



# **THE SEARCH FOR THE HIGGS BOSON**

Ivo van Vulpen (Uva/Nikhef)

# (In)famous Higgs boson



*The Higgs boson*

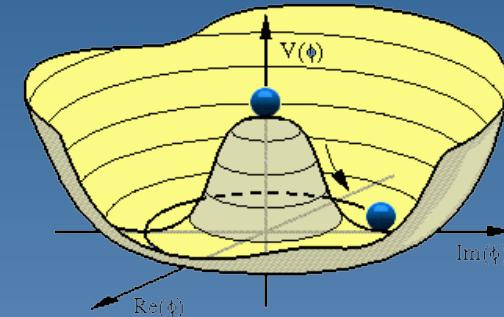


*Paris Hilton*

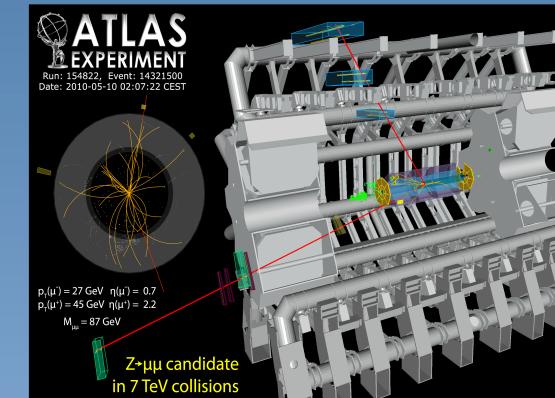
Famous and constantly in the news  
... but are they important ?

## Things to remember

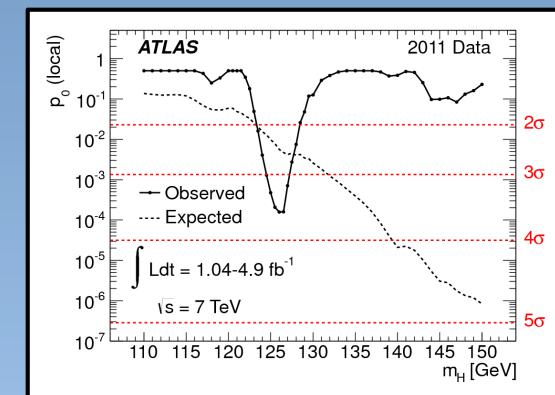
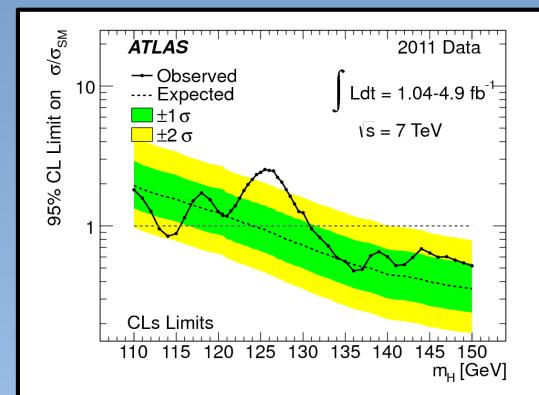
1) The Higgs mechanism  
is at the heart of the  
Standard Model



2) LHC and ATLAS detector  
operating fine!

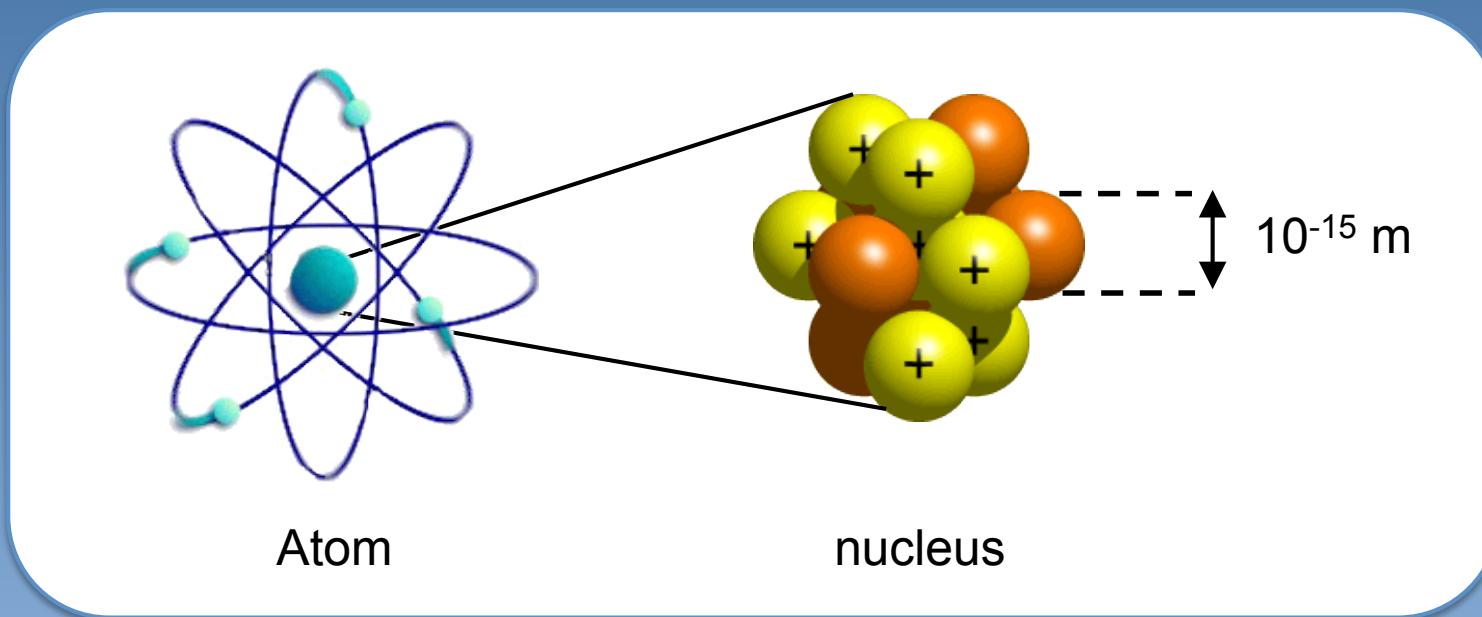


3) How to interpret the  
Higgs summary plots  
from LHC experiments

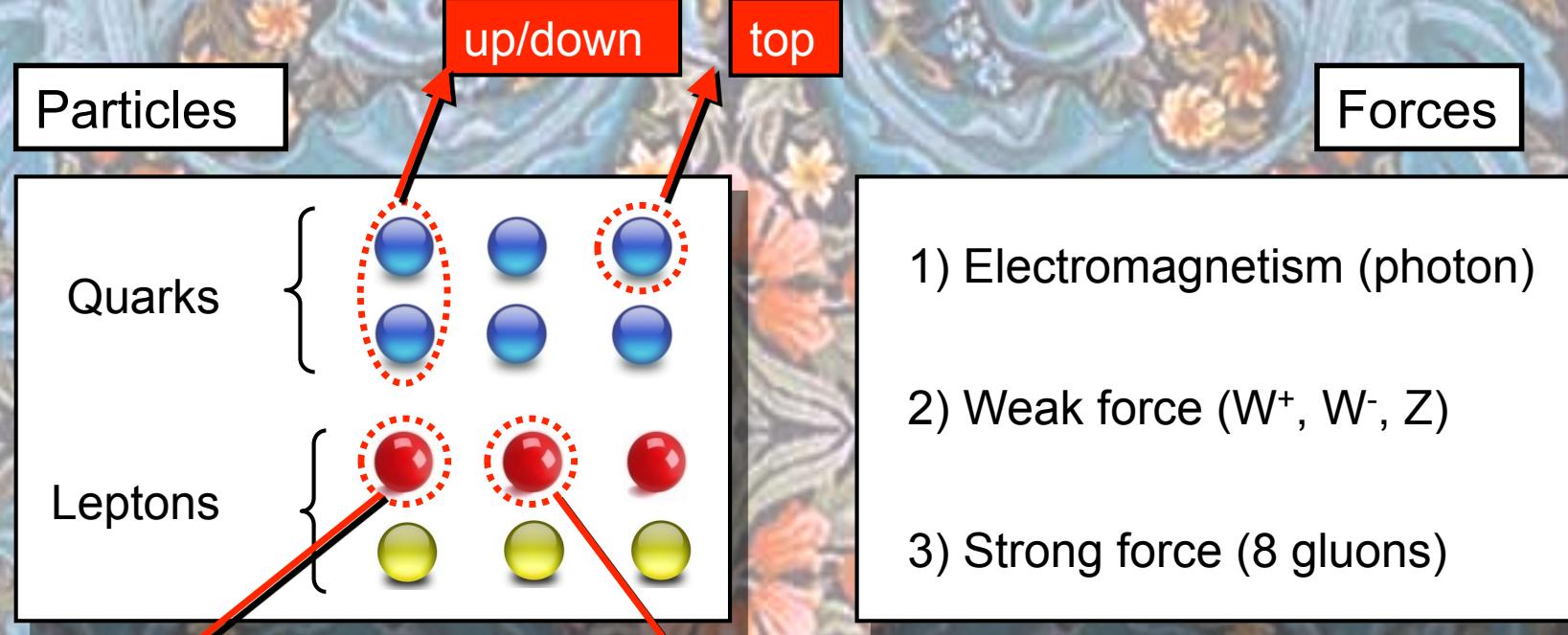


# Particle Physics

Studies nature at distance scales  $< 10^{-15} \text{ m}$



Standard Model:  
Quantum theory that describes phenomena down to  $10^{-18} \text{ m}$



$$SU(2)_L \otimes U(1)_Y \otimes SU(3)_C$$

# Standard Model is based on symmetries

Free electron

$$\mathcal{L}_e = i\bar{\psi}\gamma_\mu\partial^\mu\psi - m\bar{\psi}\psi$$

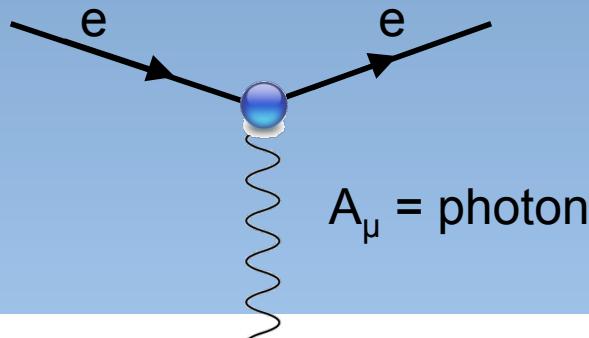
Extra symmetry requirement

*Local gauge invariance*

$$\psi(x) \rightarrow e^{i\alpha(x)}\psi(x)$$

Introduce covariant derivative  
(with vector-field)

$$\partial_\mu \rightarrow D_\mu = \partial_\mu - ieA_\mu$$



**In the Standard Model**

$$SU(2)_L \otimes U(1)_Y \otimes SU(3)_C$$

Electroweak:  
 $W^+$ ,  $W^-$ ,  $Z$ ,  $\gamma$

QCD:  
8 gluons

# What is missing in our Standard Model ?

## GOOD THINGS:

- ➊ 'understand' origin of forces
- ➋ Excellent agreement data
- ➌ Connection EM / Weak force

## NOT-SO-GOOD THINGS:

- ➊ No massive gauge bosons ( $W^\pm, Z$ )
- ➋ No massive fermions (all particles)
- ➌ Vector boson scattering diverges



Solved by the Higgs mechanism



Dark matter  
Dark energy  
Matter/anti-matter  
Nature of gravity  
Beginning of time

# The Higgs mechanism

Massive gauge bosons in a local gauge invariant theory

$$SU(2)_L \otimes U(1)_Y \otimes SU(3)_C$$

There has to be a Higgs boson

## BROKEN SYMMETRIES, MASSLESS PARTICLES AND GAUGE FIELDS

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Received 21 July 1964

Recently a number of people have discussed the Goldstone theorem<sup>1,2,3</sup> that any solution of a Lorentz-invariant theory which violates an internal symmetry operation of that theory must contain a massless scalar particle. Kibble and Lee<sup>2,3</sup> showed that this theorem does not necessarily apply in non-relativistic theories and argued that their considerations would apply equally well to Lorentz-invariant field theories. Gell-Mann<sup>4</sup>, however,

gave a proof that the failure of the Goldstone theorem in the non-relativistic case is of a type which cannot occur when Lorentz-invariance is imposed on a theory. The purpose of this note is to show that Gell-Mann's argument fails for an important class of field theories, that in which the conserved currents are coupled to gauge fields.

Following the procedure used by Gell-Mann<sup>4</sup>, let us consider a theory of two hermitian scalar fields

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$$\psi_1(\vec{r}, t), \psi_2(\vec{r}) \text{ which is invariant under the phase transformation}$$

$$\begin{aligned} \psi_1 &\rightarrow e^{i\theta} \psi_1(\vec{r}, t) + \psi_2(\vec{r}, t), \\ \psi_2 &\rightarrow e^{-i\theta} \psi_2(\vec{r}, t) - \psi_1(\vec{r}, t). \end{aligned} \quad (1)$$

Then there is a conserved current  $j_\mu$  such that

$$(j^\mu x_\mu)(\vec{r}, t) = \psi_1(\vec{r}, t). \quad (2)$$

We assume that the Lagrangian in such that symmetry is broken by the non-vanishing of the vacuum expectation value of  $\psi_2$ . Goldstone's theorem is proved by showing that the Fourier transform of  $(j^\mu x_\mu)(\vec{r}, t)$  contains a term

$$i\langle \psi_2(\vec{r}, t) | j_\mu(\vec{r}, t) \rangle_{\text{vac}},$$

where  $j_\mu$  is the conserved current, as a consequence of Lorentz-invariance, the conservation law and eq. (1).

Kibble and Lee<sup>2,3</sup> avoided this result in the non-relativistic case by showing that the most general form of this Fourier transform is now, in Gell-Mann's notation,

$$F.T. = k_\mu \psi_2(\vec{r}, t) + i\epsilon_{\mu\nu} \psi_2(\vec{r}, t) + C \epsilon_{\mu\nu} \psi_1^2(\vec{r}, t),$$

where  $\epsilon_{\mu\nu}$  which may be taken as (1, 0, 0, 0),

plus a special Lorentz frame. The conservation law then reduces eq. (2) to the less general form

$$\begin{aligned} F.T. = k_\mu (\psi_2^2(\vec{r}, t) + i\epsilon_{\mu\nu} \psi_2(\vec{r}, t)) + & \\ + i\epsilon_{\mu\nu} \psi_1(\vec{r}, t). \end{aligned} \quad (3)$$

It turns out, on applying eq. (3), that all three terms in eq. (3) can contribute to  $\psi_1(\vec{r}, t)$ . Thus the Goldstone theorem fails if  $k_\mu \neq 0$ , which is possible only if the other term is zero. Gell-Mann's remark that no special timelike vector  $k_\mu$  is available in a Lorentz-invariant theory appears to rule out this possibility in such a theory.

There is however a class of relativistic field theories in which a vector  $k_\mu$  does indeed play a part. This is the class of gauge theories, where an auxiliary and timelike vector  $a_\mu$  must be intro-

duced in order to define a radiation gauge in which the vector gauge fields are well-defined operators. Both theories are nevertheless Lorentz-covariant, as has been shown by Stoenescu<sup>5</sup>. (This has, of course, long been known of the simplest such theory, quantum electrodynamics.) There seems to be no reason why the vector  $a_\mu$  should not appear in the Fourier transform under consideration.

It is characteristic of gauge theories that the conservation laws hold in the strong sense, as a consequence of field equations of the form

$$\partial_\mu A_\mu = \partial_\mu A'_\mu = \partial_\mu A''_\mu. \quad (4)$$

Except in the case of abelian gauge theories, the fields  $A_\mu$ ,  $A'_\mu$ ,  $A''_\mu$  are not simply the gauge field variables  $A_\mu$ ,  $A'_\mu$ , but contain additional terms with combinations of the structure constants of the group as coefficients. How the structure of the Fourier transforms of  $(\psi_2(\vec{r}, t), \psi_1(\vec{r}, t))$  must be given by eq. (3). Applying eq. (3) to this combination gives us as the Fourier transform of  $(\psi_2(\vec{r}, t), \psi_1(\vec{r}, t))$  the single term

$$(k_\mu^2 - k_\mu k_\nu) \psi_2(\vec{r}, t).$$

We have thus exercised both Goldstone's zero-mass boson and the "gauge" state ( $k_\mu = 0$ ) proposed by Kibble and Lee.

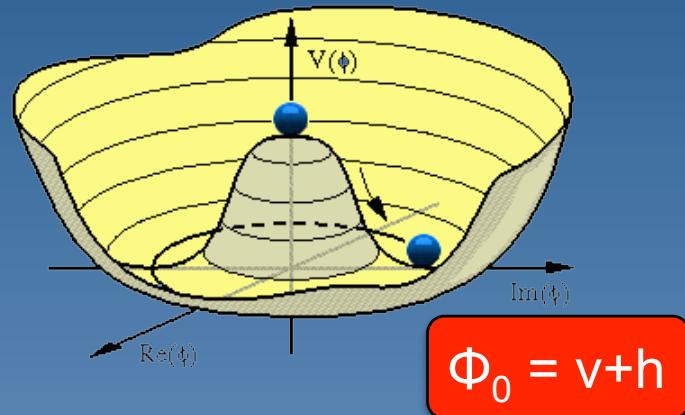
In a subsequent note it will be shown, by considering some classical field theories which display broken symmetries, that the introduction of gauge fields may be expected to produce qualitative changes in the nature of the particles described by such theories after quantization.

## References

- [1] J. Goldstone, Nuovo Cimento **10** (1953) 114.
- [2] J. Goldstone, A. Salam and S. Weinberg, Phys. Rev. **187** (1960) 1918.
- [3] J. Kibble and B. W. Lee, Phys. Rev. Letters **13** (1964) 186.
- [4] R. Gell-Mann, Phys. Rev. Letters **13** (1964) 115.
- [5] J. Stoenescu, Phys. Rev. **137** (1965) 208.

- September 1964 -

# The Higgs mechanism



- 1) Add iso-spin doublet  $\Phi$  (4 d.o.f.), with  $Y_\Phi = +1$
- 2) Potential:  $V(\Phi) = \mu^2\Phi^2 + \lambda\Phi^4$ , with  $\mu^2 < 0$

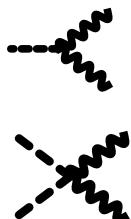
## Gauge bosons

( $V = W^+, W^-, Z, \gamma$ )

$$L(\phi) = \underbrace{(D_\mu \phi)(D^\mu \phi)}_{\propto \vec{V}^2} - V(\phi)$$

$$\text{mass } V$$

$$\propto h\vec{V}^2$$



$$\propto h^2\vec{V}^2$$

## Fermions:

( $\psi = e, \mu, \dots$ )

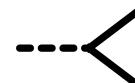
$$L(\psi) = \underbrace{\bar{\psi}\phi\psi}_{m_\psi \bar{\psi}\psi} + \dots$$



$$m_\psi \bar{\psi}\psi$$

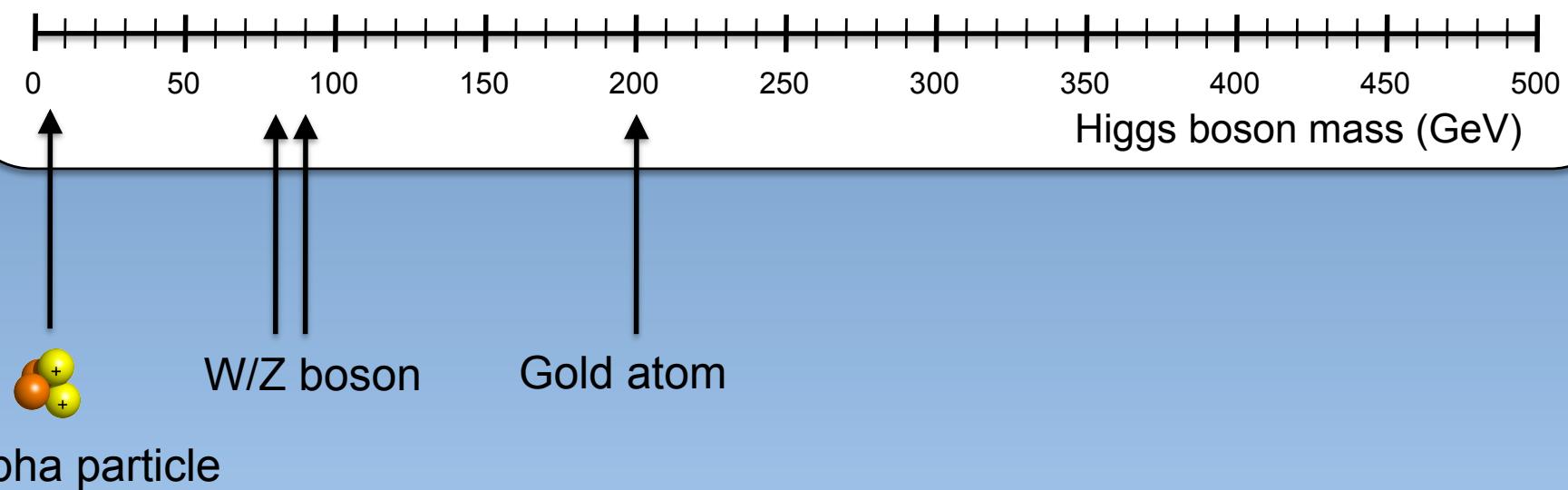
mass  $\psi$

$$\frac{m_\psi}{v} \bar{\psi}h\psi$$



*“the Higgs couples to mass”*

# The mass of the Higgs boson



If the Higgs boson is discovered  
it will go straight into our history books

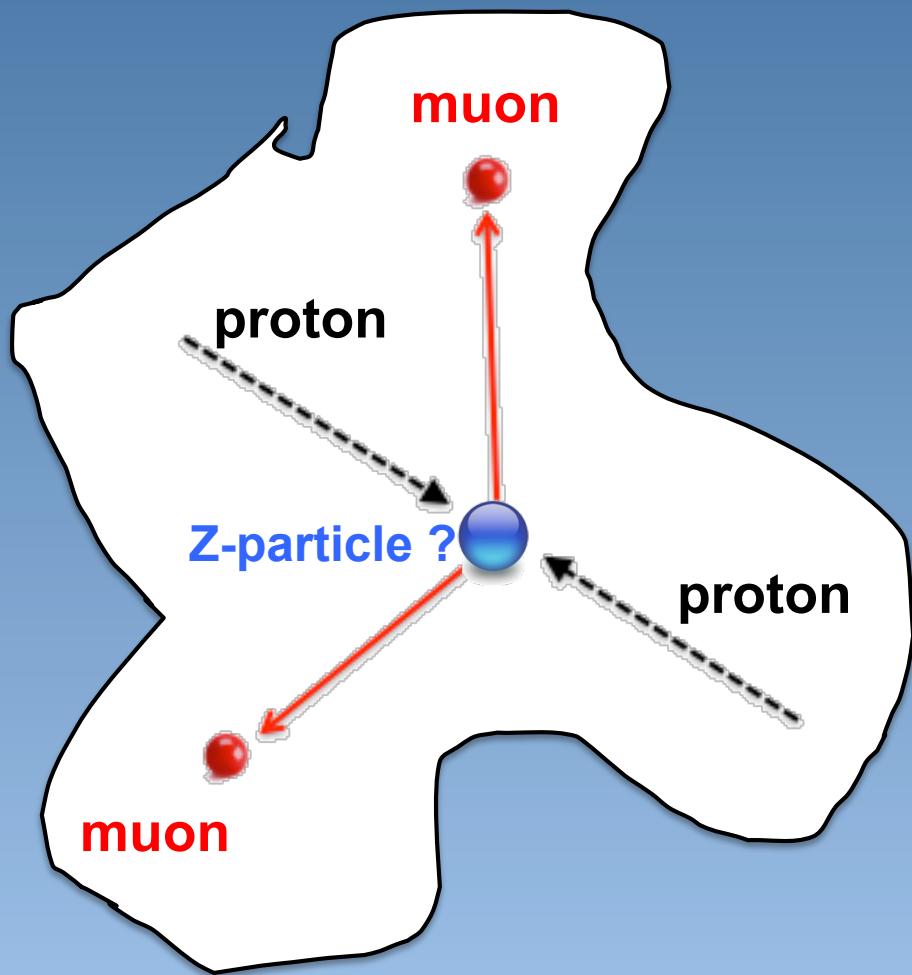


If the Higgs boson is **not** discovered  
it will **also** go straight into our history books

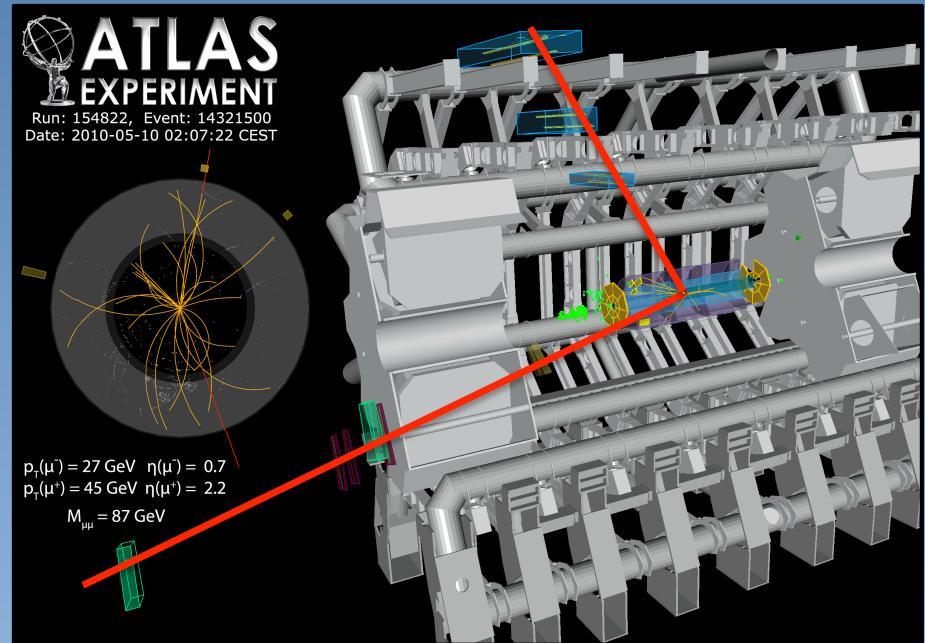


# How do you discover a Z particle ?

*Deviations from the prediction without a Z boson*



2-muons as seen in the ATLAS detector

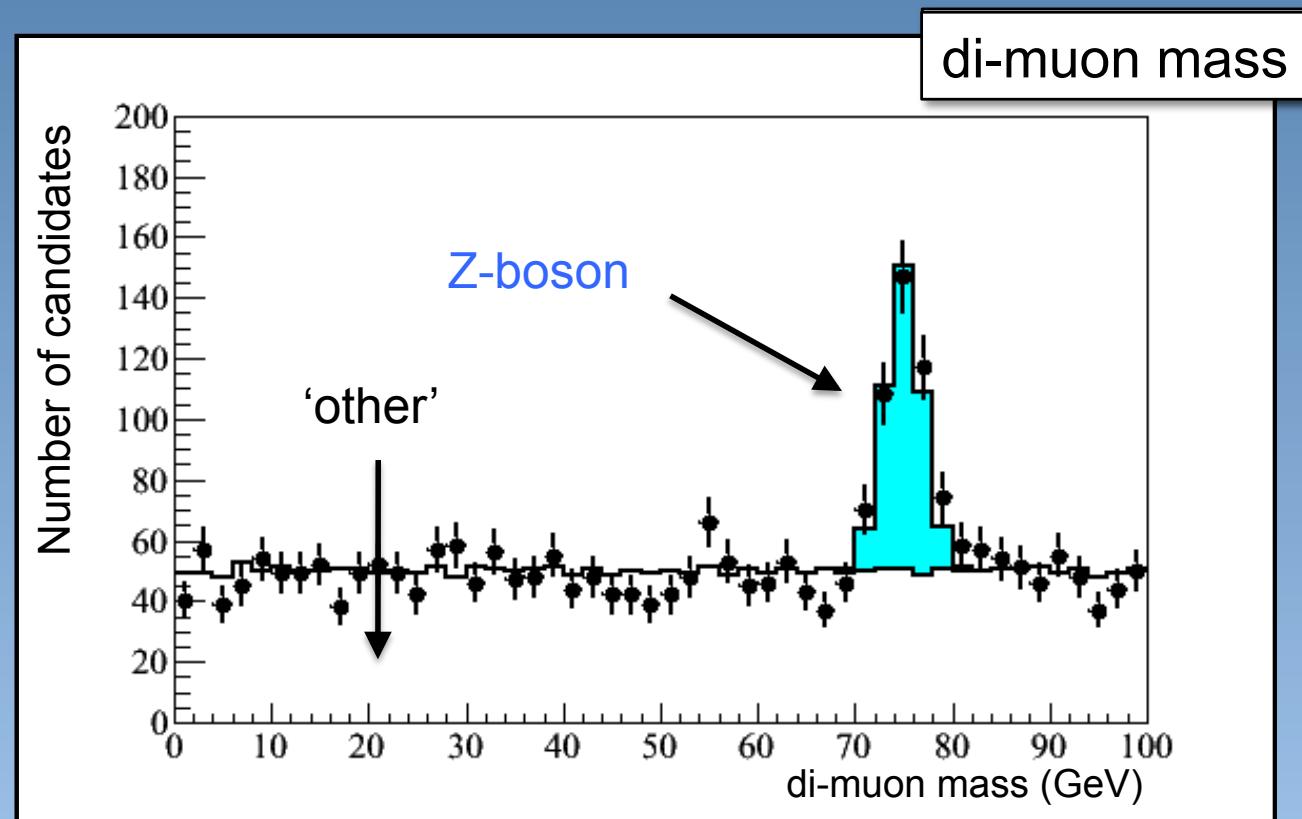


What is the fingerprint of the Z particle:  
→ the di-muon mass

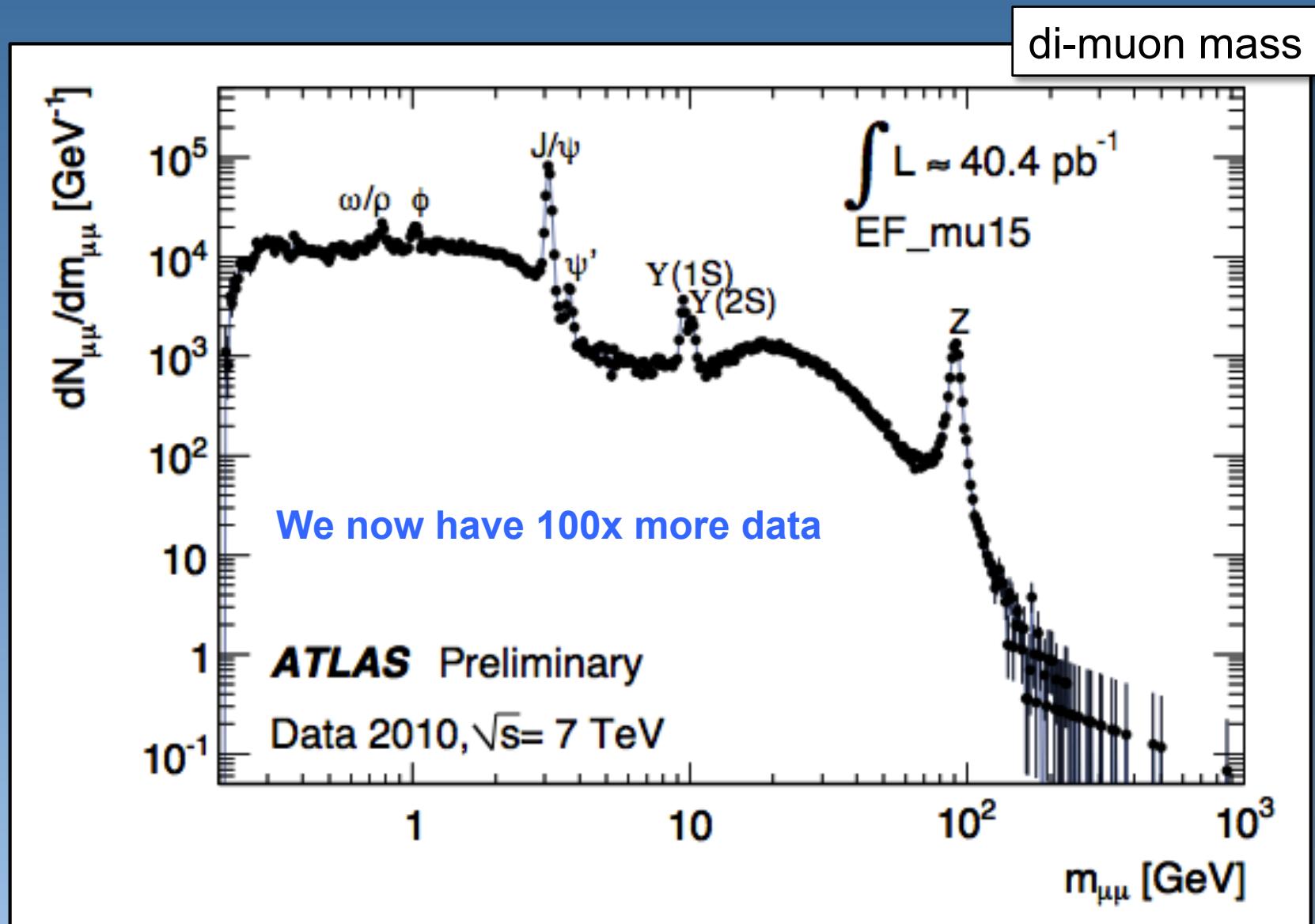


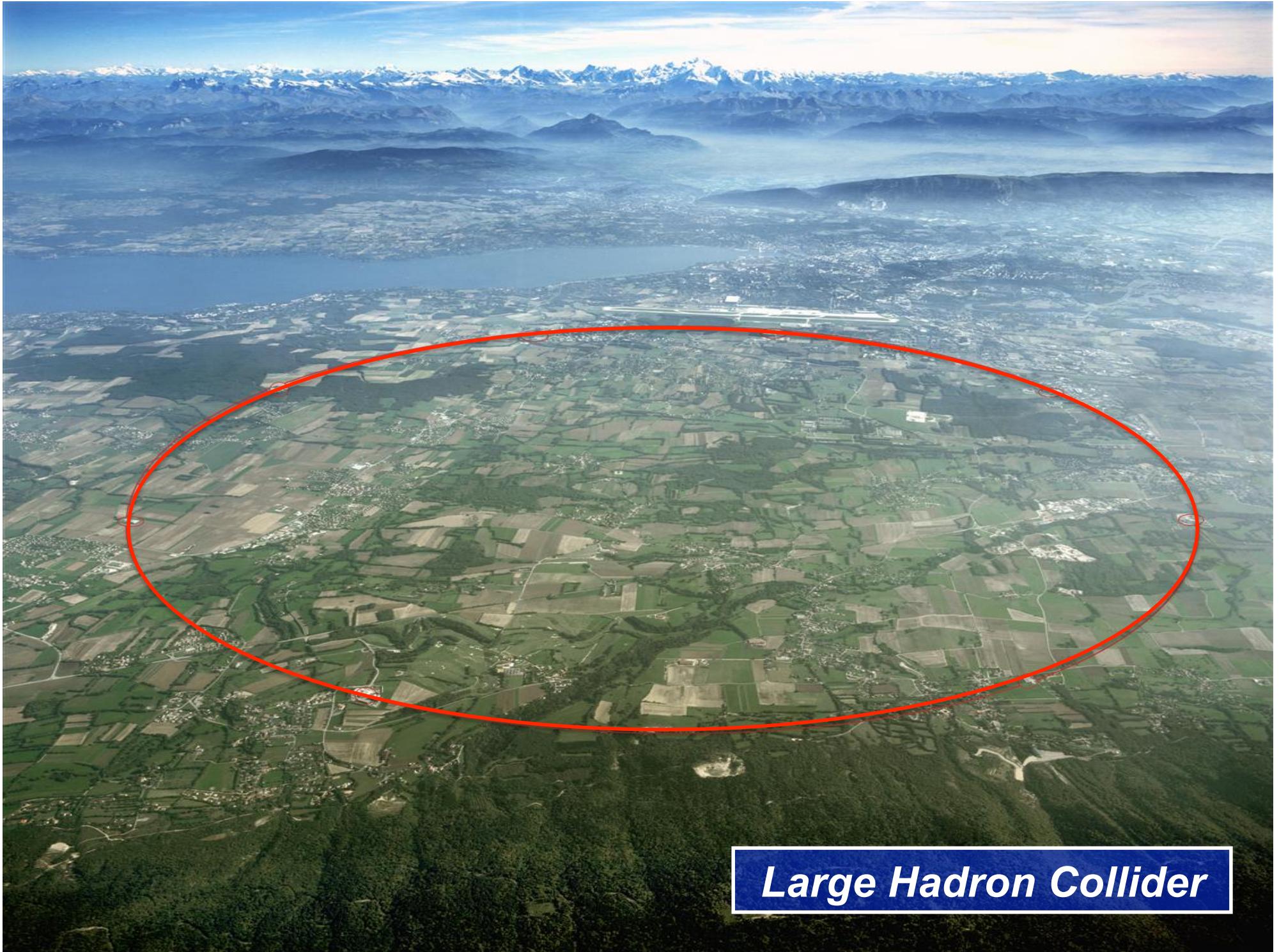
'other': no preference/structure

Z-boson: Breit-Wigner  $\otimes$  resolution



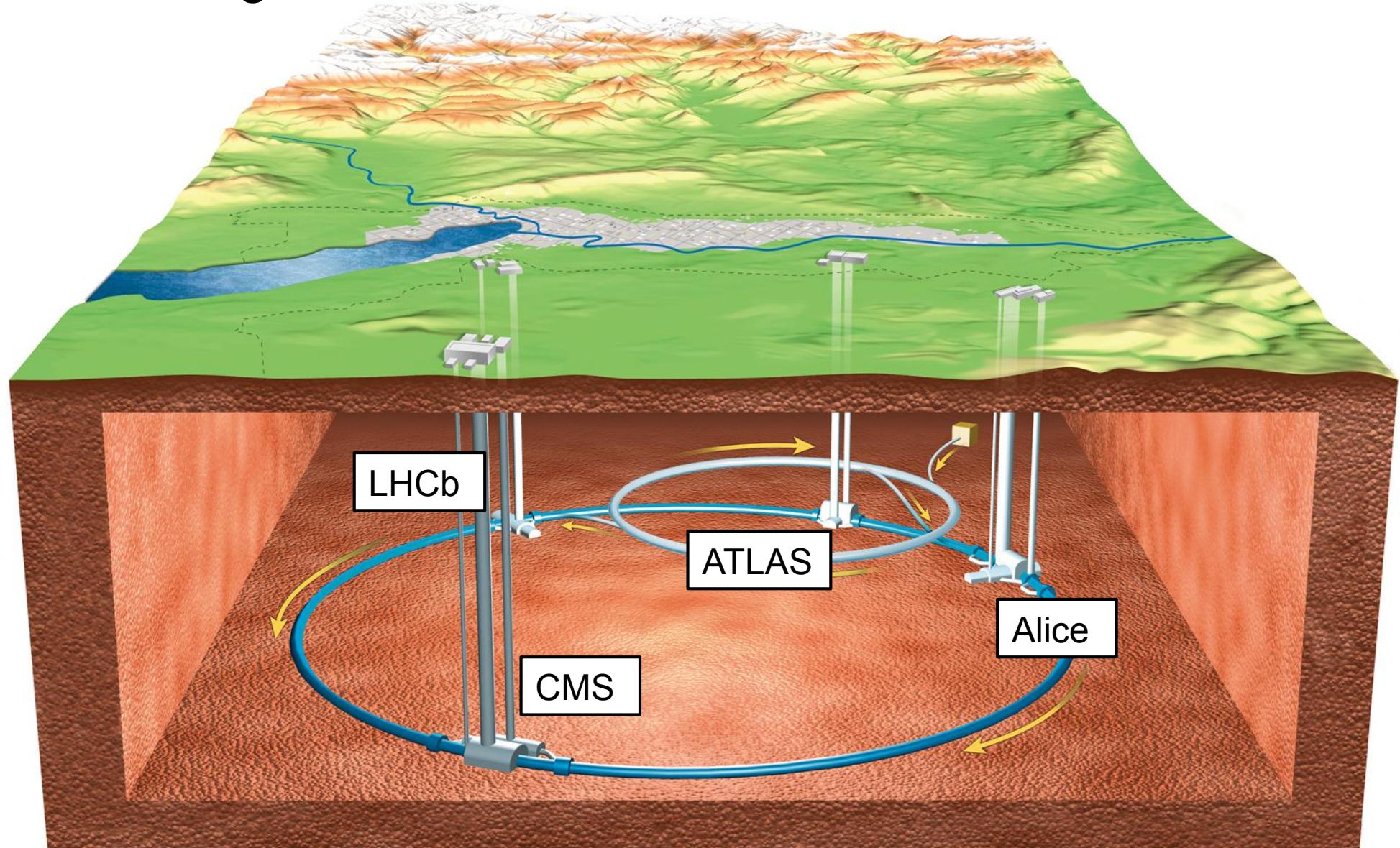
# Di-muon resonances in proton-proton

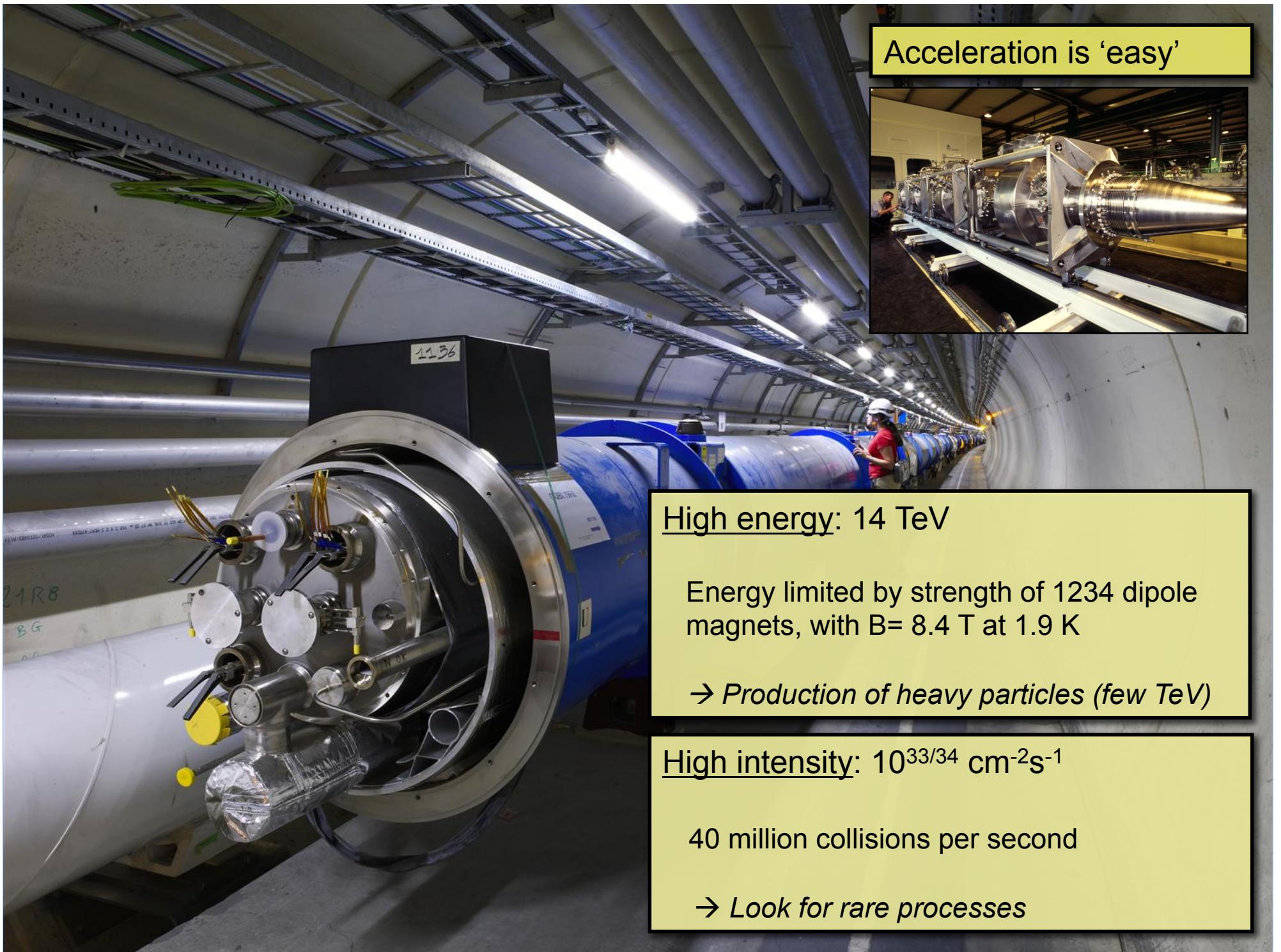




*Large Hadron Collider*

# The Large hadron collider





Acceleration is ‘easy’

High energy: 14 TeV

Energy limited by strength of 1234 dipole magnets, with  $B = 8.4 \text{ T}$  at  $1.9 \text{ K}$

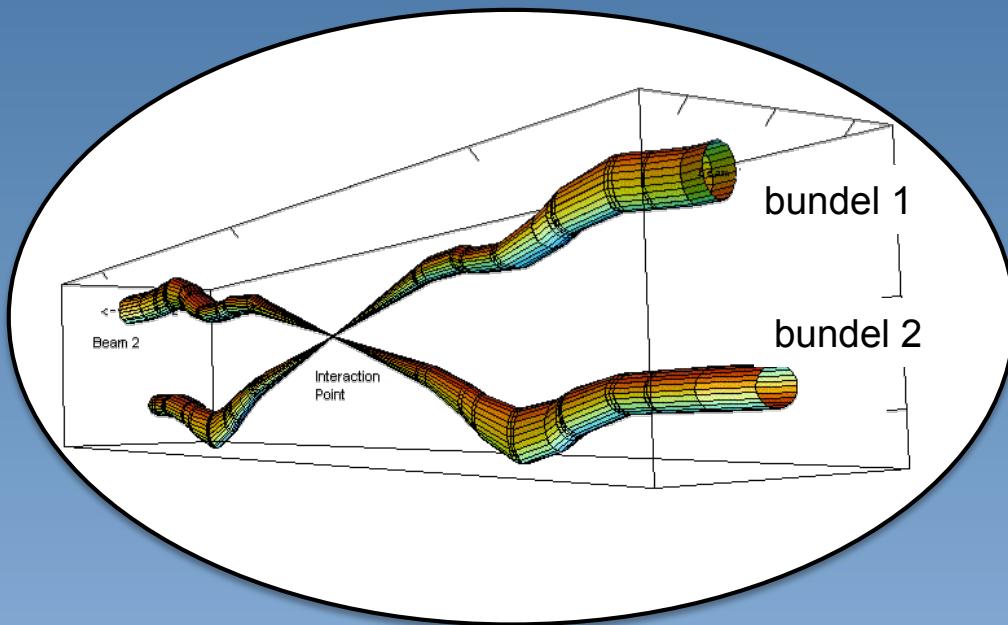
→ *Production of heavy particles (few TeV)*

High intensity:  $10^{33/34} \text{ cm}^{-2}\text{s}^{-1}$

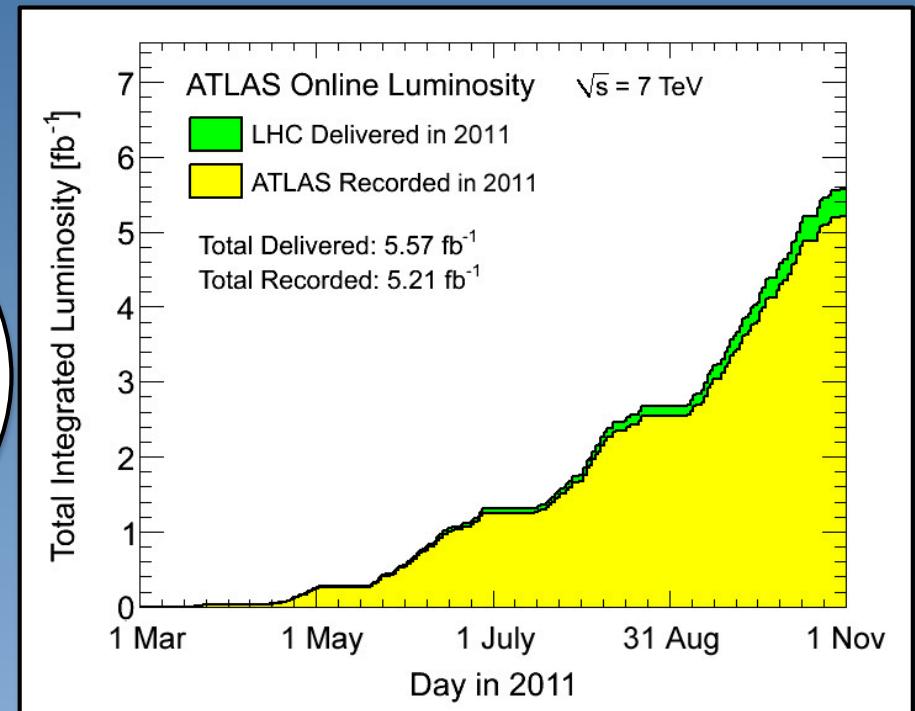
40 million collisions per second

→ *Look for rare processes*

# LHC 2012 data-set



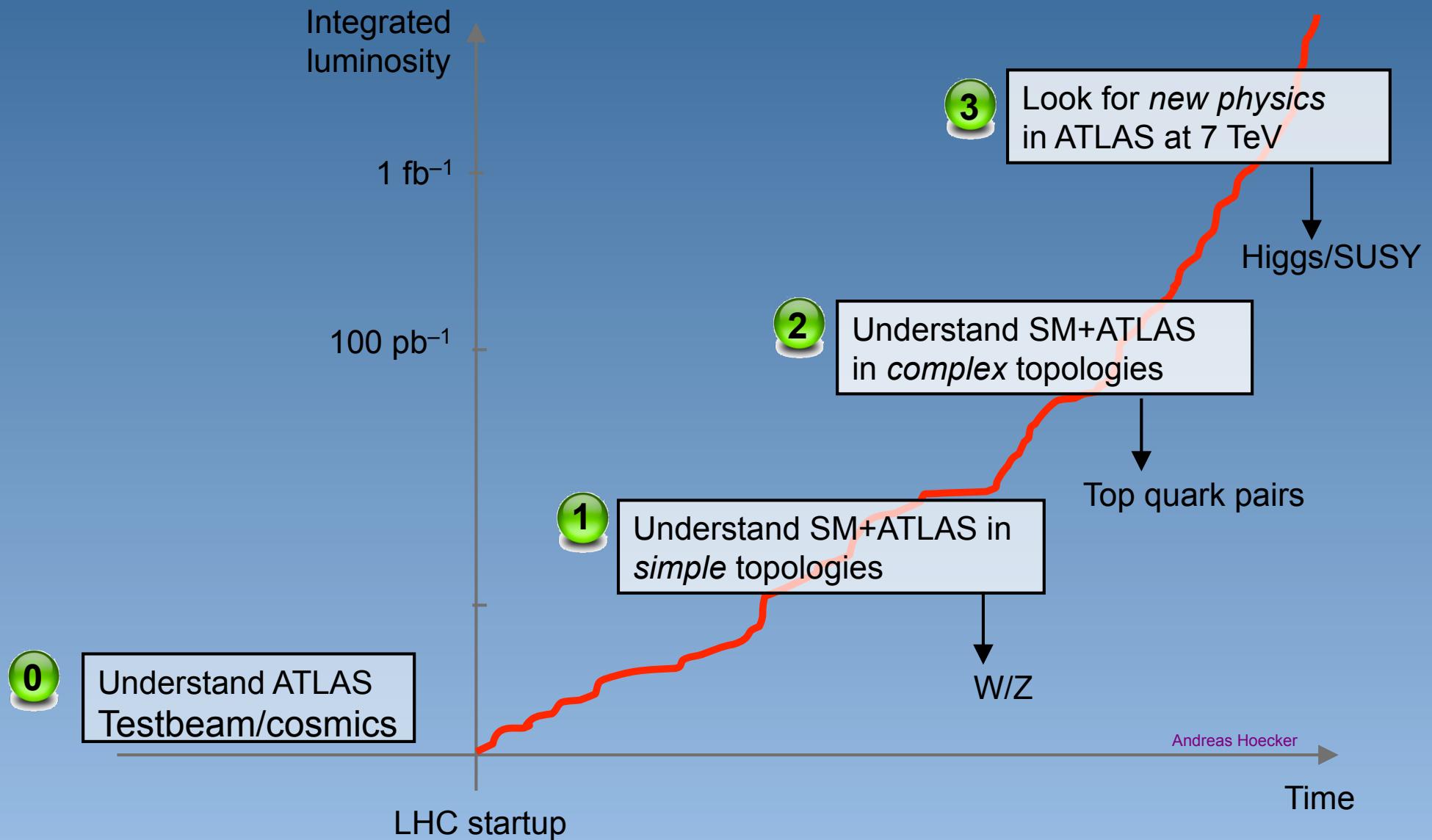
➤40 million collisions per second  
Only 200 Hz to tape



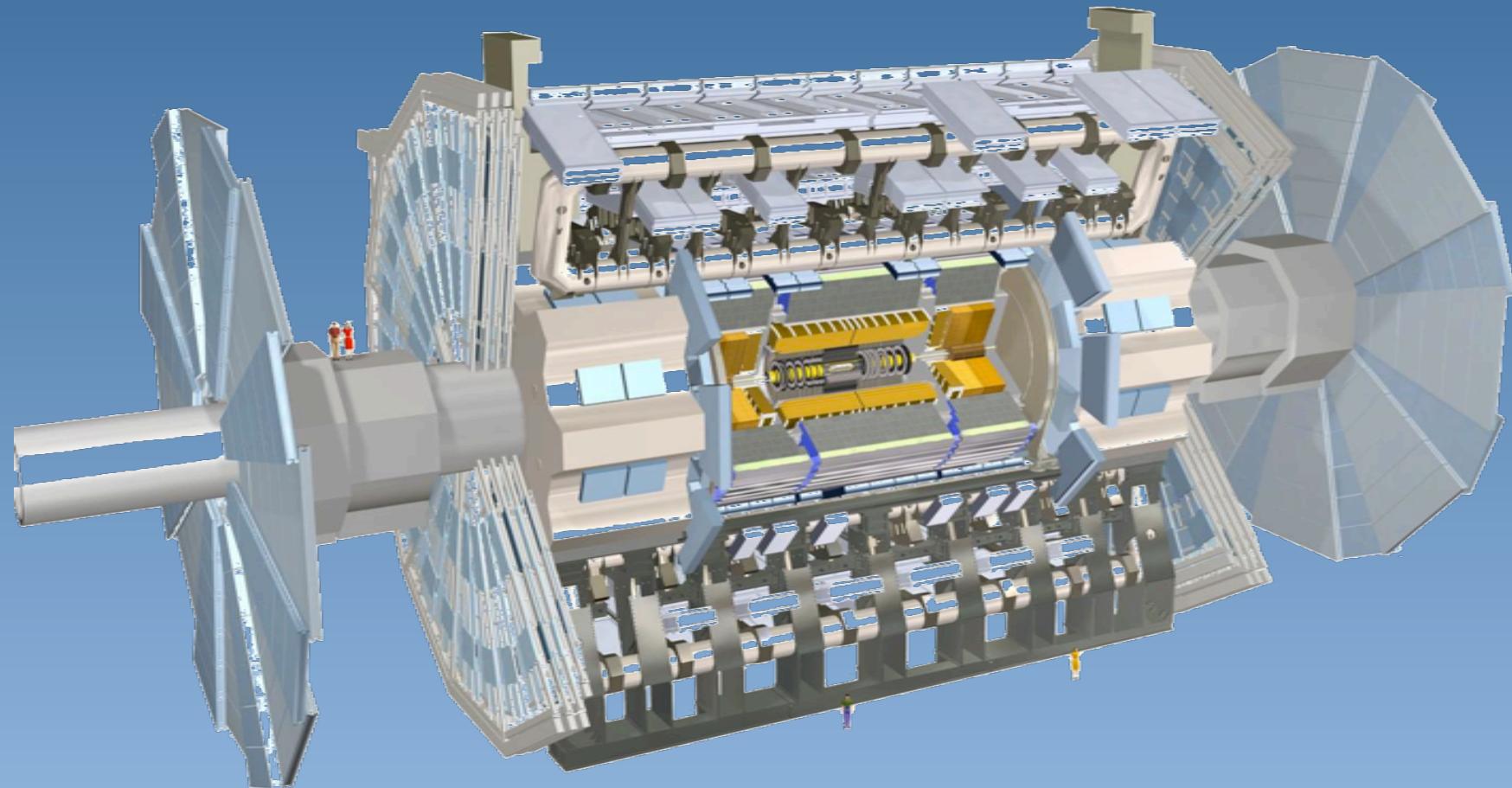
Peak Luminosity =  $3.65 \times 10^{33} \text{ cm}^2 \text{ s}^{-1}$   
Limited Trigger rate: 200 Hz

# LHC start-up programme

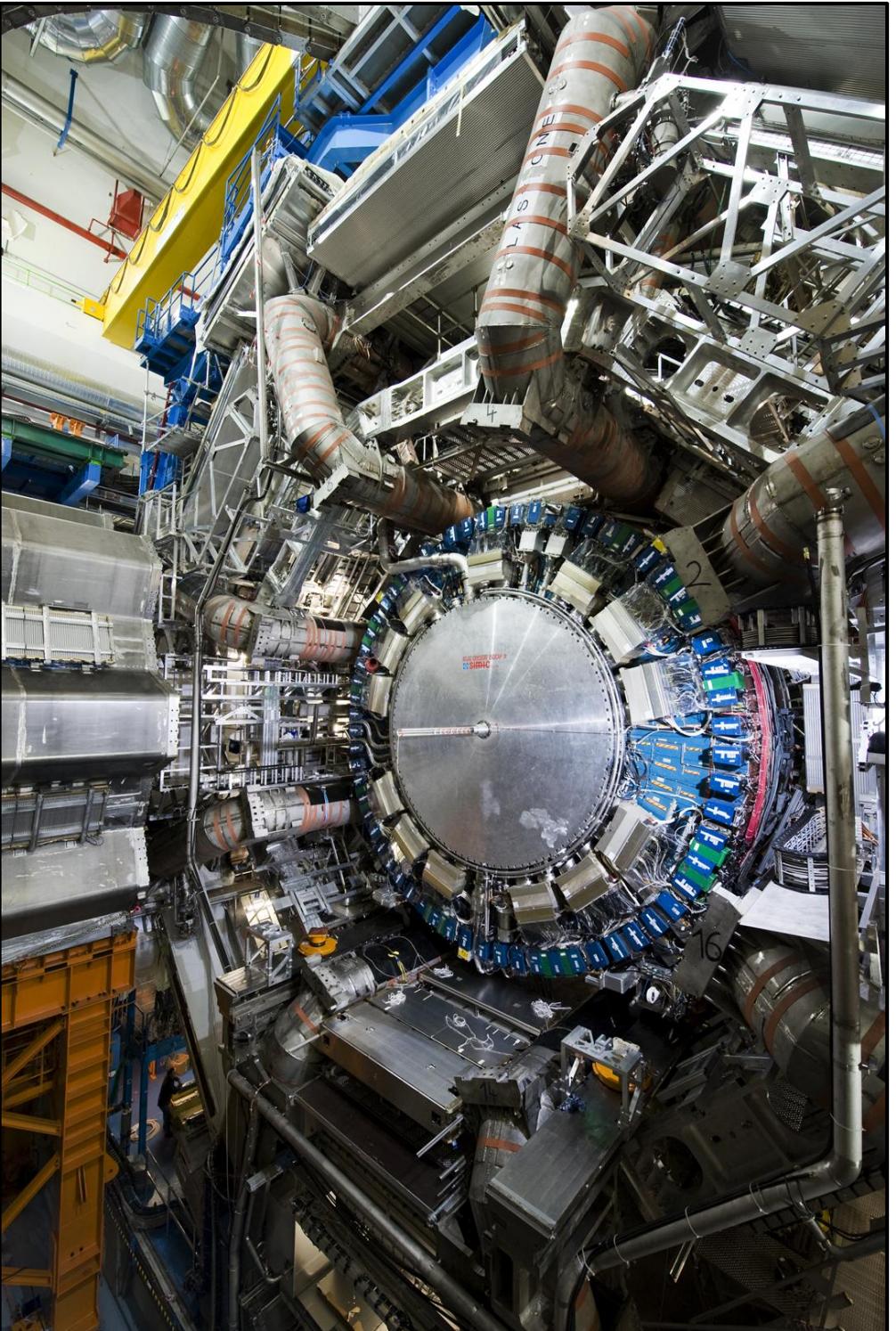
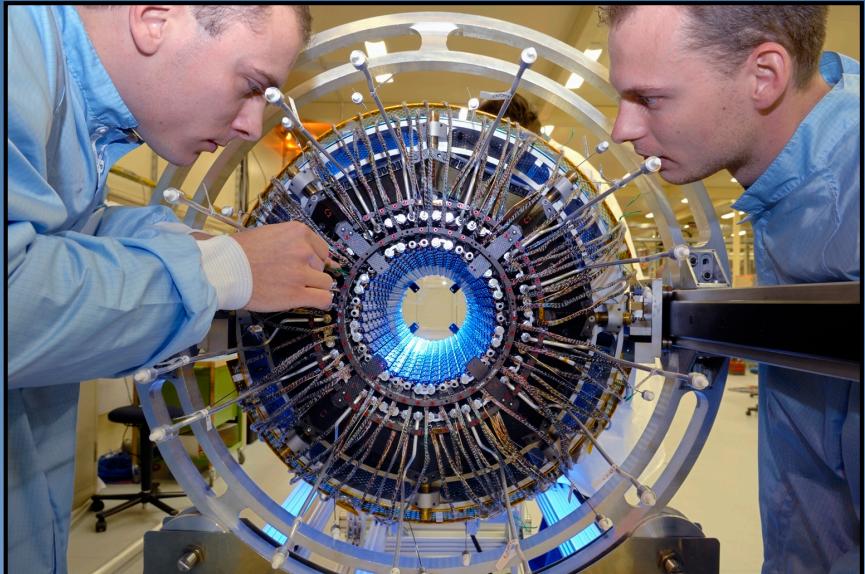
## New detector and new energy scale



# The ATLAS detector (as a computer model)

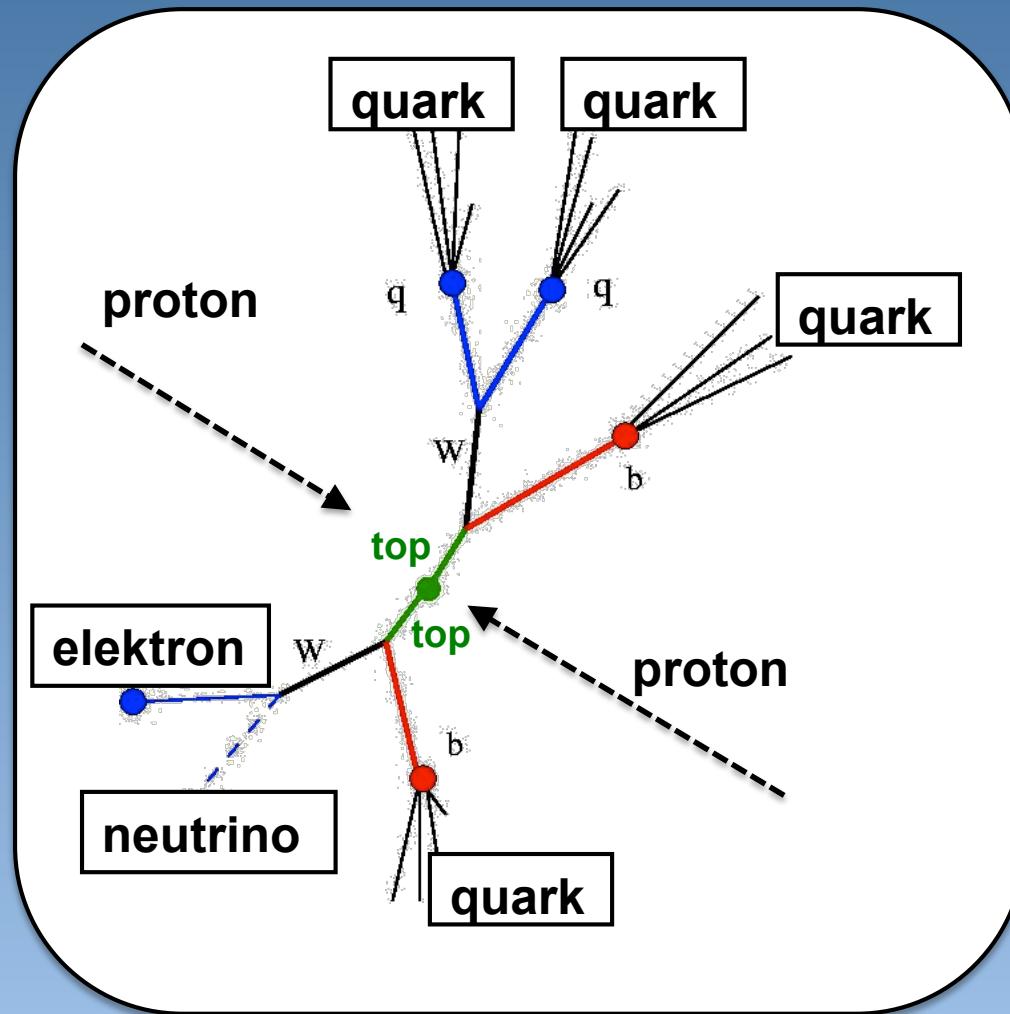


# The ATLAS detector (in real life)

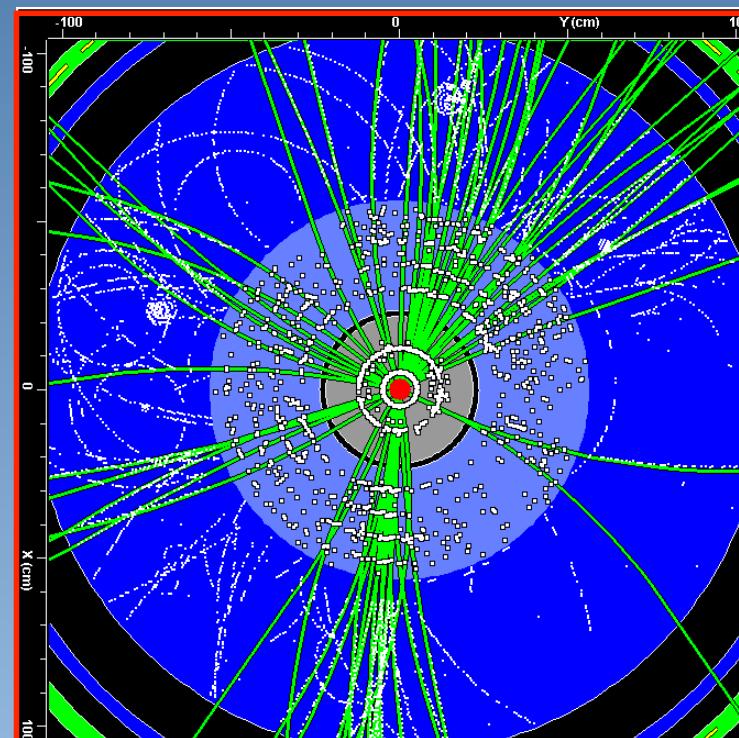


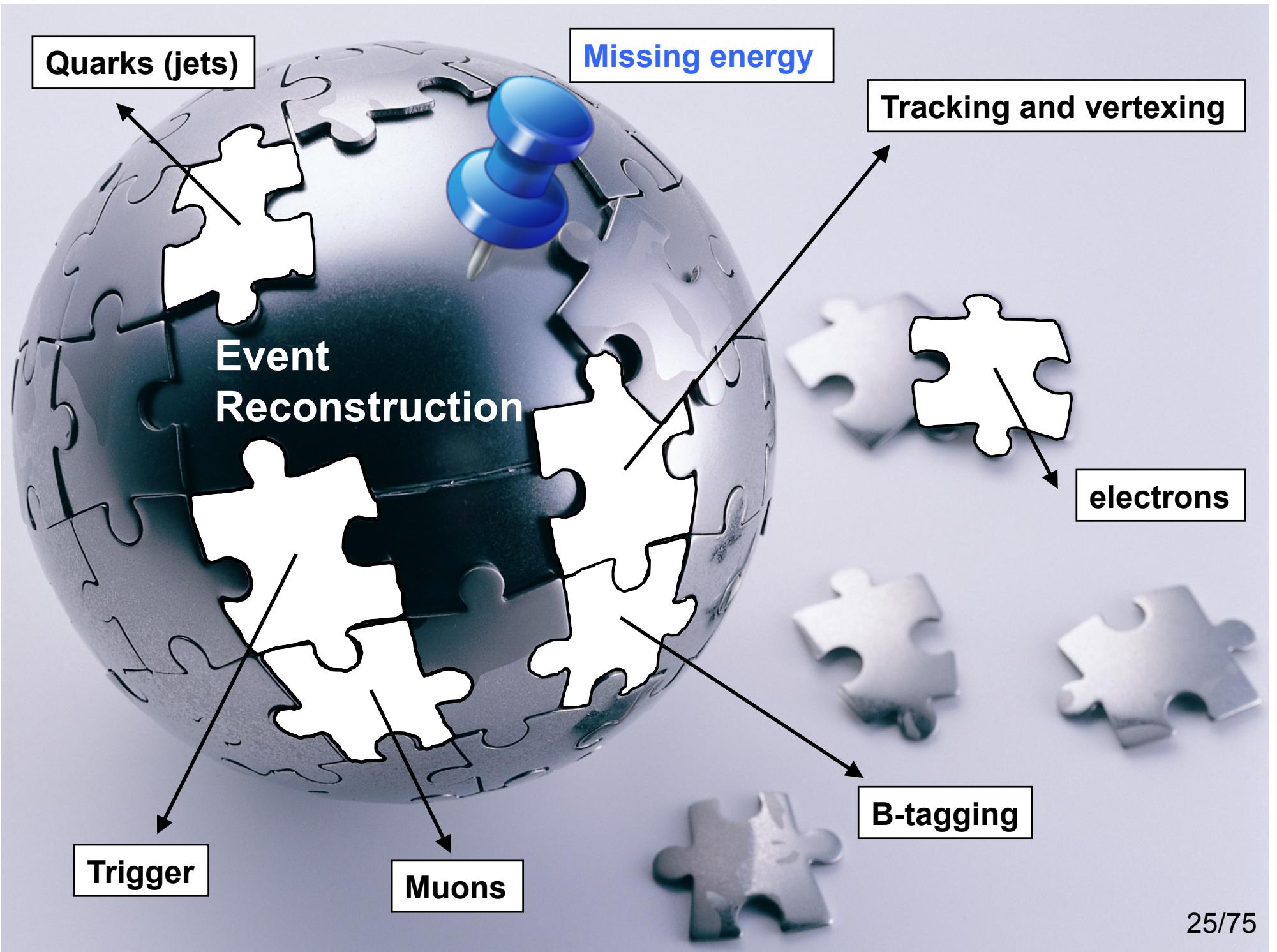
# Interpreting LHC events

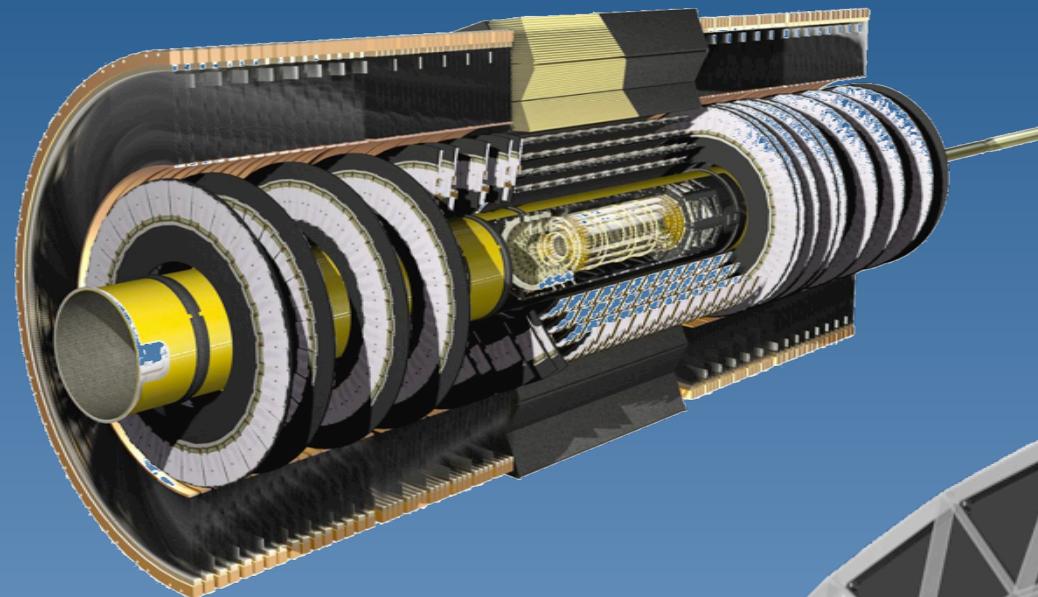
top quark pair-production



Simulation top quark production

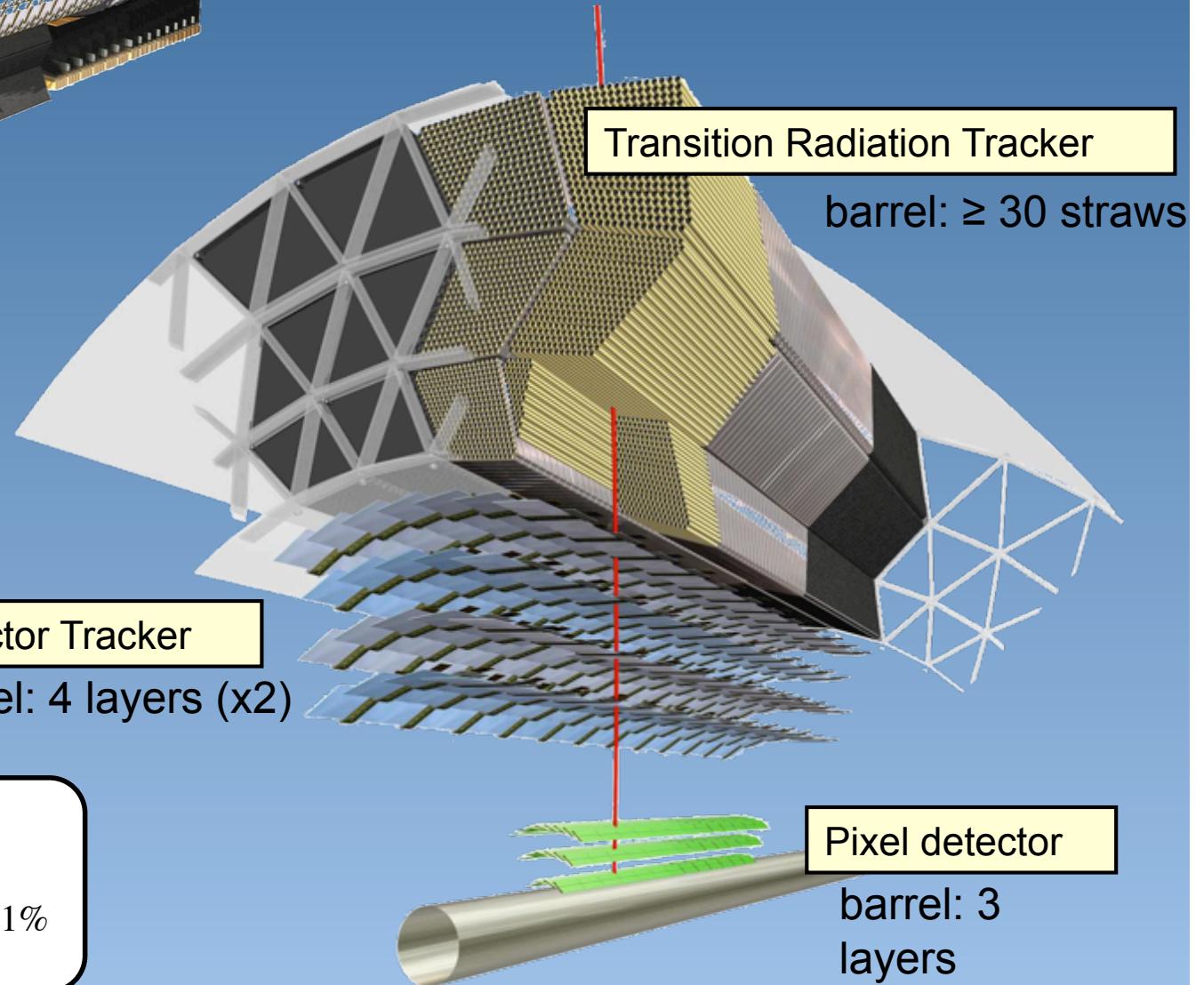






ATLAS inner detector

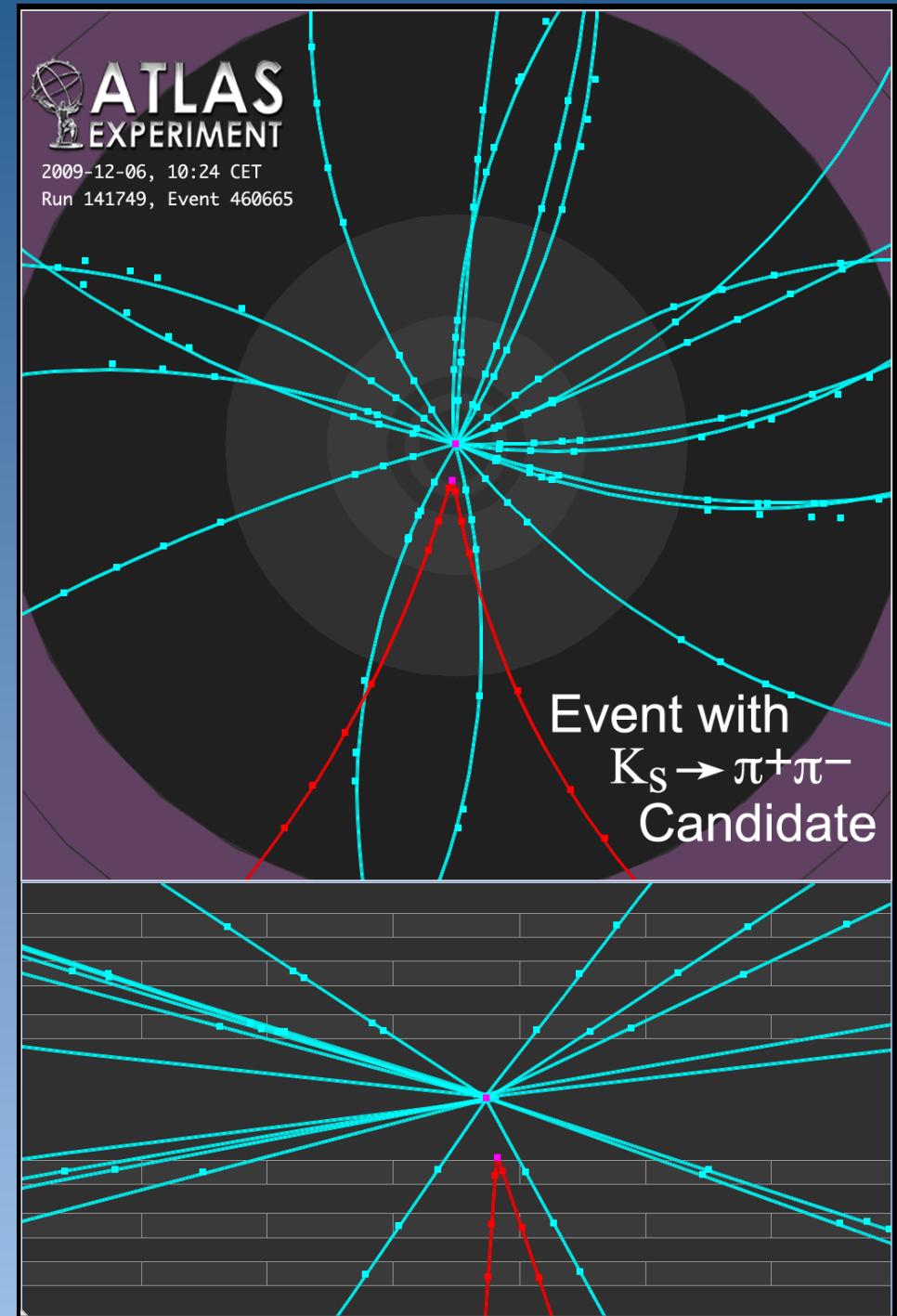
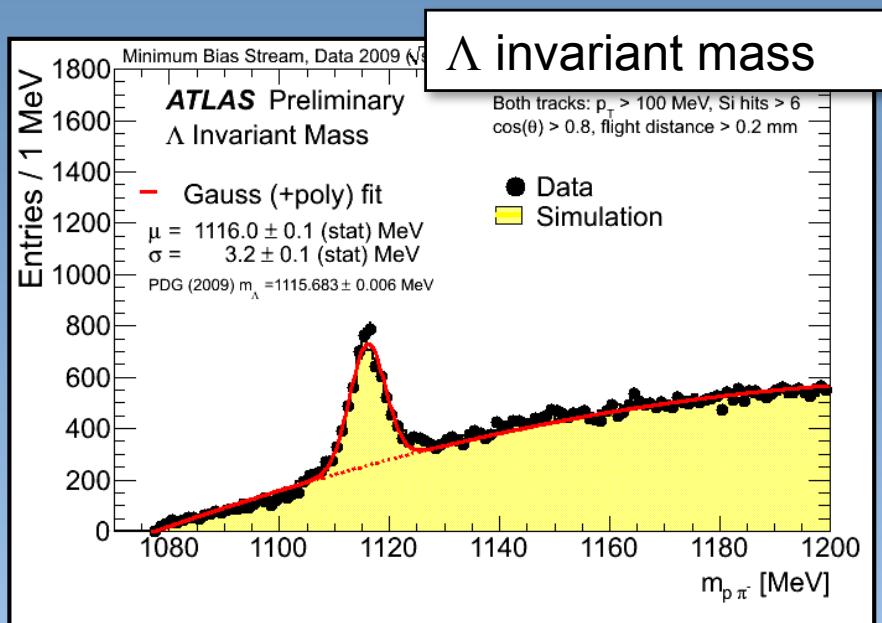
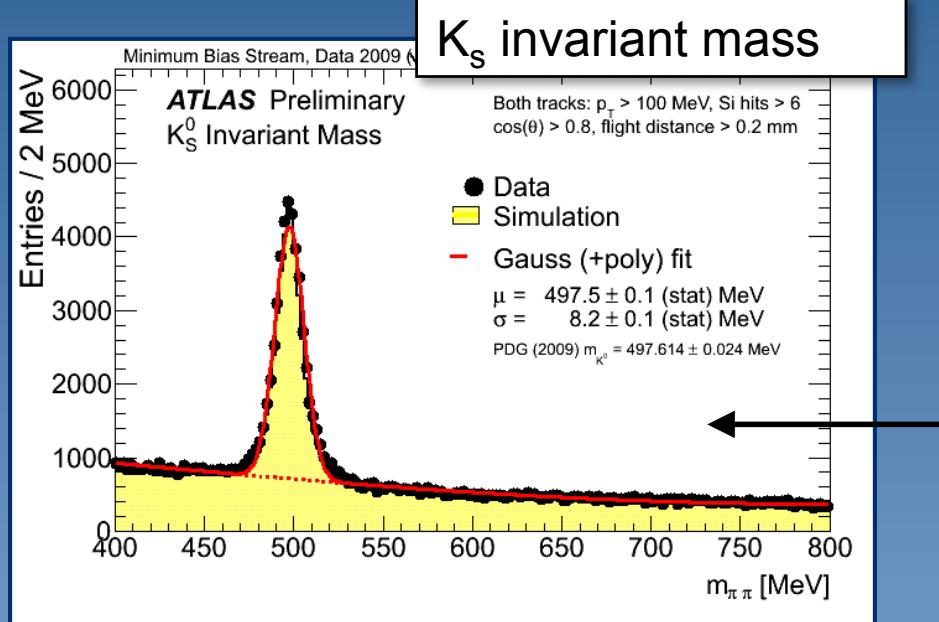
Inner detector



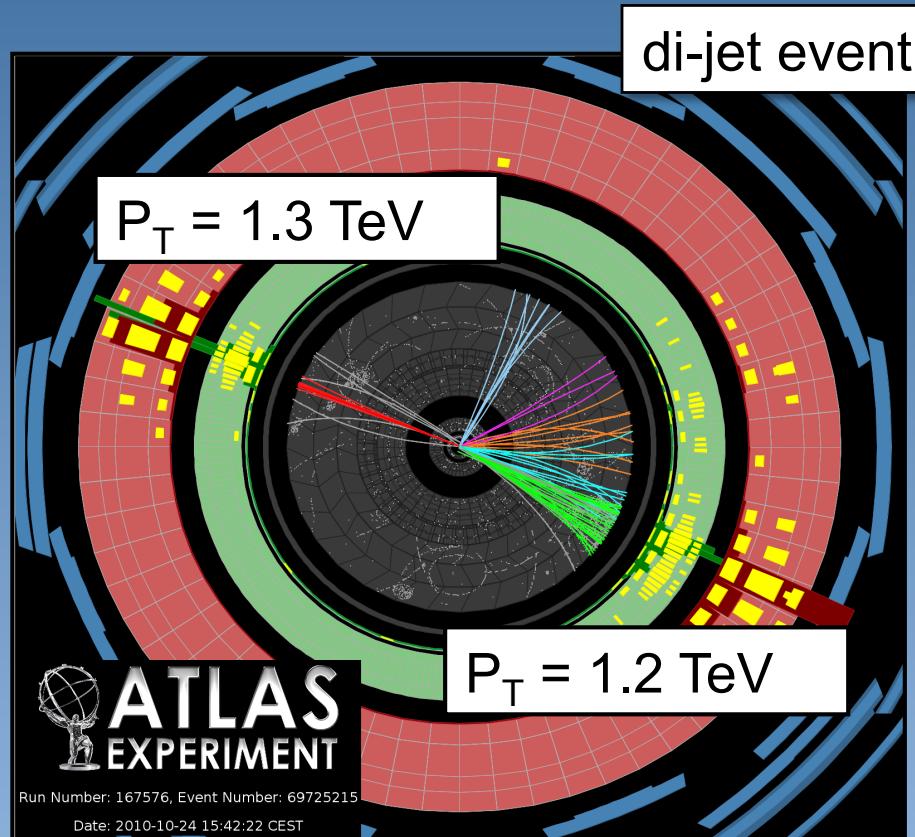
3 systems in 2 T solenoid

$$|\eta| < 2.5 \quad \frac{\sigma_{p_T}}{p_T} = 0.05\% p_T \oplus 1\%$$

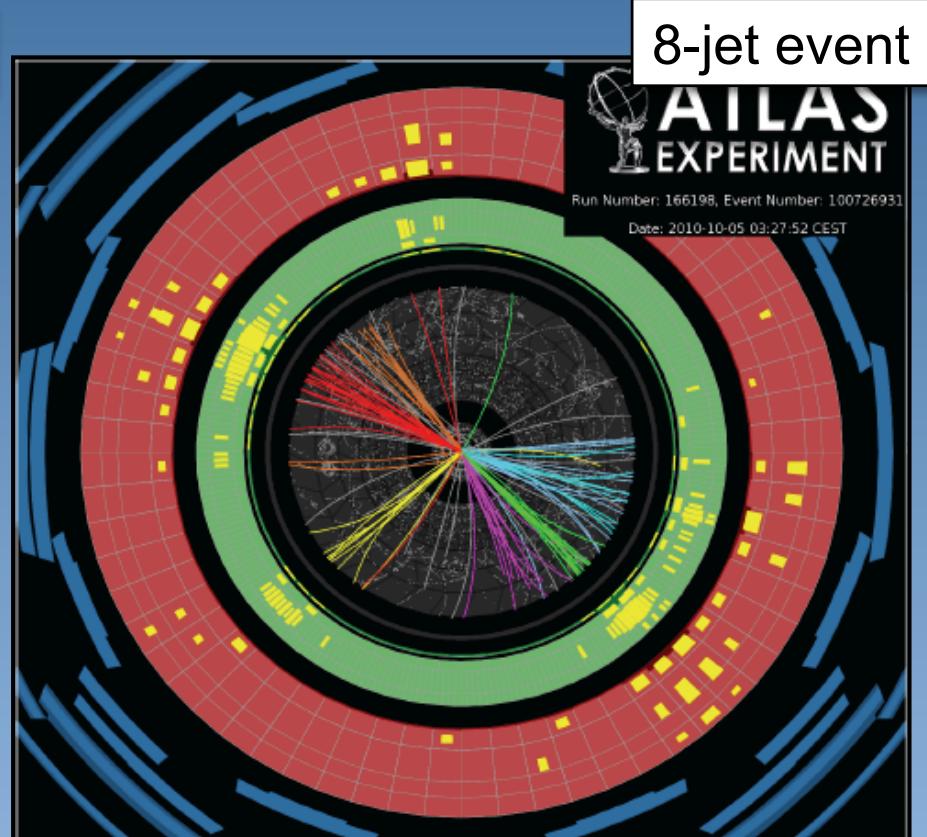
# Secondary vertices



# Quark (jet) reconstruction



*High transverse momentum*

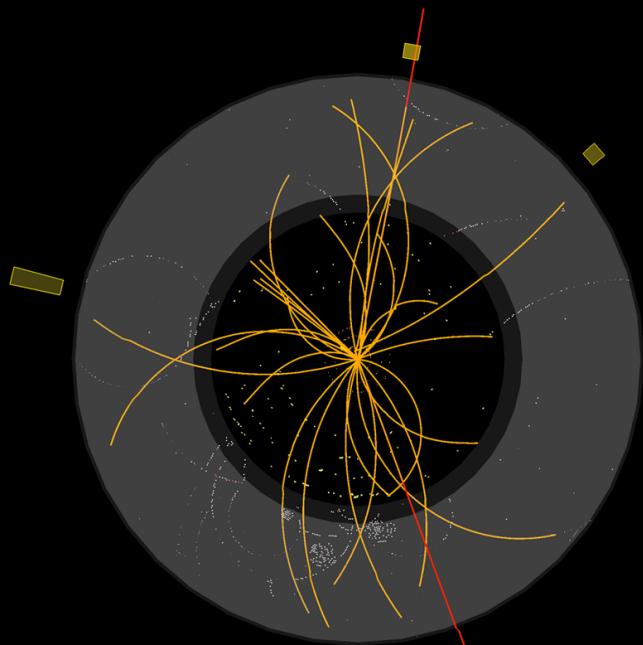


*Multi-jet: 8 jets with  $P_T > 60 \text{ GeV}$*



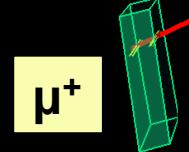
# ATLAS EXPERIMENT

Run: 154822, Event: 14321500  
Date: 2010-05-10 02:07:22 CEST

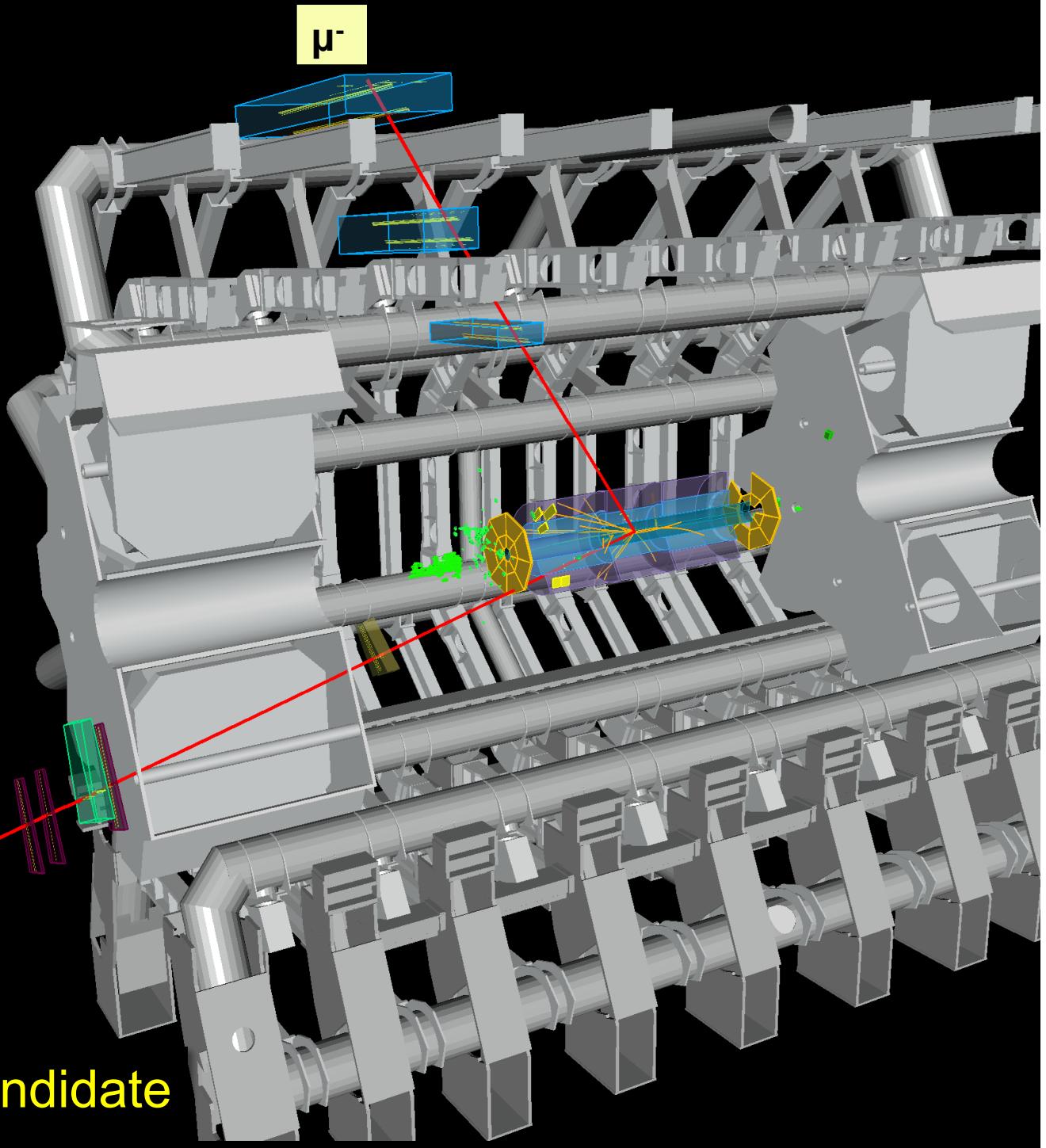


$$p_T(\mu^-) = 27 \text{ GeV} \quad \eta(\mu^-) = 0.7 \\ p_T(\mu^+) = 45 \text{ GeV} \quad \eta(\mu^+) = 2.2$$

$$M_{\mu\mu} = 87 \text{ GeV}$$



$Z \rightarrow \mu^+\mu^-$  candidate





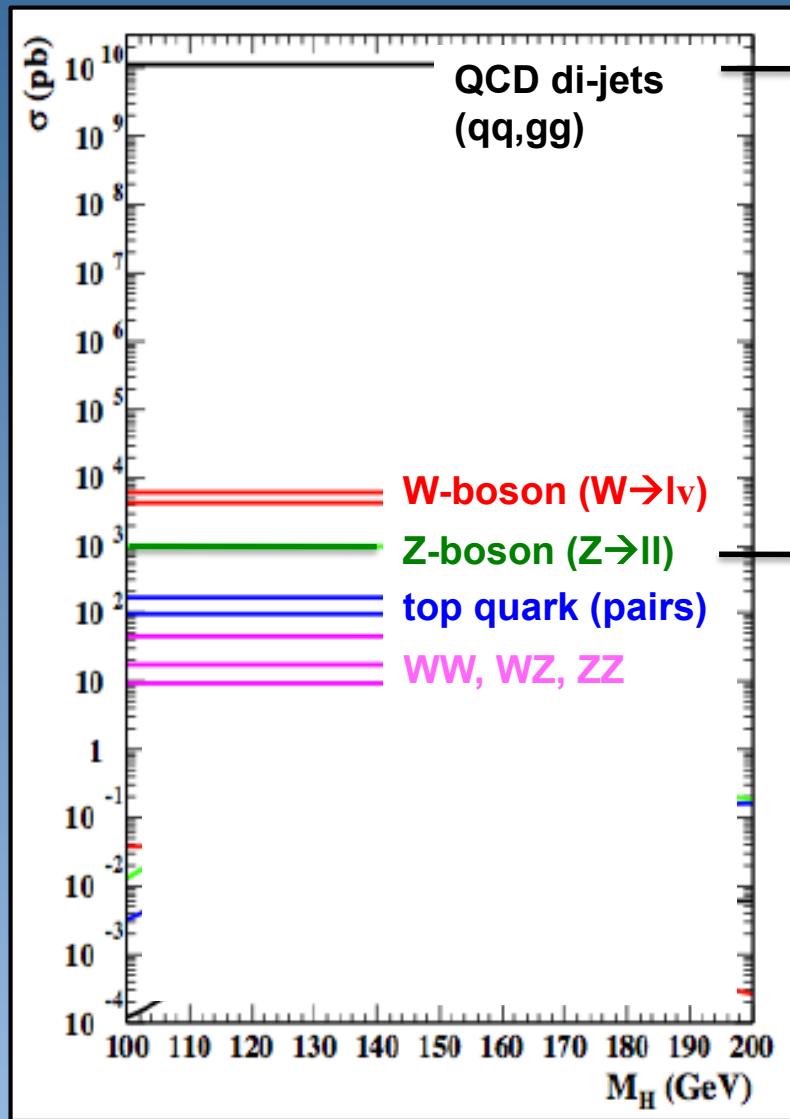
Trigger:  
From 40 MHz (LHC) to a few hundred Hz



Bottleneck: disk space

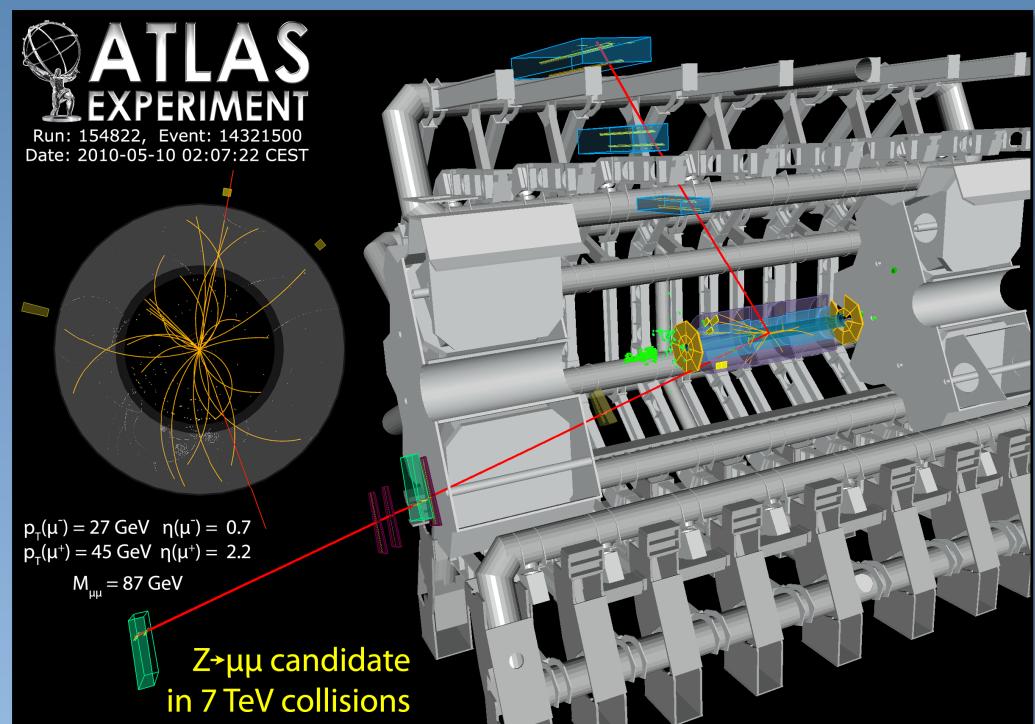
Selecting interesting physics from a background of  $10^{13}$  events

# Standard Model processes at the LHC predicted cross-sections



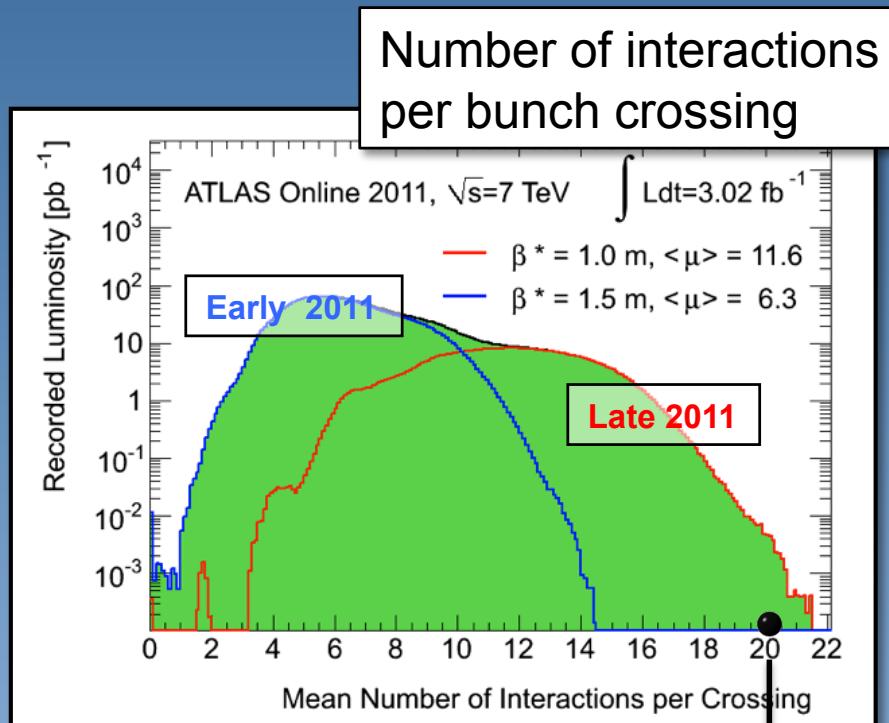
*Jets, jets, jets: any signal without leptons is impossible to extract from di-jet background  
→ high- $P_T$  lepton triggers*

$Z \rightarrow \mu^+\mu^-$  candidate (early data taking)

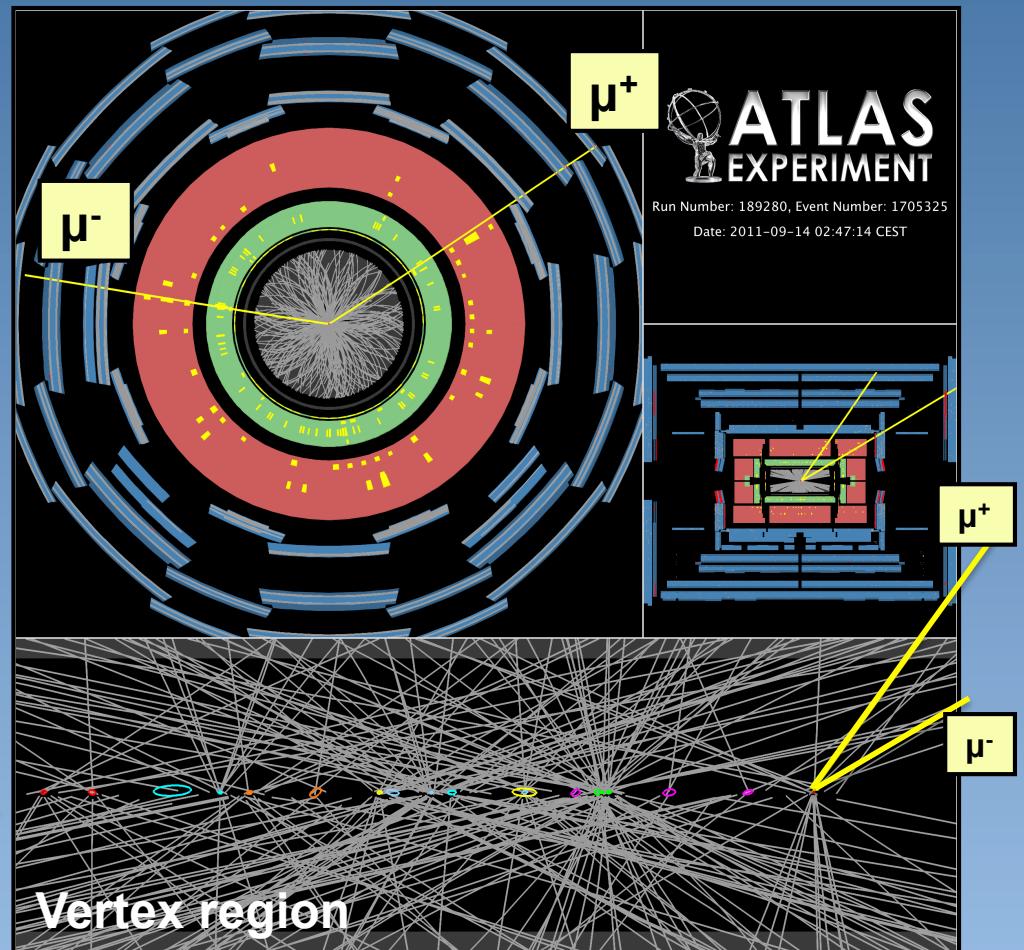


*"LHC: strong machine for weak physics"*

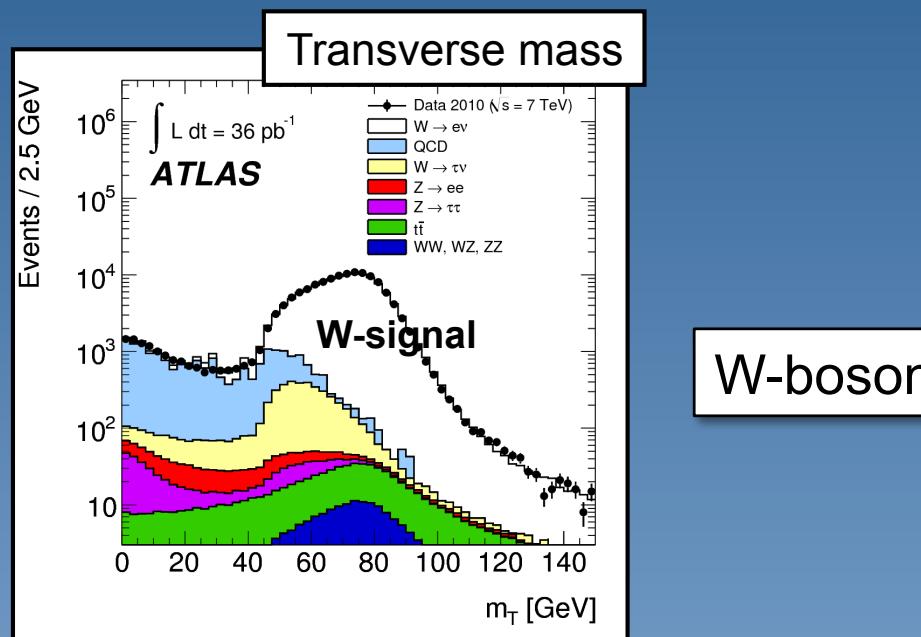
# LHC is not a quiet environment



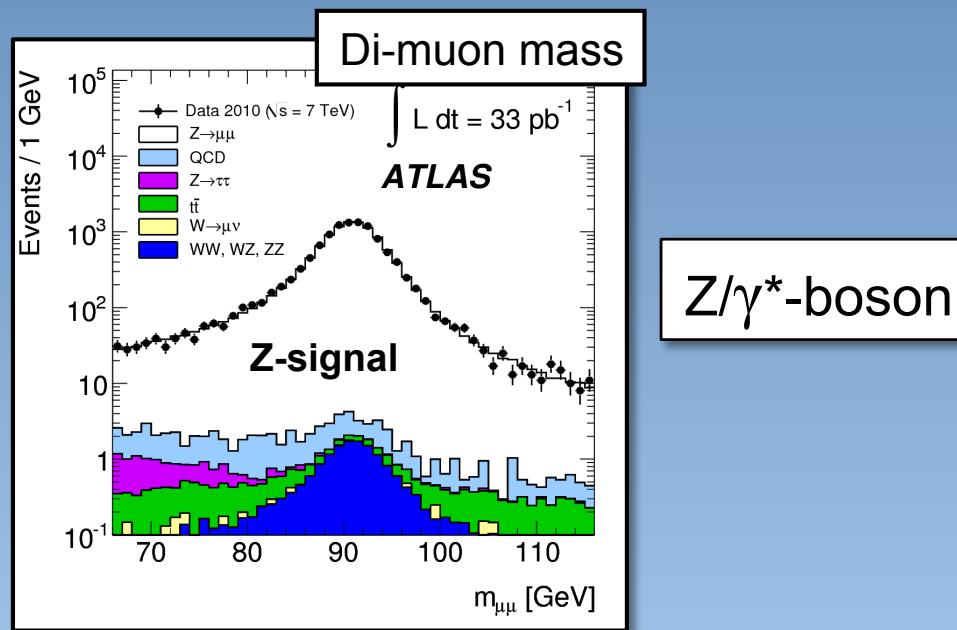
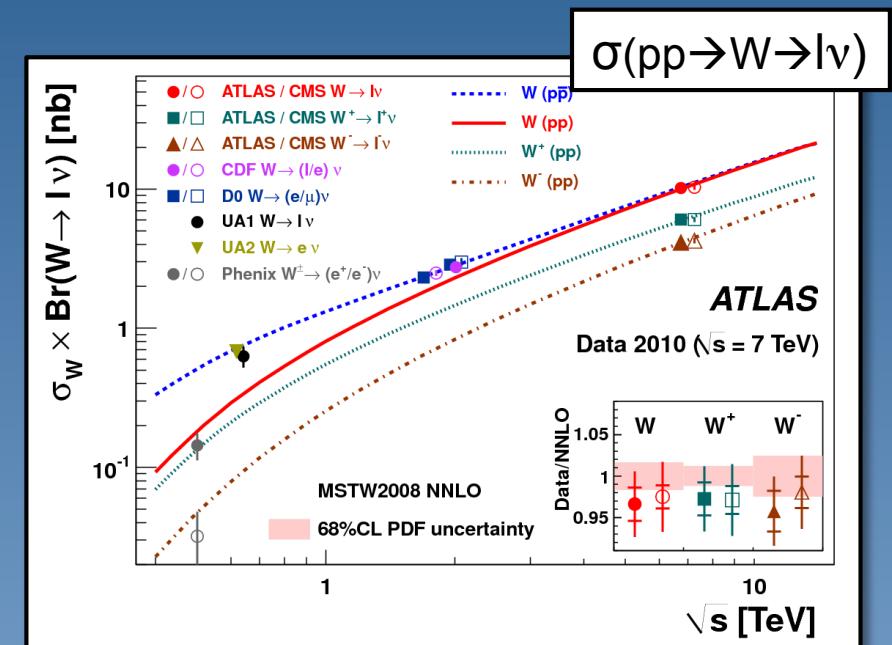
$Z \rightarrow \mu^+ \mu^-$  event with 20 vertices



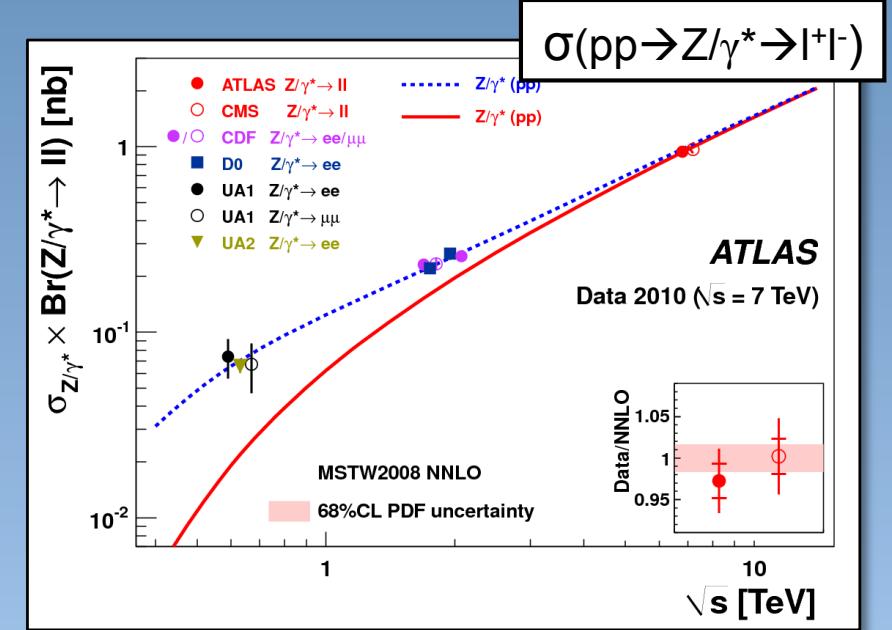
# W and Z boson production at the LHC



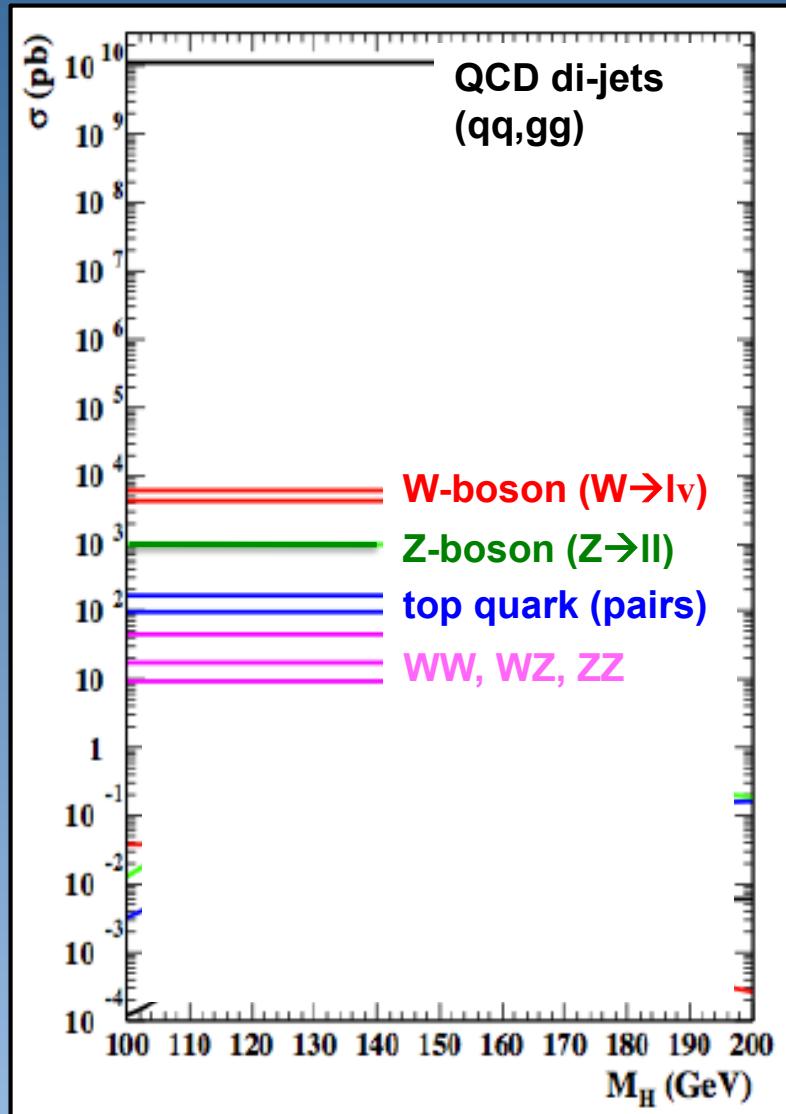
W-boson



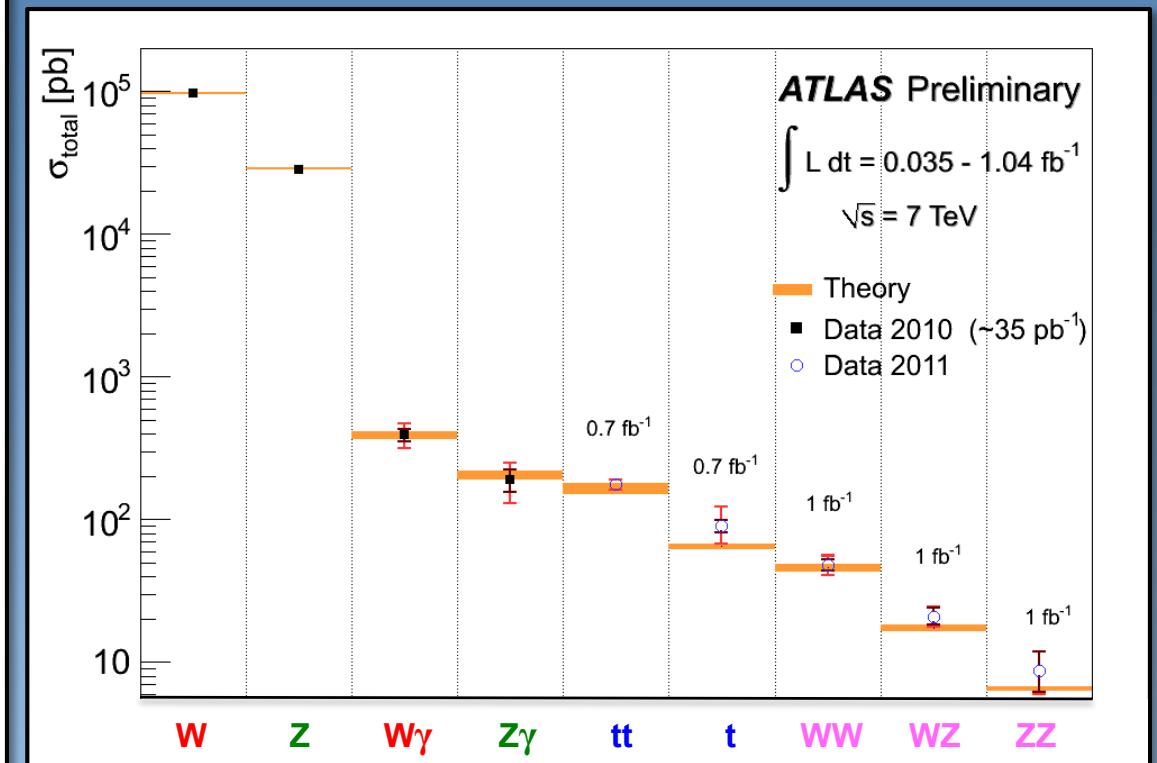
Z/ $\gamma^*$ -boson



# Standard Model processes at the LHC predicted cross-sections

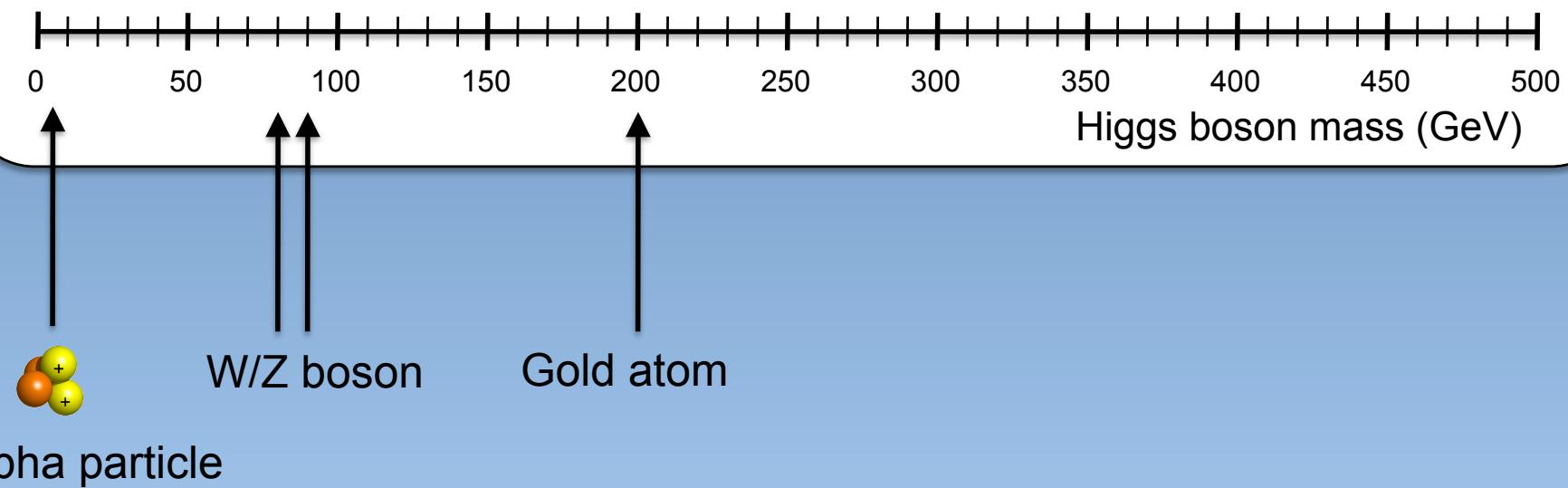


ATLAS measurements



Enormous data-set to understand and calibrate the ATLAS detector

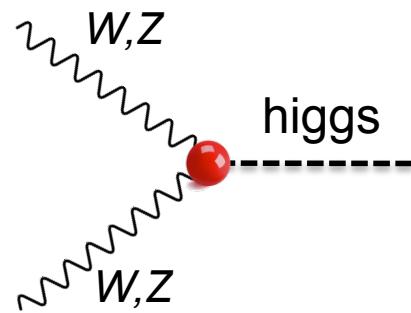
# The mass of the Higgs boson



# How do you produce a Higgs particle ?

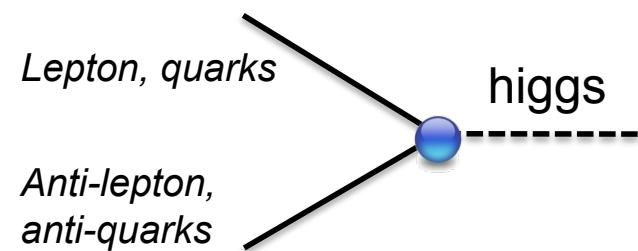
## Gauge bosons

*Massive gauge boson ?  
... then it coupling to the Higgs!*



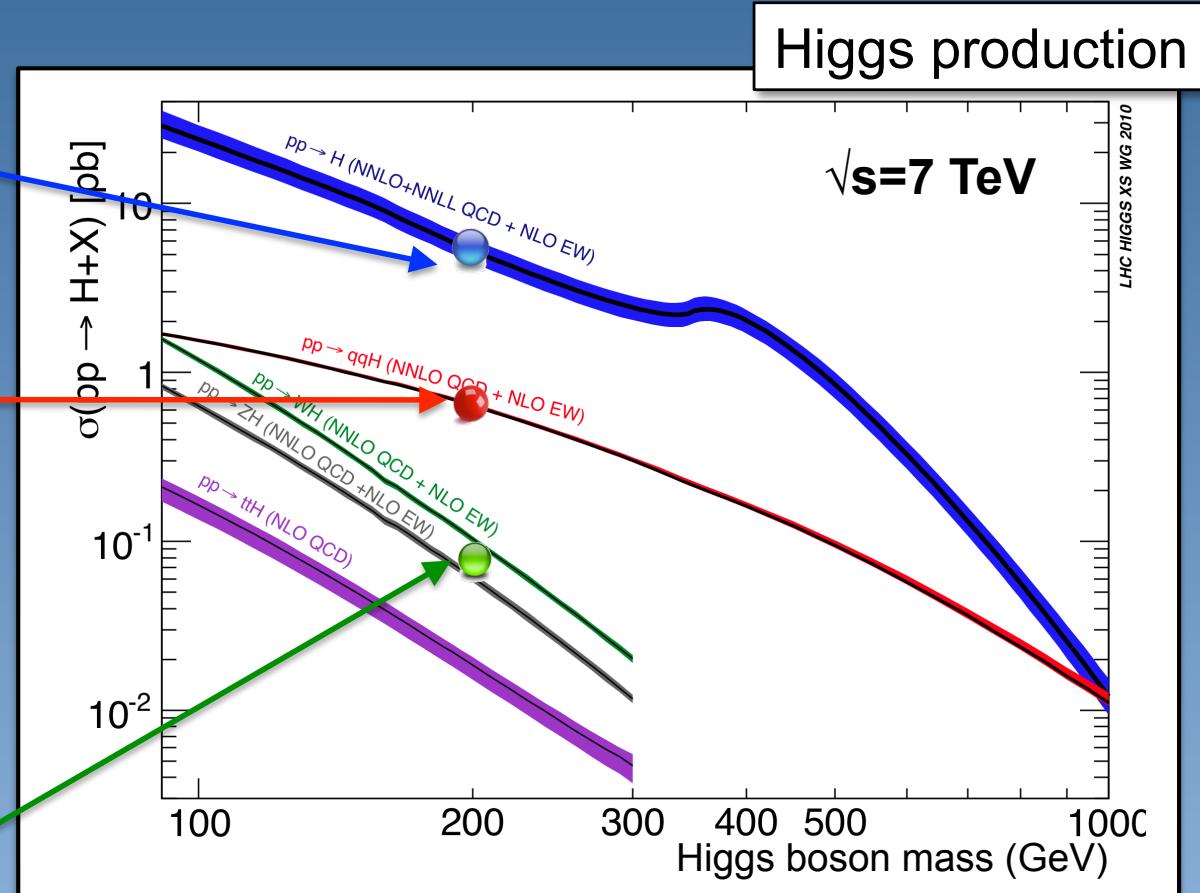
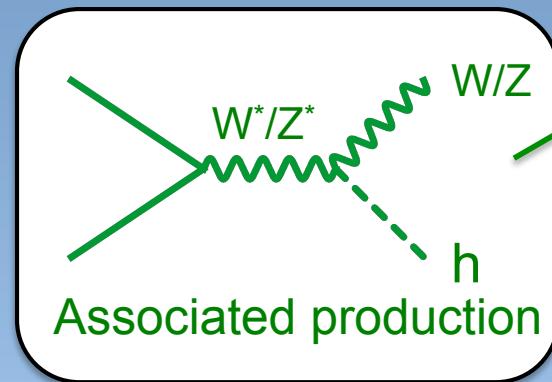
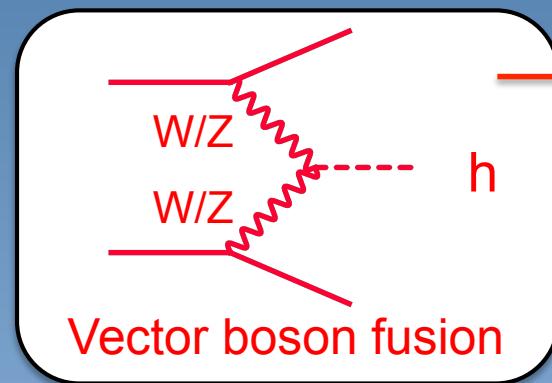
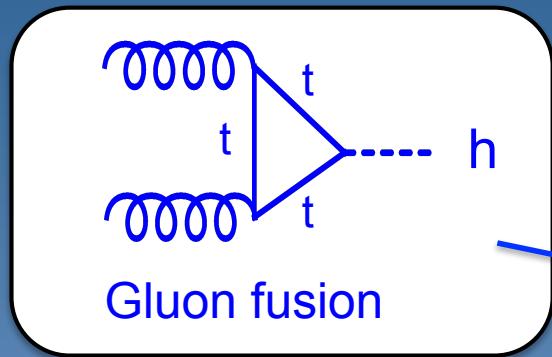
## Fermions

*Massief fermion ?  
... then it couples to the Higgs!*



Higgs boson production

# Production of the Higgs boson



How many Higgs bosons have been produced at the LHC in 2011?



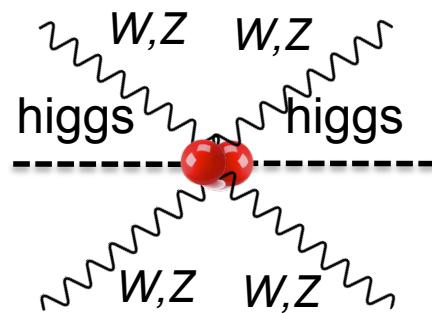
If the Higgs boson exists:

$$\begin{aligned}m_h = 120 \text{ GeV: } & 60.000 \\m_h = 200 \text{ GeV: } & 30.000\end{aligned}$$

# How does the Higgs boson decay ?

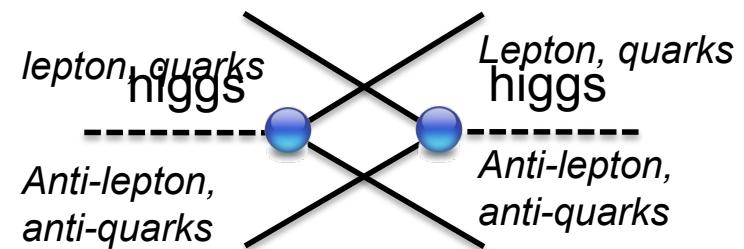
## Gauge bosons

*Massive gauge boson ?  
... then it coupling to the Higgs!*



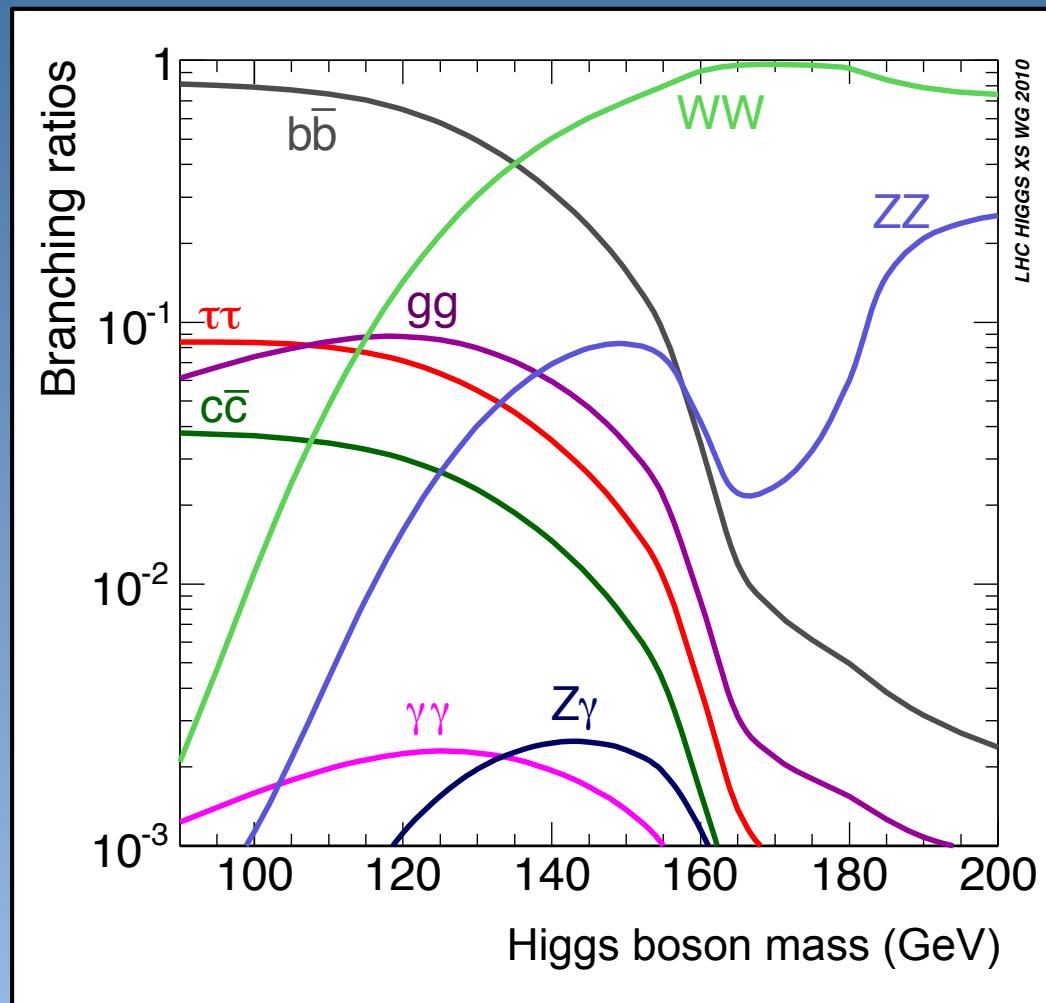
## Fermions

*Massief fermion ?  
... then it couples to the Higgs!*



Higgs boson decay

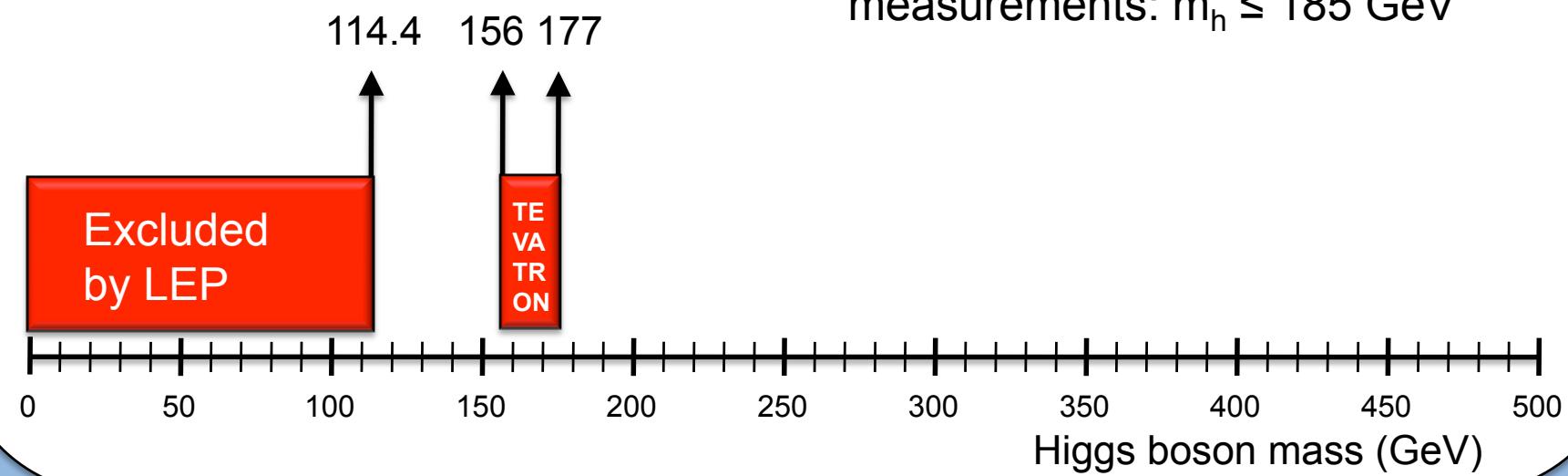
# Decay of the Higgs boson



Subsequent gauge  
boson decay

$W \rightarrow qq$	67%
$l\nu$	33%
$Z \rightarrow qq$	70%
$vv$	20%
$ll$	10%

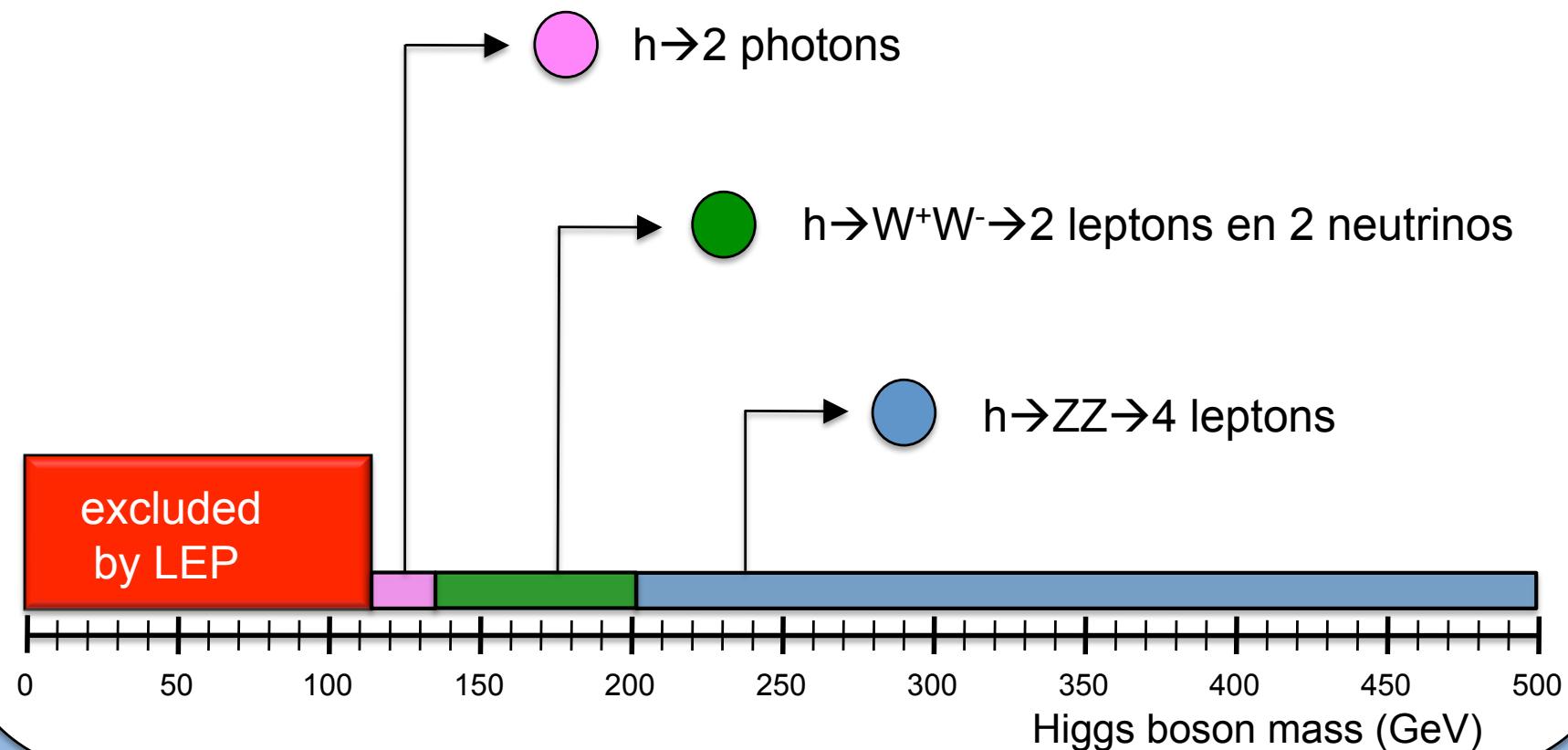
Status on February 8, 2011



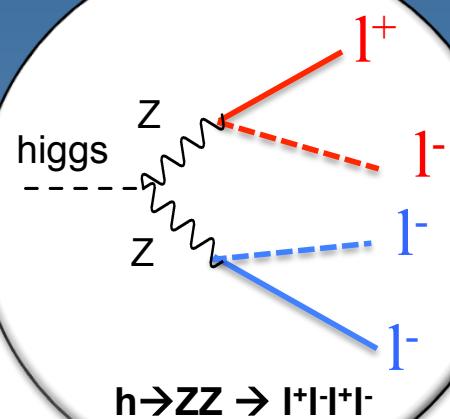
Experiments at the LHC Sensitive for mass range: 114-1000 GeV

# The clearest fingerprint of the Higgs boson

*For every mass here are multiple channels: these are most sensitive ones*



# High massa's: $m_H > 200$ GeV

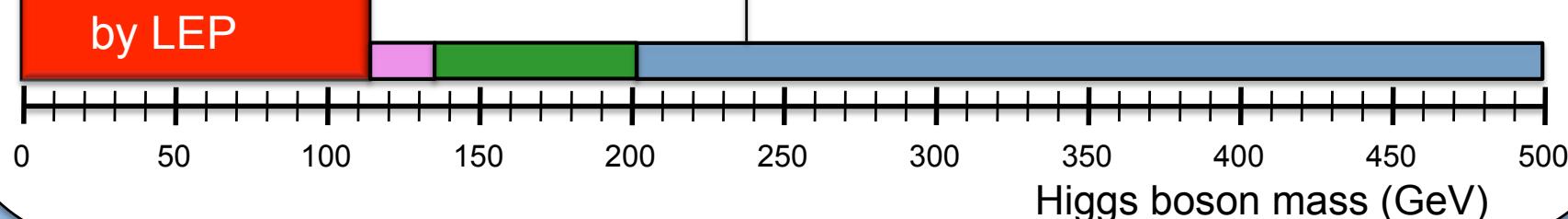


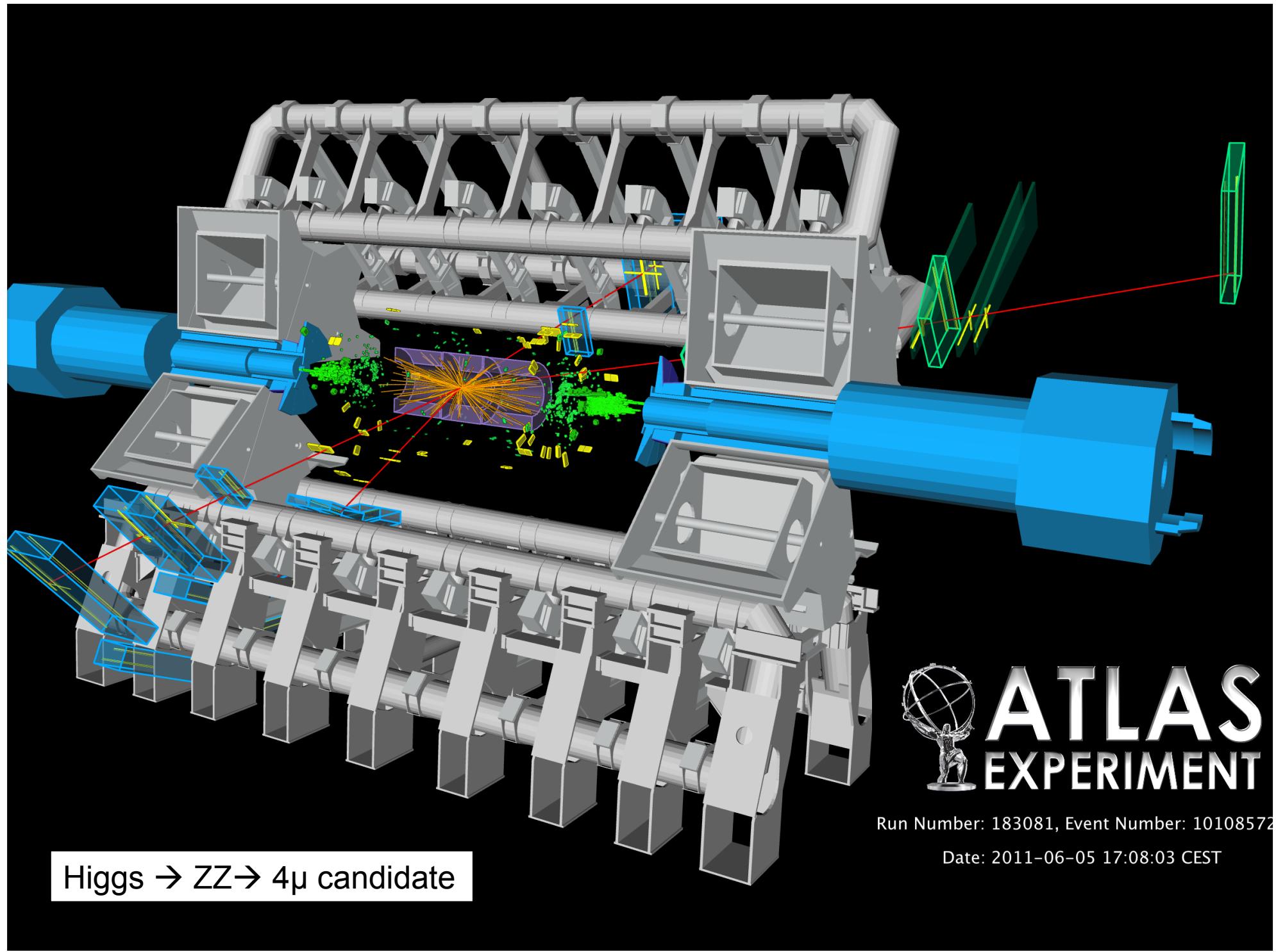
The golden channel  
- 4 leptons ( $e/\mu$ )  
- very rare: Higgs of ZZ

Fingerprint: 4-lepton mass

→  $h \rightarrow ZZ \rightarrow 4 \text{ leptons}$

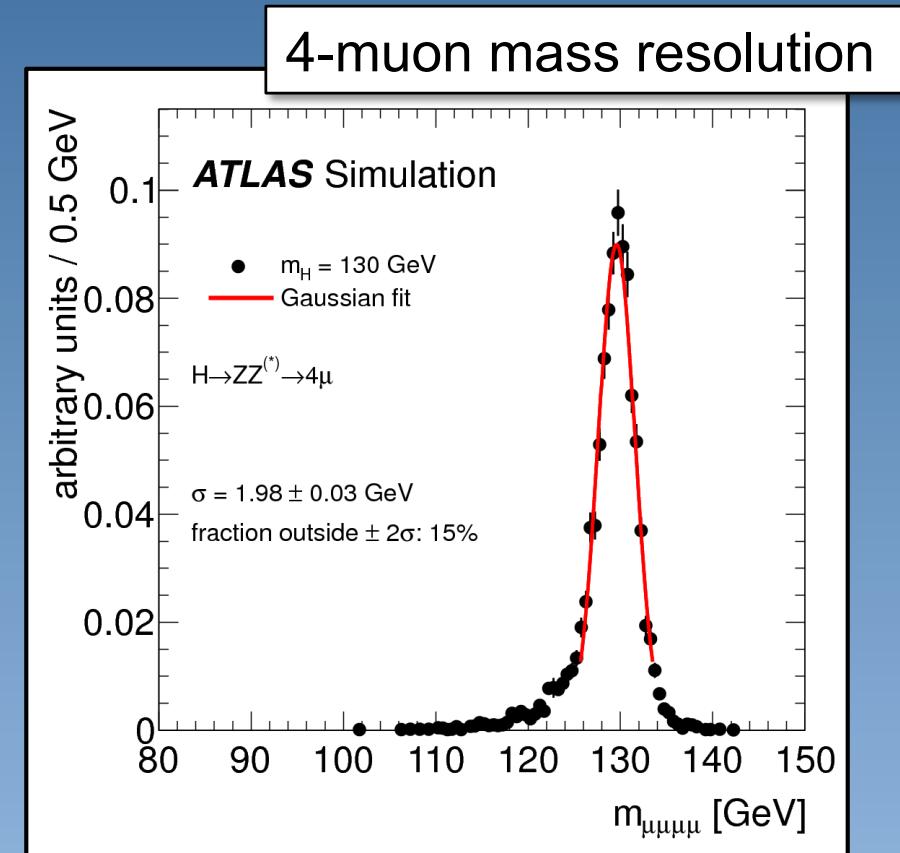
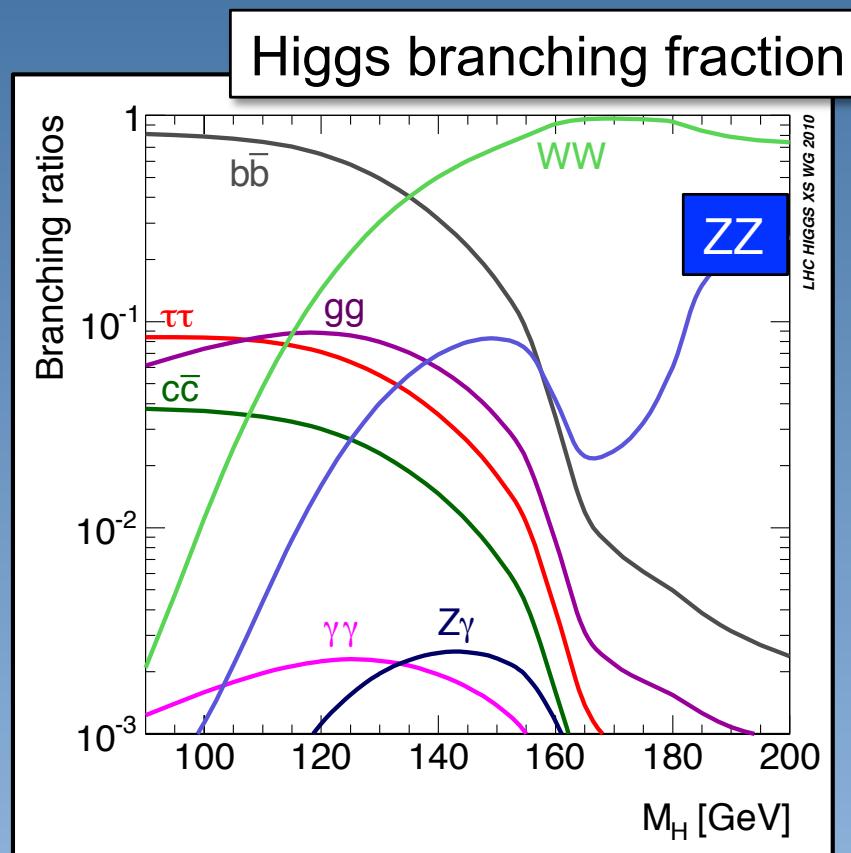
Excluded  
by LEP





# Higgs $\rightarrow ZZ \rightarrow 4$ leptons

*Small number of beautiful collisions*



$$\Gamma(Z \rightarrow ee) = \Gamma(Z \rightarrow \mu\mu) = 3.36\%$$

Mass resolution  $\sim 2$  GeV

# Higgs $\rightarrow ZZ \rightarrow 4$ leptons

*Small number of beautiful collisions*

30.000 Higgs bosons

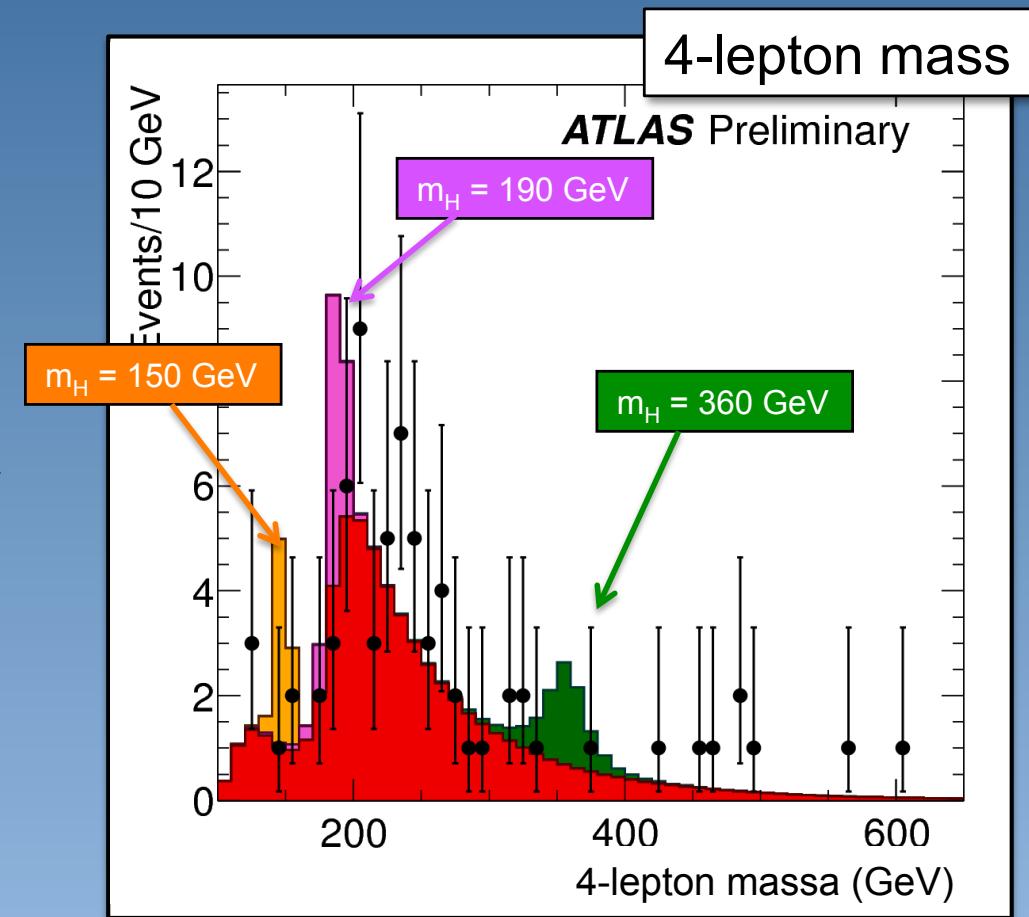


- Only 1 in 1000 Higgs bosons decays to 4 leptons ( $e/\mu$ ).
- 50% of them are all correctly reconstructed by the ATLAS detector



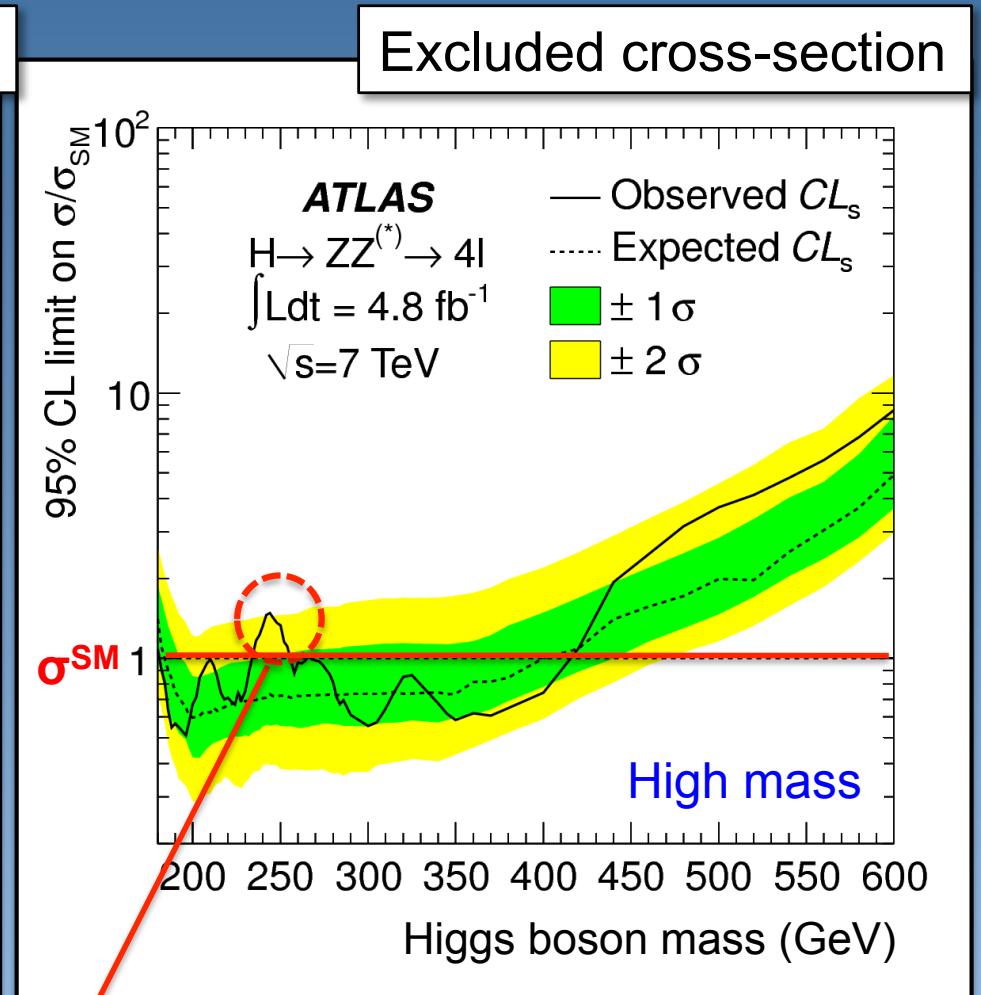
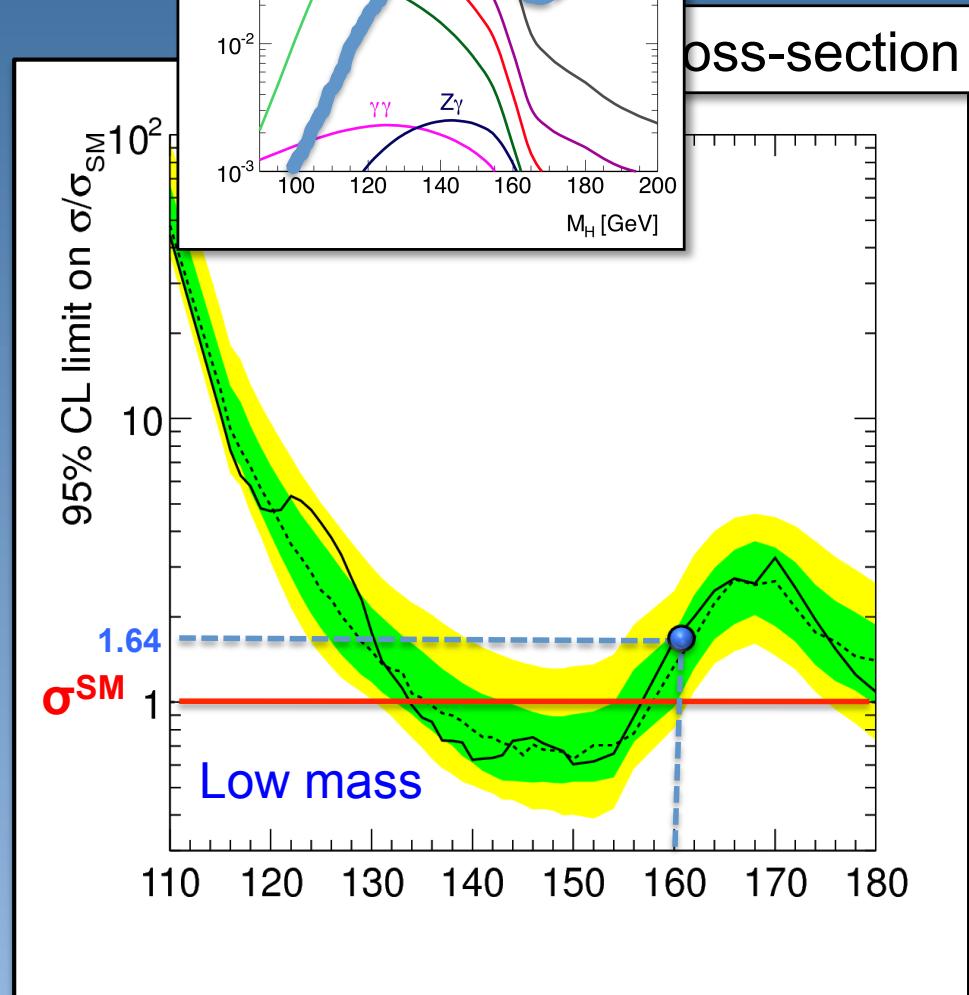
16 Higgs decays to 4 leptons

'orig'	52 events
with Higgs	68 events



No clear peak unfortunately  
 $\rightarrow m_h < 200$  GeV

# Higgs $\rightarrow ZZ \rightarrow llll$ : excluded cross-section



No clear excess, ... but has made a Nikhef PhD student lose quite some sleep

# When / how do you exclude a signal

Measurement

SM	10
Higgs	5
Data	12

We exclude a Higgs hypothesis at 95% CL if:

*“The probability to observe as little events as observed (or even less) is smaller than 5%, under the assumption that the Higgs exists”*

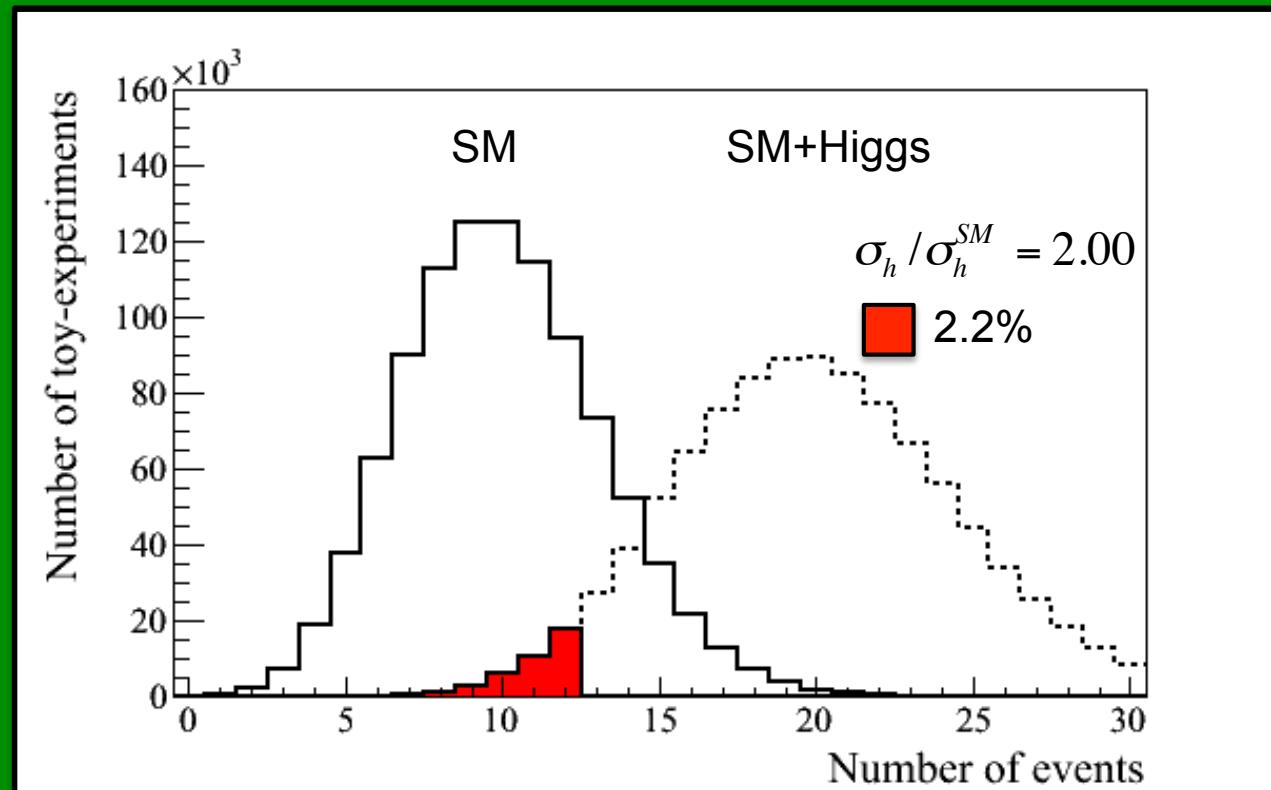
- 1) Can we exclude the SM+Higgs hypothesis ?

# When / how do you exclude a signal

Measurement

SM	10
Higgs	5
Data	12

- 1) Can we exclude the SM+Higgs hypothesis ?
- 2) If not, what  $\sigma_h/\sigma_h^{SM}$  can we exclude ?

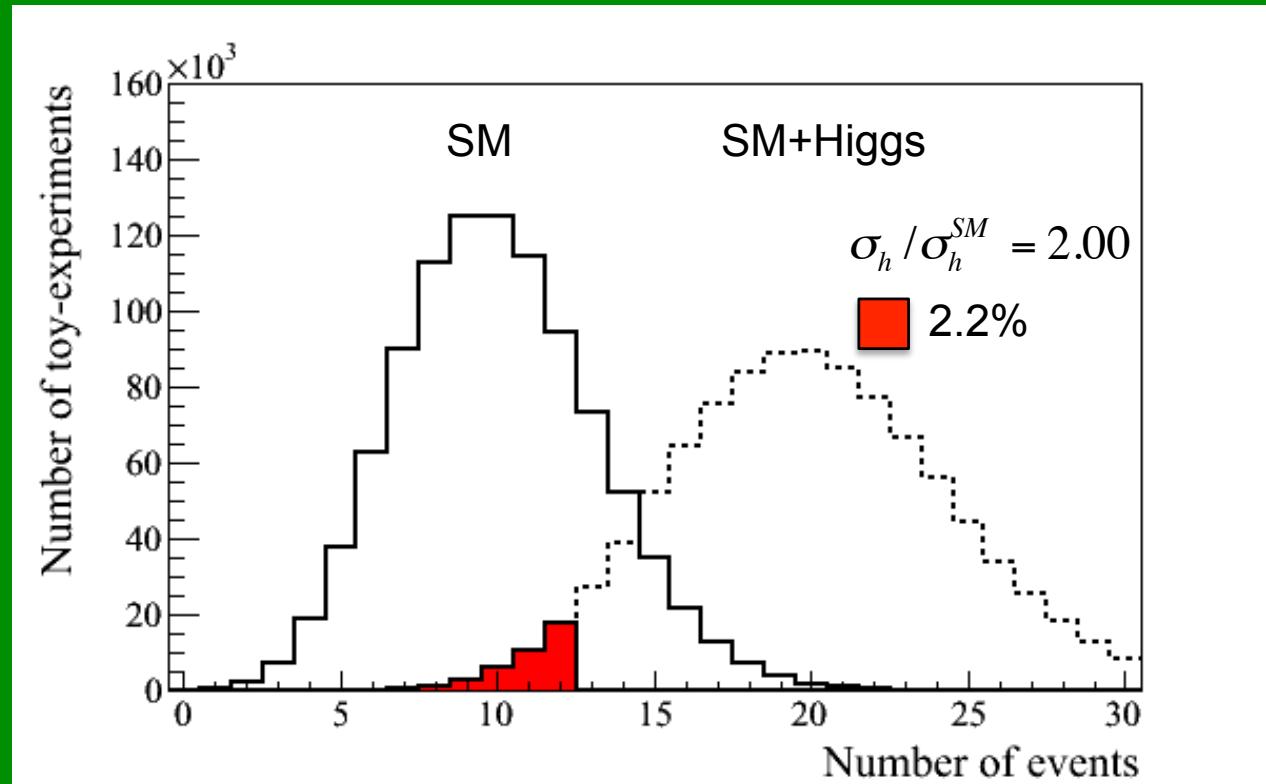


# When / how do you exclude a signal

Standard Model

SM	10
Higgs	5
Data	12

- 1) Can we exclude the SM+Higgs hypothesis ?
- 2) If not, what  $\sigma_h/\sigma_h^{SM}$  can we exclude ?



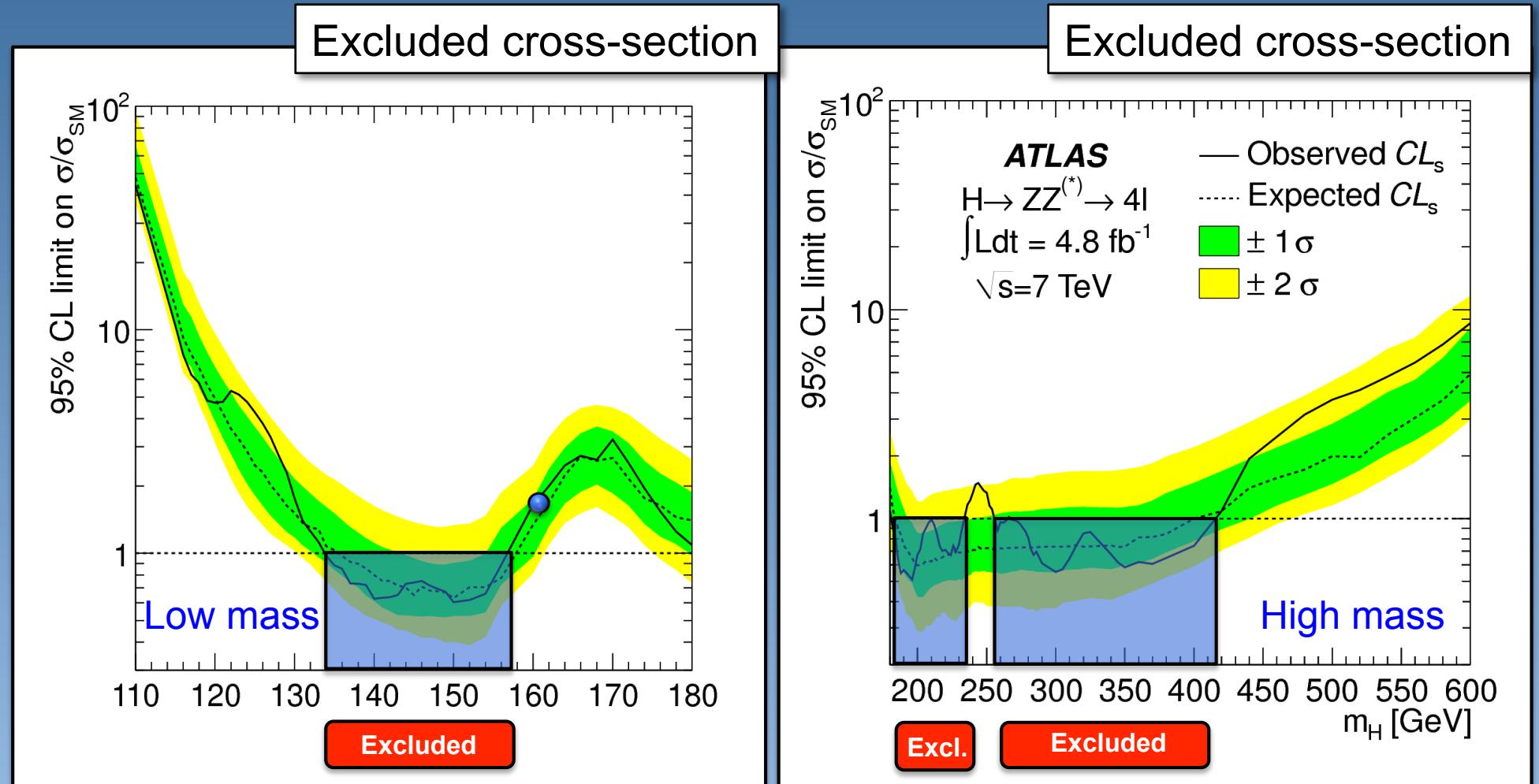
$\sigma/\sigma_{SM}$	SM	# data	SM+Higgs	
1.0	10	12	15.0	18.5 %
1.5	10	12	17.5	6.8%
2.0	10	12	20.0	2.2%

< 5%? Exclude at 95% CL

Expected exclusion? Use mean SM instead of Ndata

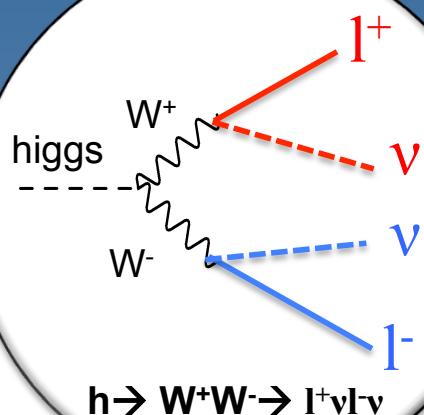
Observed excluded cross-section,  $\sigma_h/\sigma_h^{SM} = 1.64$

# Higgs $\rightarrow ZZ \rightarrow llll$ : from excluded cross-section to excluded mass



If Standard Model cross-section is excluded, the Higgs mass can be excluded

Mid-range:  $130 < m_H < 200$  GeV

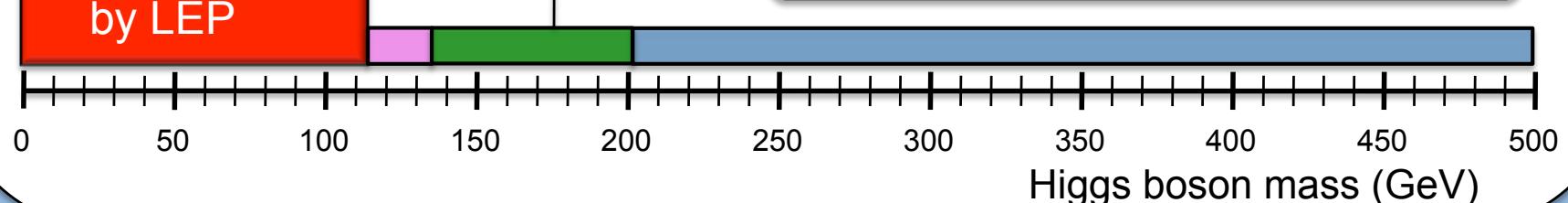


excluded  
by LEP

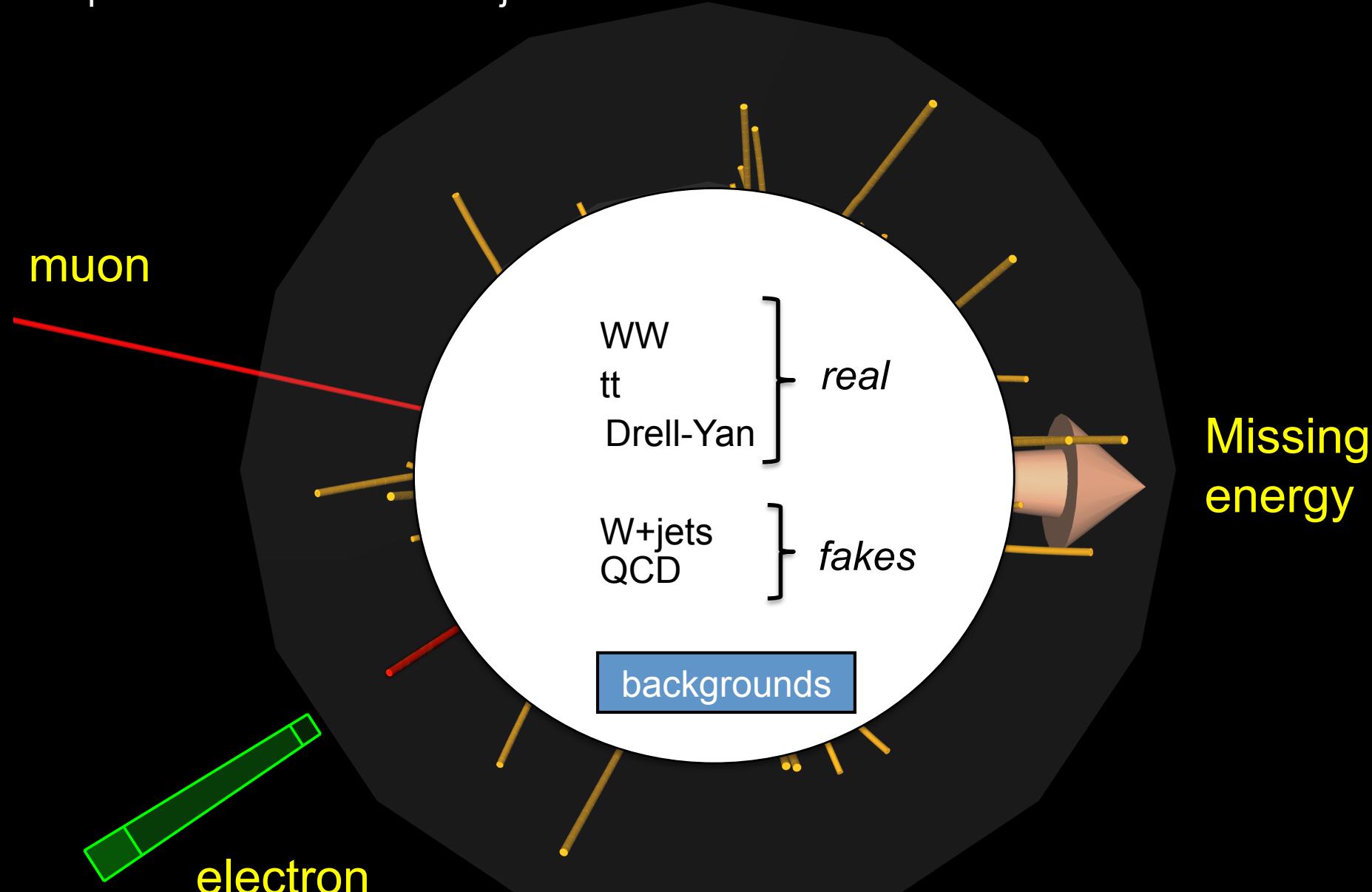
$h \rightarrow W^+ W^- \rightarrow 2 \text{ leptons en } 2 \text{ neutrinos}$

- 'Common' final state
- Difficult to isolate

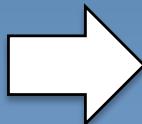
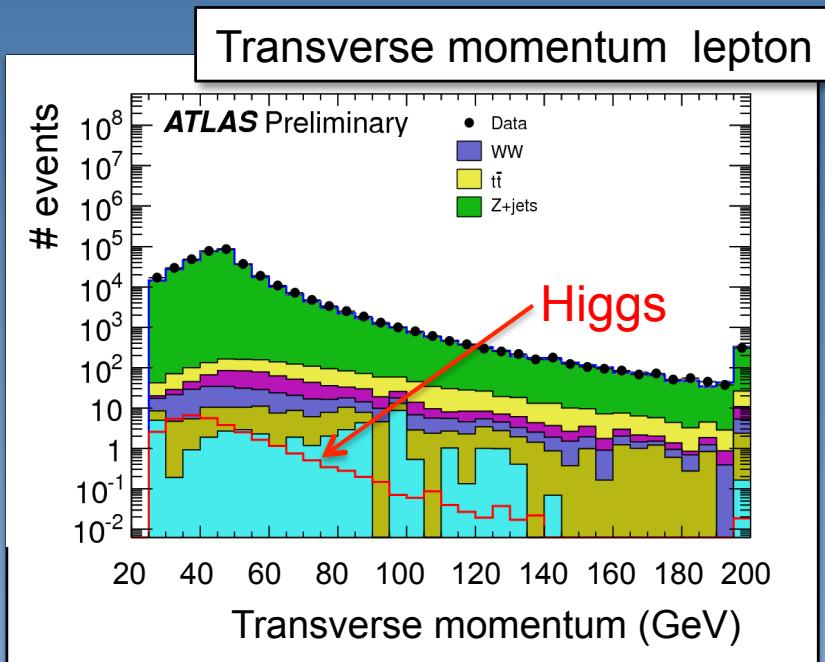
Fingerprint: none (no peak)



2 leptons and 2 neutrino's + jets



# The possible Higgs signal is well hidden

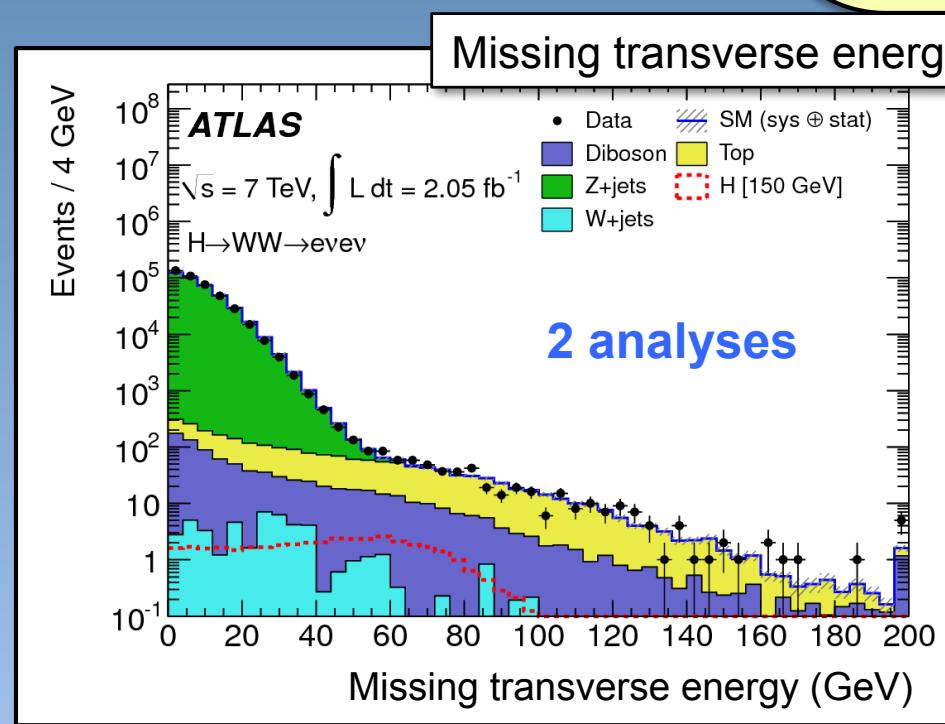
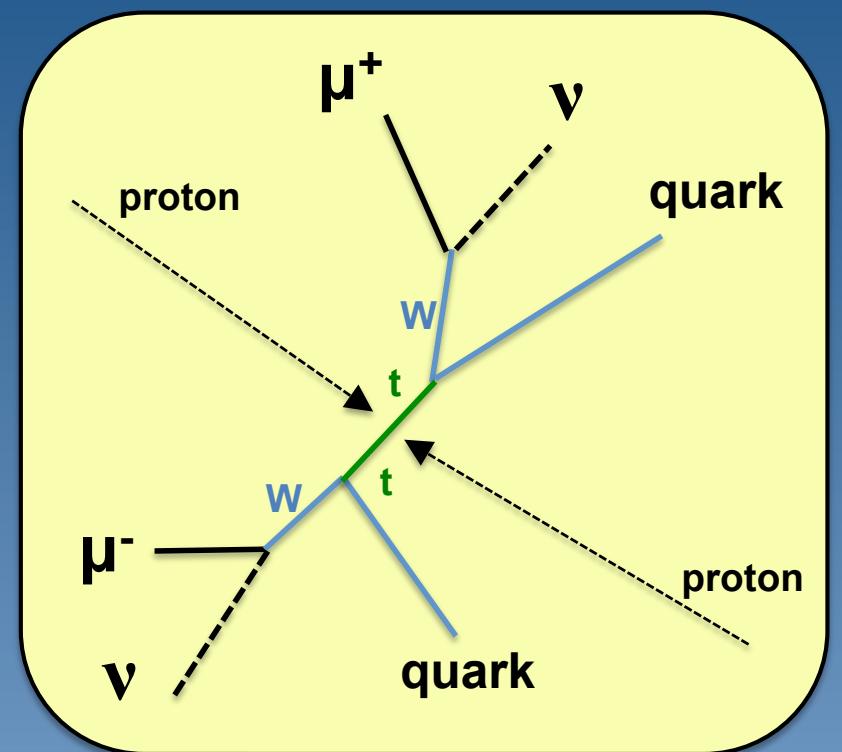
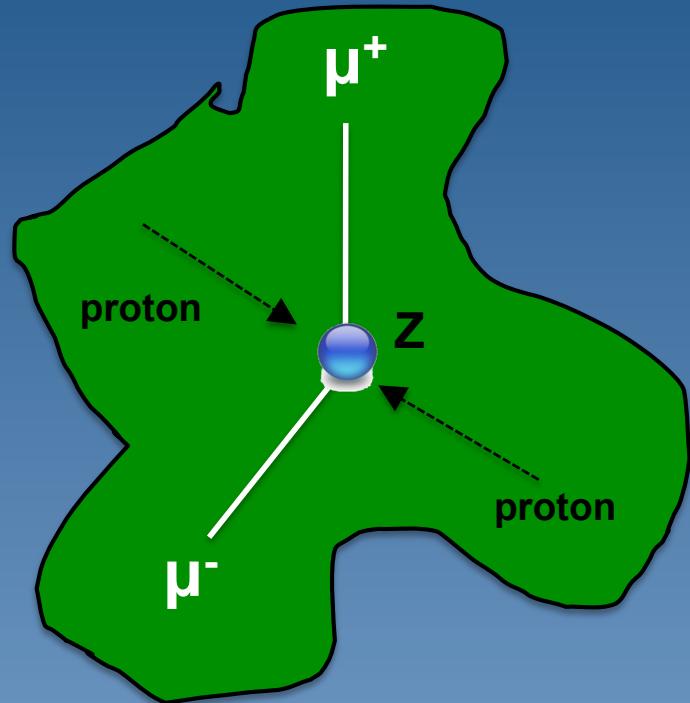


Delicate multi-dimensional selection

How well do you understand your detector and simulation in this multi-dimensional phase space ?

signal < 1/10.000 of background

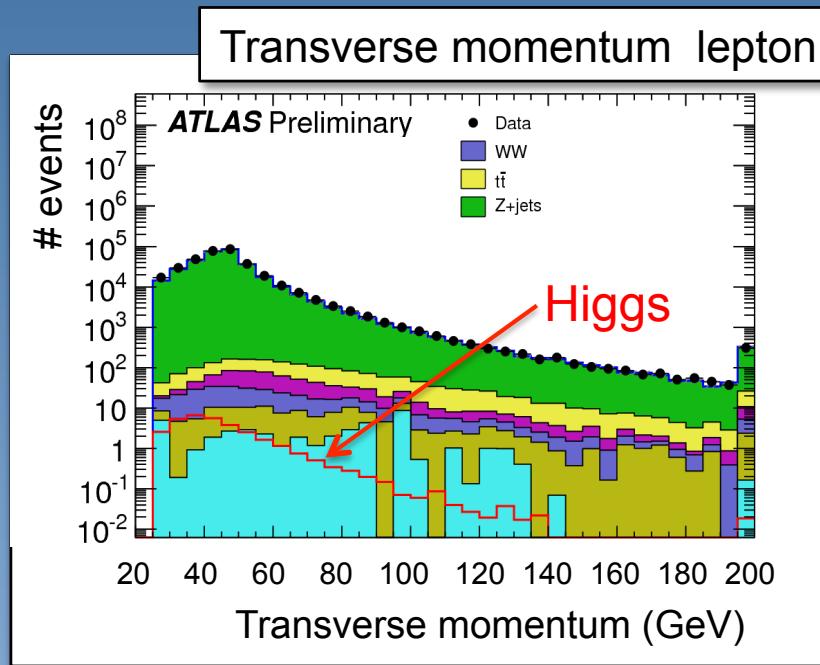
Control regions → extrapolate to signal region



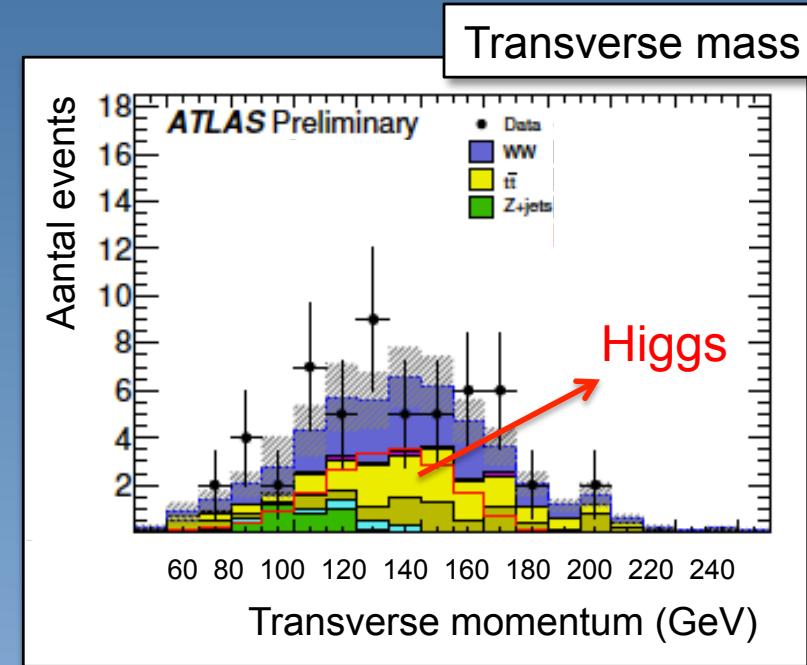
# Looking for diamonds



# The possible Higgs signal is well hidden



signal < 1/10.000 of background

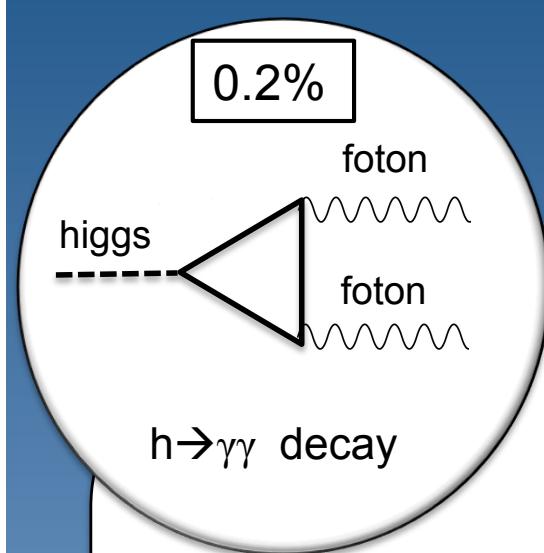


signal = 1/2 of background

Overig	23
Met Higgs	35

LHC data:

23 (aargh!)



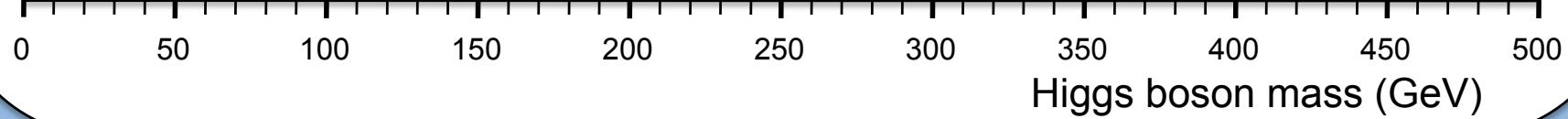
## The low-mass region

$h \rightarrow 2 \text{ photons}$

- 2 energetic isolated photons
- detector sensitive for 'fake' signals

Fingerprint: 2-photon mass

excluded  
by LEP



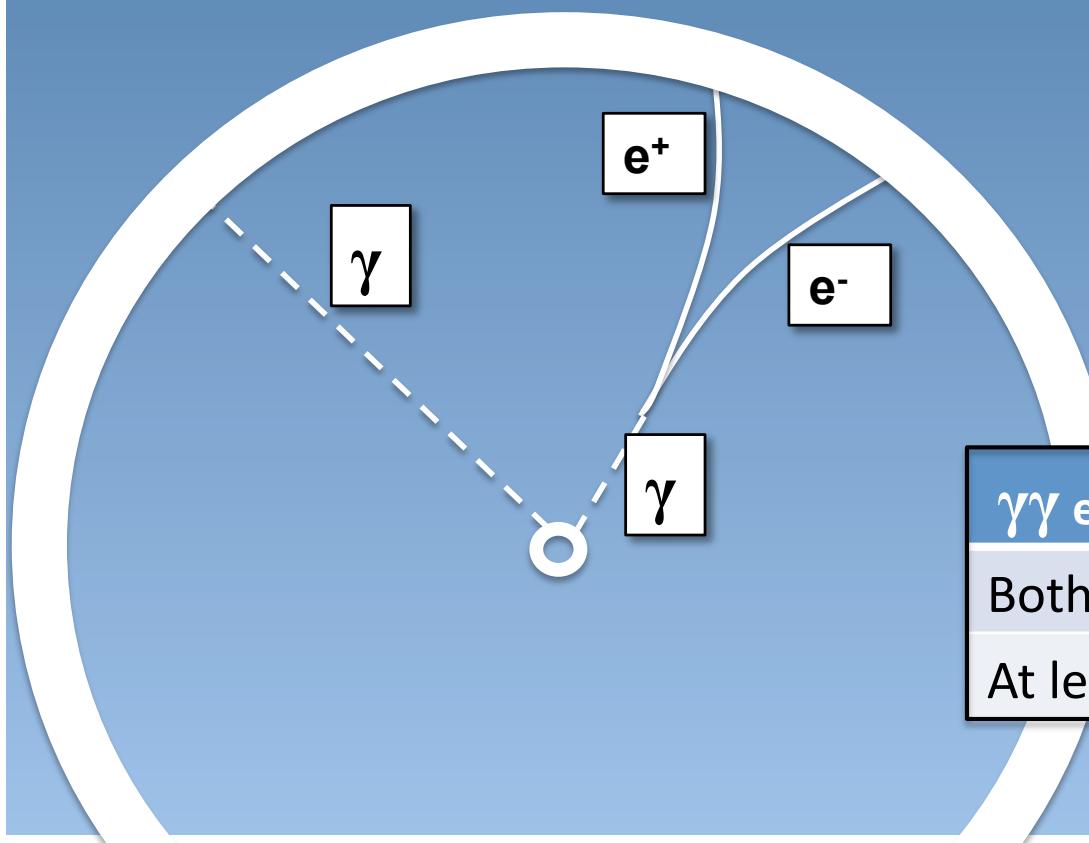
# Photon identification and event selection

Selection: 2 isolated photons:  $P_T > 40$  (25 GeV)

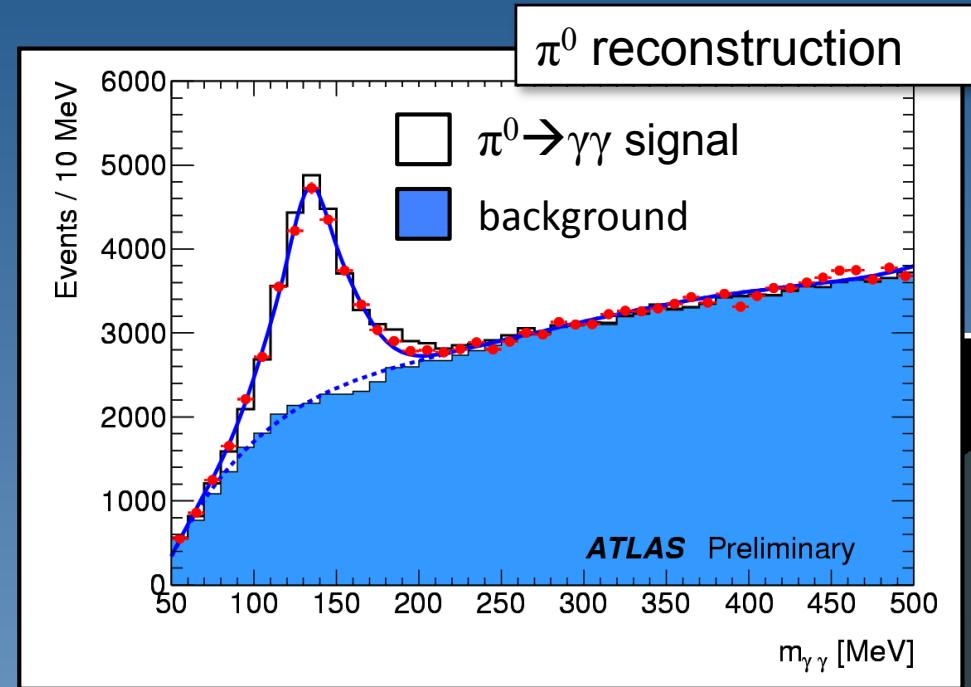
39% selection efficiency



*“Elk nadeel heet z’n voordeel”*

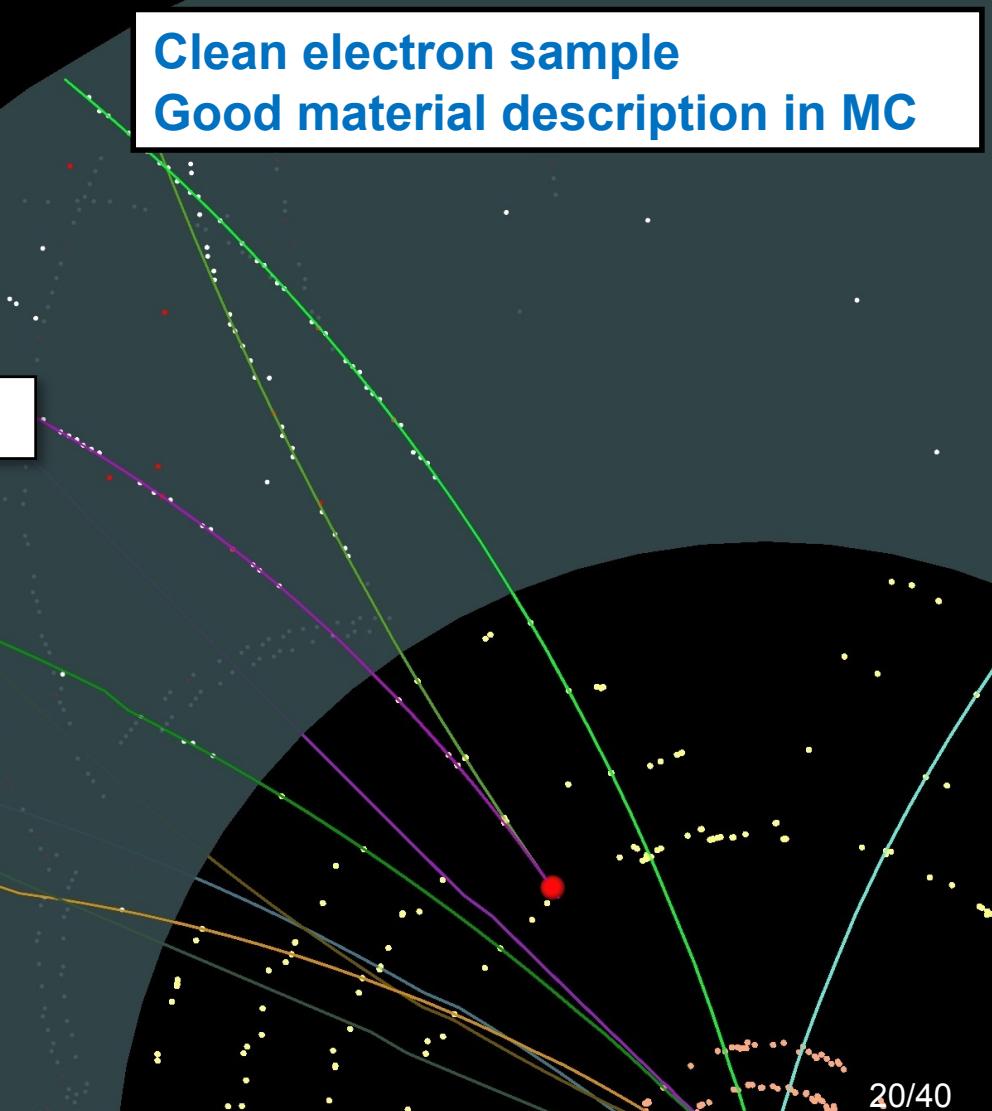
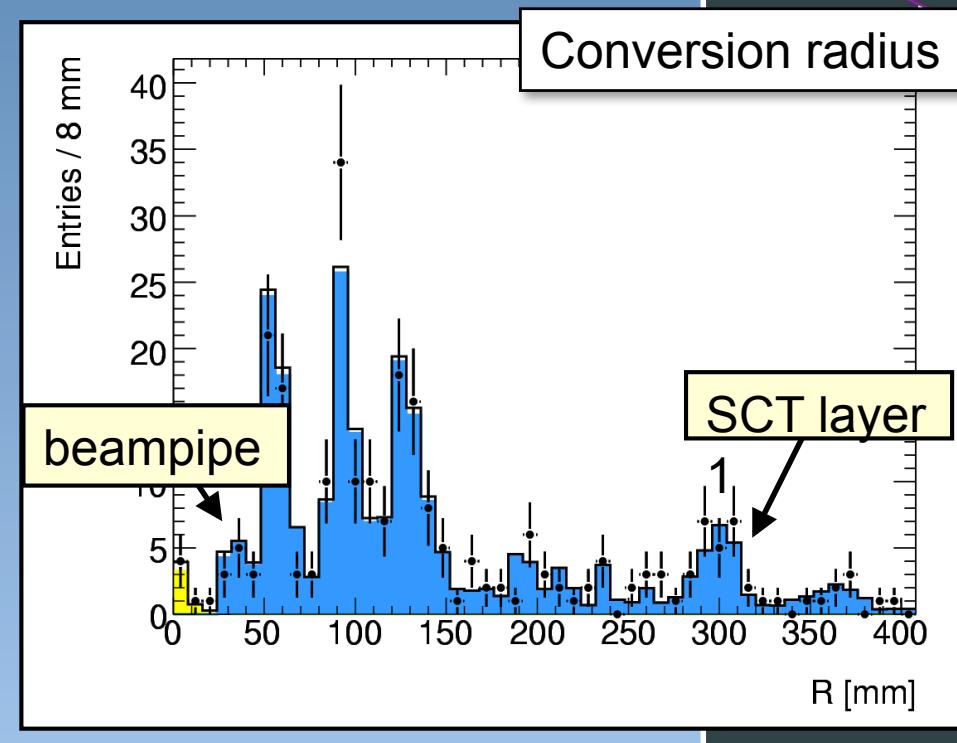


$\gamma\gamma$ event classification	Fraction
Both unconverted	36%
At least 1 converted	64%



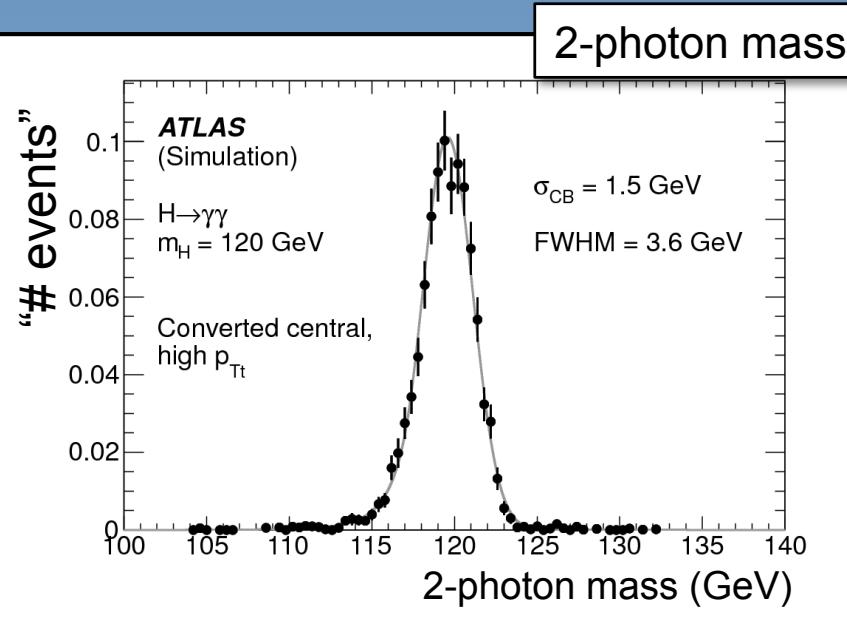
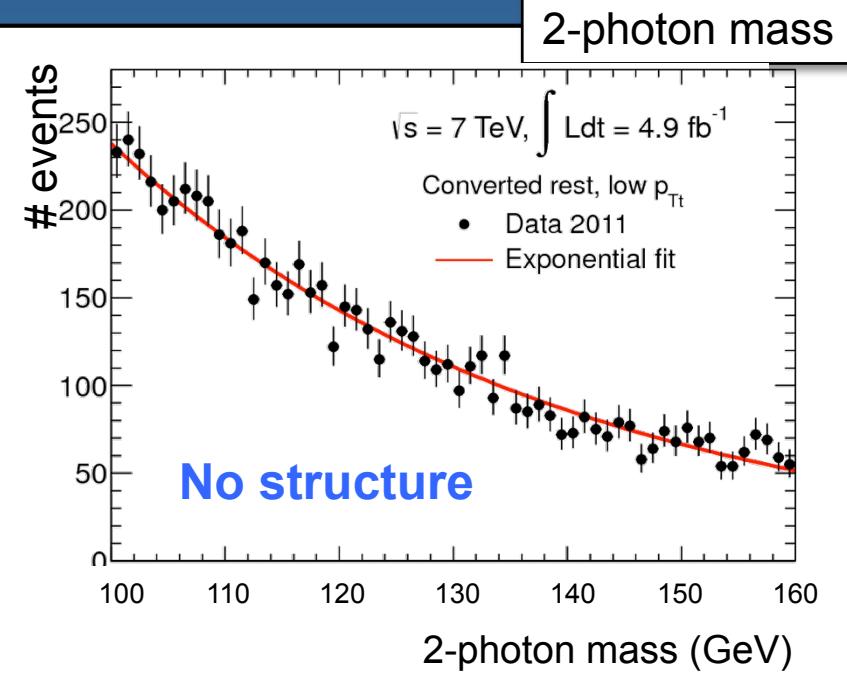
## Photon conversions

Clean electron sample  
Good material description in MC

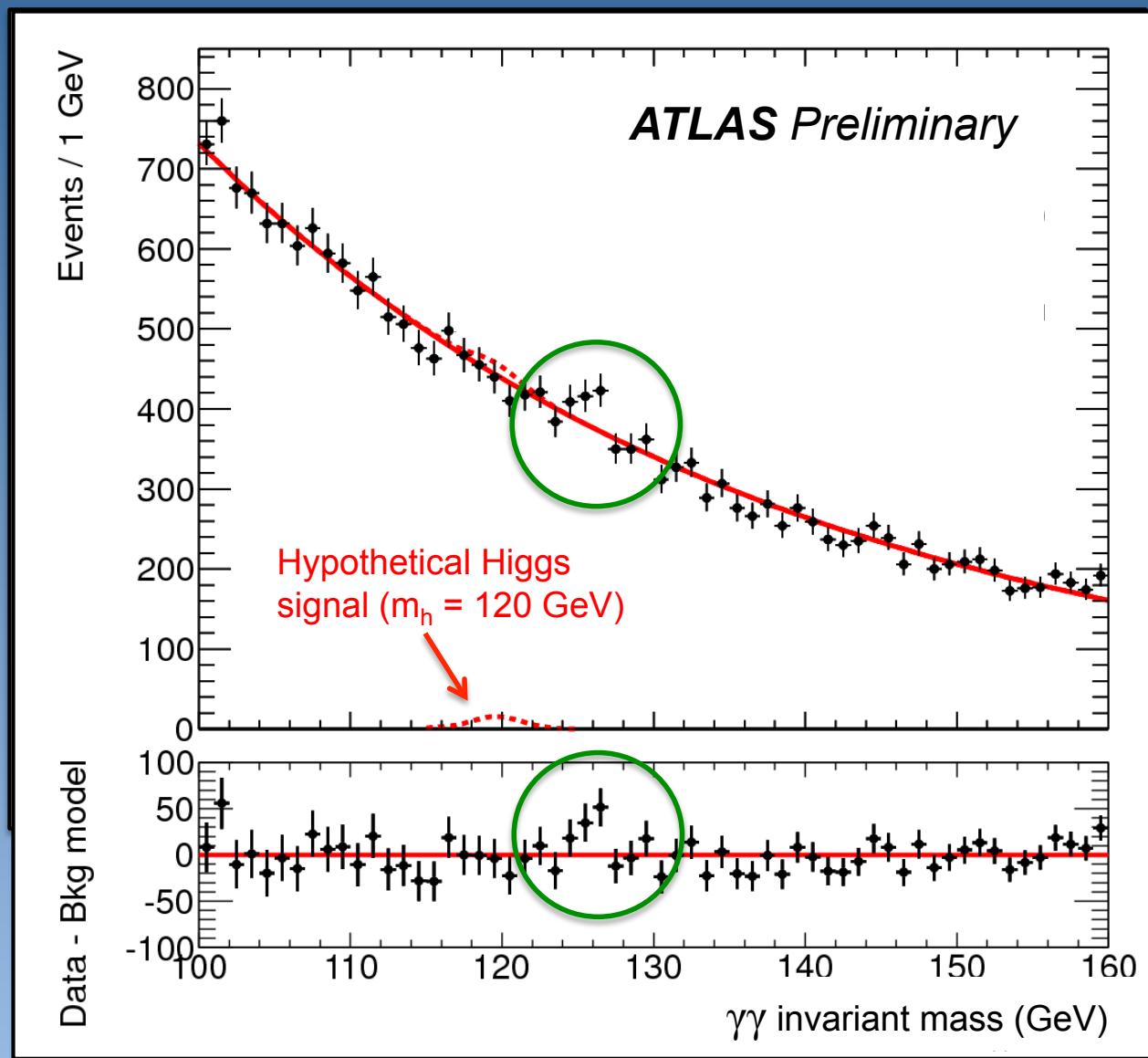


**Event-type****Number of events****Other origin**

$\gamma\gamma$	3650	$\pm 100$	$\pm 290$
$\gamma + \text{jet}$	1110	$\pm 60$	$\pm 270$
Di-jet	220	$\pm 20$	$\pm 130$
Drell-Yan	86	$\pm 1$	$\pm 14$
<b>'normal'</b>	<b>5066</b>		

**Higgs****Higgs signal****17.6**

# The ATLAS data



peak ?

# Quantifying an excess: p-value

Measurement

SM	10
Higgs	5
Data	12

For a given number of events, the p-value is:

*“The probability to observe as many events as this number (or even more) under the assumption that the Higgs does **not** exists”*

→ Can be translated into a (gaussian) significance

# Quantifying an excess: p-value

Measurement

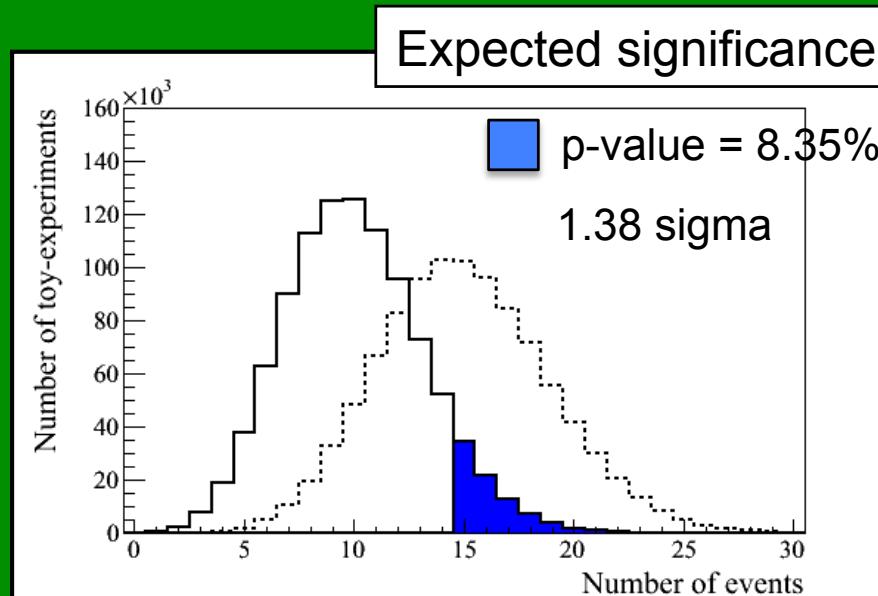
SM	10
Higgs	5
Data	12

For a given number of events, the p-value is:

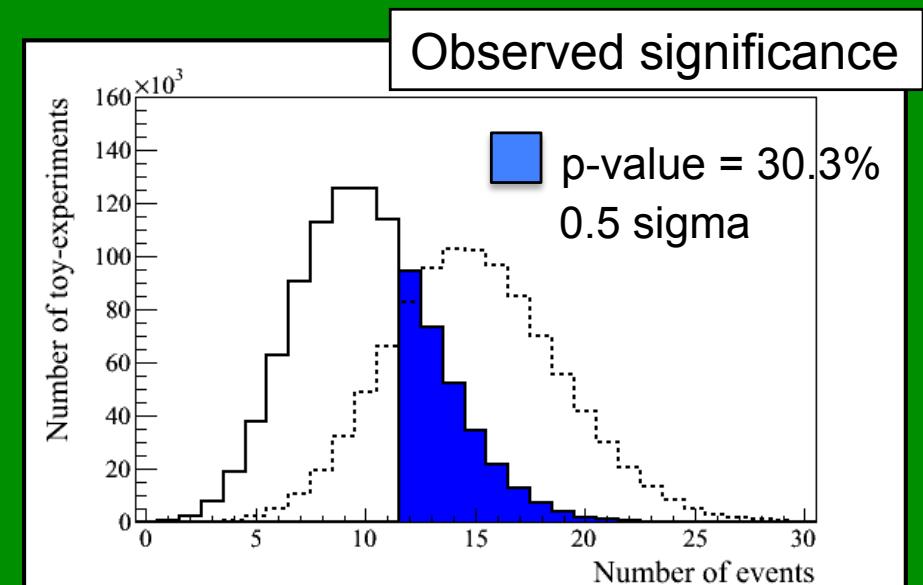
*"The probability to observe as many events as this number (or even more) under the assumption that the Higgs does **not** exists"*

→ Can be translated into a (gaussian) significance

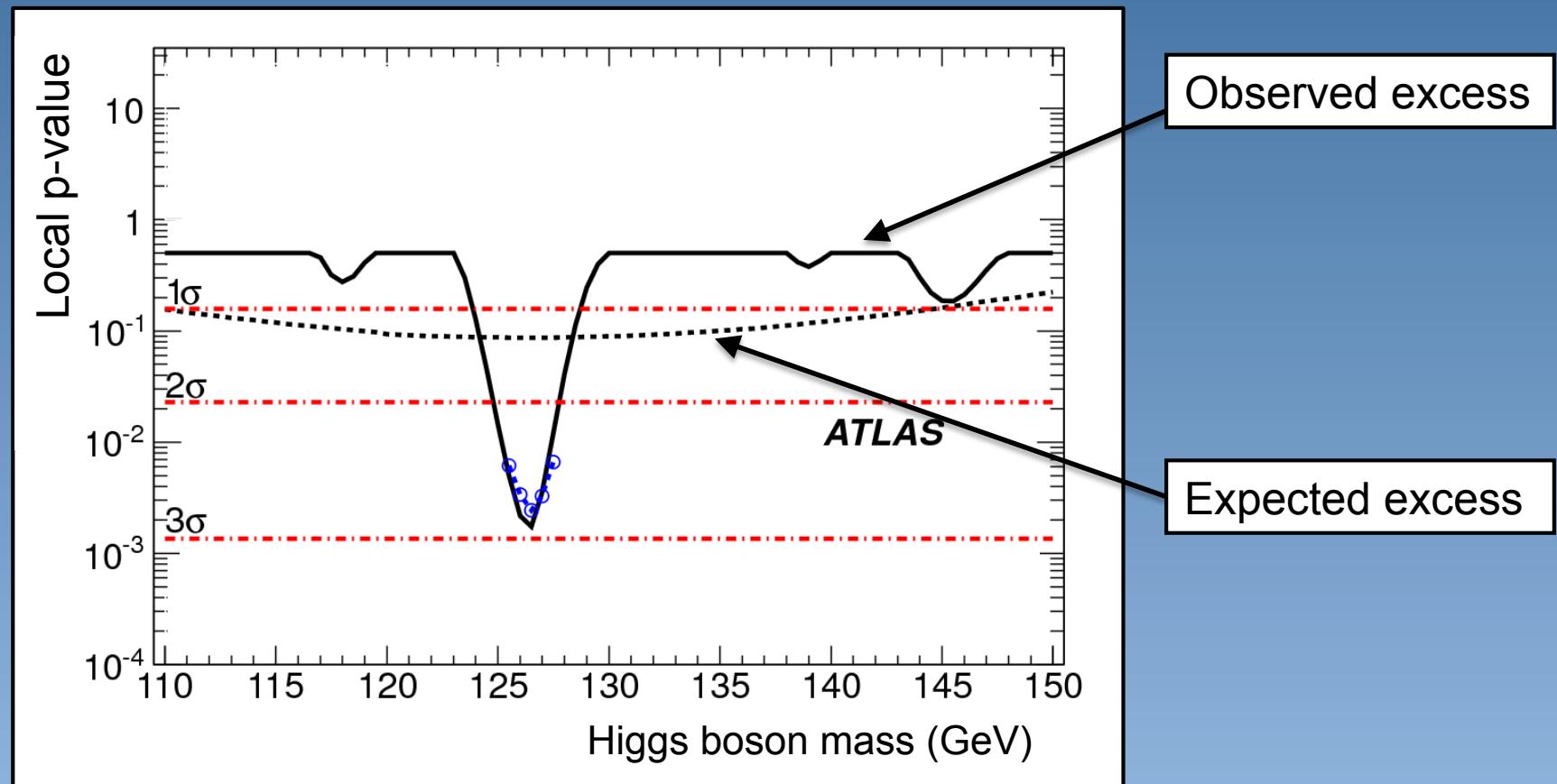
1) What is the expected significance ?



2) What is the observed significance ?

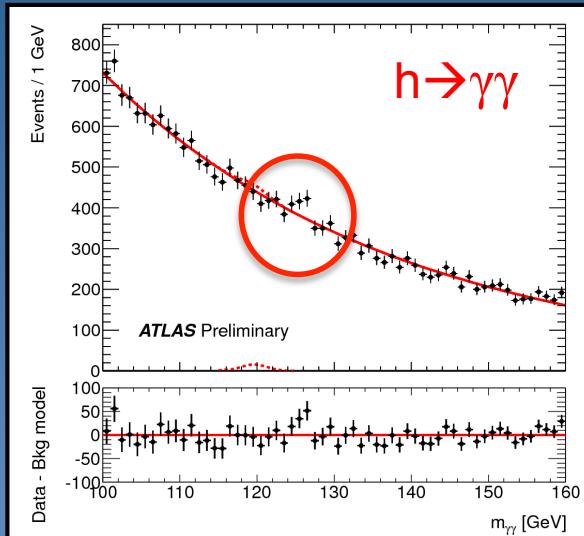


# The excess in a single channel: $h \rightarrow \gamma\gamma$

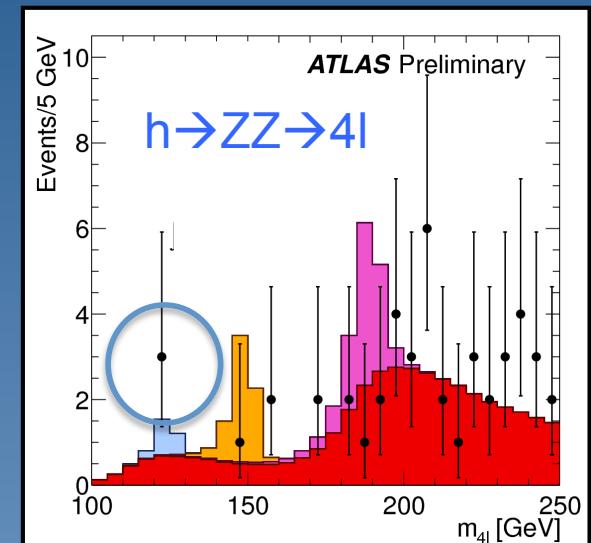


P-value  $\sim 0.002$

## Higgs $\rightarrow$ 2 photons

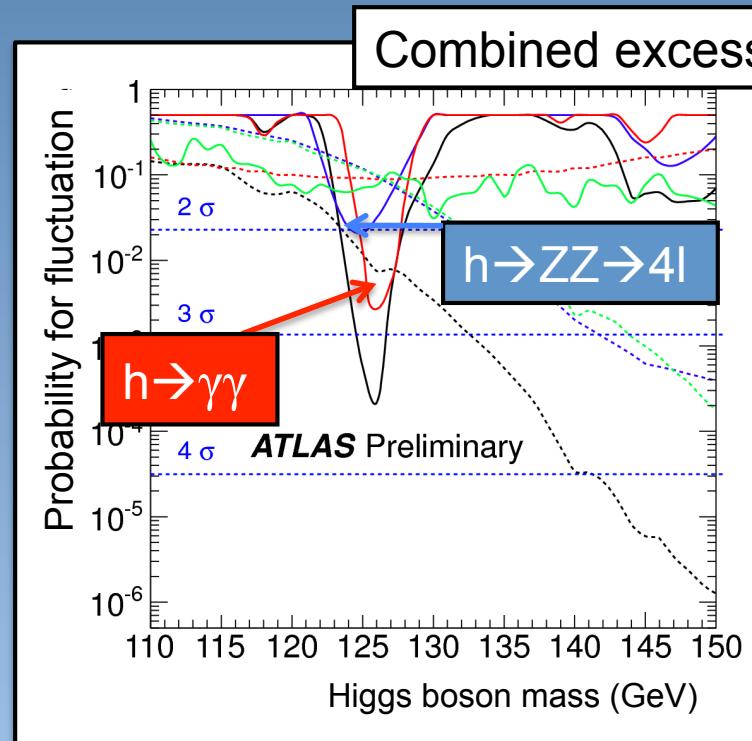


## Higgs $\rightarrow$ 4 leptons



Excess visible in  
in two channels

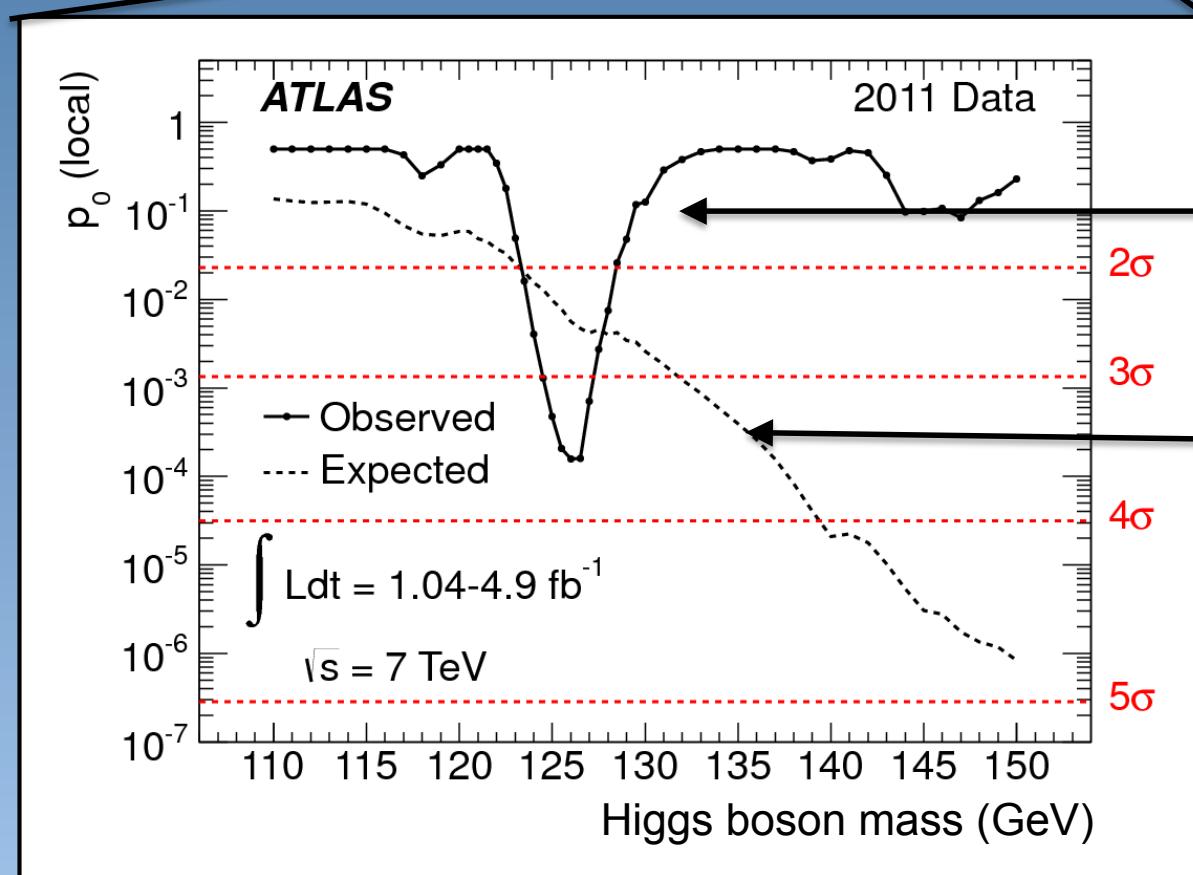
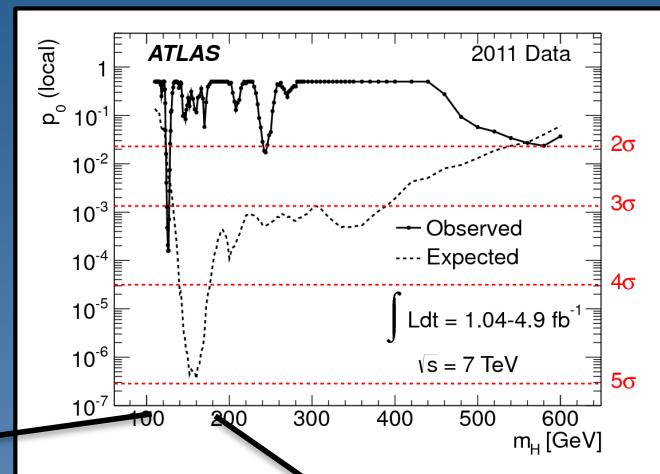
Combined excess



Corrected for look-  
elsewhere effect:

Probability  
 $\sim 1/100$  ( $2.3\sigma$ )

# Looking at the Excess: *p*-value



Observed excess

Expected excess

Corrected for look-  
elsewhere effect:

Probab.  $\sim 1\%$

# Interpretation excess in ATLAS

Probability to fluctuate as much as observed or even higher: ~ 1 op 100

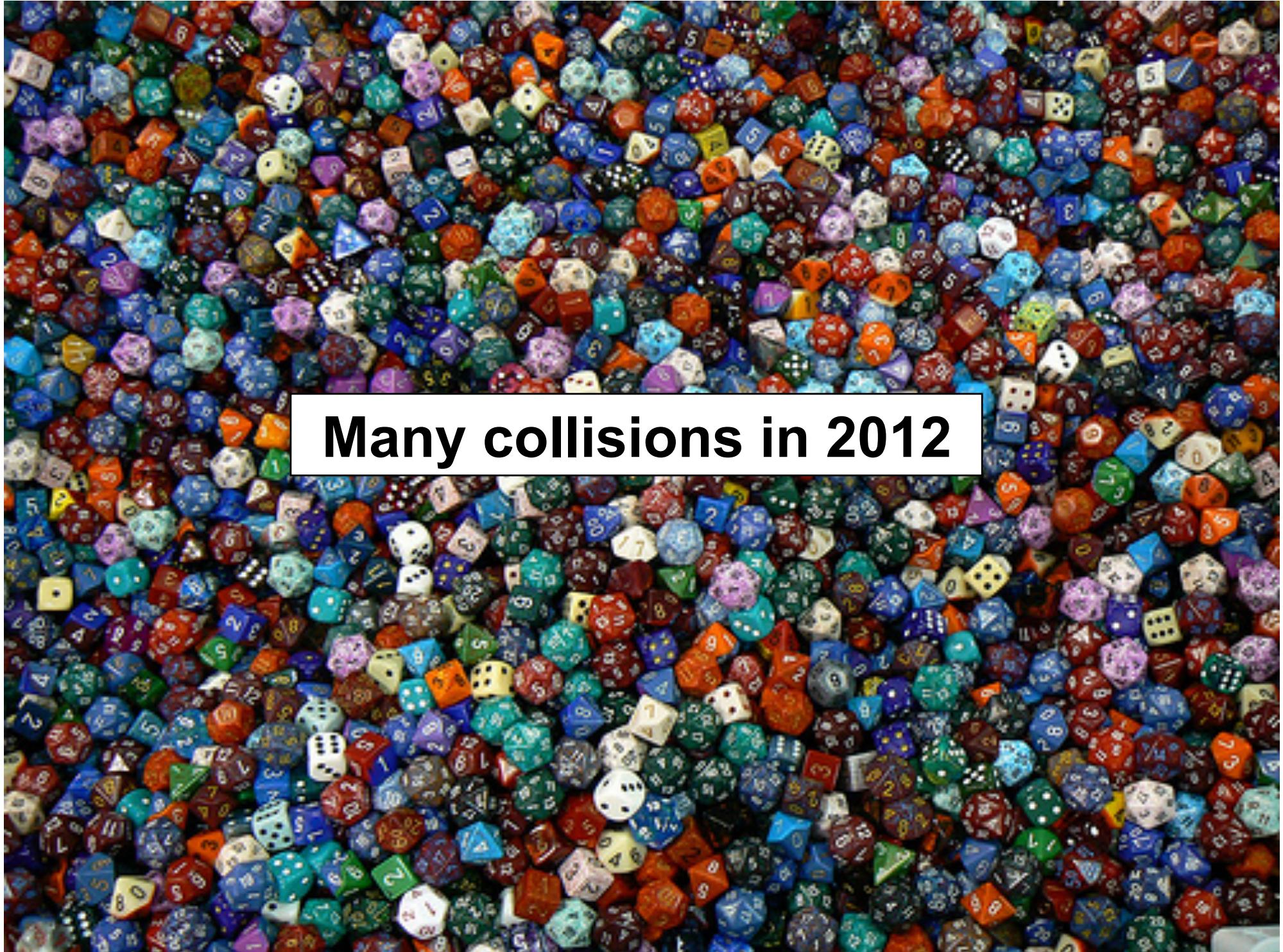
Pure chance of fake dice ?



**Claim discovery if:**

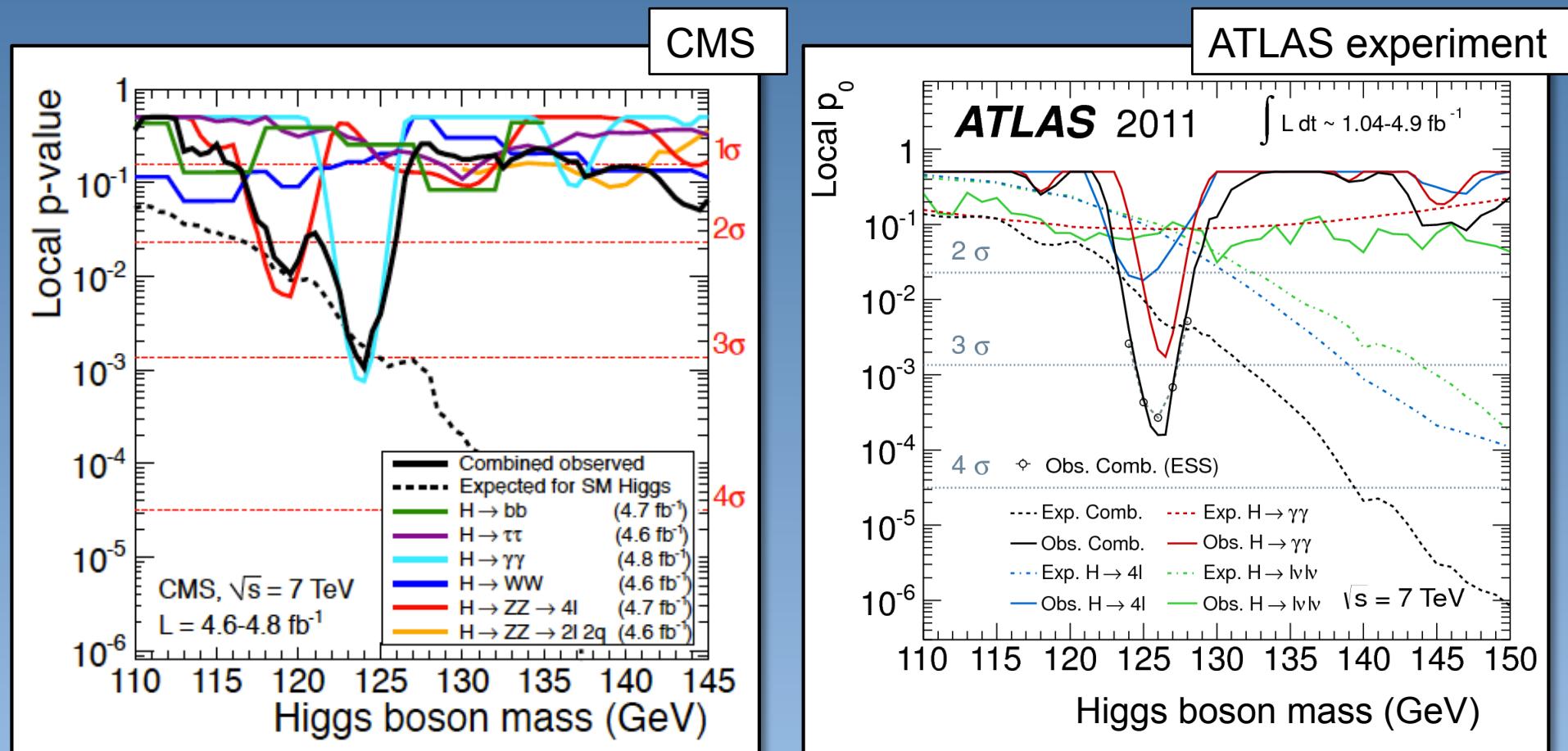
Probability on such a fluctuation from other processes < 1 on 1,000,000

Throw 8 times 6 in a row  
(need ~3 times more data)



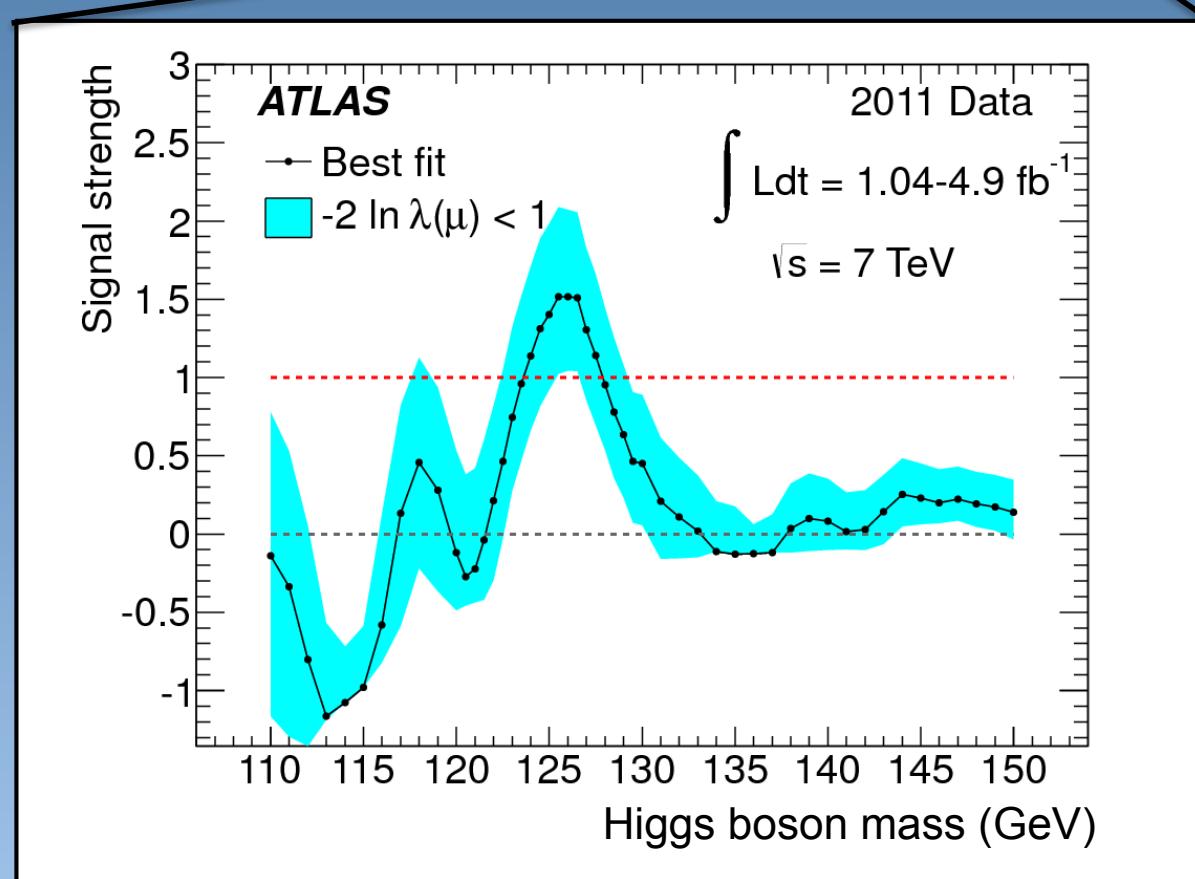
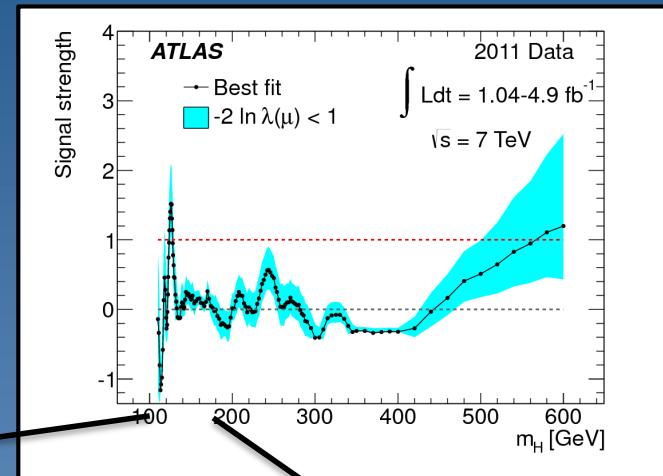
Many collisions in 2012

# Comparison results from ATLAS and CMS experiments

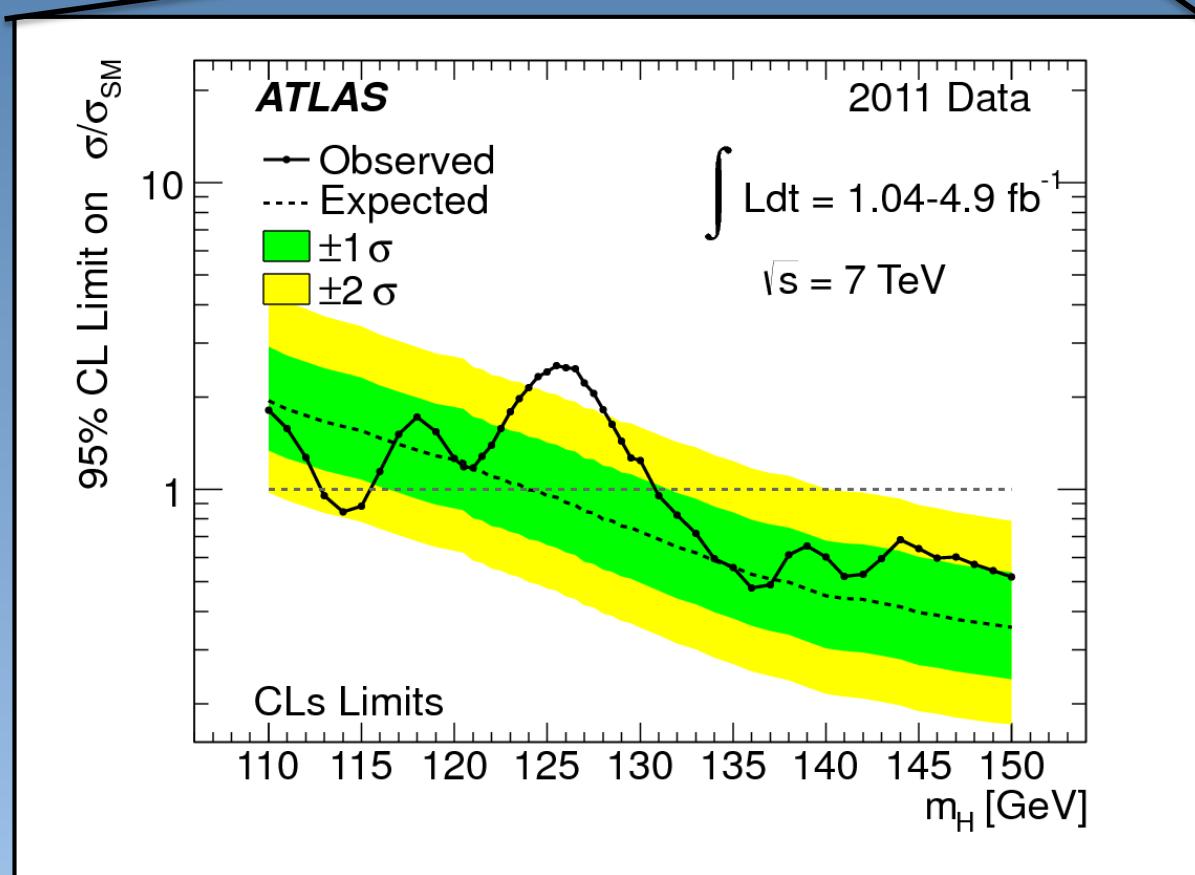
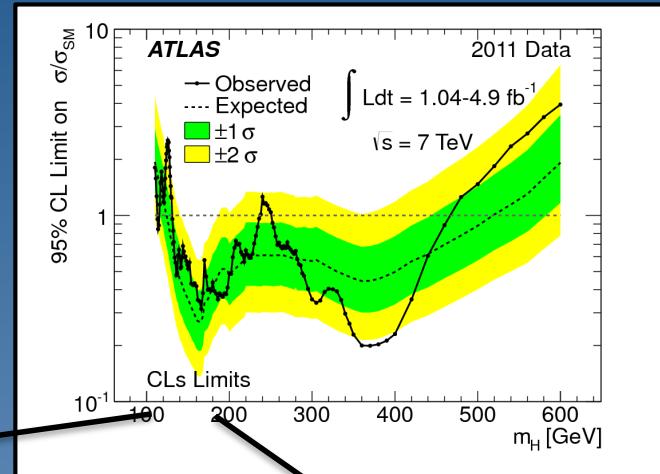


# Looking at the Excess: *signal strength*

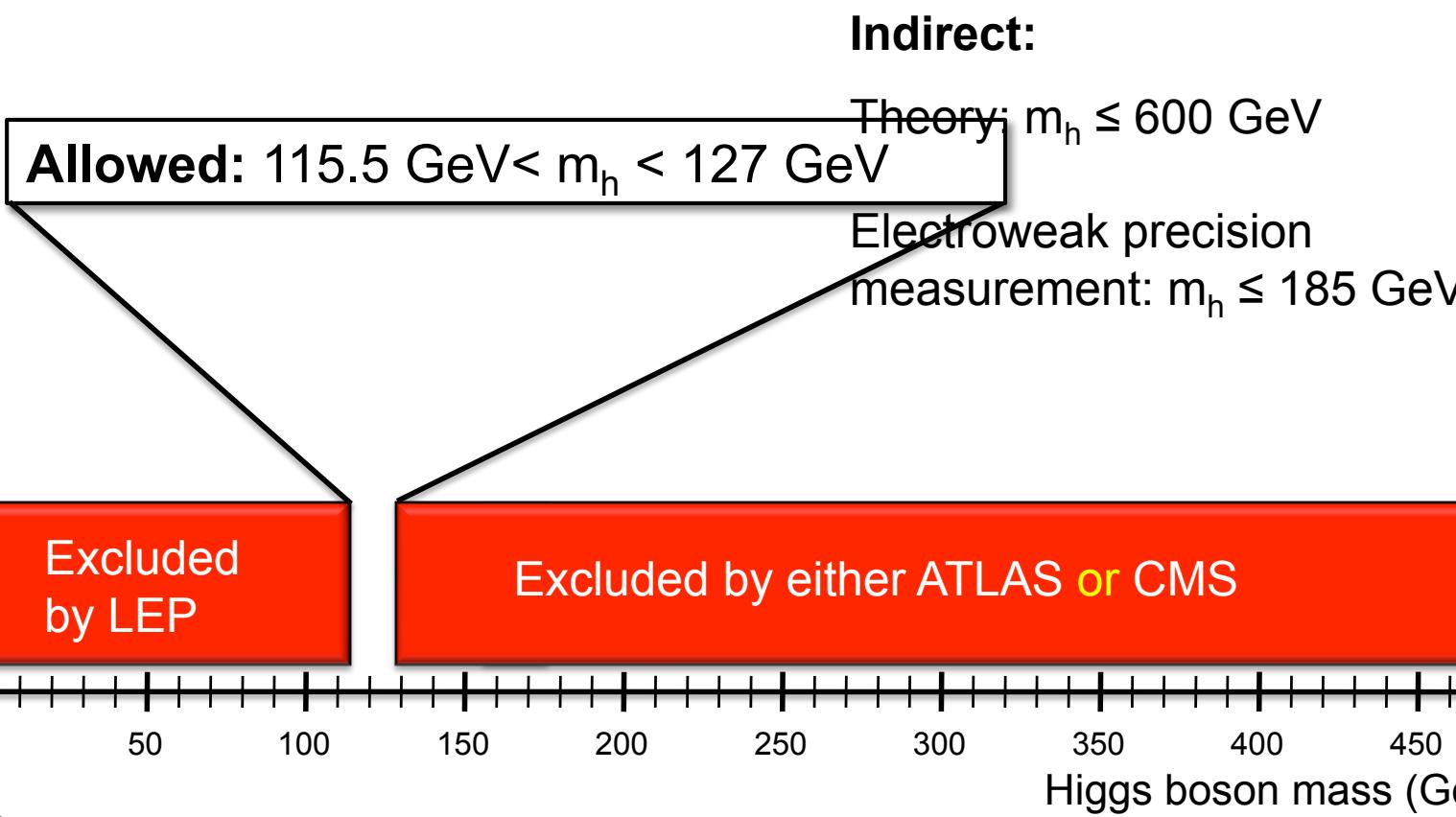
Fit: SM + *signal strength* \* Higgs



# Looking at the Excess: *excluded cross-section*



Status on February 8, 2012



## Some thoughts about the Higgs boson (discovery):

We need to prove that it is the SM Higgs boson:

- Verify coupling to fermions and gauge bosons
  - o SUSY model predict different couplings
  - o Fermiophobic Higgses might be a possibility
  - o Higgs potential and self-coupling
- Spin zero ?
- ...

To be honest ... there are some ‘tiny’ issues that remain:

- Radiative corrections (from top) to Higgs mass are huge  $\propto \Lambda^2$ . Extreme fine-tuning to get light Higgs.
- Higgs does not give any hint to particle masses or dark matter
- Contribution to  $\rho_{Higgs}^{vac}(\Omega_\Lambda)$  factor  $10^{54}$  off

... but maybe we have already seen it

## It giet oan! Summary

- 0) Large Hadron Collider and experiments  
are simply fan-tas-tic!
- 1) Search for the Higgs in 2011  
Excluded a large mass region  
Excess at low mass ( $\sim 125$  GeV)  $\rightarrow$  no discovery yet
- 2) Search for the Higgs in 2012  
If the Higgs boson exists, CMS and ATLAS will discover it  
... together

# backup

# REFERENCES

ATLAS experiment

**All ATLAS public results: publications, numbers and plots**

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic>

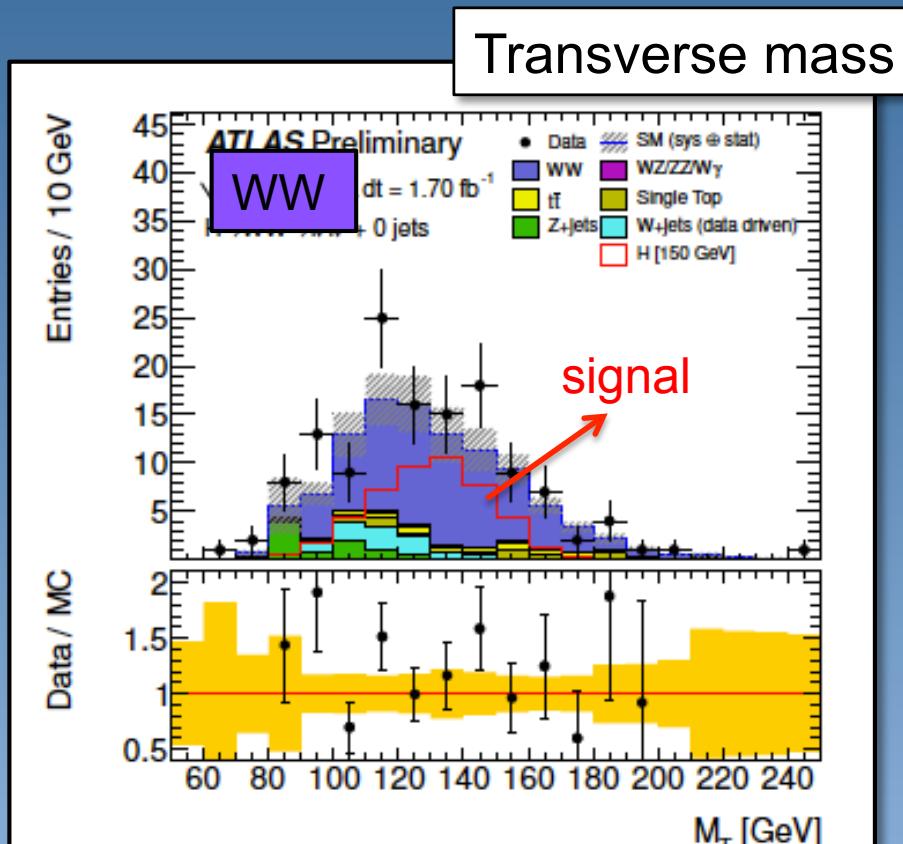
ATLAS and CMS papers

ATLAS    <http://arxiv.org/abs/1202.1408>

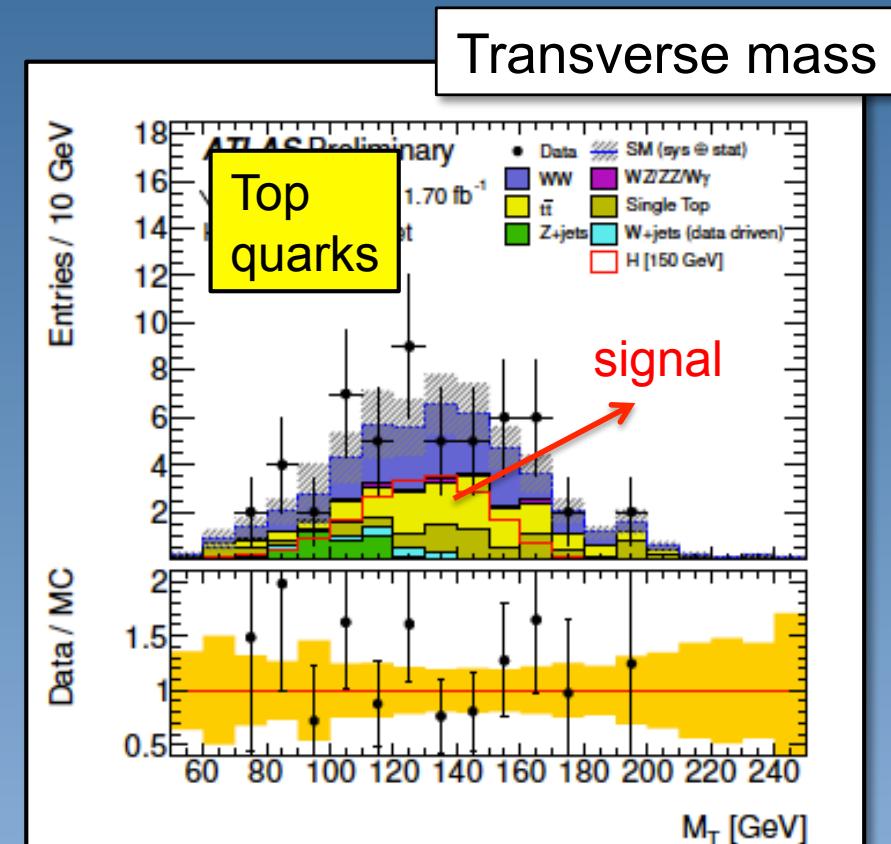
CMS    <http://cdsweb.cern.ch/record/1422382/files/HIG-11-032-arXiv-gen.pdf>

# Example: $m_h = 150$ GeV

*Topology: Higgs + 0 jets*



*Topology: Higgs + 1 jet*



background	$53 \pm 9$
observation	70
signal	$34 \pm 7$

background	$23 \pm 4$
observation	23
signal	$12 \pm 3$