |  |  |
| 44 | 511 | 553200 | 237 | U50201 AVV | $\checkmark$ |  |  |
| 45 | 532 | 552009 | 163 | U5S201 AVV | $\checkmark$ |  |  |
| 46 | 1420 | 550774 | 445 | U10S2S2 VVV | $\checkmark$ |  |  |
| 47 | 7170 | 536512 | 158 | U3S2U3U5 VVVV | $\checkmark$ |  |  |
| 48 | 7171 | 536512 | 158 | U3S2U3U5 VVVV | $\checkmark$ |  |  |
| 49 | 2740 | 526202 | 354 | U10S202 VVV | $\checkmark$ |  |  |
| 50 | 770 | 491928 | 83 | U3U20201 AAVV | $\checkmark$ |  |  |
| 51 | 388 | 491026 | 451 | U6U206 VVV | $\checkmark$ |  |  |
| 52 | 1188 | 485396 | 366 | U4S2U1 VVV | $\checkmark$ | ! |  |

## Pati-Salam



## Pati-Salam (2)



| Type: | U O | 0 |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Dimension | 1 | 1 |  |  |
| 3 x | (A) 0 |  | chirality |  |
| 11 x | (V) , V |  | chirality |  |
| 8 x | ( $\mathrm{S}, 0$ |  | chirality |  |
|  | ( Ad, 0 | , 0 ) | chirality | 0 |
|  | ( 0 , A | , 0 ) | chirality | 0 |
|  | ( $0, \mathrm{~V}$ |  | chirality | 0 |
| 8 x | (V) 0 | , v | chirality |  |
|  | (0, S |  | chirality | 0 |
|  | (0,0 |  | chirality |  |
| 4 x | (0,0 | , A ) | chirality |  |

Note: gauge group is just $\operatorname{SU}(5)$ !

```
169 39642 107 U3U2O1_AAV
Type: 3 x ( , 0,0,0,0,0 ) chirality 3
```



```
    3x ( 0,A ,0,0,0,0 ) chirality 3
    5 x ( v ,V ,0,0 ,0,0 ) chirality 3
    5 x ( 0 ,v ,v ,0 ,0 ,0 ) chirality -3
    4 x ( Ad,0 ,0 ,0 ,0 ,0 ) chirality 0
    1 x ( 0 ,Ad,0 ,0 ,0 ,0 ) chirality 0
    1 x ( 0 ,0 ,A ,0 ,0 ,0 ) chirality 0
    8 x ( S ,0 ,0 ,0,0 ,0 ) chirality 0
    8 x ( v ,0 ,0 ,V ,0,0 ) chirality 0
    8 x ( v ,0 ,0 ,0 ,V ,0 ) chirality 0
    8 x ( 0 ,0 ,V ,0 ,V ,0 ) chirality 0
    6 x ( V ,0 ,0 ,0 ,V*,0 ) chirality 0
    3x ( 0 ,0 ,S ,0,0,0 ) chirality 0
    3 x ( 0 ,0 ,V ,V ,0 ,0 ) chirality 0
    8 x ( v ,0 ,0 ,0 ,0 ,v ) chirality 0
    8 x ( 0 ,V ,0 ,0 ,0 ,V ) chirality 0
    3 x ( 0 ,0 ,V ,0 ,0 ,V ) chirality 0
    8 x ( 0 ,0 ,0 ,V ,V ,0 ) chirality -6
    3 x ( 0 ,0 ,0 ,0 ,A ,0 ) chirality 3
    5 x ( 0 ,0 ,0 ,0 ,S ,0 ) chirality 3
    1 x ( 0 ,0 ,0 ,A ,0 ,0 ) chirality 0
    1 x ( 0 ,0 ,0 ,0 ,Ad,0 ) chirality 0
    4 x ( 0 ,0 ,0 ,0 ,0 ,A ) chirality 0
    8 x ( 0 ,0 ,0 ,0 ,V ,V ) chirality 0
    3 x ( 0 ,0 ,0 ,v ,0 ,V ) chirality 0
    5 x ( 0 ,0 ,0 ,0,0 ,S ) chirality 0
```

| Type: |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Dimension | 5 | 1 |  |  |
| 11 x | (0) | , S | chirality | 3 |
| 3 x | (A | , 0 | chirality | 3 |
| $5 \times$ | (V | , V | chirality |  |
| 8 x | ( S | , 0 | chirality | 0 |
| 9 x |  | , 0 | chirality | 0 |
| 5 x | $(0$ | , Ad | chirality |  |
| $4 \times$ | 10 | , A | chirality |  |
| 12 x | (V | , V * | chirality | 0 |
| $Y=-\frac{2}{3} Q_{a}$ | $\frac{1}{2} Q$ |  |  |  |

$\checkmark$ Gauge coupling unification $\times$ No up-quark Higgs couplings

## Flipped SU(5)


$\times$ No gauge coupling unification $\checkmark$ Up-quark Higgs couplings
$3 \mathrm{x}(\mathrm{V}, \mathrm{v}, 0,0,0,0,0,0,0,0)$ chirality 3
$3 \mathrm{x}(\mathrm{V}, 0, \mathrm{~V}, 0,0,0,0,0,0,0)$ chirality -3
$3 \mathrm{x}(0, \mathrm{v}, \mathrm{V} *, 0,0,0,0,0,0,0)$ chirality -3
$1 \times(0,0,0, v, 0, v, 0,0,0,0)$ chirality -1
$1 \times(0,0,0,0,0, S, 0,0,0,0)$ chirality 1
$5 \mathrm{x}(0,0,0,0,0,0,0, v, v, 0)$ chirality 1
$3 \times(0,0,0,0,0,0,0,0,5,0)$ chirality 1
$1 \times(0,0,0,0,0, A, 0,0,0,0)$ chirality -1
$2 \mathrm{x}(0,0,0,0,0,0,0,0, A, 0)$ chirality -2
$1 \mathrm{x}(0,0,0, \mathrm{v}, 0,0,0,0, \mathrm{v}, 0)$ chirality 1
$1 \mathrm{x}(0,0,0,0, \mathrm{v}, 0,0,0, \mathrm{v}, 0)$ chirality 1
$1 \mathrm{x}(0,0,0,0,0, \mathrm{v}, 0, \mathrm{v}, 0,0)$ chirality 1
$1 \mathrm{x}(0,0,0,0,0, v, 0,0, v, 0)$ chirality -1
$1 \mathrm{x}(0,0,0,0,0,0, v, v, 0,0)$ chirality 1
$1 \times(0,0,0,0,0,0, v, 0, v, 0)$ chirality -1
$1 \times(0,0,0,0,0, V, 0,0,0, V)$ chirality -1
$1 \times(0,0,0, v, v, 0,0,0,0,0)$ chirality 0
$1 \times(0,0,0,0,5,0,0,0,0,0)$ chirality 0
$1 \times(0,0,0,0,0, A d, 0,0,0,0)$ chirality 0
$1 \times(0,0,0,0,0,0, A d, 0,0,0)$ chirality 0
$3 \times(0,0,0,0,0,0,0,5,0,0)$ chirality 0
$3 \times(0,0,0,0,0,0,0,0, A d, 0)$ chirality 0
$1 \mathrm{x}(0,0,0,0,0,0,0,0,0, s)$ chirality 0
$2 \mathrm{x}(0,0,0,0, \mathrm{v}, \mathrm{v}, 0,0,0,0)$ chirality 0
$1 \mathrm{x}(0,0,0,0, v, 0,0, v, 0,0)$ chirality 0
$2 \mathrm{x}(0,0,0,0,0, \mathrm{v}, 0,0, \mathrm{v} *, 0)$ chirality 0
$2 \times\left(0,0,0,0,0,0, v, 0,0^{0}, 0\right)$ chirality 0
$1 \times(0,0,0,0, v, 0,0,0,0, v)$ chirality 0
$1 \mathrm{x}(0,0,0,0,0,0,0, v, 0, v)$ chirality 0

| 52 |  | U |  | 64320 | 0 | 87 |  | 103 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 3 | 3 | 3 | 2 | 12 | 1212 | 212 | 4 |  |  |
| 3 | x | (V | V | , 0 | , 0 | , 0 , | , | 0, 0 |  | chirality | 3 |
| 3 | x | (V) | , 0 | , V 0 | , 0 | , 0 , | , | 0,0 |  | chirality | -3 |
| 3 | x | $(0$ | , V | , V*, 0 | , 0 | , 0 , | , | 0, 0 |  | chirality | 3 |
| 1 | x | 10 | , 0 | , 0 , V | , 0 | , V , | 0, | 0,0 |  | chirality | 1 |
| 1 | x | 10 | , 0 | , 0,0 | , 0 | , S , | 0 , | 0, 0 |  | chirality | 1 |
| 5 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | 0, | V , V |  | chirality |  |
| 3 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | 0, | 0 , S |  | hirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , A , | 0, | 0, 0 |  | chirality | -1 |
| 2 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | , | O, A |  | chirality | -2 |
| 1 | x | $(0$ | , 0 | , 0 , V | , 0 | , 0 , | , | O, V |  | chirality | 1 |
| 1 | x | $(0$ | , 0 | , 0,0 | , V | , 0 , | 0, | O, V | , 0 | hirality | 1 |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , V , | , , | V , 0 |  | chirality | 1 |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , V , | O, | O, V |  | chirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | V , | V , 0 |  | hirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | V , | O, V | , 0 | hirality | -1 |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , V , | , | 0, 0 | , V | hirality | 1 |
| 1 | x | $(0$ | , 0 | , 0 , V | , V | , 0 , | , 0 | 0, 0 | , 0 | chirality | 0 |
| 1 | x | $(0$ | , 0 | , 0,0 | , S | , 0 , | , , | 0,0 | , 0 | chirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , Ad, | 0 , | 0,0 |  | chirality | 0 |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 | Ad, | 0,0 |  | chirality |  |
| 3 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | , 0 , | S , 0 |  | hirality | 0 |
| 3 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | 0 , | 0 , Ad |  | chirality | 0 |
|  | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | , | 0,0 |  | chirality |  |
| 2 | x | $(0$ | , 0 | , 0,0 | , V | , V , | 0, | 0, 0 |  | hirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , V | , 0 , | 0, | V , 0 |  | chirality |  |
| 2 | x | $(0$ | , 0 | , 0,0 | , 0 | , V , | 0 , | $0, \mathrm{~V} *$ |  | chirality |  |
| 2 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | V , | 0, V* |  | chirality |  |
|  |  | $(0$ | , 0 | , 0,0 | , V | , 0 , | , | 0,0 |  | chirality |  |
| 1 | x | $(0$ | , 0 | , 0,0 | , 0 | , 0 , | , , | V , 0 | ,V | chirality |  |

## What we don't get:



Antoniadis \& Dimopoulos, hep-th/0411032, ("type C")
The same model with $\mathrm{Sp}(2)$ instead of $\mathrm{U}(2)$ does occur, but without tadpole solution
845918825
108
1 U3S2U1_VVT

## Final question

Which percentage of the landscape have we visited so far?
$\begin{array}{lr}\text { Our results: } & 873 \text { Hodge number pairs } \\ \text { Kreuzer's list: } & 30000 \text { Hodge number pairs }\end{array}$

