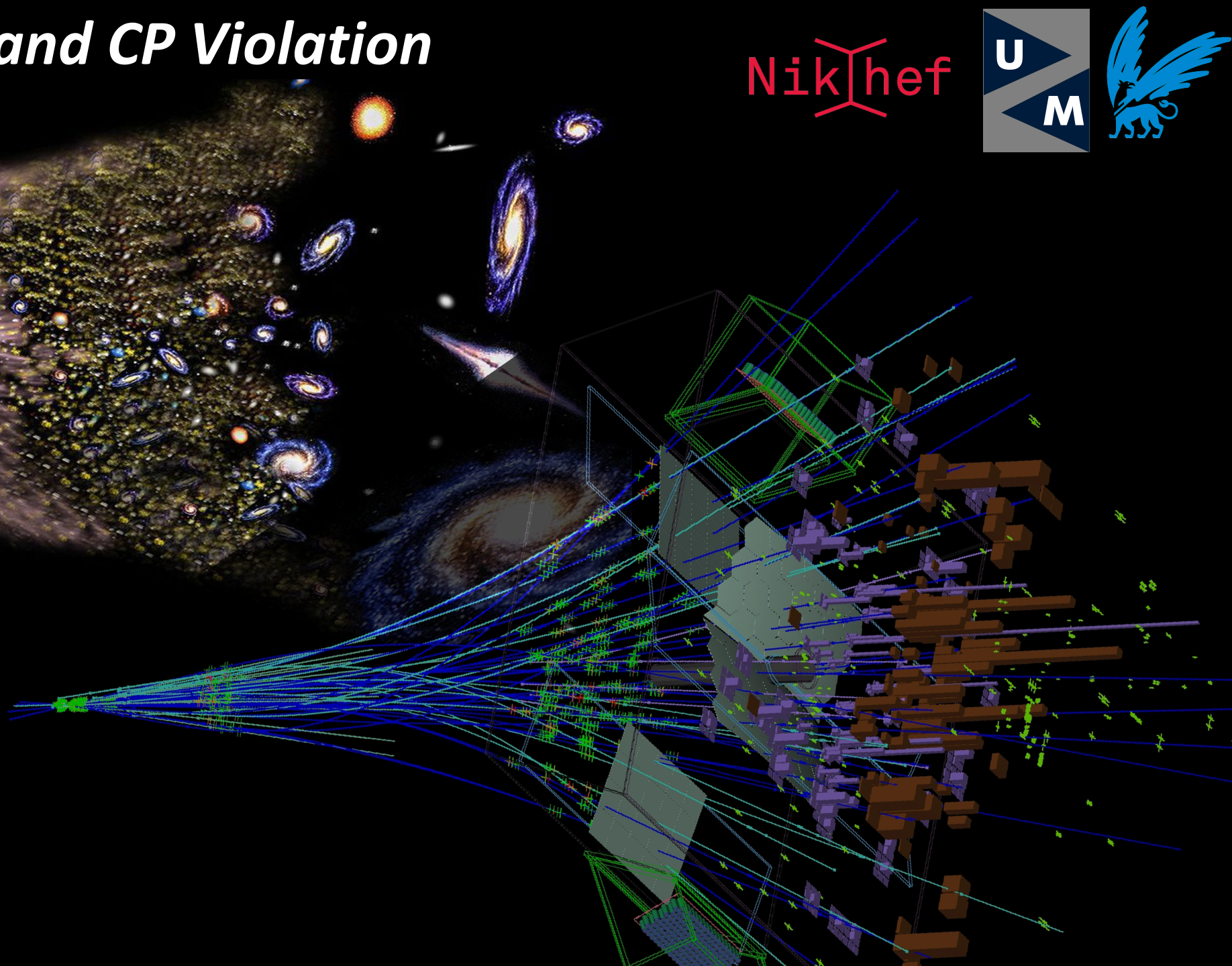


Flavour Physics and CP Violation

Nikhef



Marcel Merk
Nikhef Lectures PP2



Flavour Physics and CP Violation

Nikhef

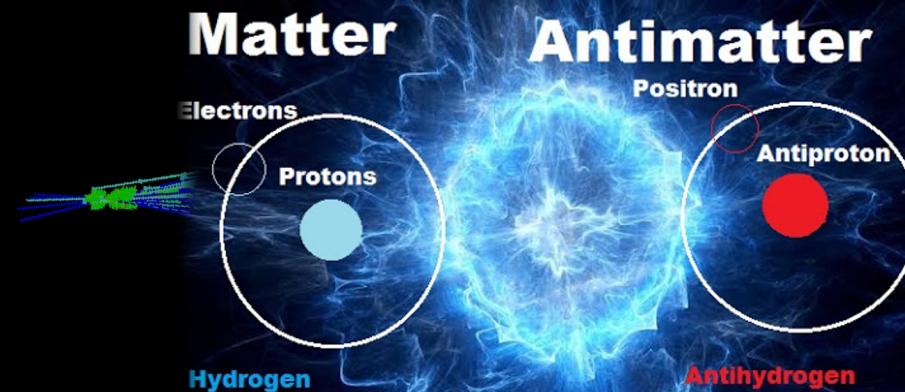


Fermionen: spin=1/2 deeltjes

Quarks		
u	c	t
d	s	b
1	2	3
Leptonen		
ν_e	ν_μ	ν_τ
e	μ	τ

bosonen spin=1 deeltjes

Krachten	
Z	γ
W	g



Why three generations of particles?

Why is there no antimatter?

Why is an atom electric neutral?

Introducing the lecturers

Lecturer:

- Marcel Merk



Tutors:

- Silvia Ferreres
- Miriam Lucio Martinez

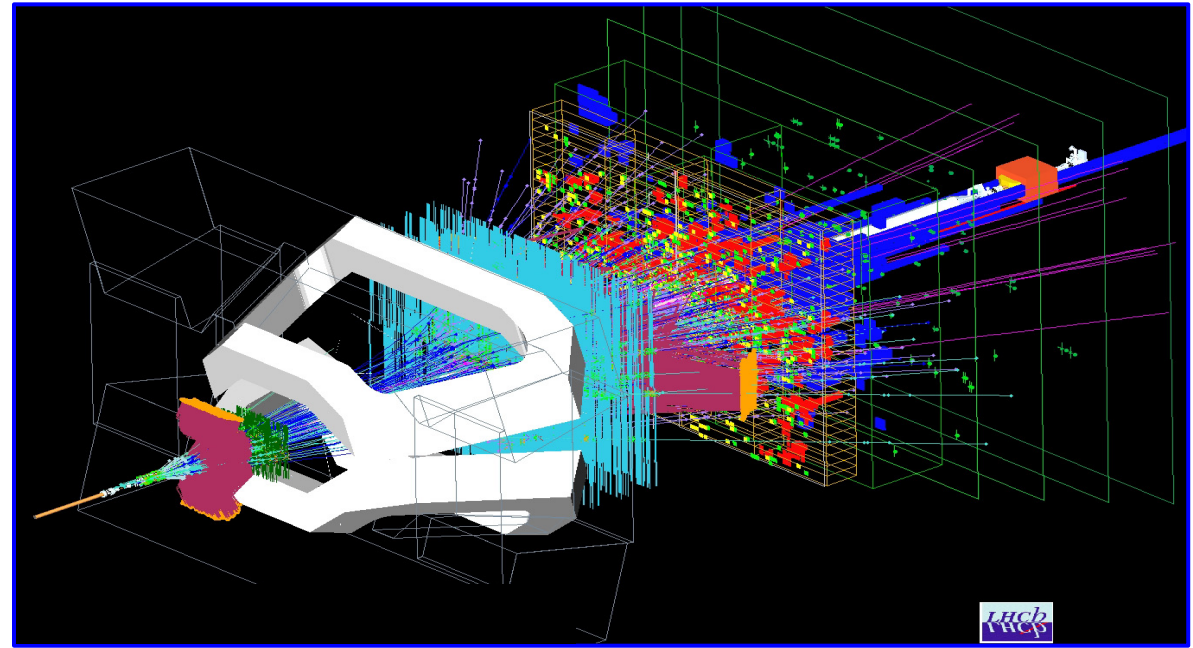
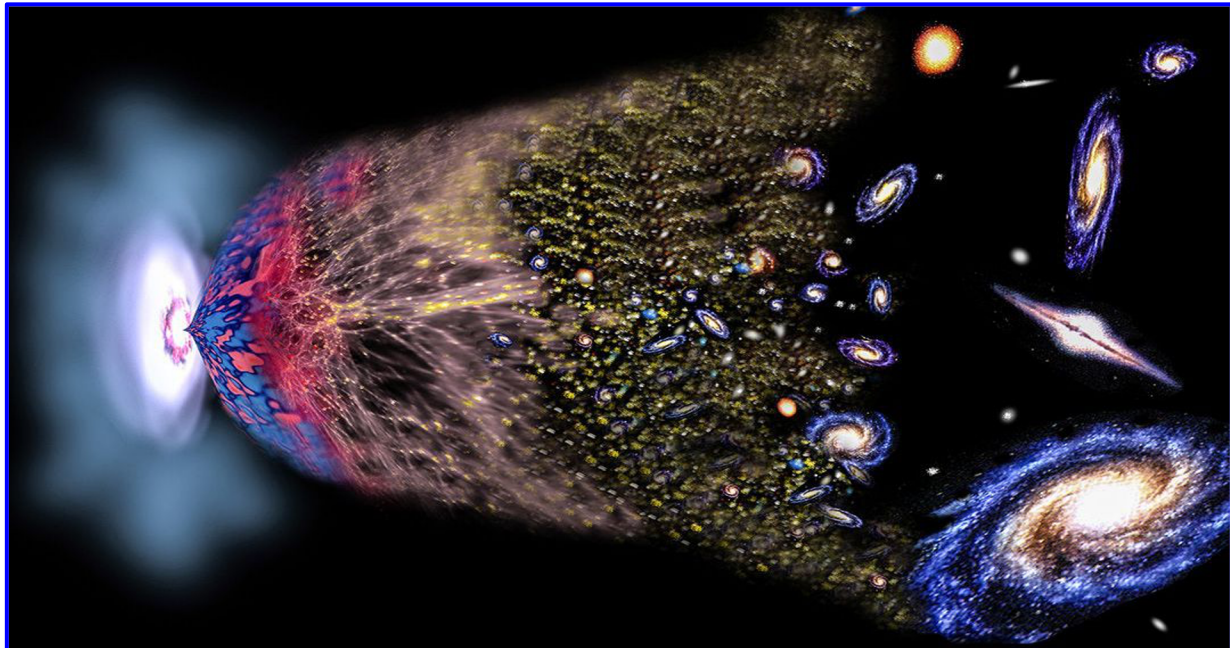


Research (theoretical):

- Why a *matter-vs-antimatter asymmetry* in nature?
- Why do we have *three generations* of particles?

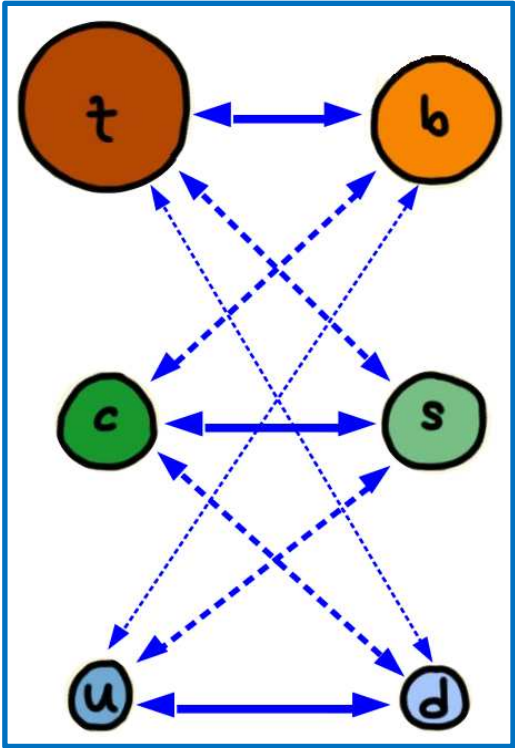
Research (experimental):

- Detector technology at the *Large Hadron Collider*.
- *Measurements of CP violation rare decays*



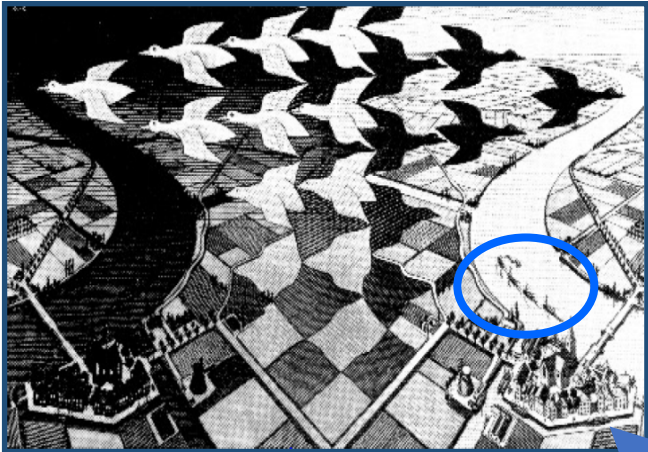
The Antimatter Mystery





White
↕
Black
 C

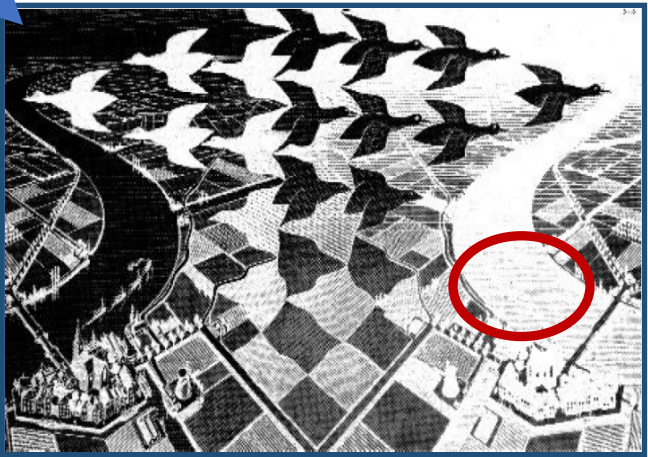
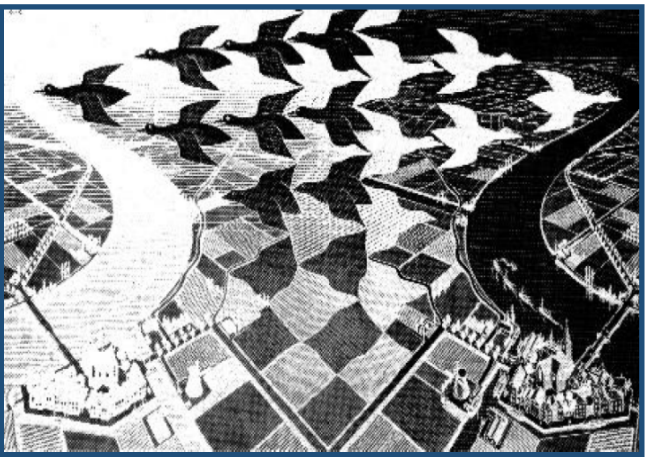
Matter world



"Day and Night", Escher, 1938



$CP:$



P

Left ↔ Right

Antimatter world

Contents per Week:

1. CP Violation

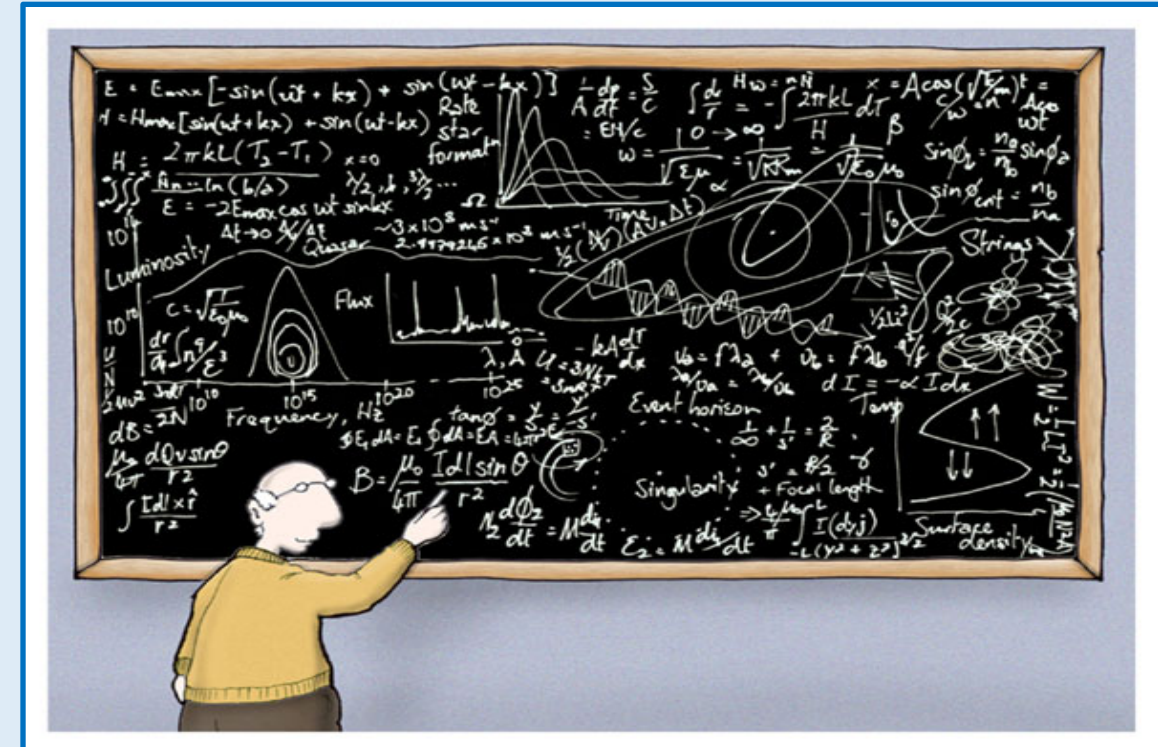
- a) Discrete Symmetries
- b) CP Violation in the Standard Model
- c) Jarlskog Invariant and Baryogenesis

2. B-Mixing

- a) CP violation and Interference
- b) B-mixing and time dependent CP violation
- c) Experimental Aspects: LHC vs B-factory

3. B-Decays

- a) Effective Hamiltonian
- b) Lepton Flavour Non-Universality



Contents per Week:

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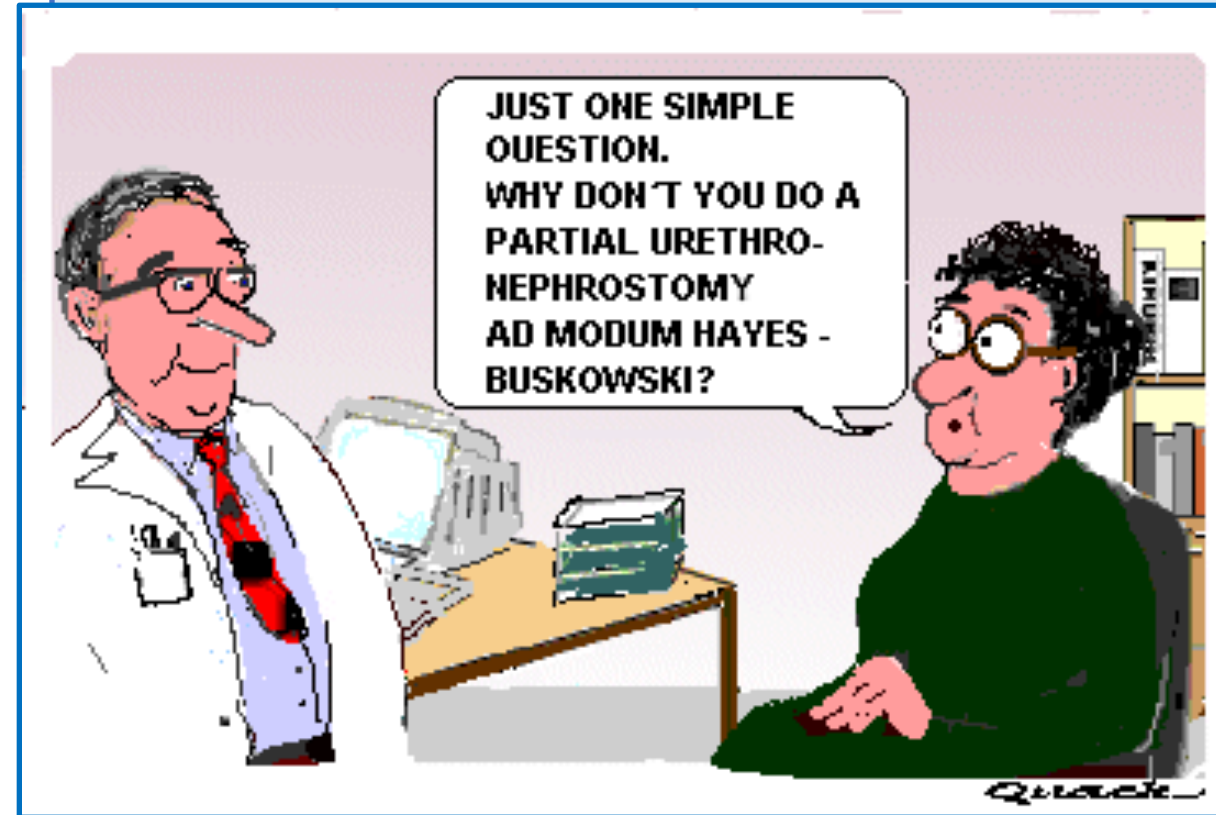
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Don't be afraid to ask questions...



Contents per Week:

1. CP Violation

- ➔ a) **Discrete Symmetries**
- b) CP Violation in the Standard Model
- c) Jarlskog Invariant and Baryogenesis

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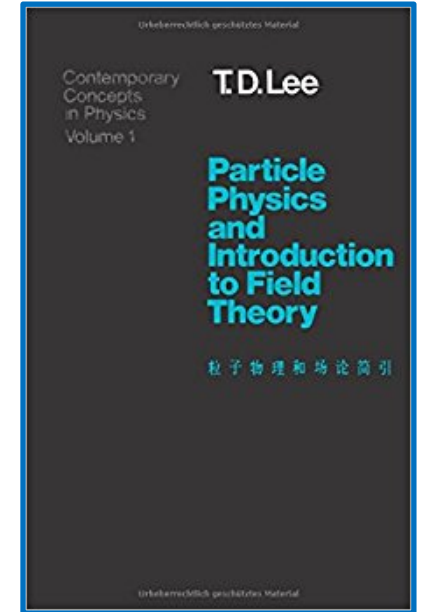
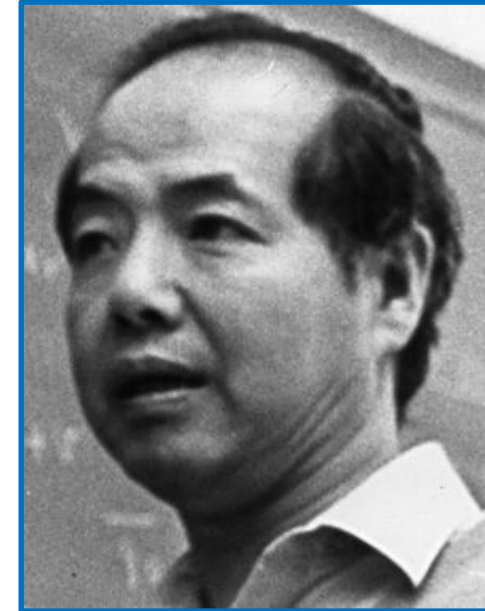
- a) Effective Hamiltonian
- b) Lepton Flavour Non-Universality



T.D.Lee: “The root to all *symmetry* principles lies in the assumption that it is impossible to observe certain basic quantities; the *non-observables*”

There are four main types of symmetry:

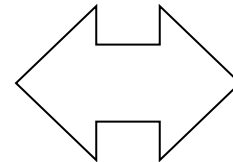
- **Permutation symmetry:**
Bose-Einstein and Fermi-Dirac Statistics
- **Continuous space-time symmetries:**
translation, rotation, velocity, acceleration,...
- **Discrete symmetries:**
space inversion, time reversal, charge conjugation,...
- **Unitary symmetries: gauge invariances:**
 U_1 (charge), SU_2 (isospin), SU_3 (color),...



⇒ If a quantity is fundamentally non-observable it is related to an *exact symmetry*

⇒ If it could in principle be observed by an improved measurement; the *symmetry* is said to be *broken*

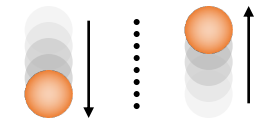
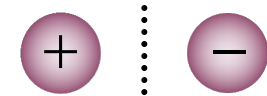
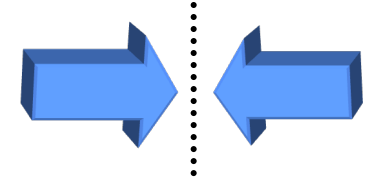
Noether Theorem: symmetry



conservation law

Non-observables	Symmetry Transformations	Conservation Laws or Selection Rule
Difference between identical particles	Permutation	B.-E. or F.-D. statistics
Absolute spatial position	Space translation: $\vec{r} \rightarrow \vec{r} + \vec{\Delta}$	momentum
Absolute time	Time translation: $t \rightarrow t + \tau$	energy
Absolute spatial direction	Rotation: $\vec{r} \rightarrow \vec{r}'$	angular momentum
Absolute velocity	Lorentz transformation	generators of the Lorentz group
Absolute right (or left)	$\vec{r} \rightarrow -\vec{r}$	parity
Absolute sign of electric charge	$e \rightarrow -e$	charge conjugation
Relative phase between states of different charge Q	$\psi \rightarrow e^{i\theta Q} \psi$	charge
Relative phase between states of different baryon number B	$\psi \rightarrow e^{i\theta N} \psi$	baryon number
Relative phase between states of different lepton number L	$\psi \rightarrow e^{i\theta L} \psi$	lepton number
Difference between different coherent mixture of p and n states	$\begin{pmatrix} p \\ n \end{pmatrix} \rightarrow U \begin{pmatrix} p \\ n \end{pmatrix}$	isospin

- Parity, P : *unobservable: (absolute handedness)*
 - Reflects a system through the origin.
Converts right-handed to left-handed.
 - $\vec{x} \rightarrow -\vec{x}$, $\vec{p} \rightarrow -\vec{p}$ (vectors) but $\vec{L} = \vec{x} \times \vec{p}$ (axial vectors)
- Charge Conjugation, C : *unobservable: (absolute charge)*
 - Turns internal charges to opposite sign.
 - $e^+ \rightarrow e^-$, $K^- \rightarrow K^+$
- Time Reversal, T : *unobservable: (direction of time)*
 - Changes direction of motion of particles
 - $t \rightarrow -t$
- CPT Theorem:
 - All interactions are invariant under combined C, P and T operation
 - A particle *is* an antiparticle travelling backward in time
 - Implies e.g. **particle and anti-particle have equal masses and lifetimes**



- Parity: $\vec{x} \rightarrow -\vec{x}$

- | | | |
|---------------------------------------------------------------------------------------|-------------------------------------------------------|----------------|
| - Mass m | $P m = m$ | : scalar |
| - Force \vec{F} ($\vec{F} = d\vec{p}/dt$) | $P \vec{F} = P d\vec{p}/dt = -d\vec{p}/dt = -\vec{F}$ | : vector |
| - Acceleration \vec{a} ($\vec{a} = d^2\vec{x}/dt^2$) | $P \vec{a} = -d^2\vec{x}/dt^2 = -\vec{a}$ | : vector |
| - Angular momentum $\vec{L}, \vec{S}, \vec{J}$ ($\vec{L} = \vec{x} \times \vec{p}$) | $P \vec{L} = -\vec{x} \times -\vec{p} = \vec{L}$ | : axial vector |

- Parity: Newton's law is *invariant* under P -operation (i.e. the same in the mirror world):

$$\vec{F} = m \vec{a} \xrightarrow{P} -\vec{F} = -m\vec{a} \Leftrightarrow \vec{F} = m\vec{a}$$

- Charge: Lorentz Force in the C -mirror world is *invariant*:

$$\vec{F} = q [\vec{E} + \vec{v} \times \vec{B}] \xrightarrow{C} \vec{F} = -q [-\vec{E} + \vec{v} \times -\vec{B}]$$

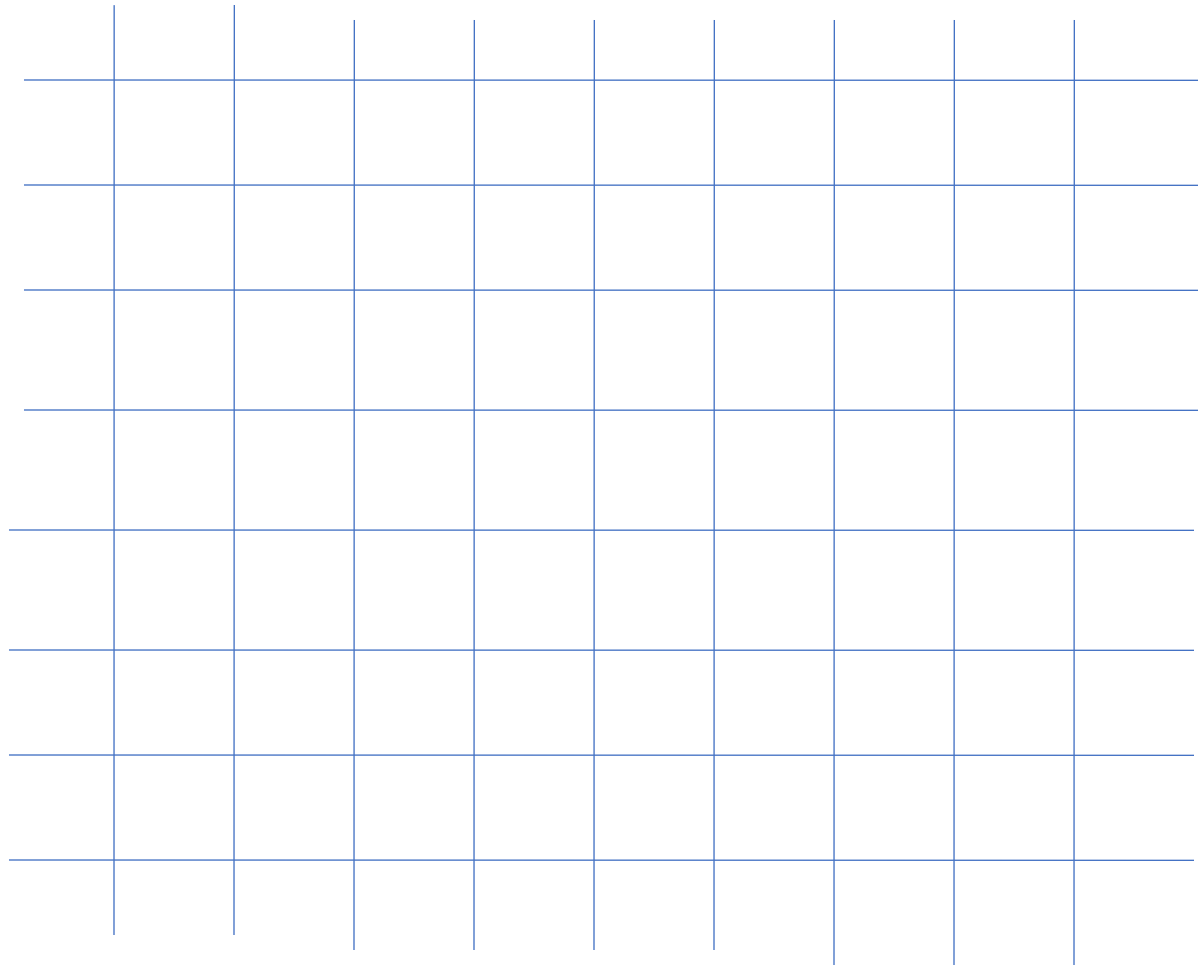
- Time: laws of physics are also *invariant* unchanged under T -reversal, since:

$$\vec{F} = m \vec{a} = m \frac{d^2\vec{x}}{dt^2} \xrightarrow{T} \vec{F} = m \frac{d^2\vec{x}}{d(-t)^2} \Leftrightarrow \vec{F} = m\vec{a}$$

- QM: Consider Schrodinger's equation ($t \rightarrow -t$): $ih \frac{\partial \psi}{\partial t} = -\frac{\vec{\nabla}^2 \psi}{2m}$

Complex conjugation is required to stay invariant: $\psi \xrightarrow{T} \psi^*$

- Classical Theory is invariant under C , P , T operations; i.e. they conserve C , P , T symmetry
 - Newton mechanics, Maxwell electrodynamics.
- Suppose we watch some physical event. Can we determine unambiguously whether:
 - We are watching the event where all *charges are reversed* or not?
 - We are watching the event *in a mirror* or not?
 - Macroscopic biological asymmetries are considered *accidents of evolution* rather than fundamental asymmetry in the laws of physics.
 - We are watching the event in a *film running backwards* or not?
 - The arrow of time is due to thermodynamics: i.e. the realization of a macroscopic final state is *statistically more probable* than the initial state



- At each crossing: 50% - 50% choice to go left or right
- After many decisions: reverse the velocity of the final state and return
- Do we end up with the initial state?

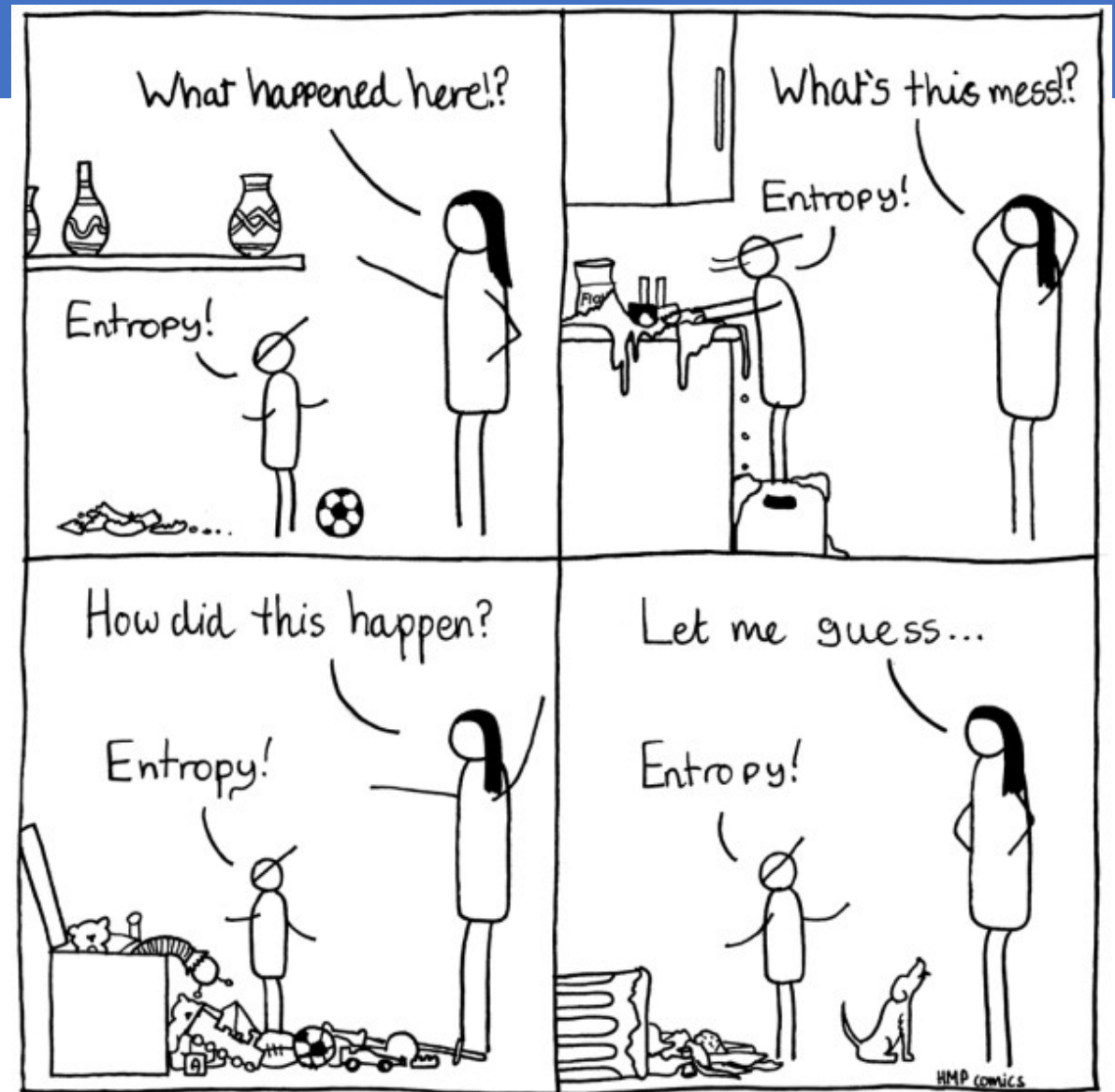
Very unlikely!



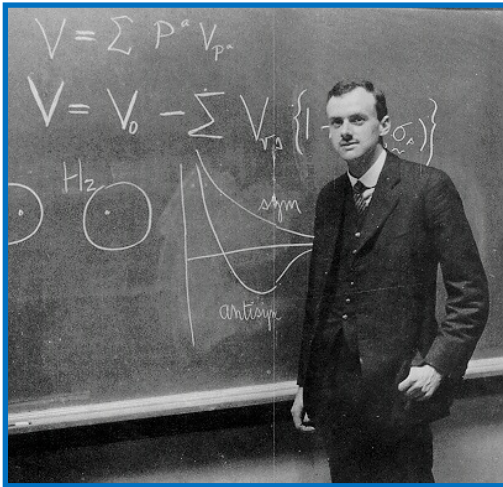
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Macroscopic time reversal

9



This is why we don't teach our children
about entropy until much later...



- In Dirac theory particles are represented as spinors

$$\psi = \begin{pmatrix} \psi_1 \\ \psi_2 \\ \psi_3 \\ \psi_4 \end{pmatrix}$$

ψ_1, ψ_2 → +1/2, -1/2 helicity solutions for the **particle**
 ψ_3, ψ_4 → +1/2, -1/2 helicity solutions for the **antiparticle**

Antimatter!

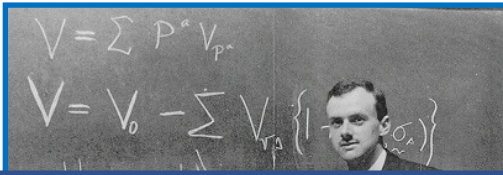
- Implementation of P and C operators in Dirac theory:

$$P : \psi \rightarrow \psi' = \gamma^0 \psi(-\vec{x}, t)$$

$$C : \psi \rightarrow \psi' = i\gamma^2 \psi^*(\vec{x}, t)$$

$$\left(\begin{array}{l} [(i\gamma^0 \partial_0 - i\gamma^i \partial_{x_i}) - m] \psi(\vec{x}, t) = 0 \\ \gamma^0 [(i\gamma^0 \partial_0 + i\gamma^i \partial_{x_i}) - m] \psi'(-\vec{x}, t) = 0 \end{array} \right) \quad \left(\begin{array}{l} \text{Elect. } \psi : [\gamma^\mu (i\partial_\mu + eA_\mu) - m] \psi = 0 \\ \text{Posit. } \psi' : [\gamma^\mu (i\partial_\mu - eA_\mu) - m] \psi' = 0 \end{array} \right)$$

- QED (Dirac theory) is symmetric under C, P conjugation. Reversing electric charges keeps electrodynamics invariant. See lecture notes for more details.



- In Dirac theory particles are represented as spinors

$$\gamma^0 = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & -1 & 0 \\ 0 & 0 & 0 & -1 \end{pmatrix}, \quad \gamma^1 = \begin{pmatrix} 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \\ 0 & -1 & 0 & 0 \\ -1 & 0 & 0 & 0 \end{pmatrix}, \quad \gamma^2 = \begin{pmatrix} 0 & 0 & 0 & -i \\ 0 & 0 & i & 0 \\ 0 & i & 0 & 0 \\ -i & 0 & 0 & 0 \end{pmatrix}, \quad \gamma^3 = \begin{pmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \\ -1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \end{pmatrix}$$

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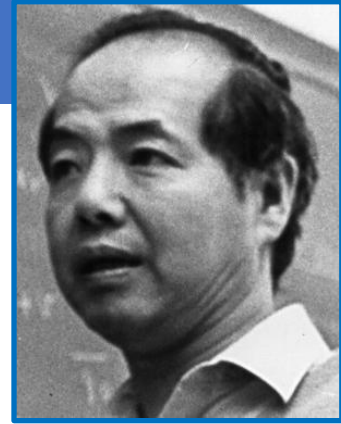
$$\left(\begin{array}{l} [(i\gamma^0 \partial_0 - i\gamma^i \partial_{x_i}) - m] \psi(\vec{x}, t) = 0 \\ \gamma^0 [(i\gamma^0 \partial_0 + i\gamma^i \partial_{x_i}) - m] \psi'(-\vec{x}, t) = 0 \end{array} \right) \quad \left(\begin{array}{l} \text{Elect. } \psi : [\gamma^\mu (i\partial_\mu + eA_\mu) - m] \psi = 0 \\ \text{Posit. } \psi' : [\gamma^\mu (i\partial_\mu - eA_\mu) - m] \psi' = 0 \end{array} \right)$$

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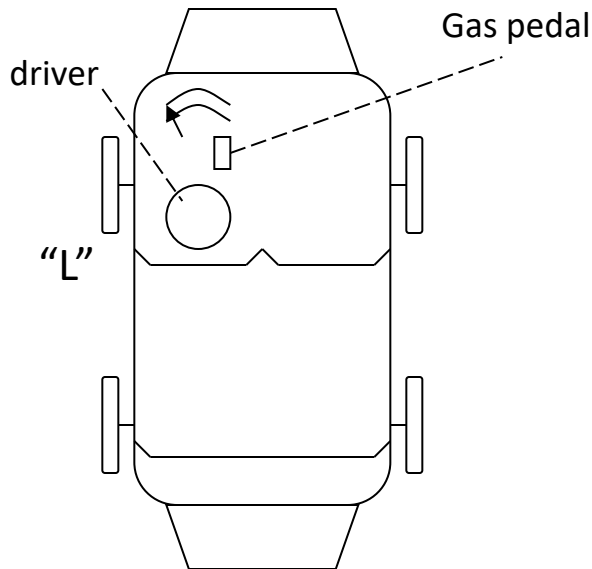
- In Dirac equation: $[(i\gamma^0\partial_0 - i\gamma^i\partial_{x_i}) - m]\psi(\vec{x}, t) = 0$
- Implementation of P operator in Dirac: $\vec{x} \rightarrow -\vec{x}$; $\partial x_i \rightarrow -\partial x_i$
 $P : \psi \rightarrow \psi' = \psi(-\vec{x}, t) \quad [(i\gamma^0\partial_0 + i\gamma^i\partial_{x_i}) - m]\psi(-\vec{x}, t) = 0$ Does not work!
- Instead: $\psi \rightarrow \psi' = \gamma^0\psi(-\vec{x}, t) \quad [(i\gamma^0\partial_0 + i\gamma^i\partial_{x_i}) - m]\gamma^0\psi(-\vec{x}, t) = 0$
 $\gamma^0[(i\gamma^0\partial_0 - i\gamma^i\partial_{x_i}) - m]\psi'(-\vec{x}, t) = 0$ OK
- Implementation of C operator in Dirac: $C : q \rightarrow -q$; $\psi \rightarrow \psi' = i\gamma^2\psi^*(\vec{x}, t)$
 $\psi : [\gamma^\mu(i\partial_\mu - qA_\mu) - m]\psi = 0$ $\psi' : [\gamma^{\mu*}(-i\partial_\mu + qA_\mu) - m]i\gamma^2\psi^* = 0$
 $\psi' : [\gamma^\mu(i\partial_\mu + qA_\mu) - m]^*\psi' = 0$ $\psi' : i\gamma^2[\gamma^\mu(i\partial_\mu + qA_\mu) - m]\psi^* = 0$ OK

Parity Violation



Before 1956 physicists were convinced that the laws of nature were left-right symmetric. Strange?

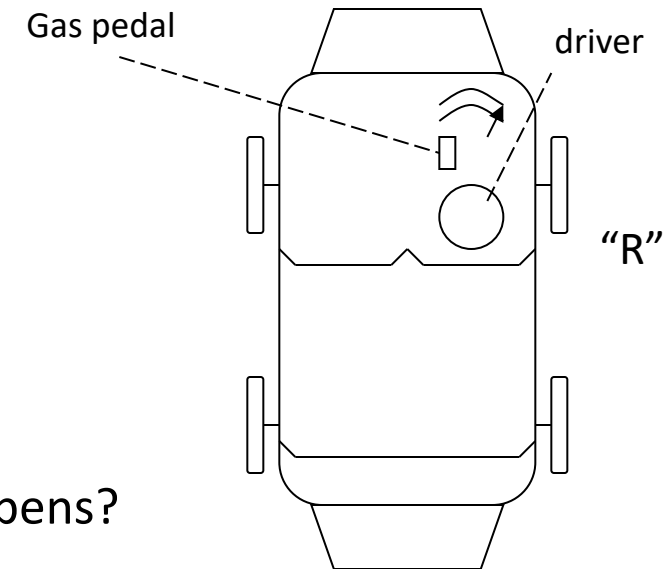
A “gedanken” experiment: consider two perfectly mirror symmetric cars:



“L” and “R” are fully symmetric,
Each nut, bolt, molecule etc.
However the engine is a black box

Person “L” gets in, starts, 60 km/h

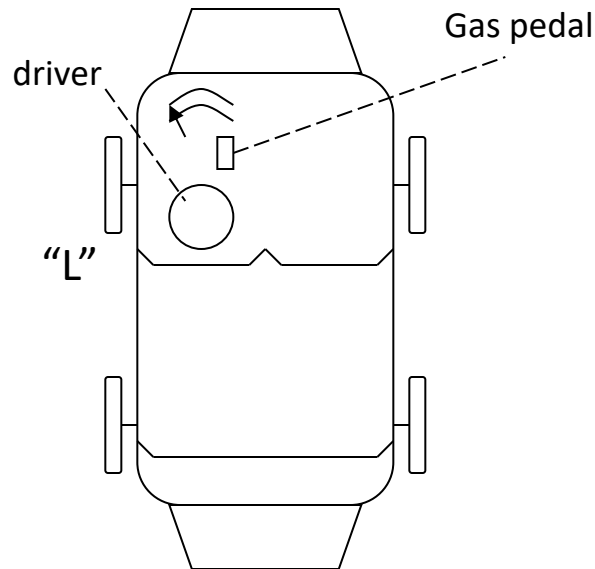
Person “R” gets in, starts, What happens?



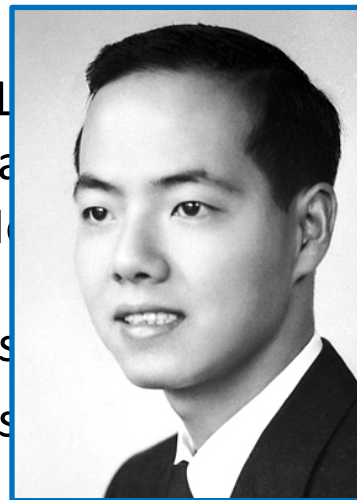
What happens in case the ignition mechanism uses, say, Co^{60} β decay?

Before 1956 physicists were convinced that the laws of nature were left-right symmetric. Strange?

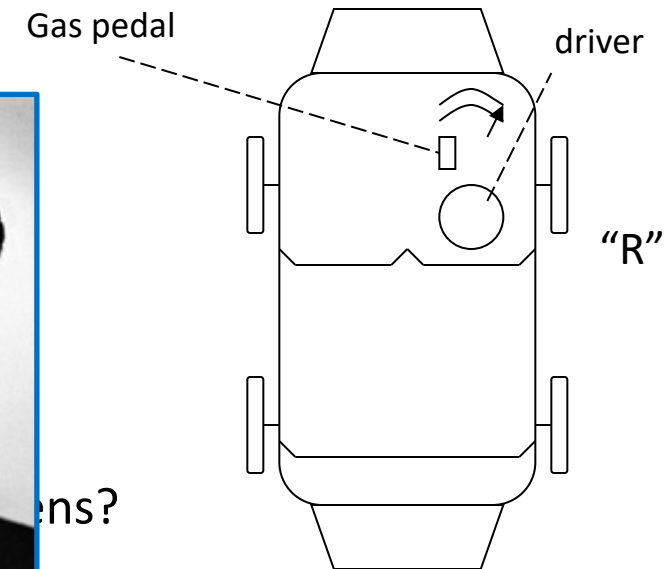
A “gedanken” experiment: consider two perfectly mirror symmetric cars:



T.D. Lee



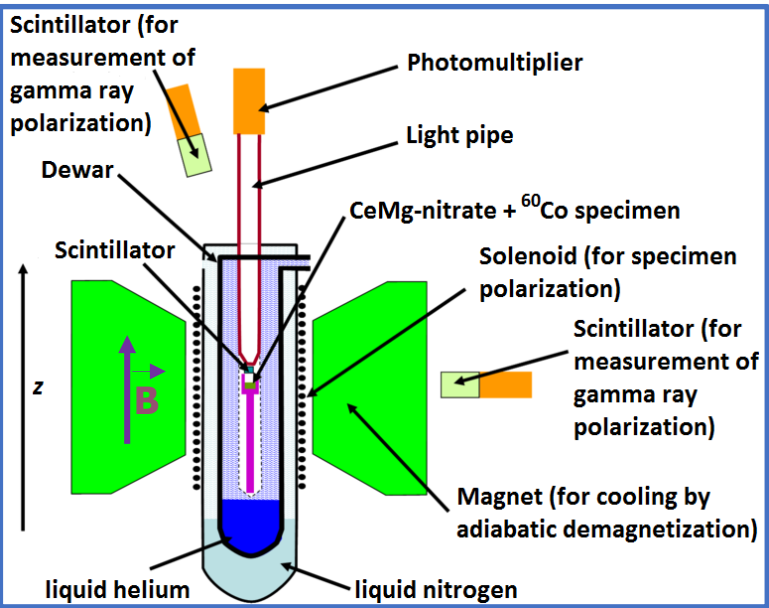
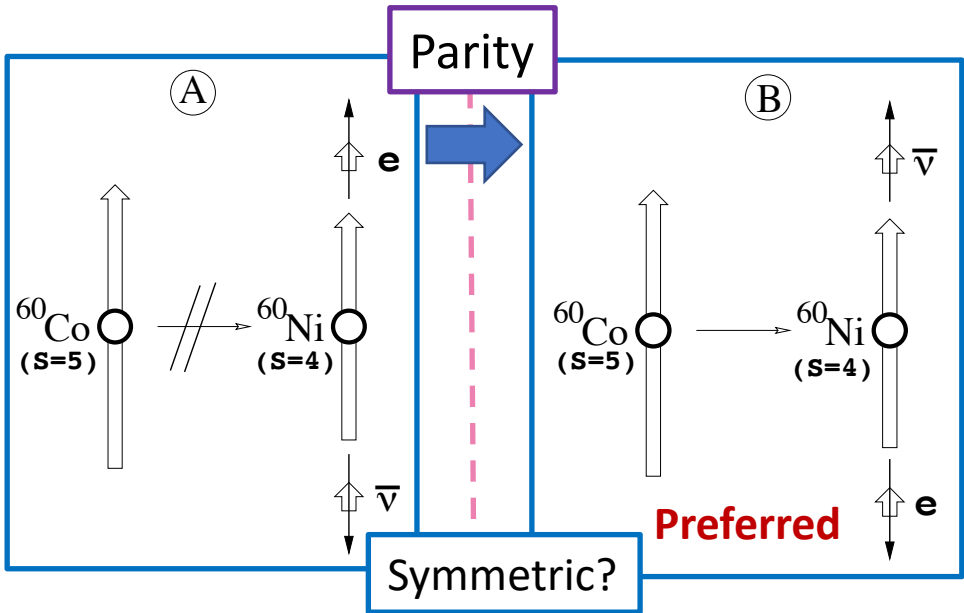
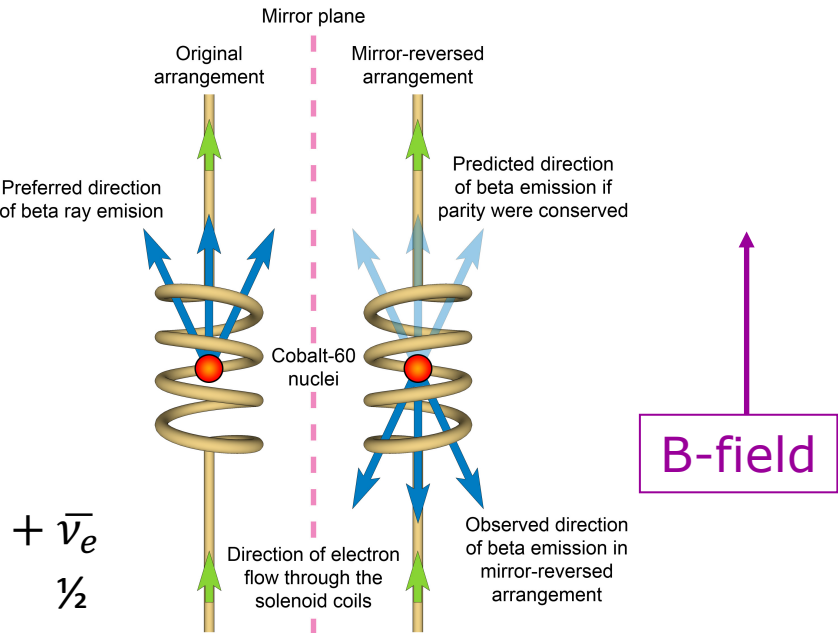
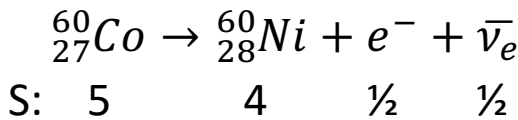
C.N. Yang



What happens in case the ignition mechanism uses, say, Co^{60} β decay?

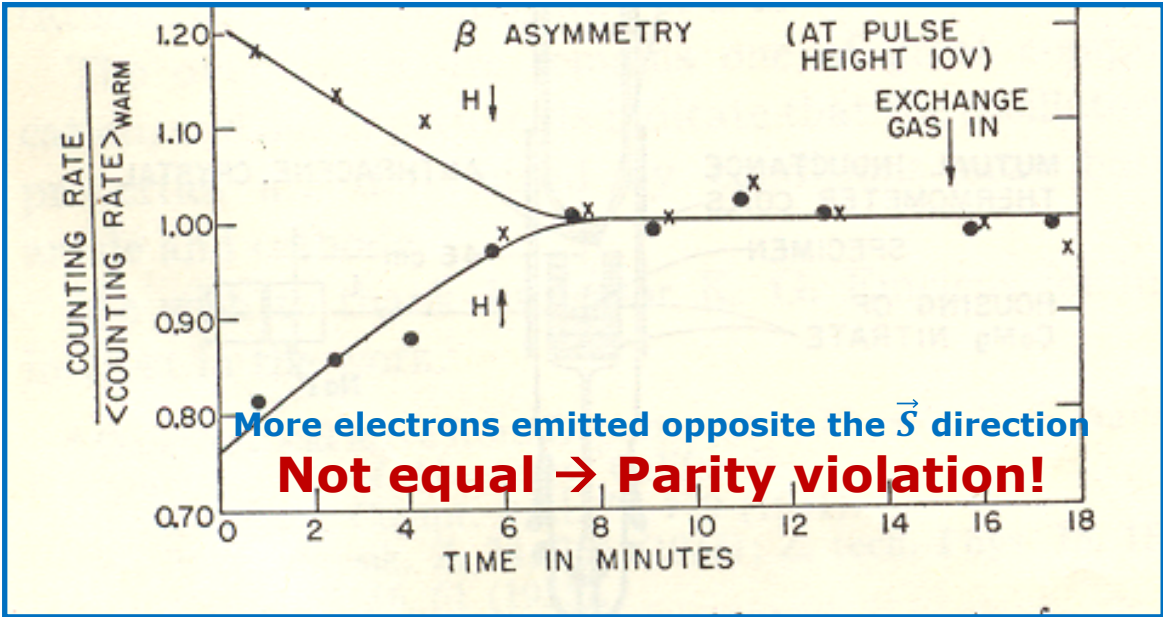
Discovery of Parity Violation

Spin is pseudoscalar, P: $\vec{S} \rightarrow \vec{S}$

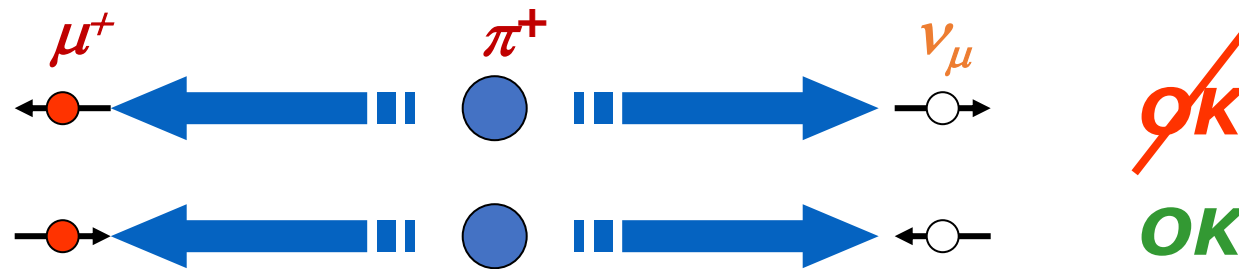


Is physics is parity invariant?

Only if electron decay rate is symmetric wrt spin direction!



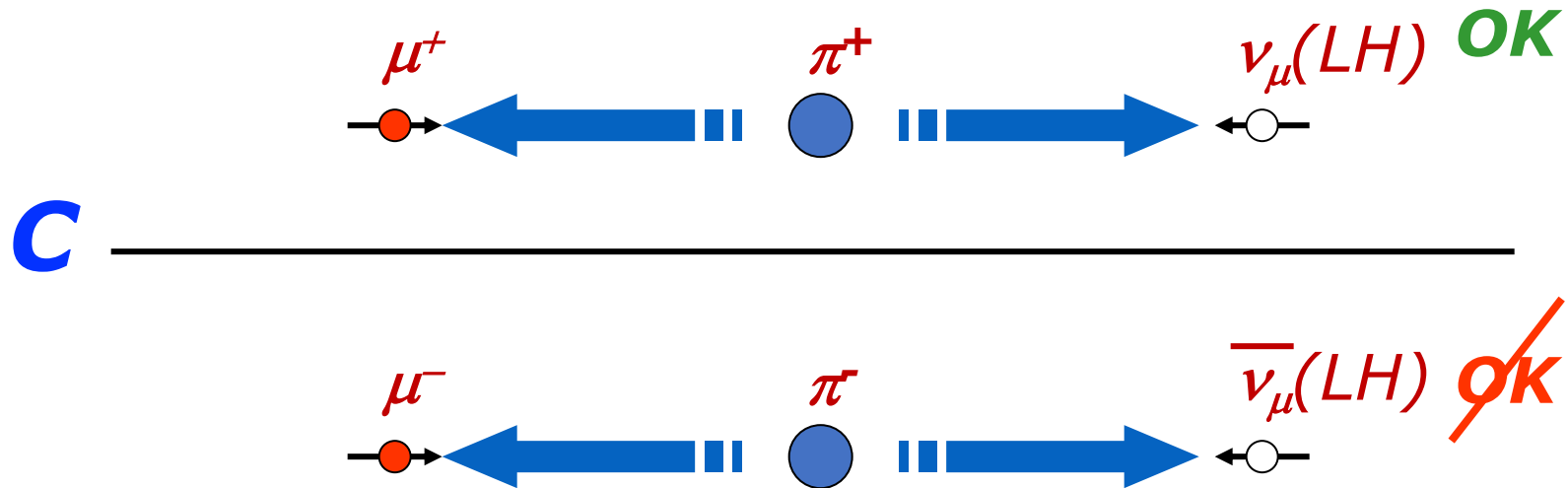
- Wu's experiment was shortly followed by another clever experiment by L. Lederman: Look at decay $\pi^+ \rightarrow \mu^+ \nu_\mu$
 - Pion has spin 0, μ, ν_μ both have spin $\frac{1}{2}$
 - \rightarrow spin of decay products must be oppositely aligned
 - \rightarrow Helicity of muon is same as that of neutrino.



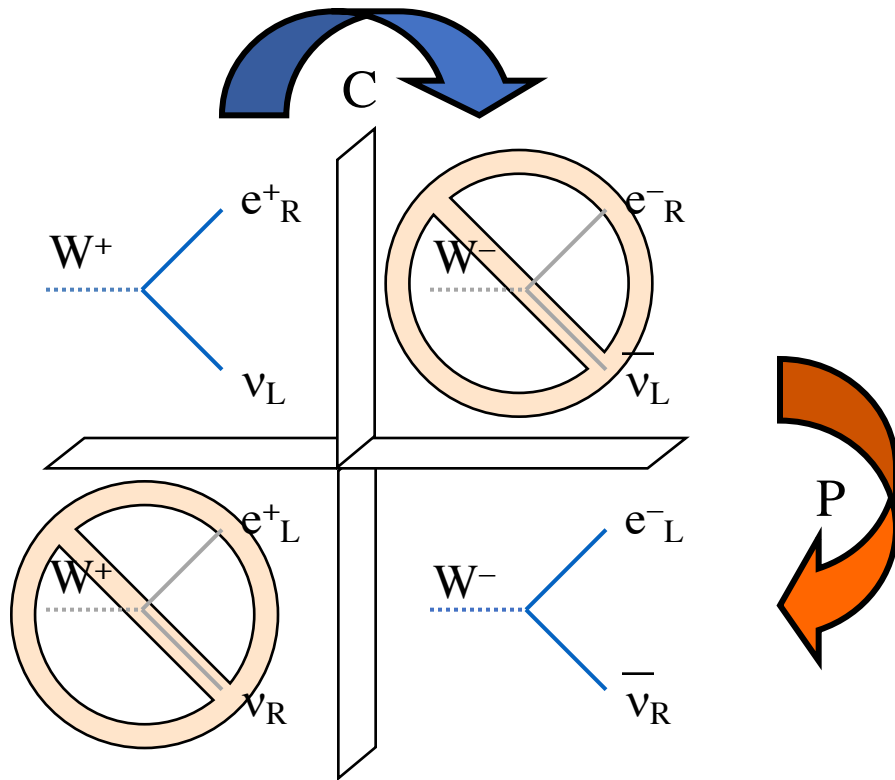
- Ledermans result: All neutrinos are left-handed and all anti-neutrinos are right-handed

- Introducing C -symmetry

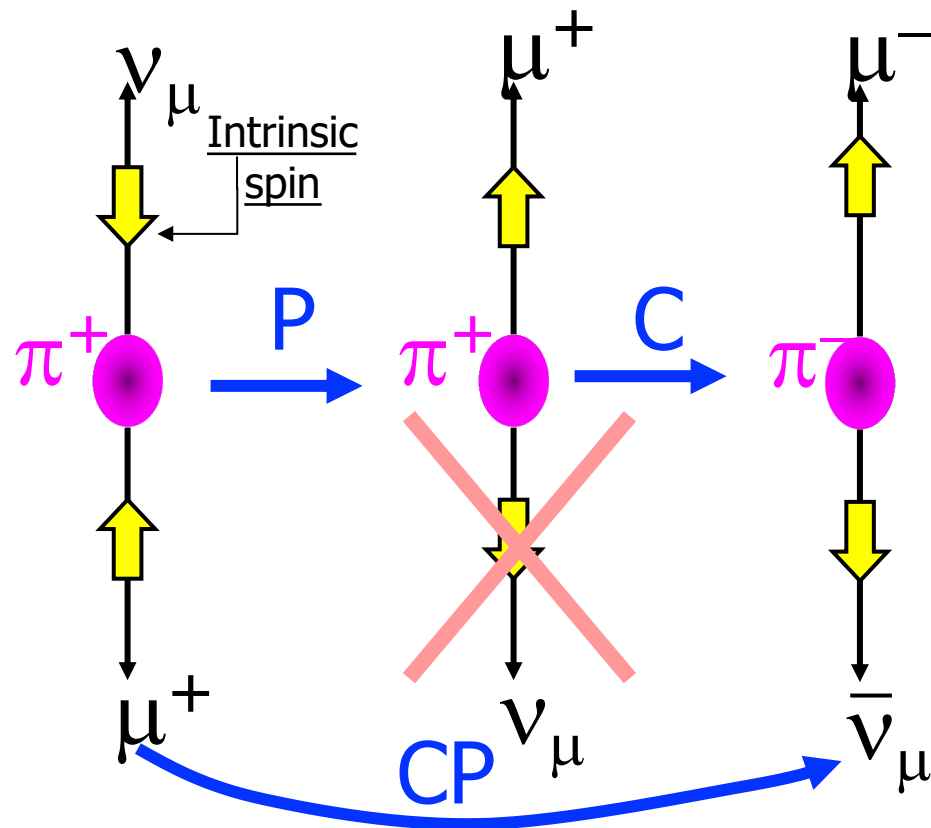
- The C (harge) conjugation is the operation which exchanges **particles and anti-particles** (not just electric charge)
- It is a discrete symmetry, just like P , i.e. $C^2 = 1$



- C symmetry is broken by the weak interaction
 - Just like P



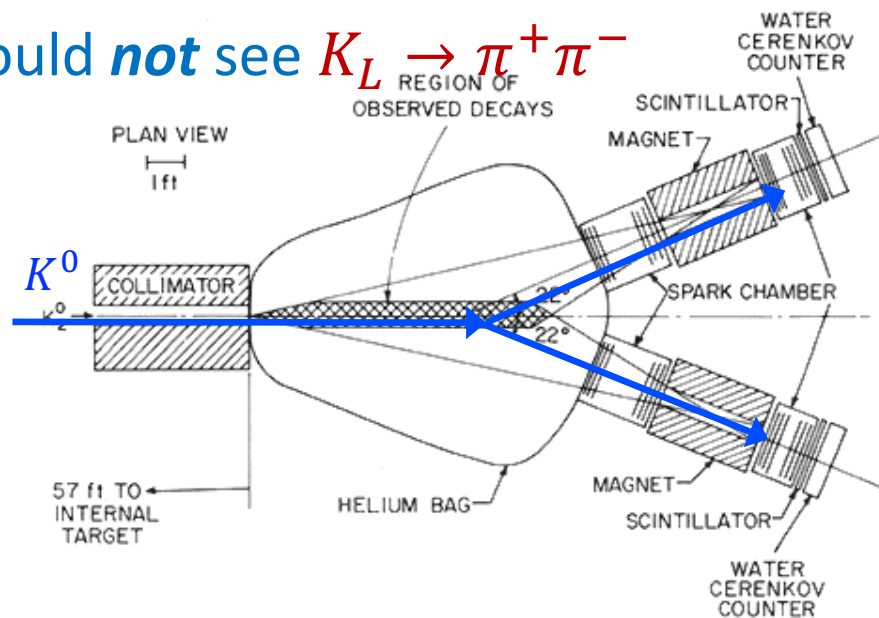
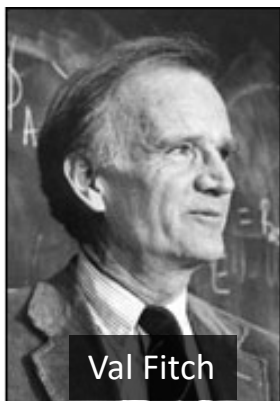
- Weak interaction breaks C and P symmetry maximally!
 - Nature is left-handed for matter and right-handed for antimatter.
- Despite *maximal* violation of C and P , combined CP seems *conserved*.
- Is combined CP really exactly conserved?



- Combined $C + P \equiv CP$ symmetry?
 - CP symmetry is parity conjugation: $(x, y, z \rightarrow -x, -y, -z)$ followed by charge conjugation: $(\psi \rightarrow \bar{\psi})$
- CP symmetry *appears* to be preserved in the weak interaction
- But in 1964, Christenson, Cronin, Fitch and Turlay observed CP violation in decays of neutral kaons...

Discovery of CP -Violation with K^0 decays

- Create a pure K_L beam (“wait” for K_S to decay)
- If CP is conserved, should **not** see $K_L \rightarrow \pi^+ \pi^-$



K_S : Short-lived is CP even:

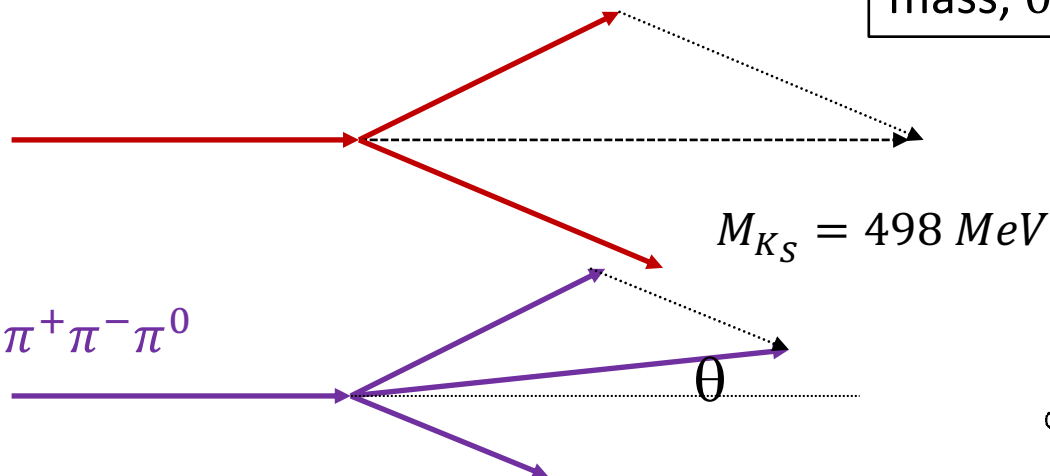
$K_1^0 \rightarrow \pi^+ \pi^-$ (fast)

K_L : Long-lived is CP odd:

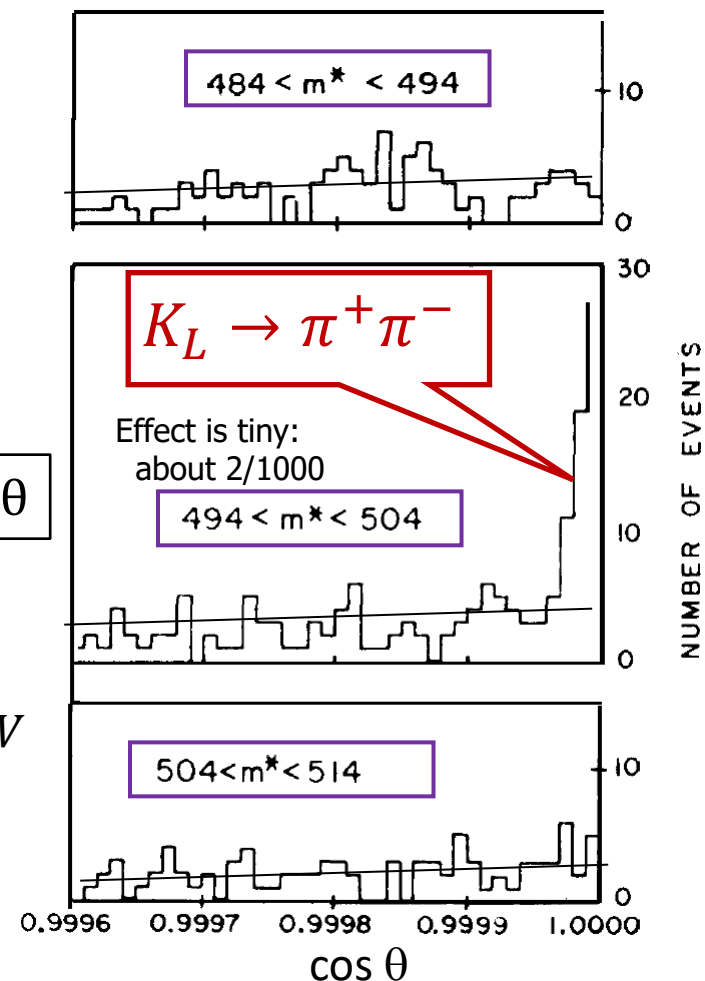
$K_2^0 \rightarrow \pi^+ \pi^- \pi^0$ (slow)

Signal: $K_L \rightarrow \pi^+ \pi^-$

Background: $K_L \rightarrow \pi^+ \pi^- \pi^0$

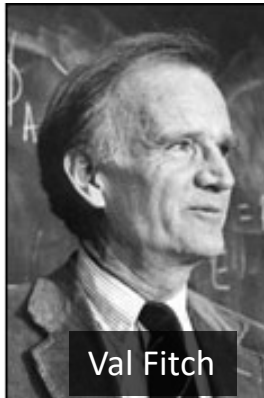
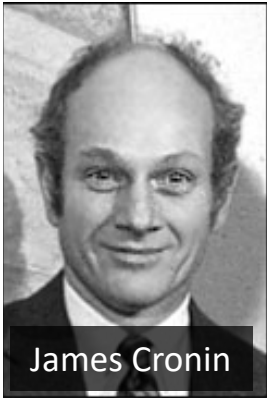


mass, θ



Discovery of CP -Violation with K^0 decays

- Create a pure K_L beam ("wait" for K to decay)
- If CP is conserved,



Signal: $K_1^0 \rightarrow \pi$

Background: K

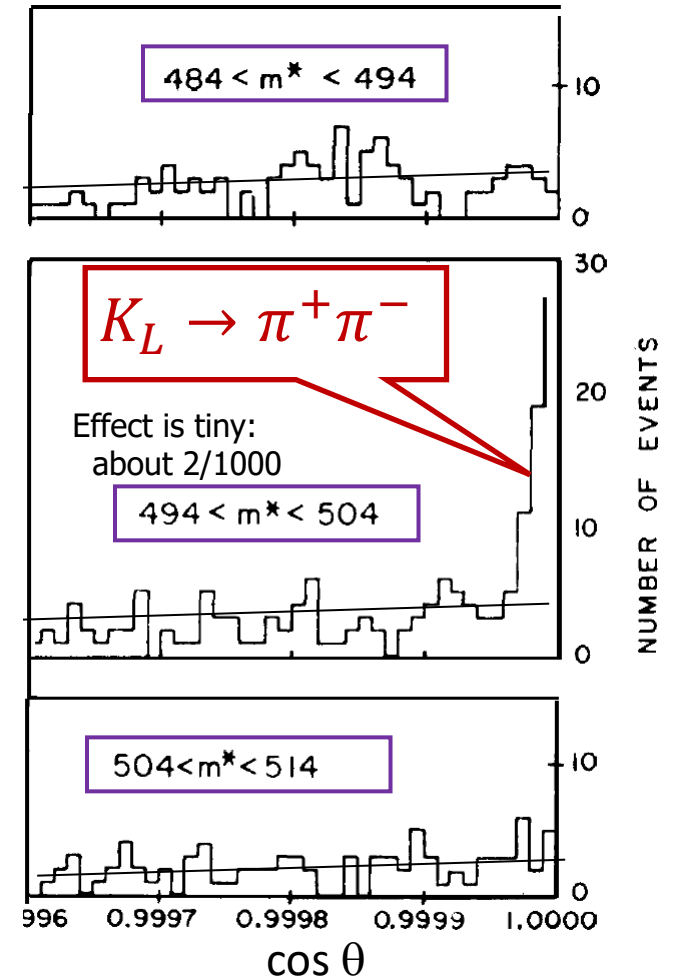


K_S : Short-lived is CP even:

$K_1^0 \rightarrow \pi^+ \pi^-$ (fast)

K_L : Long-lived is CP odd:

$K_2^0 \rightarrow \pi^+ \pi^- \pi^0$ (slow)

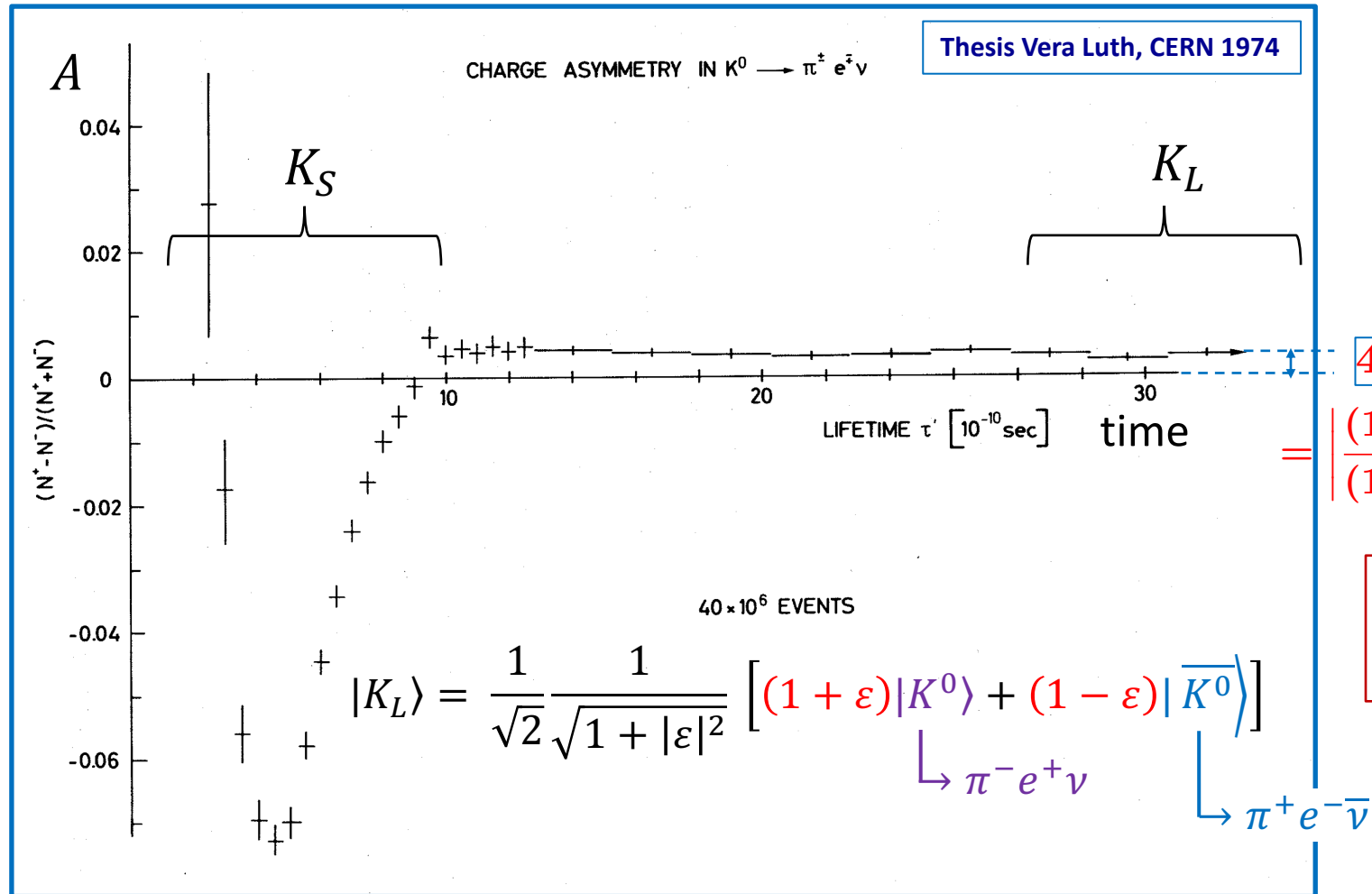


Alternative: Charge Asymmetry in K^0 decays

19

Measure $A = \frac{N^+ - N^-}{N^+ + N^-}$ with $N^+ = K^0 \rightarrow \pi^- e^+ \nu$ vs the K^0 decay time
 $N^- = \bar{K}^0 \rightarrow \pi^+ e^- \bar{\nu}$

$$\frac{N^+ - N^-}{N^+ + N^-} =$$



Are they made of matter or anti-matter?



Compare $K_L^0 \rightarrow \pi^\pm e^- \bar{\nu}$ to $K_L^0 \rightarrow \pi^- e^+ \nu$

Compare the charge of the most abundantly produced electron with that of the electrons in your body:

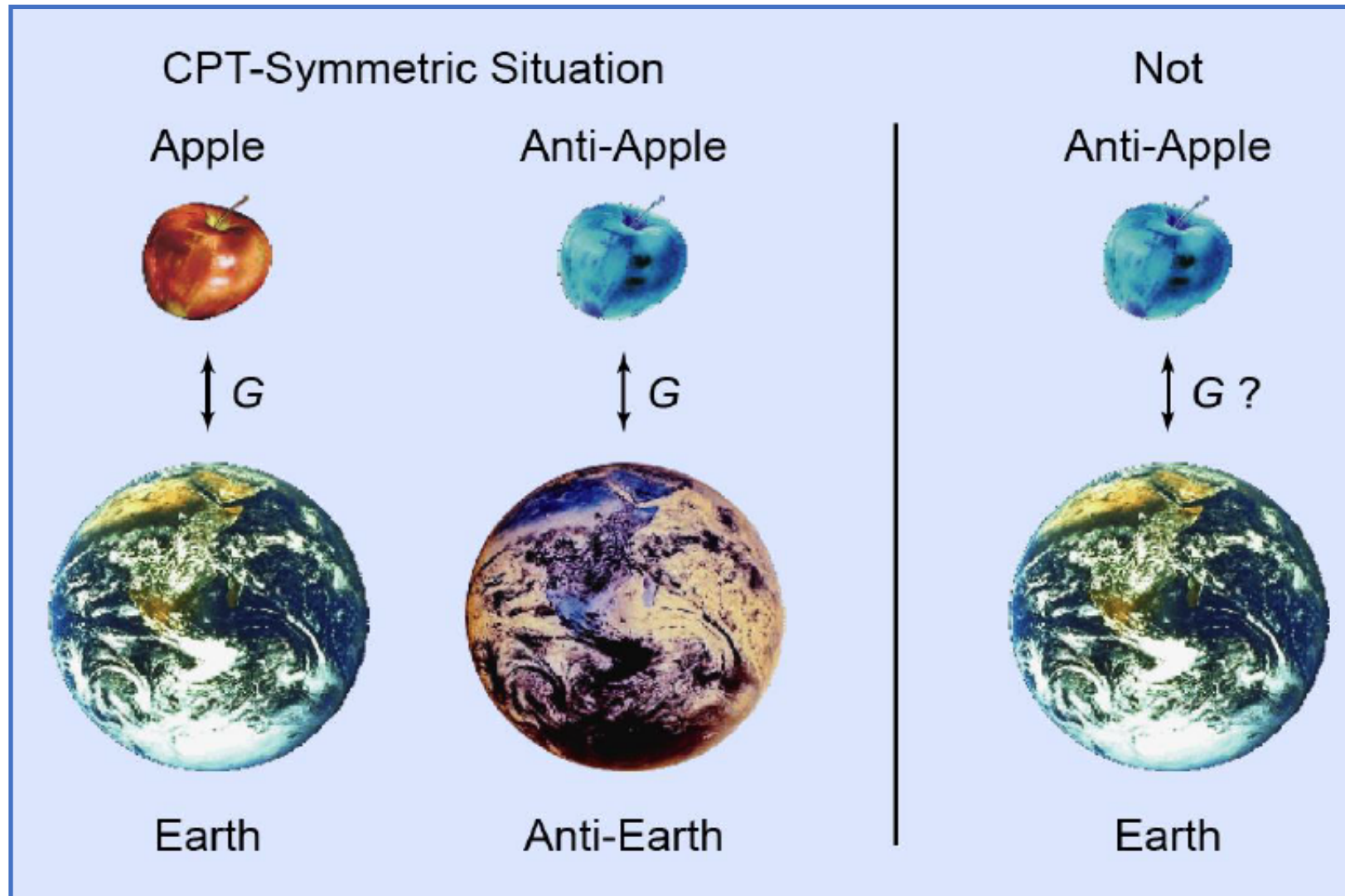
If opposite: **matter**

If equal: **anti-matter**





CPT symmetry implies that an antiparticle is *identical* to a particle travelling backwards in time.



Contents per Week:

1. CP Violation

- ➔ a) **Discrete Symmetries**
- b) CP Violation in the Standard Model
- c) Jarlskog Invariant and Baryogenesis

2. B-Mixing

- a) CP violation and Interference
- b) B-mixing and time dependent CP violation
- c) Experimental Aspects: LHC vs B-factory

3. B-Decays

- a) Effective Hamiltonian
- b) Lepton Flavour Non-Universality



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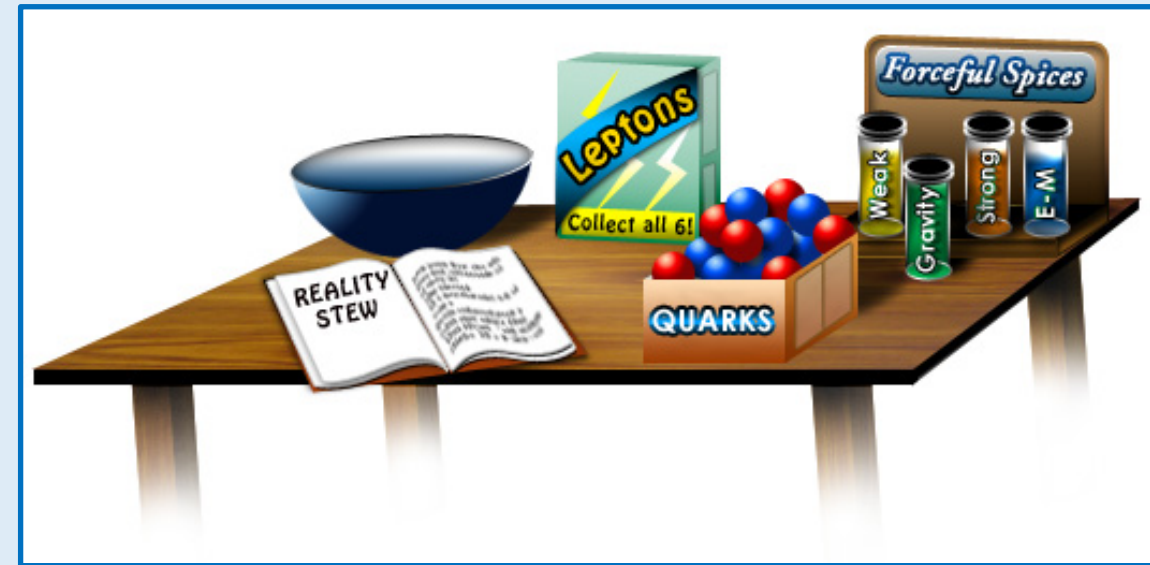
- a) Discrete Symmetries
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Weak interaction in three Flavour Generations

24

- Weak Interaction is 100% parity violating.
 - Wolfgang Pauli: *"I cannot believe God is a weak left-hander."*

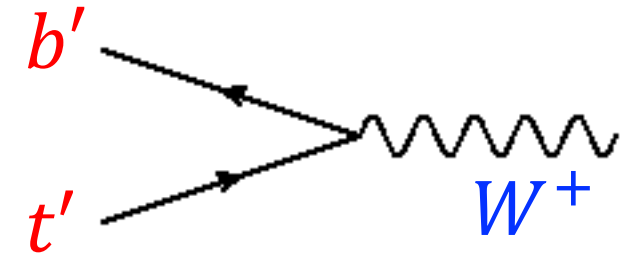
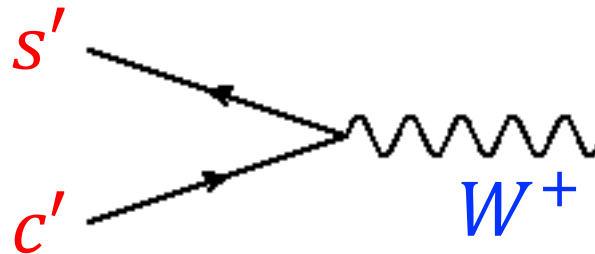
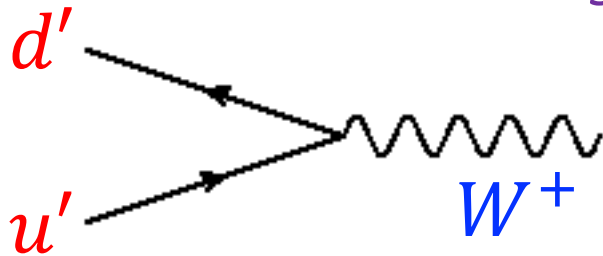


- Implement an $SU(2)_L$ symmetry for *massless* particles:

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \mathbf{u}'_L \gamma_\mu \mathbf{W}^\mu \mathbf{d}'_L \quad \text{x3 !}$$

- Flavour universality: *identical interactions* in three generations.

- In fact: *how to distinguish a massless d' quark from s' quark?*



- There is *no CP violation* in these massless interactions
 - What happens when particles acquire mass?

Spontaneous Symmetry Breaking → Origin of Mass

25

- Yukawa couplings to massless particles:

$$\mathcal{L}_Y = Y_{ij}^d (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} d'_{jR} + Y_{ij}^u (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} \phi^0 \\ \phi^- \end{pmatrix} u'_{jR}$$

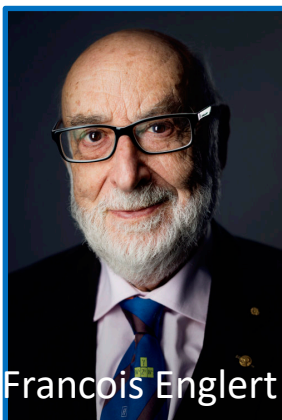
- Yukawa interaction is *not* flavour universal!

→ *Unknown origin of Yukawa matrix acting on generations “i” and “j”*

- SSB: B-E-H Mechanism:



Robert Brout



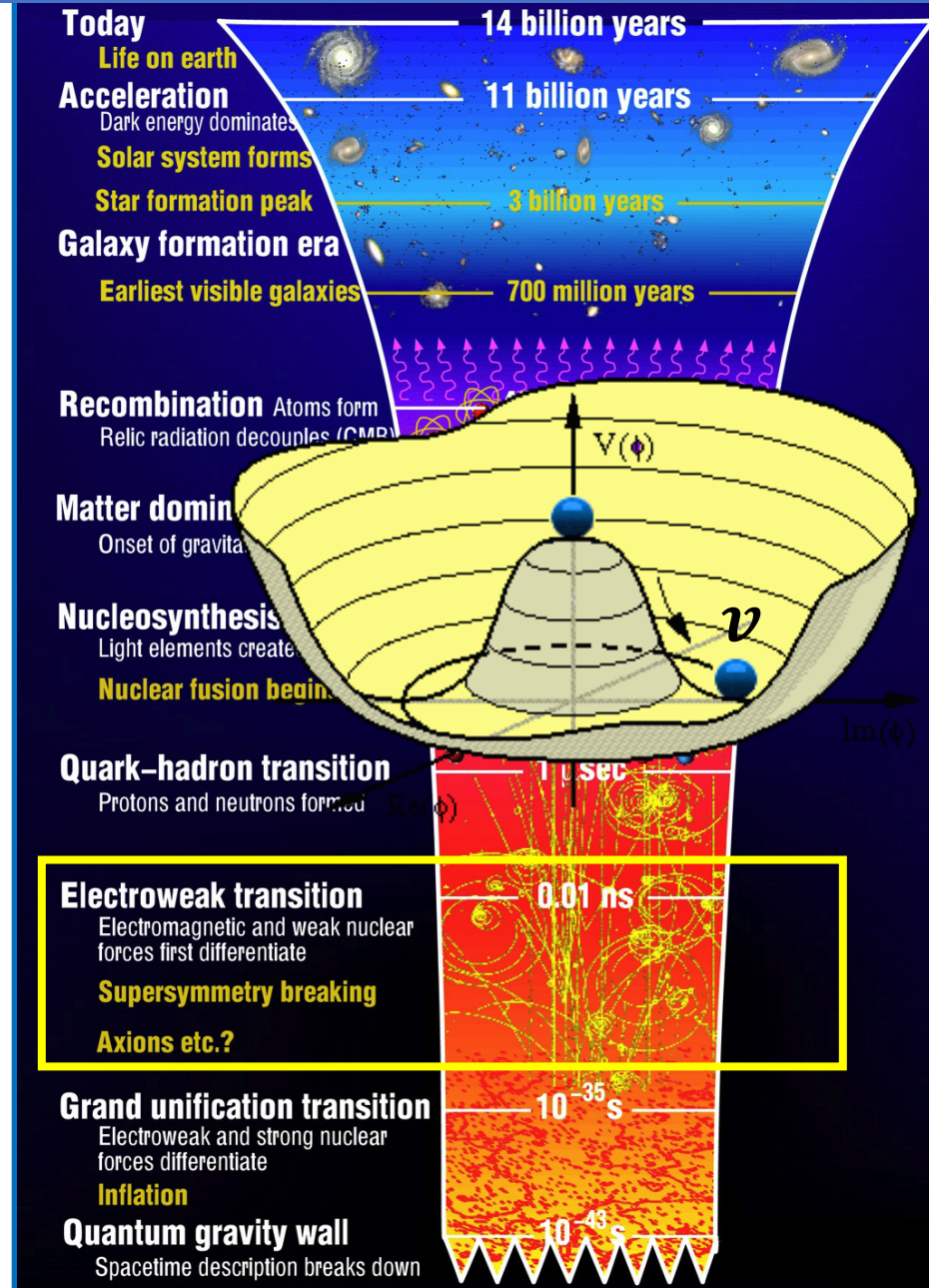
Francois Englert



Peter Higgs

$$\begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \rightarrow \begin{pmatrix} 0 \\ v/\sqrt{2} \end{pmatrix}$$

→ Massive W- and Z- bosons



Spontaneous Symmetry Breaking → Origin of Mass

26

- Yukawa couplings to massless particles (Weinberg):

$$\mathcal{L}_Y = Y_{ij}^d (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} 0 \\ v/\sqrt{2} \end{pmatrix} d'_{jR} + Y_{ij}^u (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} v/\sqrt{2} \\ 0 \end{pmatrix} u'_{jR}$$

- Yukawa interaction is *not* flavour universal!

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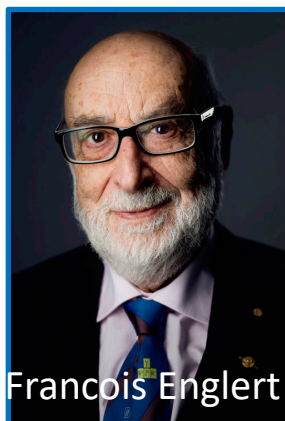
→ Massive fermions



- SSB: B-E-H Mechanism:



Robert Brout



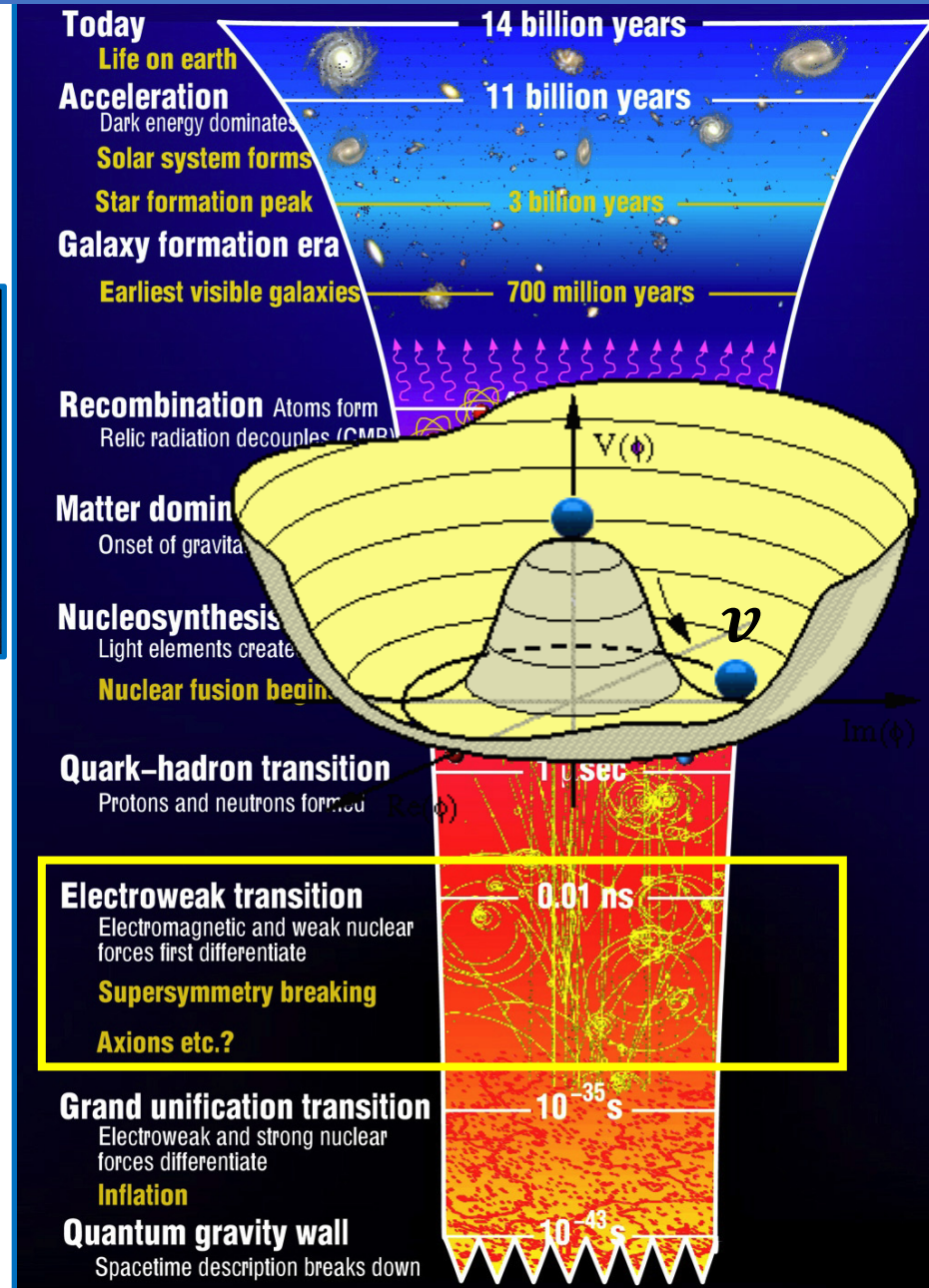
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$$\begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \rightarrow \begin{pmatrix} 0 \\ v/\sqrt{2} \end{pmatrix}$$

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Spontaneous Symmetry Breaking → Origin of Mass

27

- Yukawa couplings to massless particles:

$$\mathcal{L}_Y = Y_{ij}^d (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} 0 \\ v/\sqrt{2} \end{pmatrix} d'_{jR} + Y_{ij}^u (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} v/\sqrt{2} \\ 0 \end{pmatrix} u'_{jR}$$

- Diagonalize Y_{ij} :

$$u_i = (V^u)_{ij} u'_j \quad \text{and} \quad d_i = (V^d)_{ij} d'_j$$

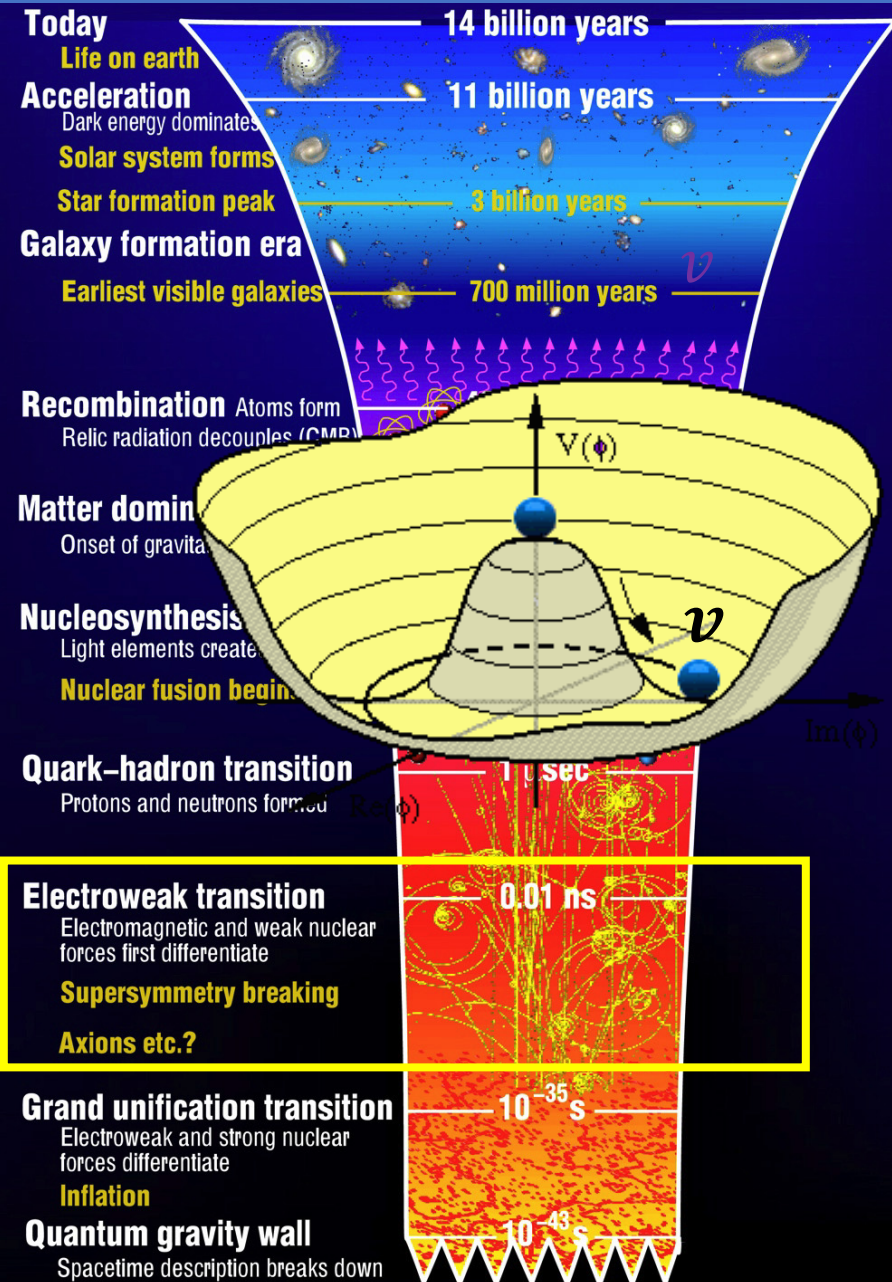
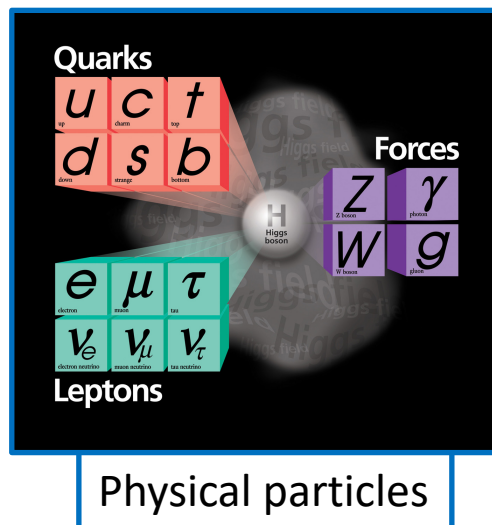
→ mass and flavour eigenstates

- Mass terms: $M_{ij} = Y_{ij} v/\sqrt{2}$

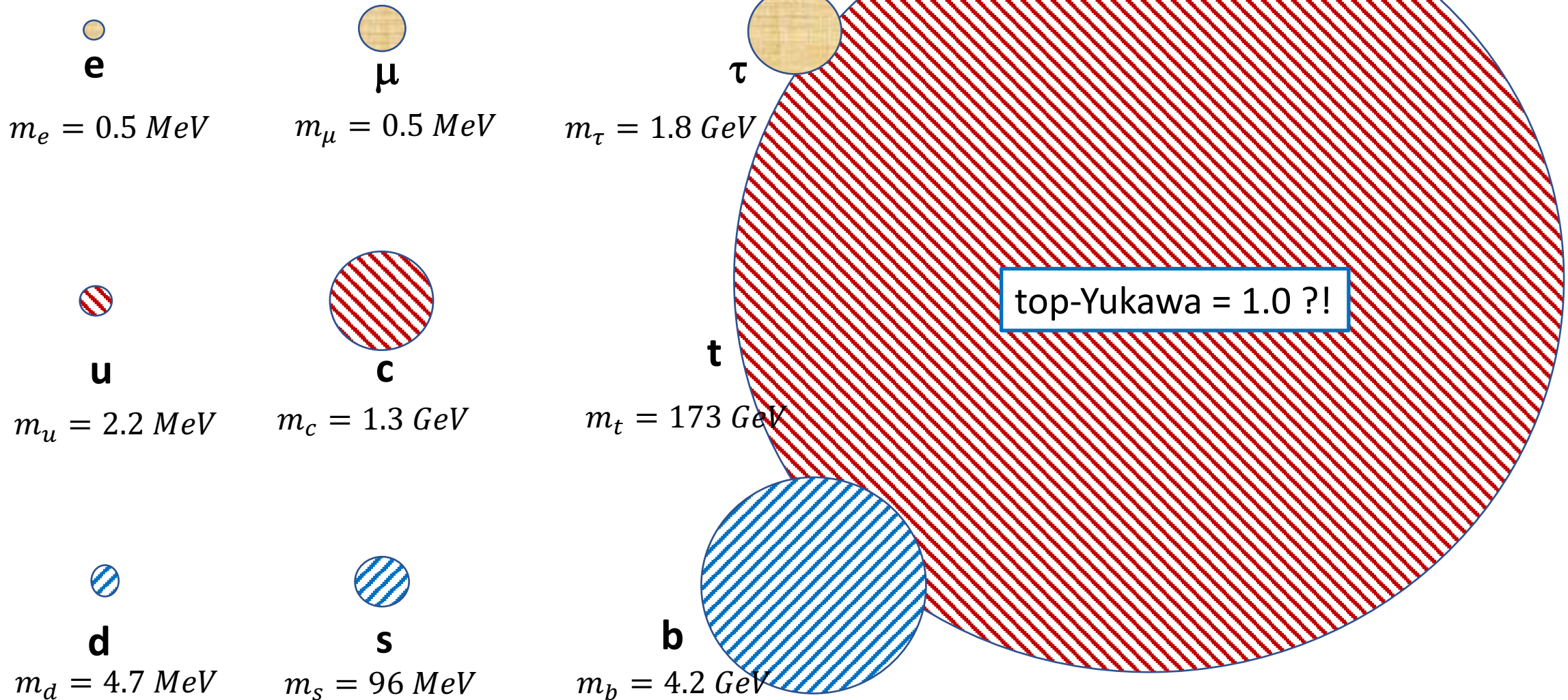
$$\mathcal{L}_Y \rightarrow \mathcal{L}_H = m_d d_L d_R + m_u u_L u_R$$

- Top quark mass: $m_{top} = 1.0 v/\sqrt{2}$

- To first order Higgs couples only to top with coupling strength 1.0 !
 - Very flavour non-universal

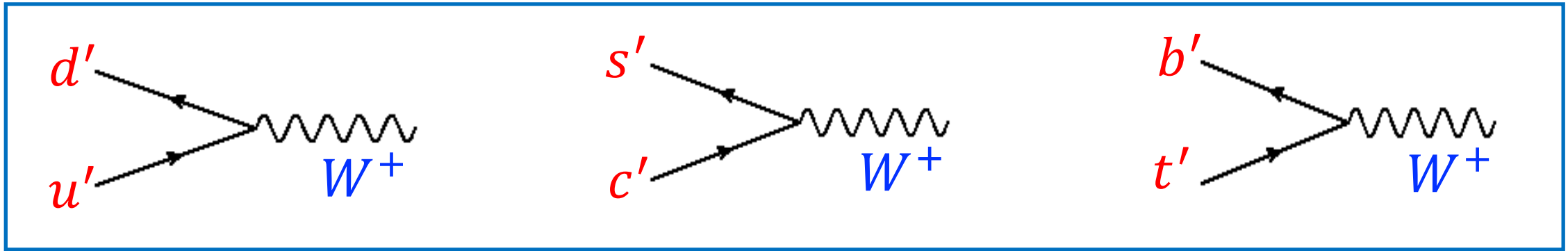


- Weak interaction flavour universal
- Higgs interaction almost purely 3rd generation



$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \mathbf{u}'_L \gamma_\mu \mathbf{W}^\mu \mathbf{d}'_L$$

- *No CP violation*



Redefine: $\mathbf{u}'_i = (V^u)_{ij} \mathbf{u}_i$ and: $\mathbf{d}'_i = (V^d)^{\dagger}_{ij} \mathbf{d}_i$, such that: $V_{CKM} = (V^u V^{d\dagger})_{ij} \dots$

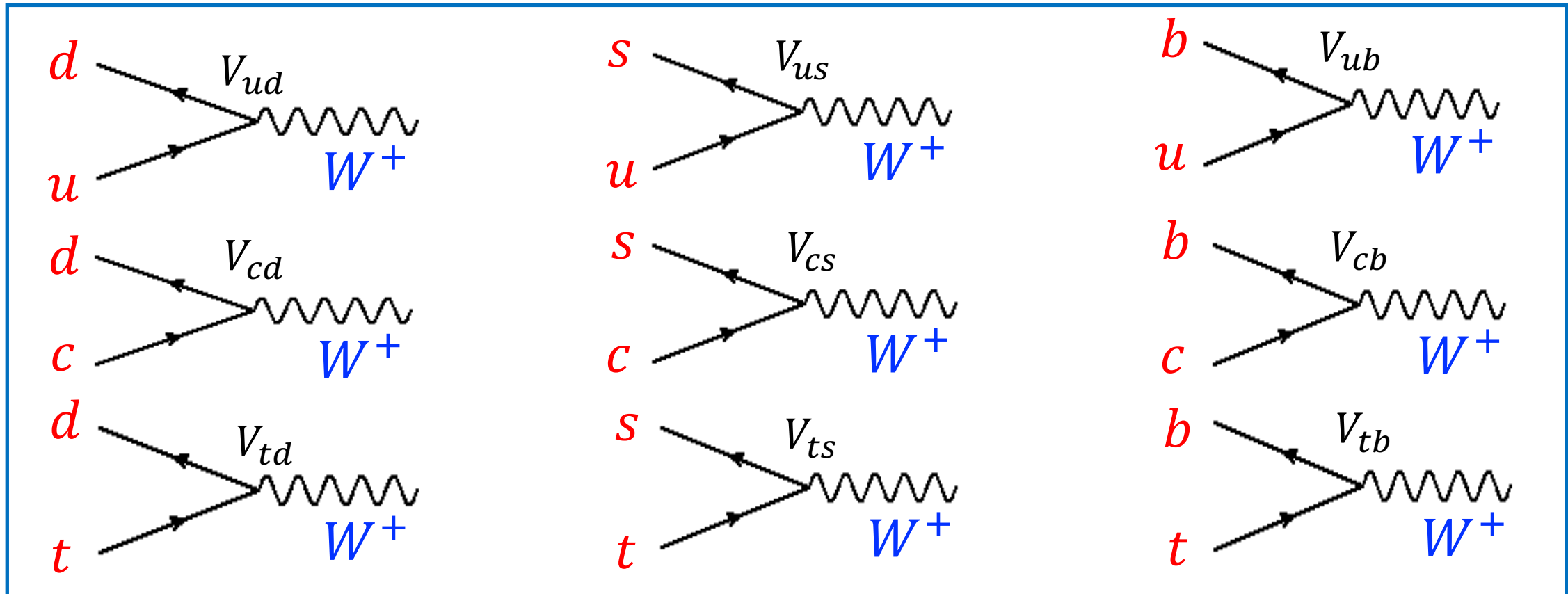
(Interaction basis)

(Mass basis)

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \mathbf{u}'_L \gamma_\mu \mathbf{W}^\mu \mathbf{d}'_L \longrightarrow \mathcal{L}_W = \frac{g}{\sqrt{2}} V_{CKM} \mathbf{u}_L \gamma_\mu \mathbf{W}^\mu \mathbf{d}_L$$

Redefine: $\mathbf{u}'_i = (V^u)_{ij} \mathbf{u}_i$ and: $\mathbf{d}'_i = (V^d)^\dagger_{ij} \mathbf{d}_i$, such that: $V_{CKM} = (V^u V^{d\dagger})_{ij} \dots$

Generation structure of weak interaction, *now includes CP violation*.



(Interaction basis)

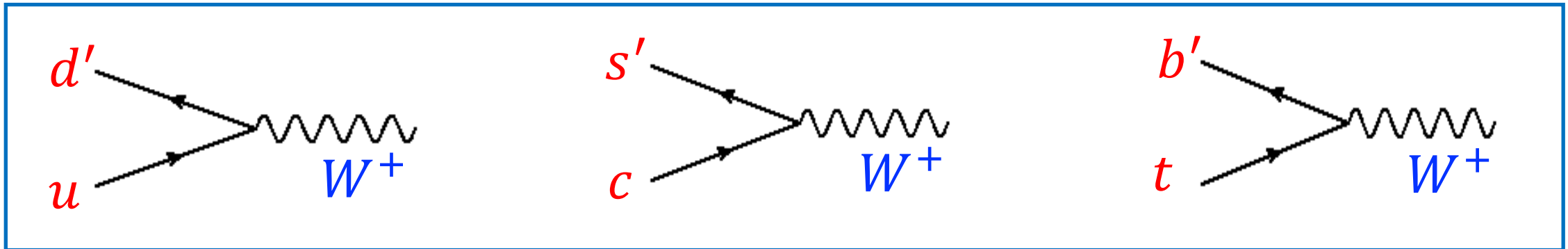
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Generation structure of weak interaction, *now includes CP violation*.

Convention: instead, we do as if: $\mathbf{u}'_i = \mathbf{u}_i$ and $\mathbf{d}'_i = (V_{CKM})_{ij} \mathbf{d}_j$



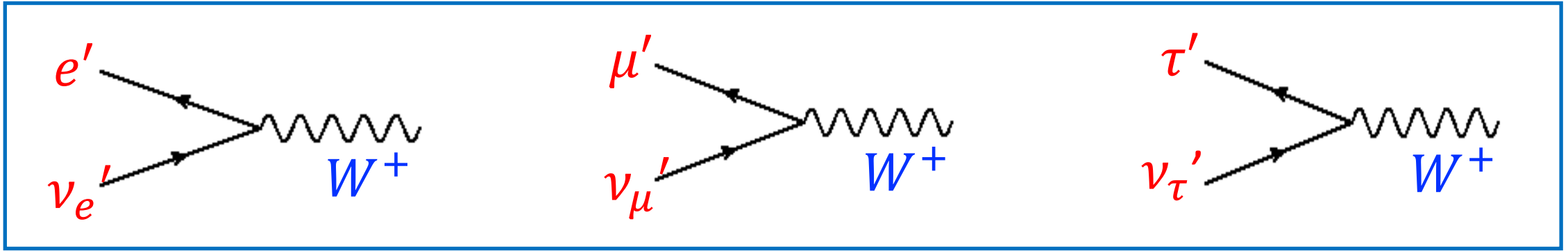
$$|d'\rangle = V_{ud} |d\rangle + V_{us} |s\rangle + V_{ub} |b\rangle$$

$$|s'\rangle = V_{cd} |d\rangle + V_{cs} |s\rangle + V_{cb} |b\rangle$$

$$|b'\rangle = V_{td} |d\rangle + V_{ts} |s\rangle + V_{tb} |b\rangle$$

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \nu'_{eL} \gamma_\mu W^\mu e'_{eL}$$

- No CP violation



Redefine: $\nu'_i = (U^\nu)_{ij} \nu_i$ and: $l'_i = (U^l)^\dagger_{ij} l_i$, such that: $U_{MNS} = (U^\nu U^{l\dagger})_{ij} \dots$

(Interaction basis)

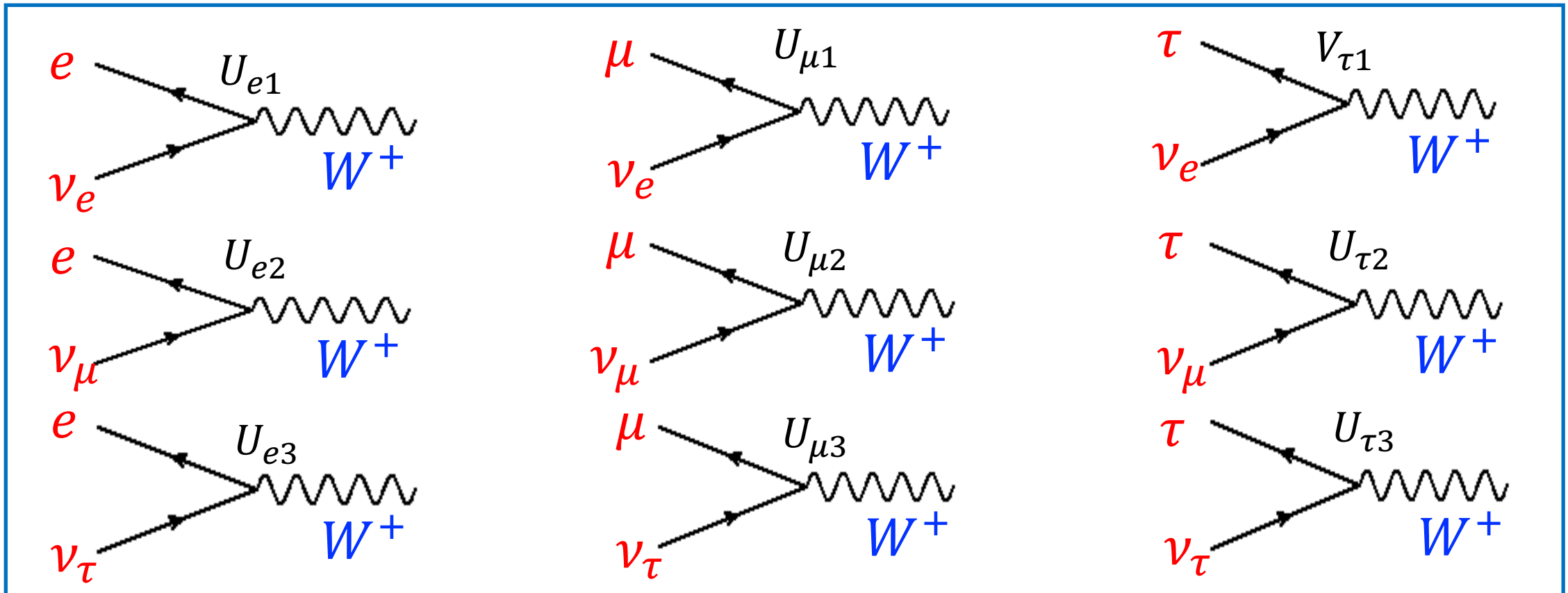
$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \boldsymbol{\nu}'_L \gamma_\mu \boldsymbol{W}^\mu \boldsymbol{e}'_L$$

(Mass basis)

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} U_{MNS} \boldsymbol{\nu}_L \gamma_\mu \boldsymbol{W}^\mu \boldsymbol{e}_L$$

Redefine: $\boldsymbol{\nu}'_i = (U)_{ij} \boldsymbol{\nu}_i$ and: $\boldsymbol{l}'_i = (U^d)^\dagger_{ij} \boldsymbol{l}_i$, such that: $U_{MNS} = (U^u U^{d\dagger})_{ij} \dots$

Generation structure of weak interaction, *now includes CP violation*.



(Interaction basis)

(Mass basis)

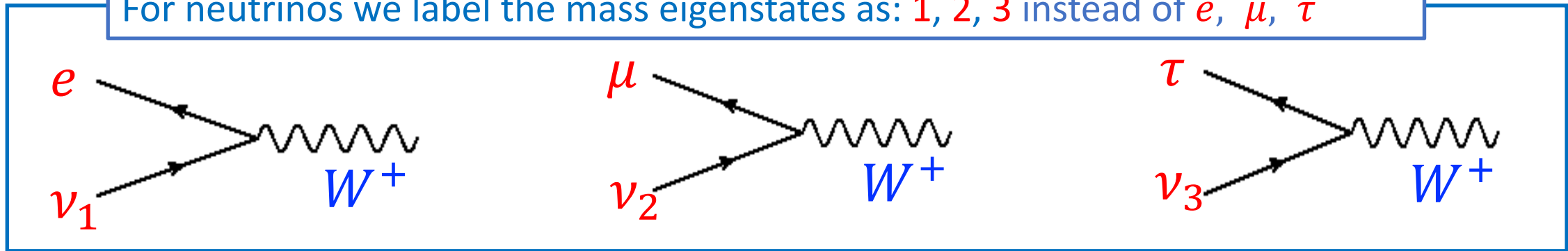
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Generation structure of weak interaction, *now includes CP violation*.

Convention: instead we do as if: $\boldsymbol{\nu}_{1,2,3} = (U_{MNS})_{ij} \boldsymbol{\nu}_{e,\mu,\tau}$ and $\boldsymbol{l}'_i = \boldsymbol{l}_i$

For neutrinos we label the mass eigenstates as: 1, 2, 3 instead of e, μ, τ

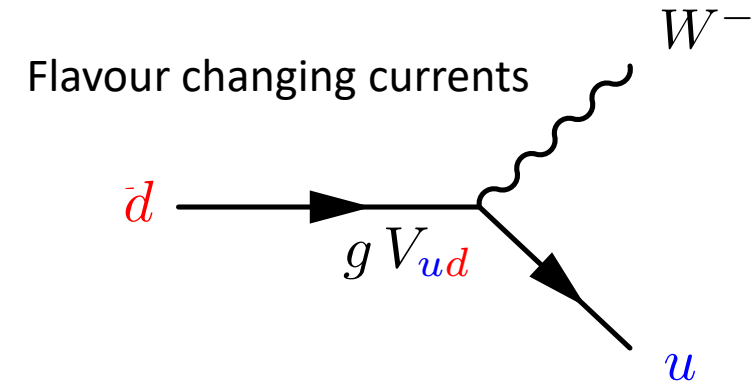
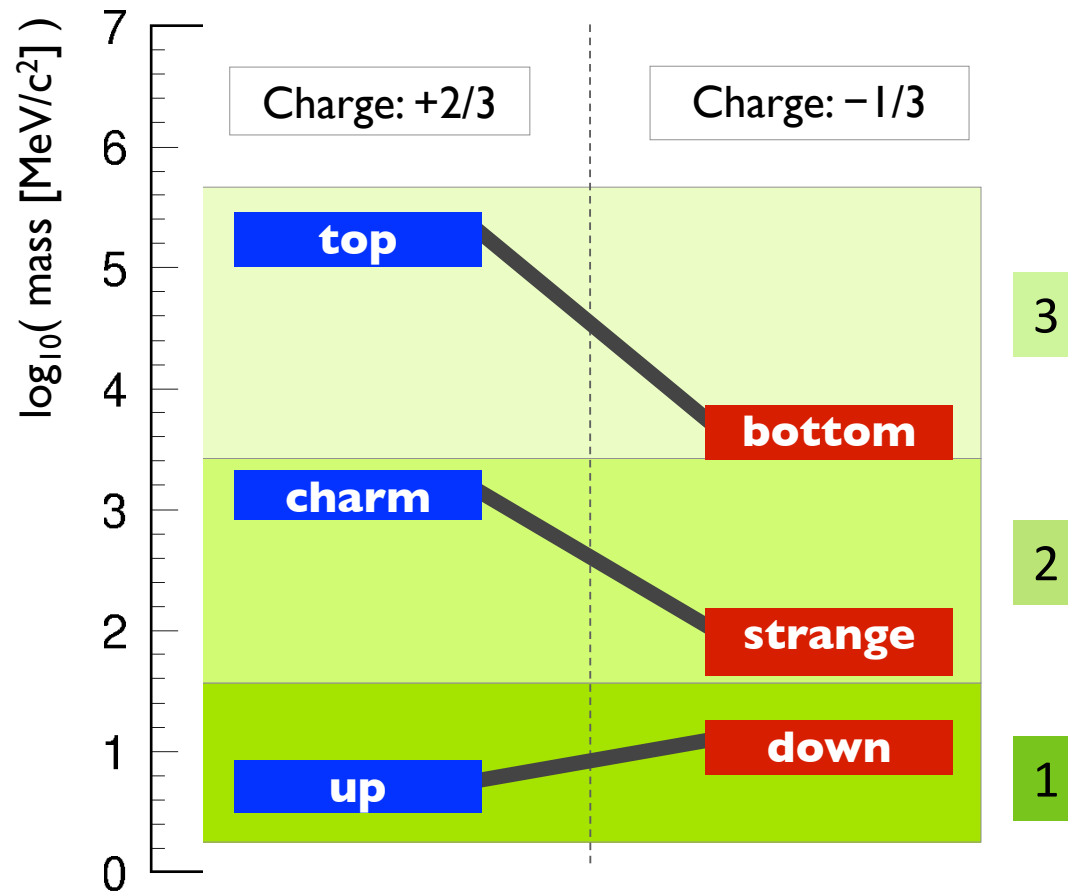


$$|\nu_1\rangle = U_{e1} |\nu_e\rangle + U_{\mu 1} |\nu_\mu\rangle + U_{\tau 1} |\nu_\tau\rangle$$

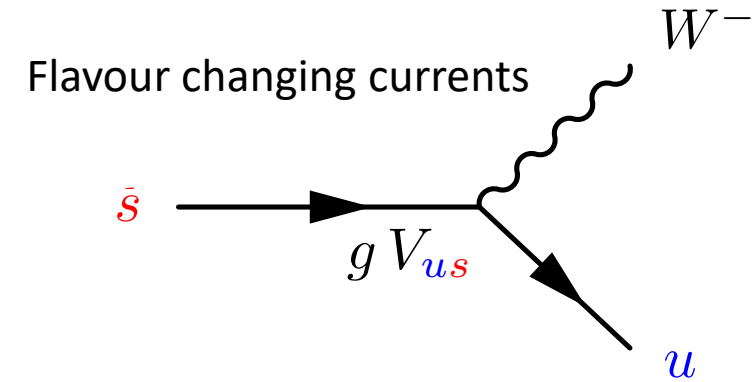
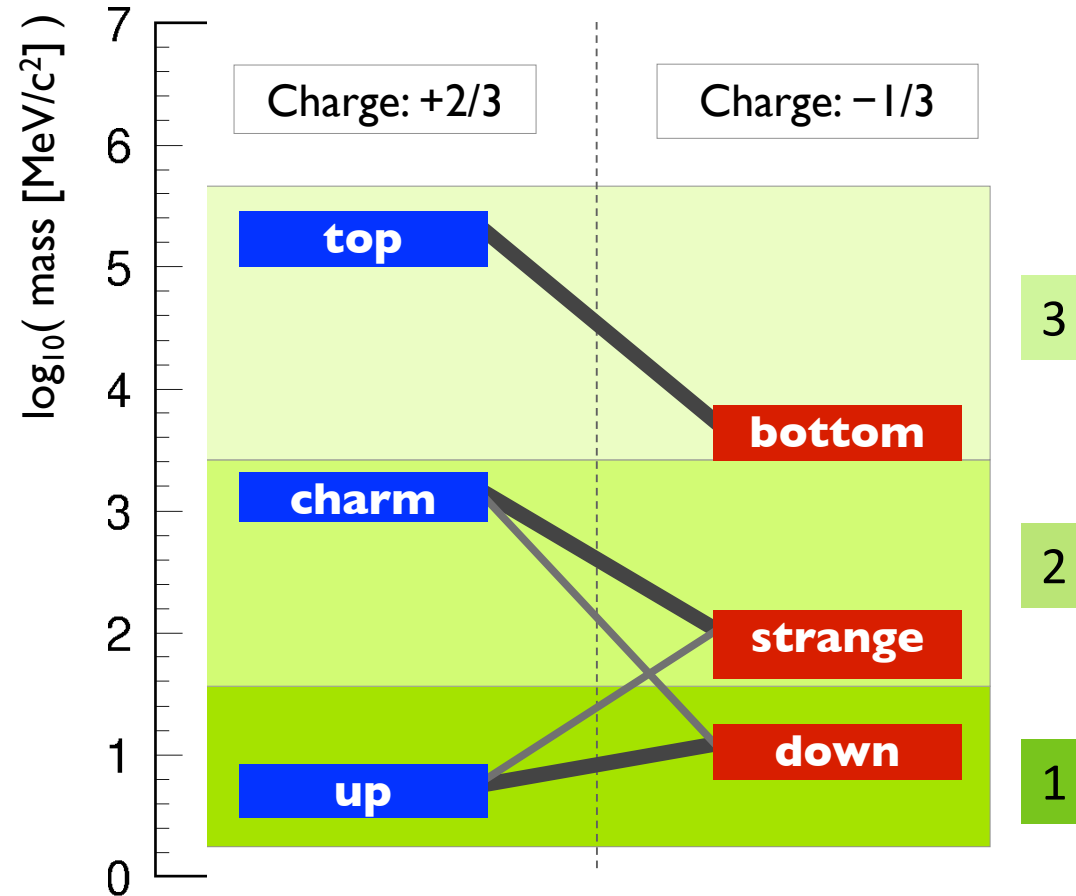
$$|\nu_2\rangle = U_{e2} |\nu_e\rangle + U_{\mu 2} |\nu_\mu\rangle + U_{\tau 2} |\nu_\tau\rangle$$

$$|\nu_3\rangle = U_{e3} |\nu_e\rangle + U_{\mu 3} |\nu_\mu\rangle + U_{\tau 3} |\nu_\tau\rangle$$

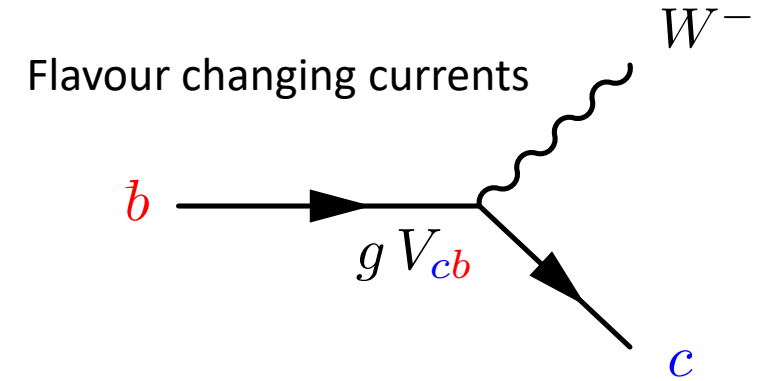
- Quarks: $\begin{pmatrix} u \\ d' \end{pmatrix} = \begin{pmatrix} u \\ V_{ud} d + V_{us} s + V_{ub} b \end{pmatrix}$; We say “the down-type quarks mix”.
- Leptons: $\begin{pmatrix} \nu_1 \\ e \end{pmatrix} = \begin{pmatrix} U_{e1} \nu_e + U_{\mu 1} \nu_\mu + U_{\tau 1} \nu_\tau \\ e \end{pmatrix}$; We say “the neutrinos mix.”
- Why the “down-types” in one case and the “up-types” in another?
- Answer: it is convention! Both mix individually (in an unknown way).
 - The interaction is always: $\mathcal{L}_W = \frac{g}{\sqrt{2}} V_{CKM} u_L \gamma_\mu W^\mu d_L$
 - i.e up and down-type combined!
- Paradox question: does this mean neutrino mixing is unphysical??



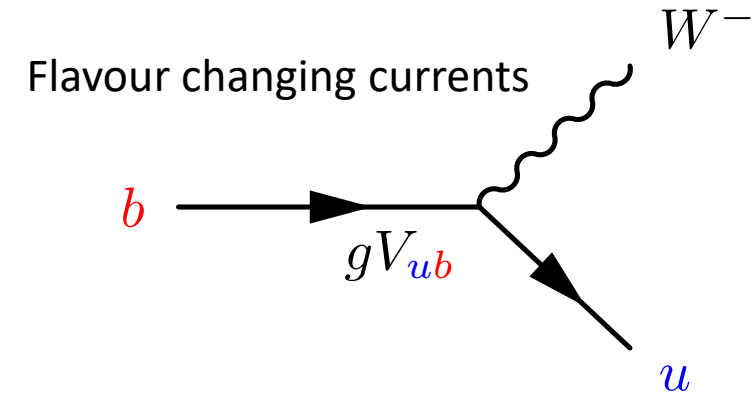
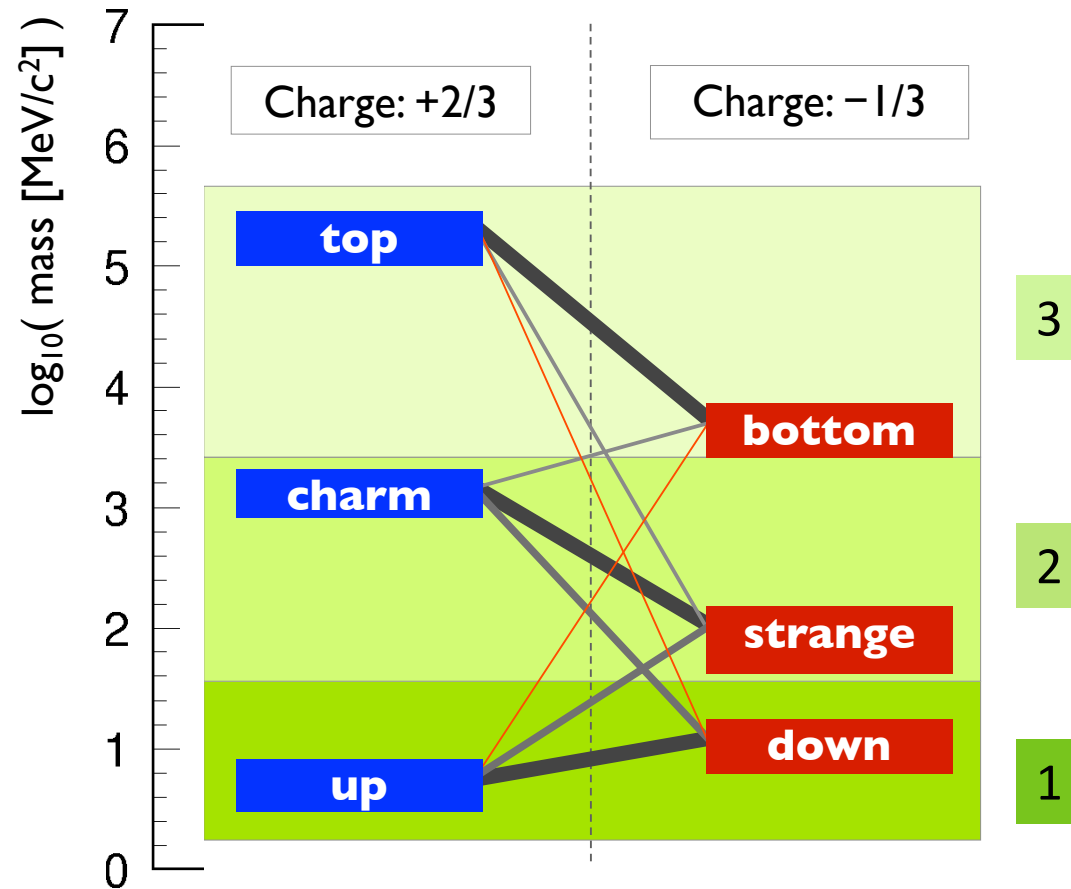
$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & & \\ & V_{cs} & \\ & & V_{tb} \end{pmatrix}$$



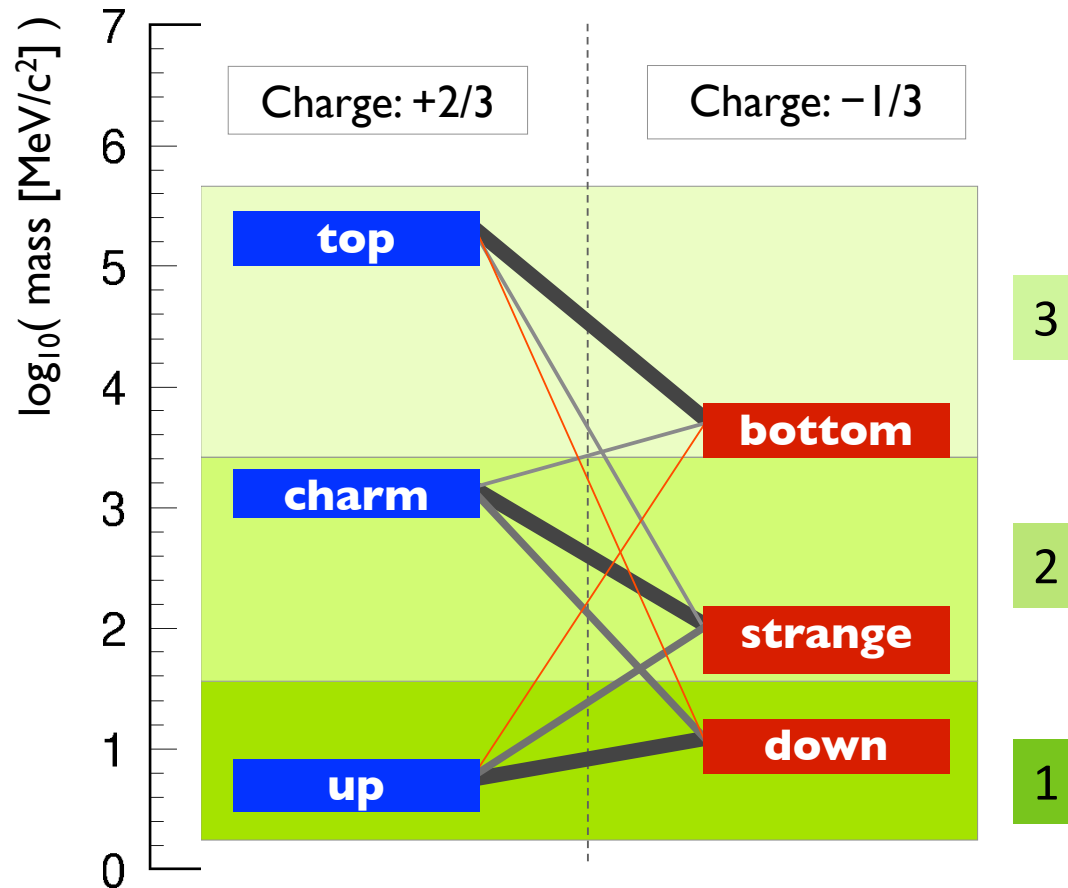
$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & \\ V_{cd} & V_{cs} & \\ & & V_{tb} \end{pmatrix}$$



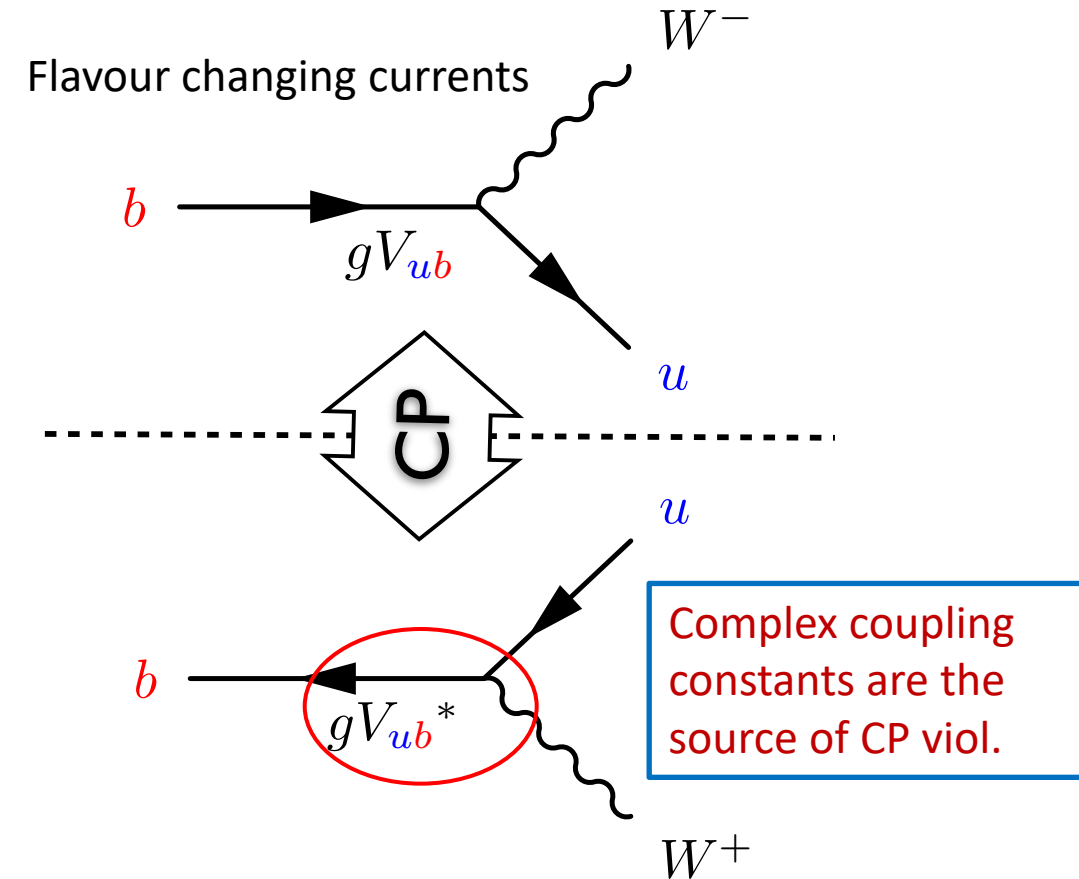
$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & \\ V_{cd} & V_{cs} & V_{cb} \\ & V_{ts} & V_{tb} \end{pmatrix}$$



$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$



- Particles and antiparticles have complex conjugated coupling constants



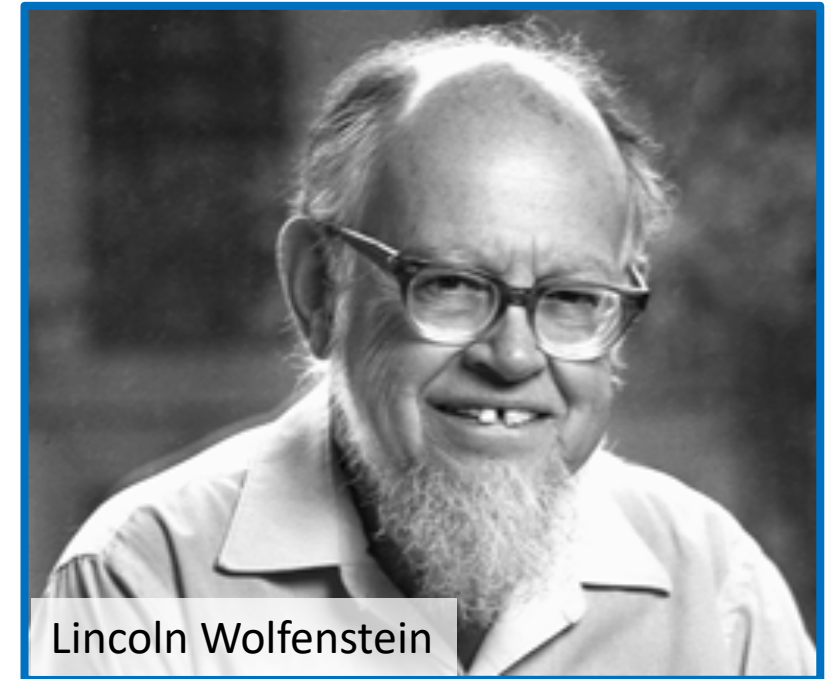
$$V_{\text{CKM}} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

$$V_{CKM}: \begin{matrix} & \begin{matrix} d & s & b \end{matrix} \\ \begin{matrix} u \\ c \\ t \end{matrix} & \begin{pmatrix} \boxed{V_{ud}} & V_{us} & V_{ub} \\ V_{cd} & \boxed{V_{cs}} & V_{cb} \\ V_{td} & V_{ts} & \boxed{V_{tb}} \end{pmatrix} \end{matrix}$$

- Wolfenstein parametrization: $V_{CKM} =$

$$\begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

- 1 complex degree of freedom
- CP violating phase



Lincoln Wolfenstein

- It follows from unitarity:

$$V_{CKM}^\dagger V_{CKM} = 1$$

- The CKM is a mixing matrix, ie. a complex rotation in 3x3 flavour space

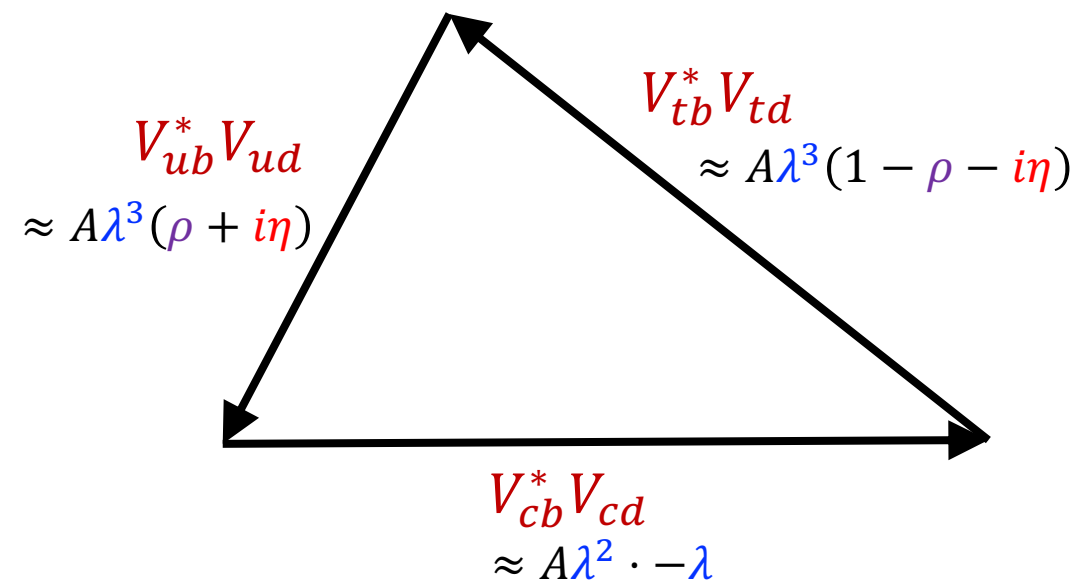
- This implies that the matrix is unitary: $V_{CKM}^\dagger V_{CKM} = 1$

$$\begin{pmatrix} V_{ud}^* & V_{cd}^* & V_{td}^* \\ V_{us}^* & V_{cs}^* & V_{ts}^* \\ V_{ub}^* & V_{cb}^* & V_{tb}^* \end{pmatrix} \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

Triangle in the complex plane:

- There are 9 orthonormality equations

- Example: $V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0$



- Wolfenstein parametrization:

$$V_{CKM} = \begin{pmatrix} 1 - \frac{1}{2} \lambda^2 & \lambda & A \lambda^3 (\rho - i \eta) \\ -\lambda & 1 - \frac{1}{2} \lambda^2 & A \lambda^2 \\ A \lambda^3 (1 - \rho - i \eta) & -A \lambda^2 & 1 \end{pmatrix}$$

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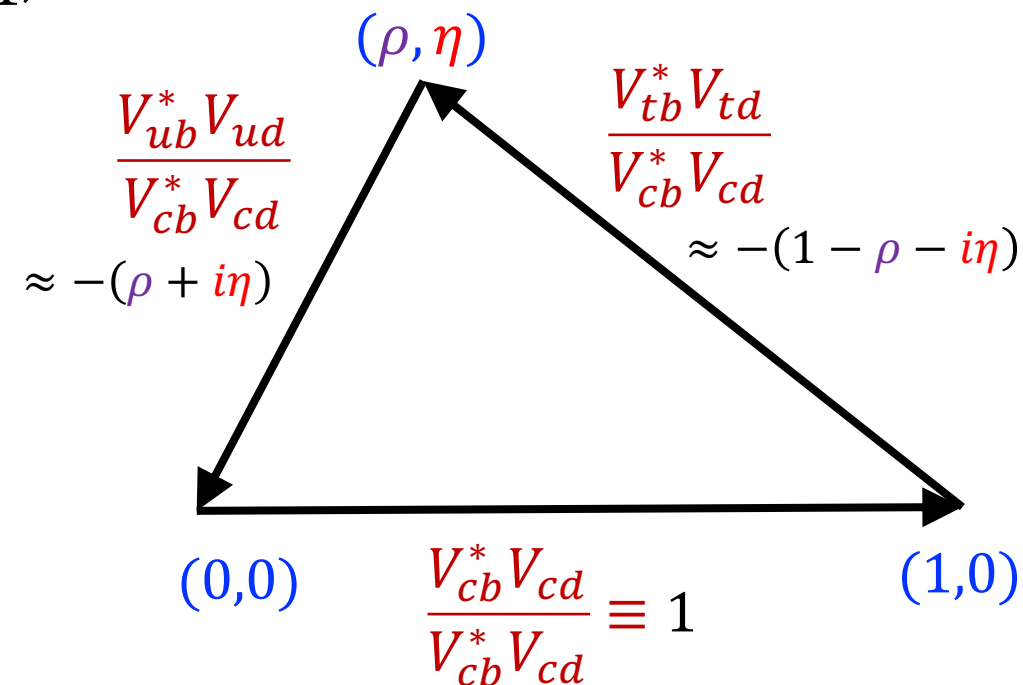
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Triangle in the complex plane:



Renormalize horizontal scale to 1

- CKM in terms of **phases**:

$$V_{CKM} = \begin{pmatrix} |V_{ud}| & |V_{us}| & |V_{ub}|e^{-i\gamma} \\ -|V_{cd}| & |V_{cs}| & |V_{cb}| \\ |V_{td}|e^{-i\beta} & -|V_{ts}|e^{i\beta_s} & |V_{tb}| \end{pmatrix}$$

- There are 9 orthonormality equations

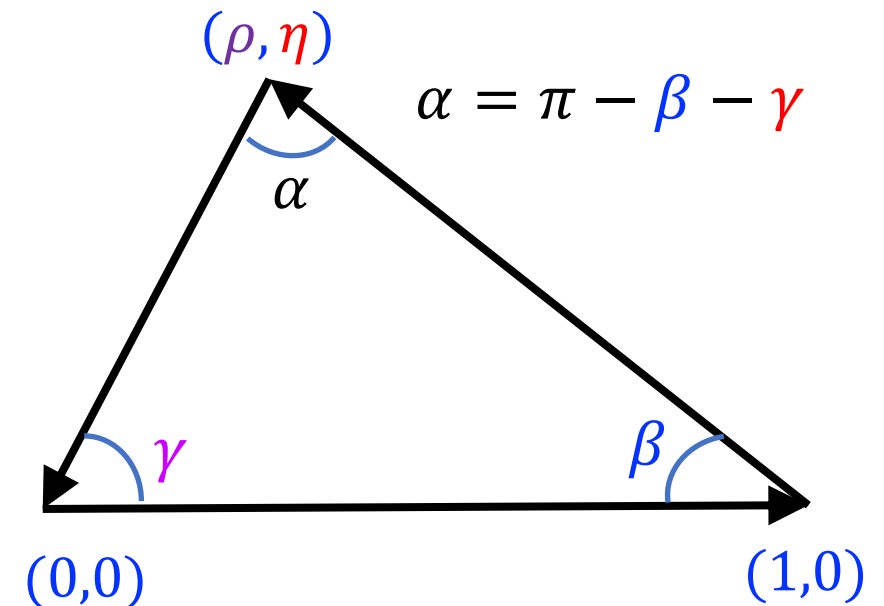
- 9 complex numbers: 9 real + 9 imaginary
- 5 unobservable *relative* quark phases: $\psi'_i \rightarrow e^{i\phi_i}\psi_i$
- $18 - 9 - 5 = 4$ degrees of freedom

- Wolfenstein parametrization:

$$V_{CKM} = \begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

$$V_{CKM}^\dagger V_{CKM} = 1$$

Triangle in the complex plane:



- There are 4 degrees of freedom:
 - 3 real (Euler angles) and one phase

- CKM in terms of **phases**:

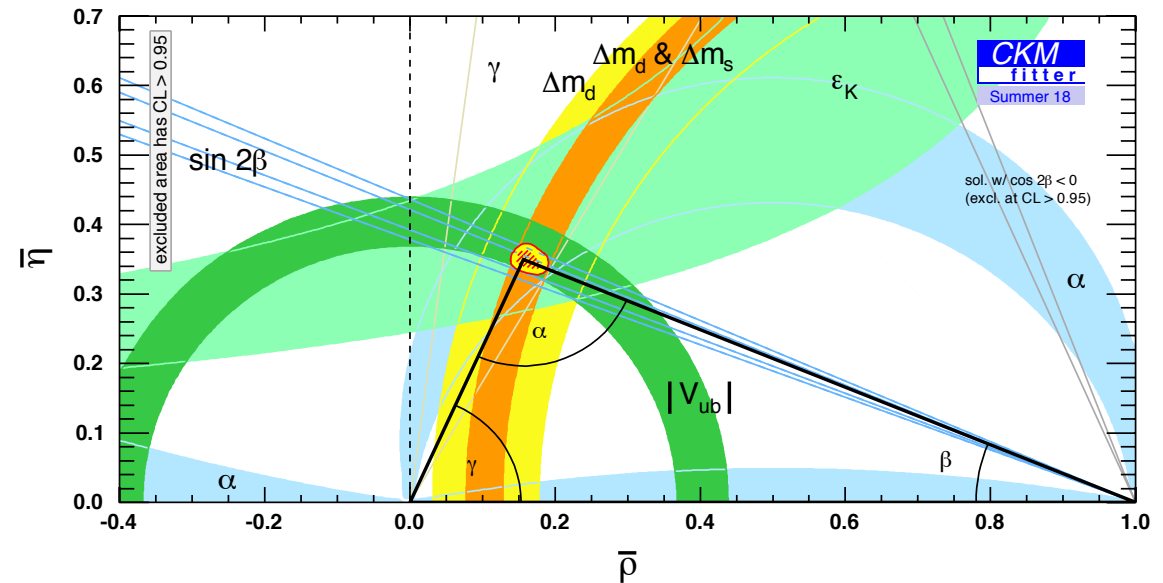
$$V_{CKM} = \begin{pmatrix} |V_{ud}| & |V_{us}| & |V_{ub}|e^{-i\gamma} \\ -|V_{cd}| & |V_{cs}| & |V_{cb}| \\ |V_{td}|e^{-i\beta} & -|V_{ts}|e^{i\beta_s} & |V_{tb}| \end{pmatrix}$$

- Wolfenstein parametrization:

$$V_{CKM} = \begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

Triangle in the complex plane:

$$V_{CKM}^\dagger V_{CKM} = 1$$



- CP Violation:

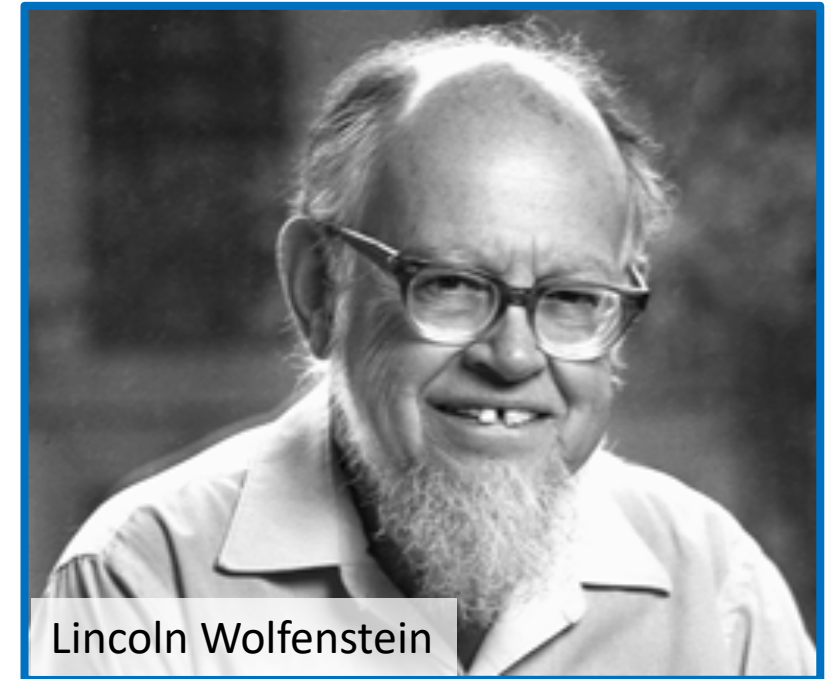
- Non-zero unitary phases
- Triangle surface $\neq 0$
- ❖ Jarlskog invariant “J”

$$V_{CKM}: \begin{matrix} & \begin{matrix} d & s & b \end{matrix} \\ \begin{matrix} u \\ c \\ t \end{matrix} & \begin{pmatrix} \boxed{V_{ud}} & V_{us} & V_{ub} \\ V_{cd} & \boxed{V_{cs}} & V_{cb} \\ V_{td} & V_{ts} & \boxed{V_{tb}} \end{pmatrix} \end{matrix}$$

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→ 1 CP violating phase



Lincoln Wolfenstein

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$$\begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \frac{1}{2}\lambda^2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

→ 1 CP violating phase

$$V_{CKM}: \begin{matrix} & d & s \\ \begin{matrix} u \\ c \end{matrix} & \begin{pmatrix} V_{ud} & V_{us} \\ V_{cd} & V_{cs} \end{pmatrix} \end{matrix}$$

$$V_{CKM} =$$

$$\begin{pmatrix} 1 - \frac{1}{2}\lambda^2 & \lambda \\ -\lambda & 1 - \frac{1}{2}\lambda^2 \end{pmatrix}$$

1 free variable =
8 (4 complex)
– 4 orthonormality
– 3 quark phases

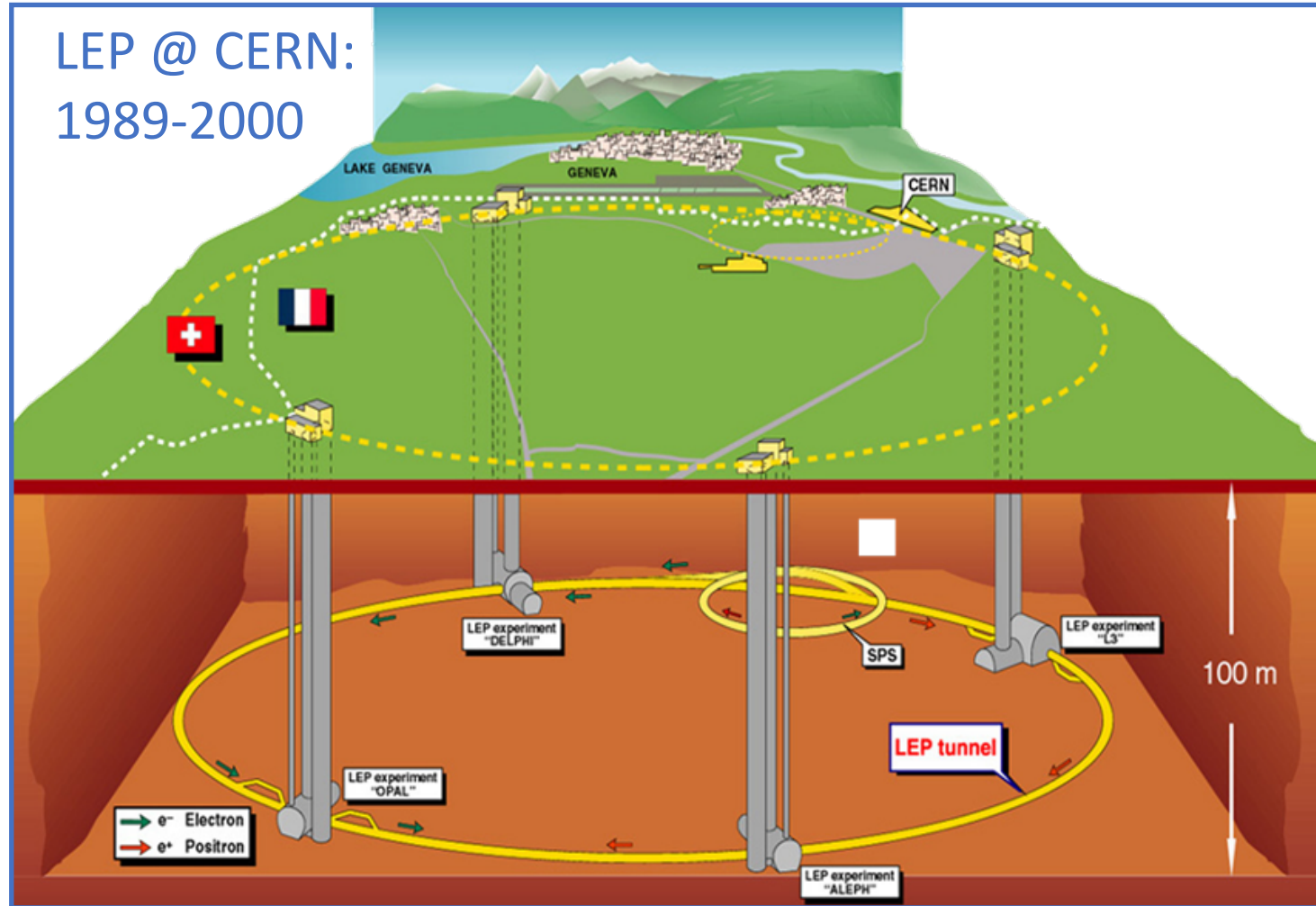
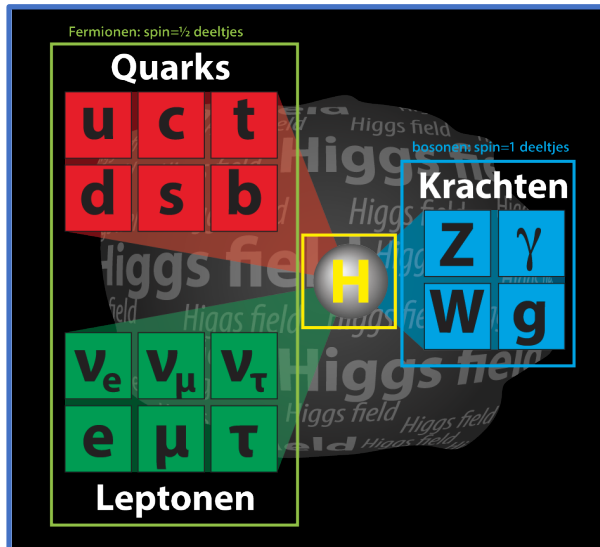
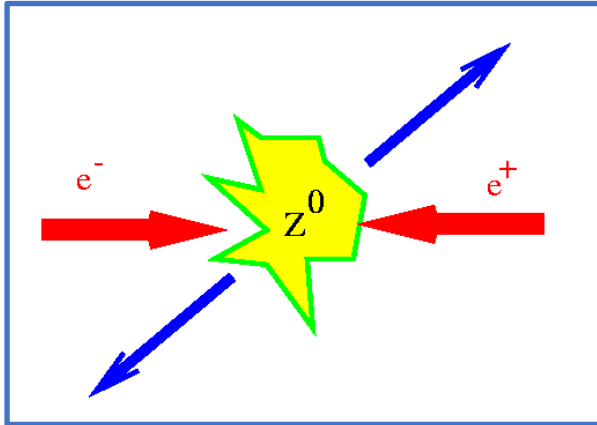
→ No CP violation

- 3 generations is the minimal particle content to generate CP violation (In Standard Model).

3 Generations of particles – How do we know?

43

LEP: The heavy Z boson decays into 3 light neutrino types.

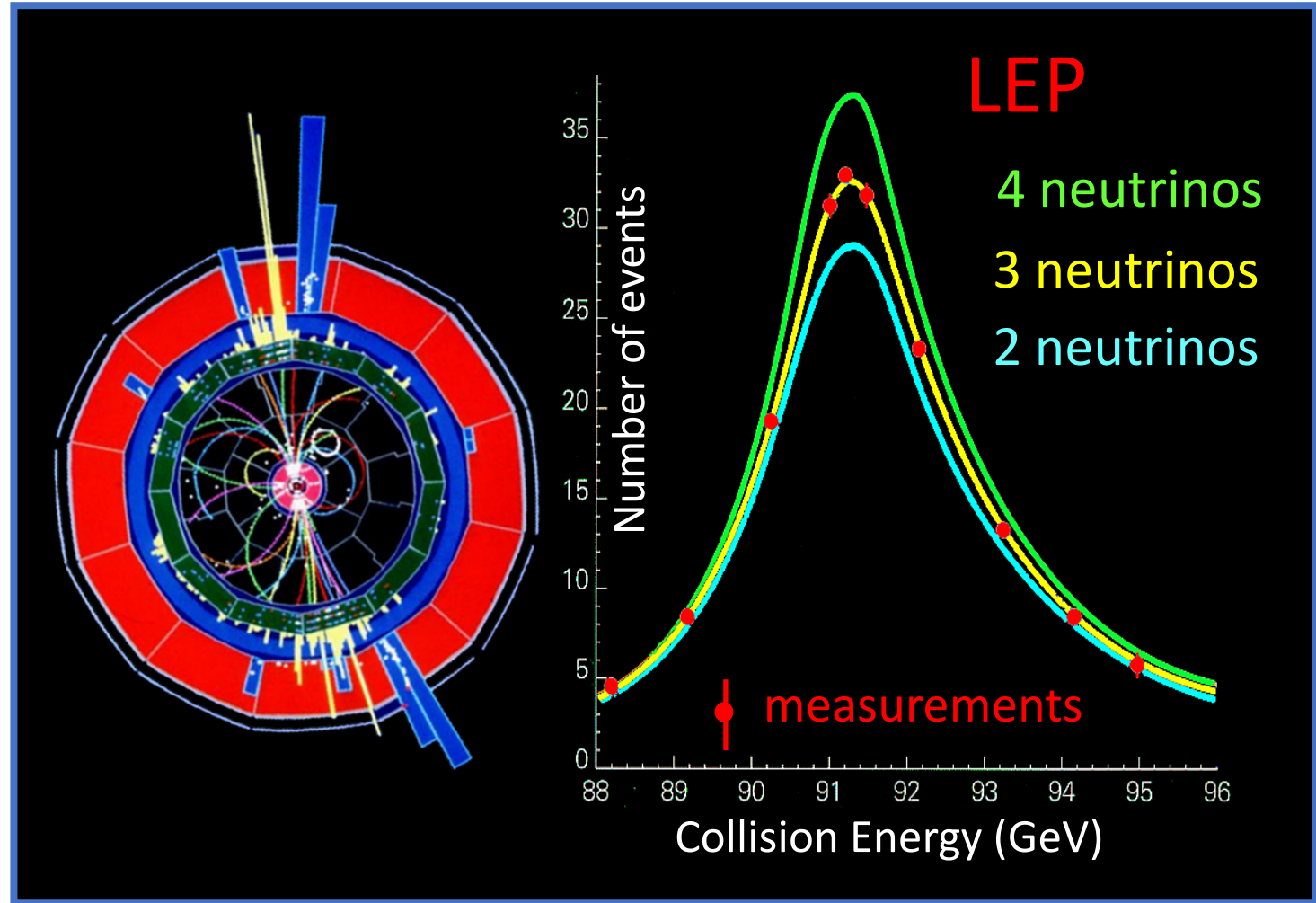
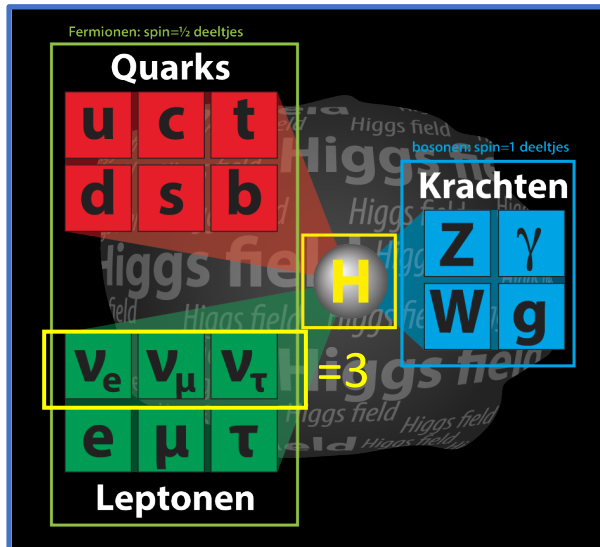
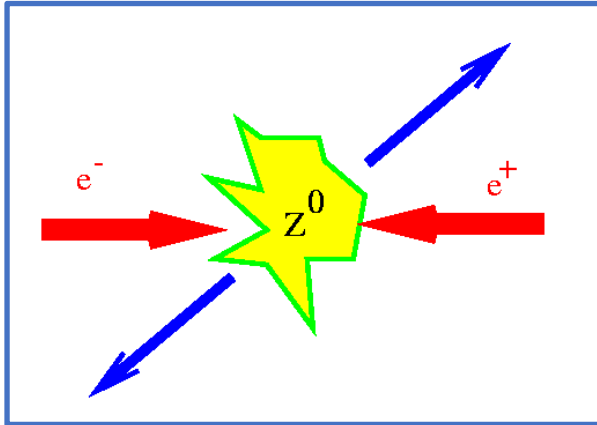


- No additional weakly interacting *light fermion* generations.

3 Generations of particles – How do we know?

44

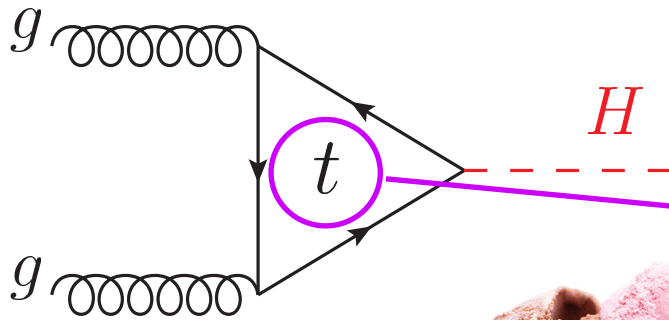
LEP: The heavy Z boson decays into 3 light neutrino types.



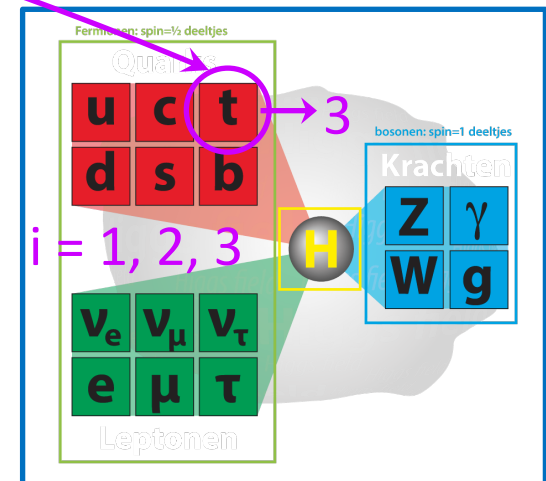
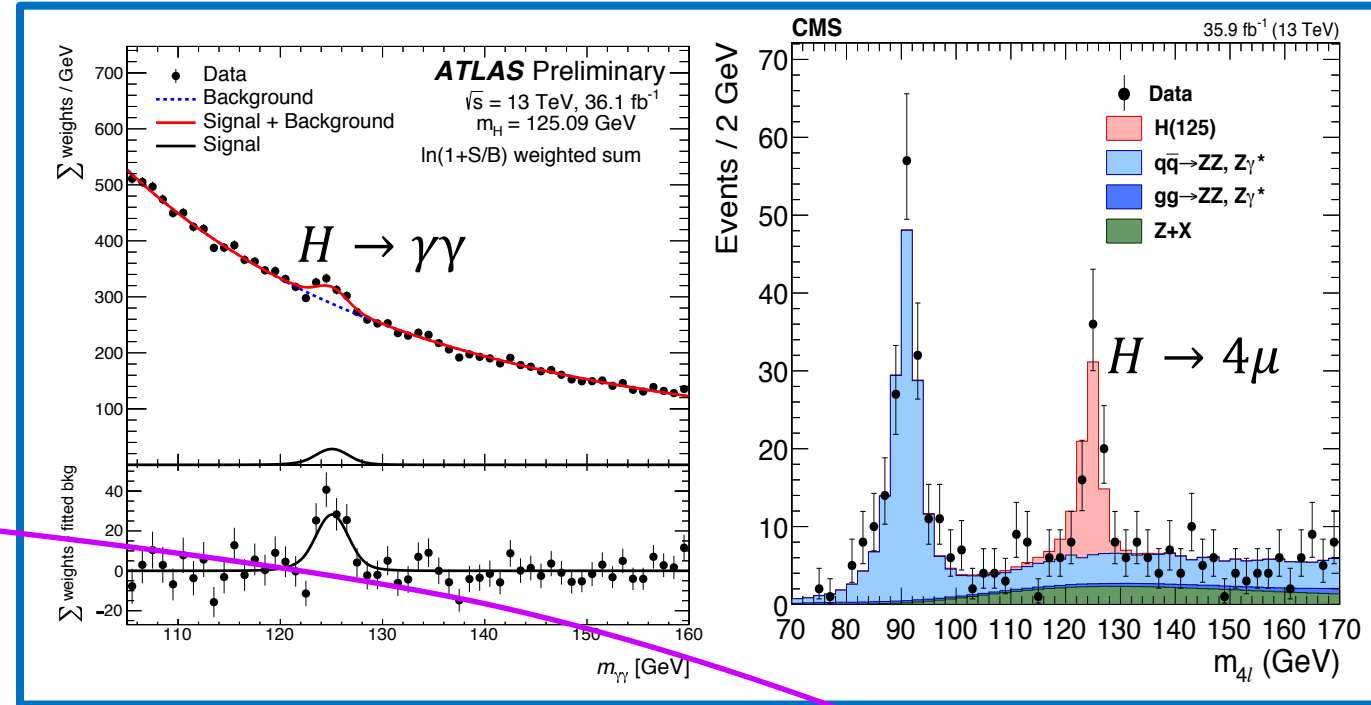
- No additional weakly interacting *light fermion* generations.

LHC: Higgs production:

Loop diagram is proportional to the mass of the heaviest fermion.



- Top is the **heaviest fermion flavour**.
- 3 Flavour generations



- Equivalent of CKM-Matrix V_{CKM} for leptons is PMNS-Matrix
 - Pontecorvo-Maki-Nakagawa-Sakata matrix: U_{PMNS}

- Neutrinos: U_{PMNS}

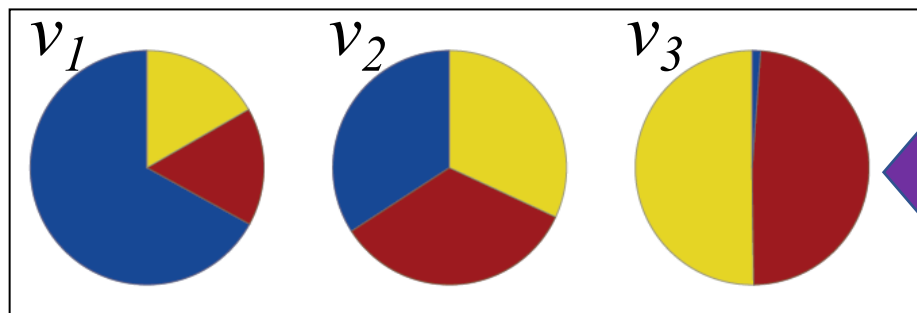
$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

$$U_{MNSP} \approx \begin{pmatrix} 0.82 & 0.55 & 0.15 \\ 0.37 & 0.57 & 0.70 \\ 0.39 & 0.59 & 0.69 \end{pmatrix}$$

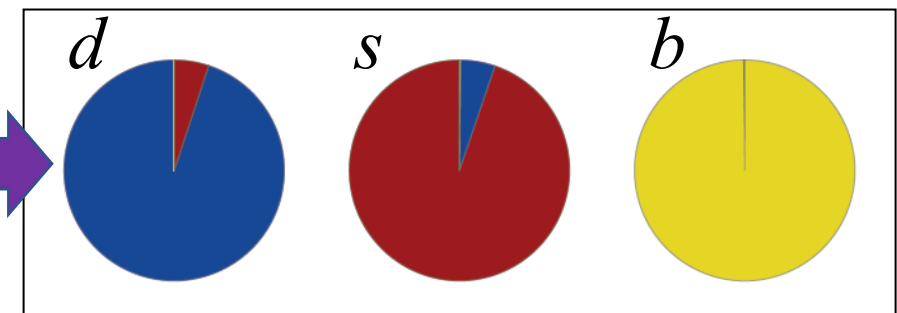
- Quarks: V_{CKM}

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

$$V_{CKM} = \begin{pmatrix} 0.97446 & 0.22452 & 0.00365 \\ 0.22438 & 0.97359 & 0.04214 \\ 0.00896 & 0.04133 & 0.99911 \end{pmatrix}$$



Completely different hierarchy



I THINK WE'VE
GOT ENOUGH
INFORMATION
NOW, DON'T
YOU?

ALL WE HAVE
IS ONE "FACT"
YOU MADE UP.



THAT'S PLENTY. BY THE TIME
WE ADD AN INTRODUCTION,
A FEW ILLUSTRATIONS, AND
A CONCLUSION, IT WILL
LOOK LIKE A GRADUATE
THESIS.



Contents per Week:

1. CP Violation

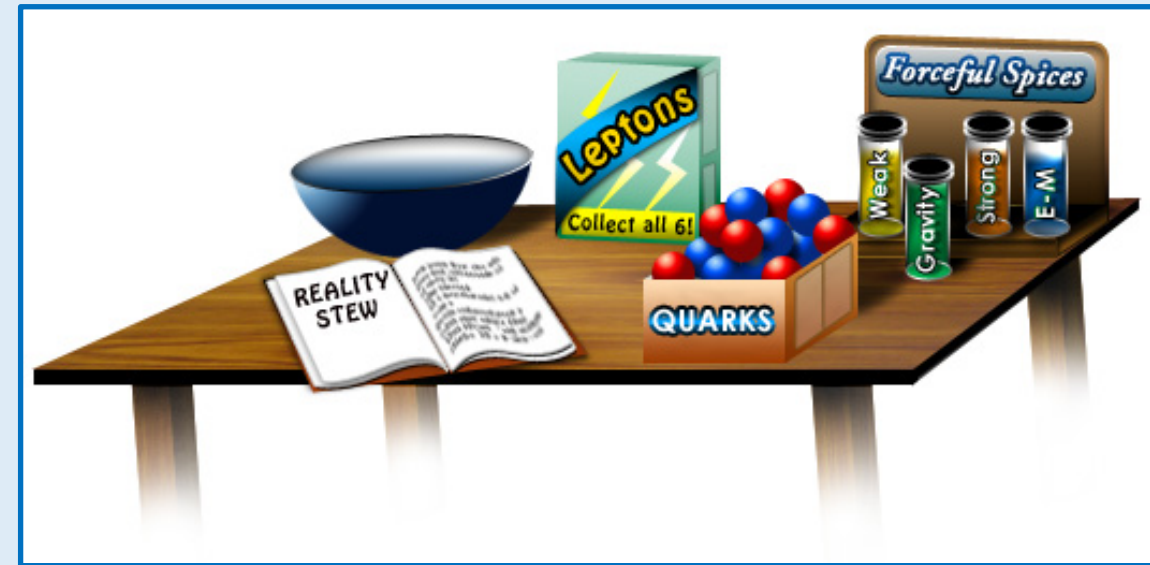
- a) Discrete Symmetries
- b) **CP Violation in the Standard Model**
- c) Jarlskog Invariant and Baryogenesis

2. B-Mixing

- a) CP violation and Interference
- b) B-mixing and time dependent CP violation
- c) Experimental Aspects: LHC vs B-factory

3. B-Decays

- a) Effective Hamiltonian
- b) Lepton Flavour Non-Universality



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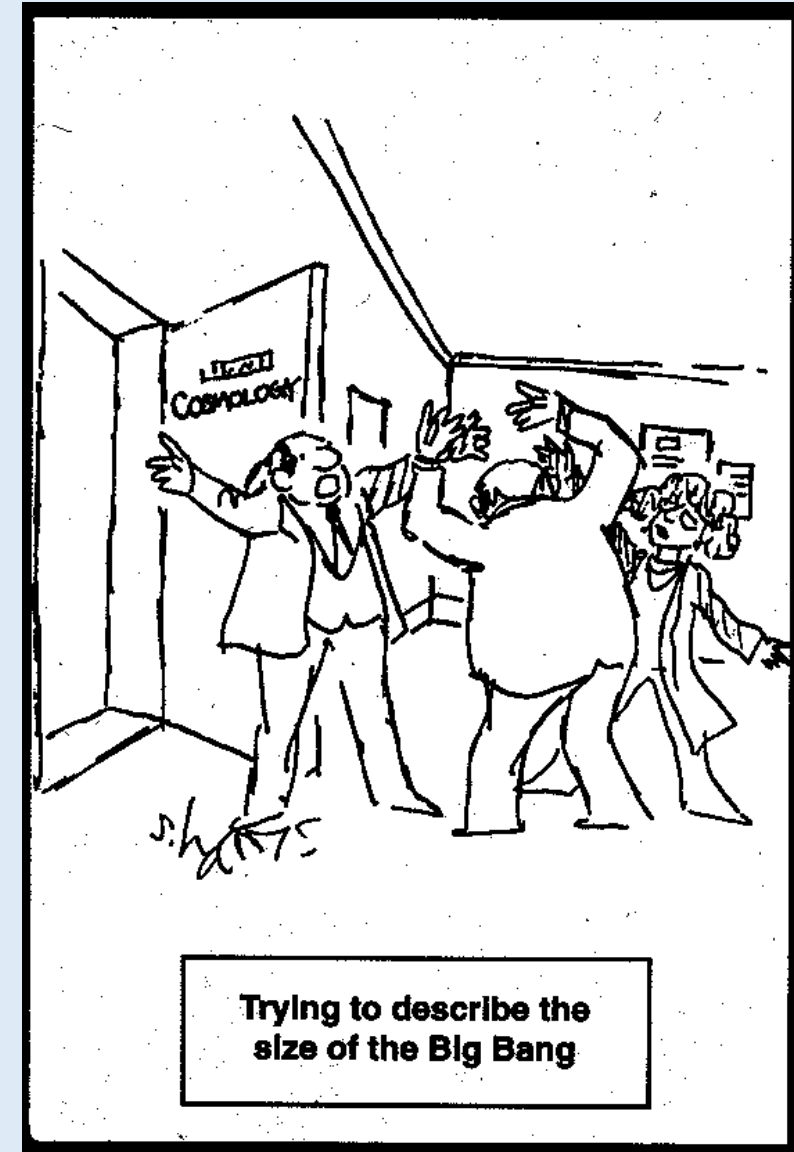
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- Large CP violation requires *large mixing* and *large phases* in the CKM matrix.
- Surface of unitarity triangle
- Jarlskog invariant: $J = 3 \times 10^{-5}$
- CP violation also requires three generations with non-zero quark masses

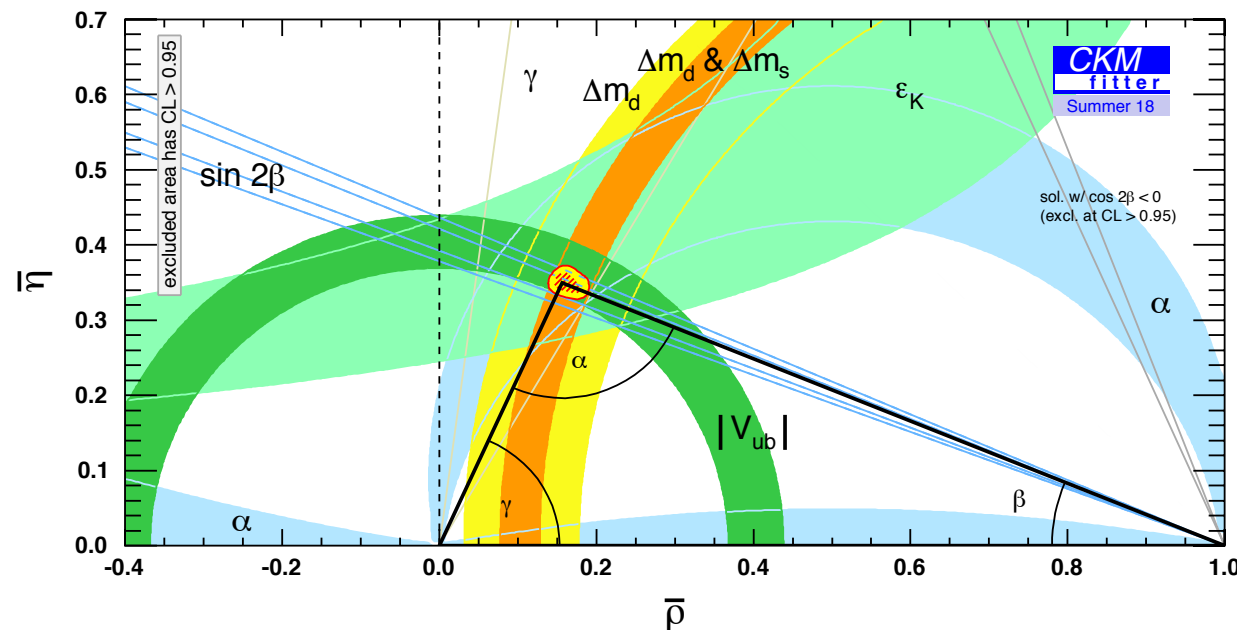
- In fact, *different* masses are required:

- $m_u \neq m_c$; $m_c \neq m_t$; $m_t \neq m_u$
- $m_d \neq m_s$; $m_s \neq m_b$; $m_b \neq m_d$

- Jarlskog criterion (1987) for amount of CP violation:

$$\det[M_u M_u^\dagger, M_d M_d^\dagger] = 2 i J (m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_u^2 - m_t^2) \times (m_b^2 - m_s^2)(m_s^2 - m_d^2)(m_d^2 - m_b^2)$$

$$M_{ij} = Y_{ij} v / \sqrt{2}$$



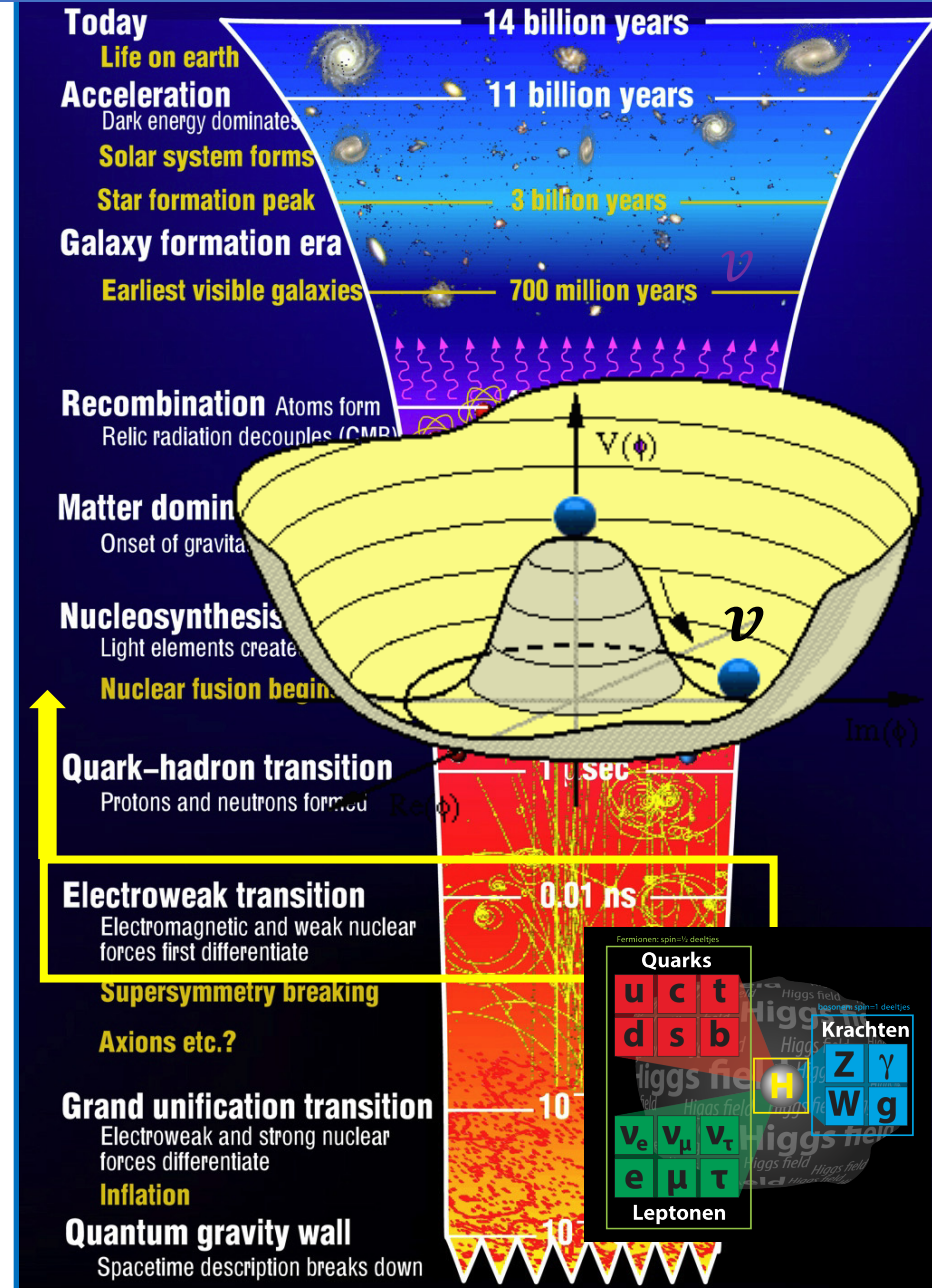
Cecile Jarlskog

- W interaction flavour universal

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \bar{u}'_L \gamma_\mu W^\mu d'_L$$

- Higgs interaction *not* flavour universal

$$\mathcal{L}_H = Y_{ij}^d (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} 0 \\ v \end{pmatrix} d'_{jR} + Y_{ij}^u (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} v \\ 0 \end{pmatrix} u'_{jR}$$



SU(2) → Higgs vev → Origin of Mass

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- W interaction flavour universal

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \bar{u}'_L \gamma_\mu W^\mu d'_L$$

- Higgs interaction *not* flavour universal

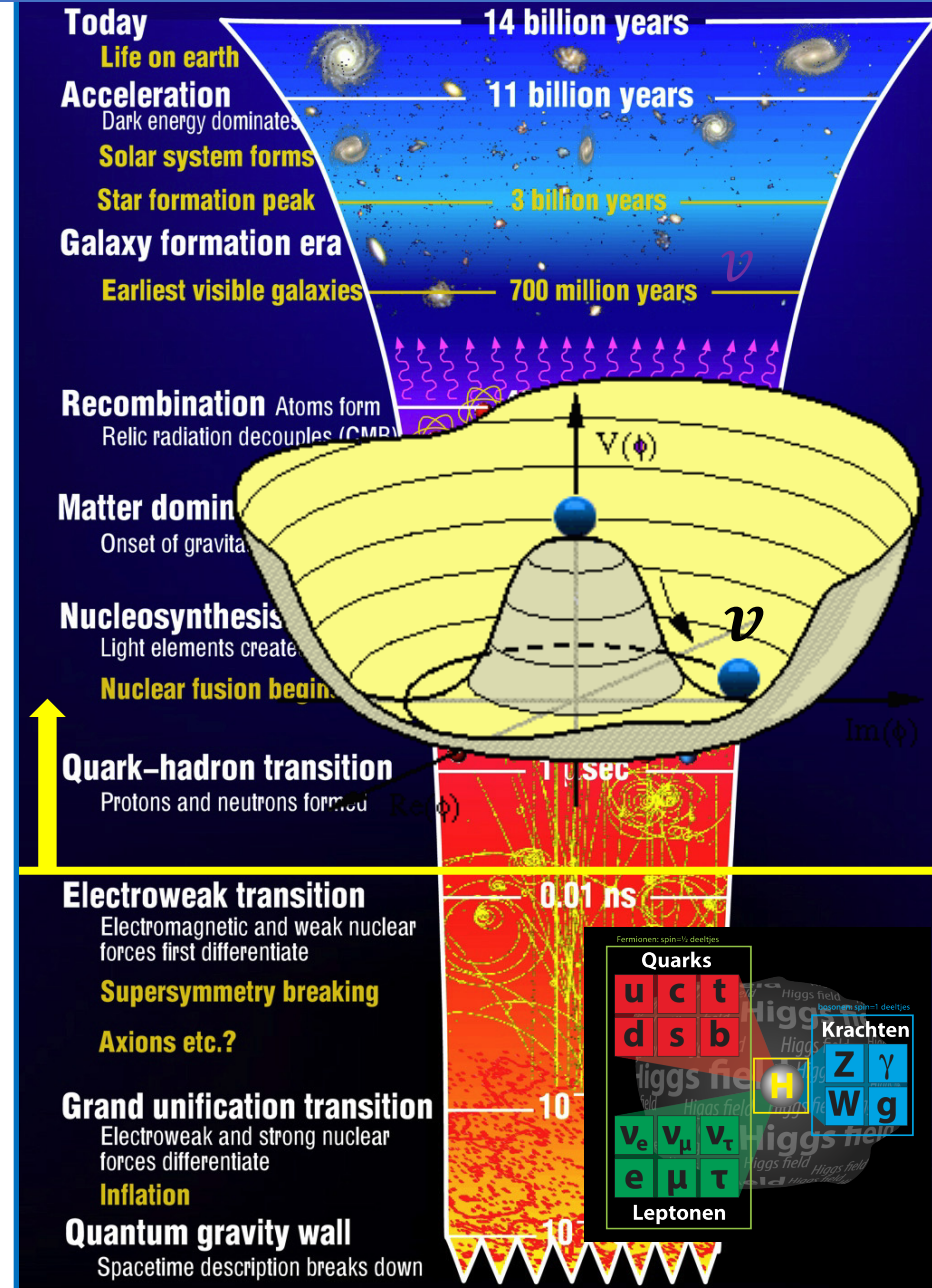
$$\mathcal{L}_H = Y_{ij}^d (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} 0 \\ v \end{pmatrix} d'_{jR} + Y_{ij}^u (\bar{u}'_i, \bar{d}'_i)_L \begin{pmatrix} v \\ 0 \end{pmatrix} u'_{jR}$$

- Mass vs Interaction states:

$$u_i = (V^u)_{ij} u'_j \quad d_i = (V^d)_{ij} d'_j$$

- Amount of CP violation:

$$\det[M_u M_u^\dagger, M_d M_d^\dagger] = 2 i J (m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_u^2 - m_t^2) \\ \times (m_b^2 - m_s^2)(m_s^2 - m_d^2)(m_d^2 - m_b^2)$$



SU(2) → Higgs vev → Origin of Mass → Origin of CP violation? ³⁴

- W interaction flavour universal

$$\mathcal{L}_W = \frac{g}{\sqrt{2}} \bar{u}'_L \gamma_\mu W^\mu d'_L$$

- Higgs interaction *not* flavour universal

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- Mass vs Interaction states:

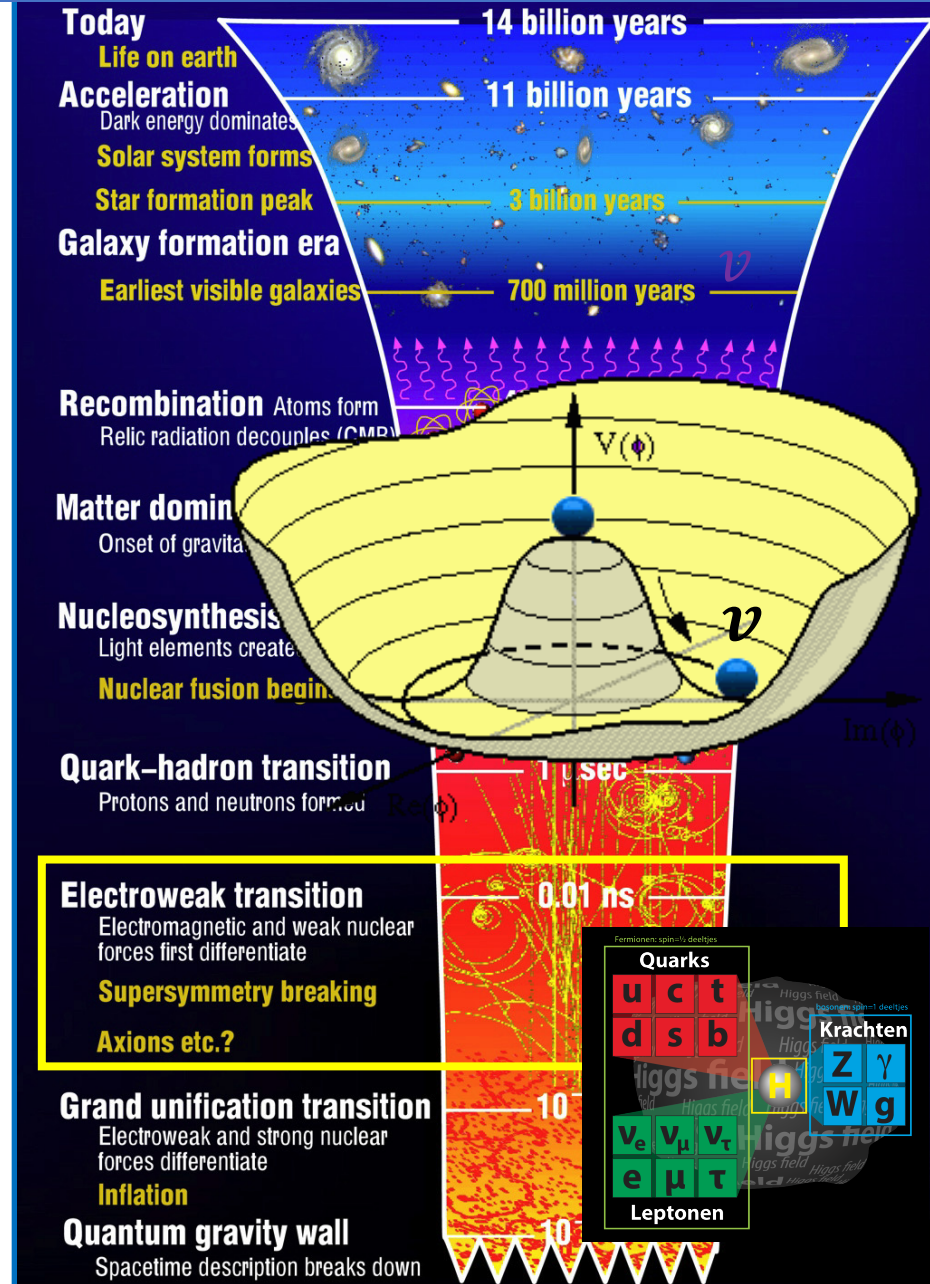
$$u_i = (V^u)_{ij} u'_j \quad d_i = (V^d)_{ij} d'_j$$

- Amount of CP violation:

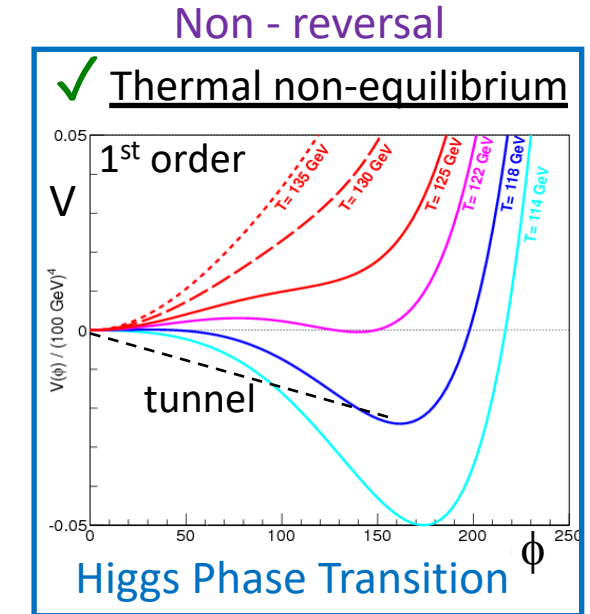
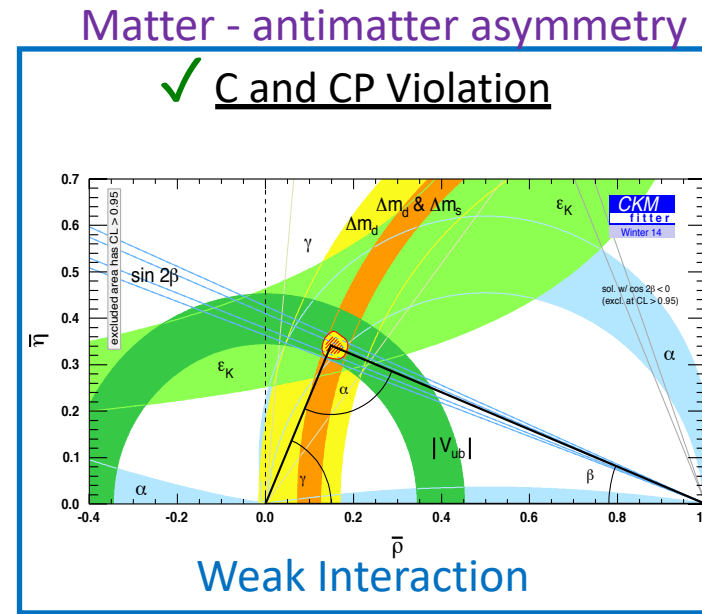
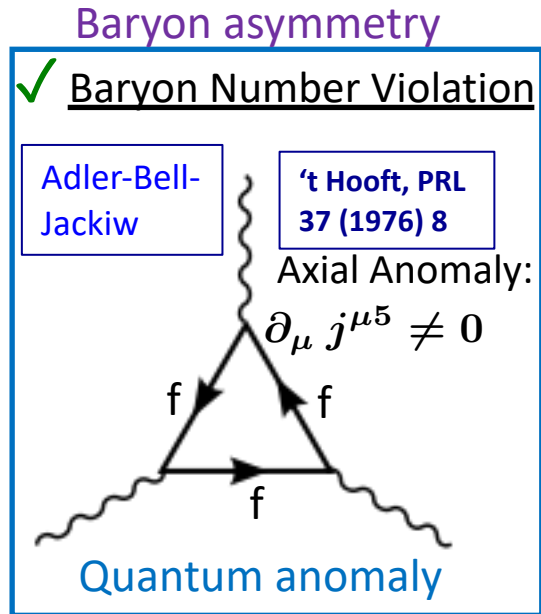
$$\det[M_u M_u^\dagger, M_d M_d^\dagger] = 2 i J (m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_u^2 - m_t^2) \\ \times (m_b^2 - m_s^2)(m_s^2 - m_d^2)(m_d^2 - m_b^2)$$

- Does the Standard Model include CP violation *before* symmetry breaking?

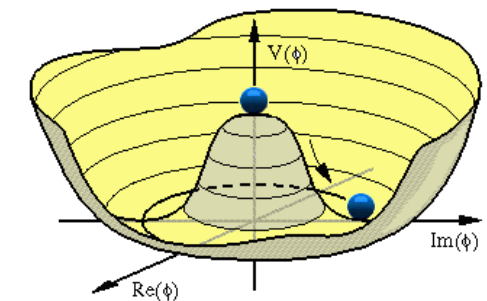
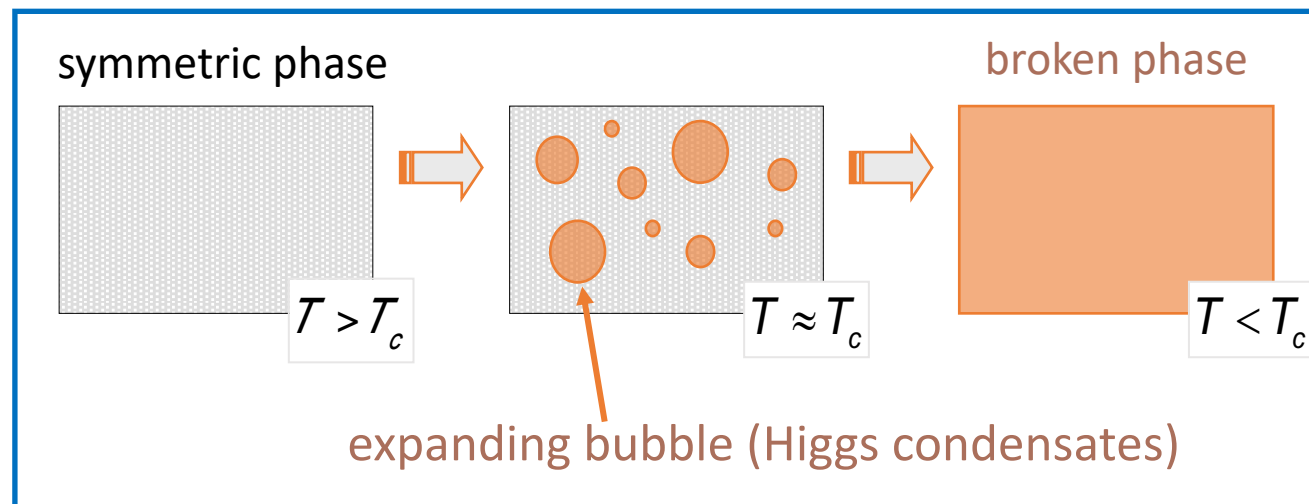
- Is CP violation perhaps an emergent phenomenon?



- Sacharov Conditions
 - ✓ All present in S.M.



- Baryogenesis from Higgs symmetry breaking?



- Sacharov Conditions
 - ✓ All present in S.M.
 - ✗ Not Enough?

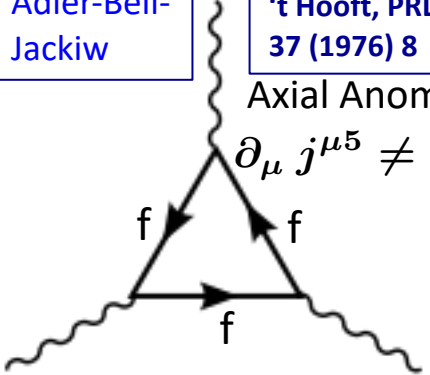
Baryon asymmetry

✓ **Baryon Number Violation**

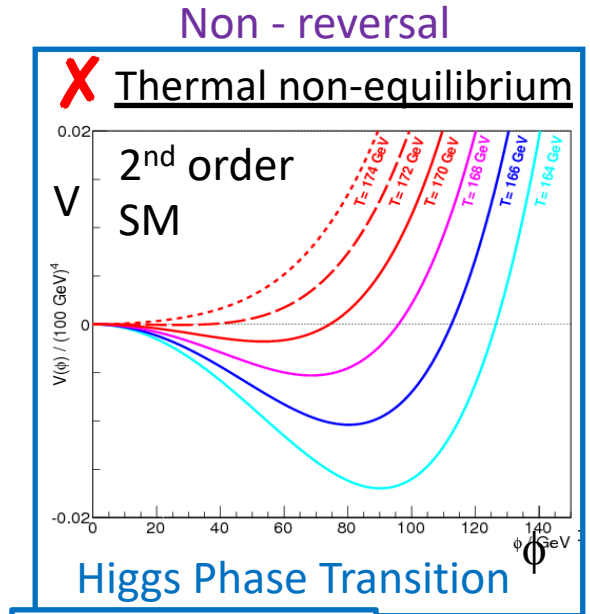
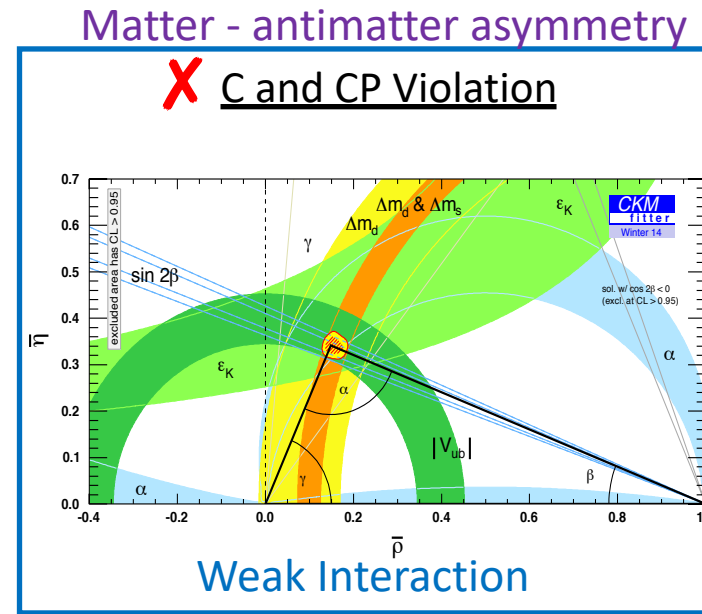
Adler-Bell-Jackiw

't Hooft, PRL 37 (1976) 8

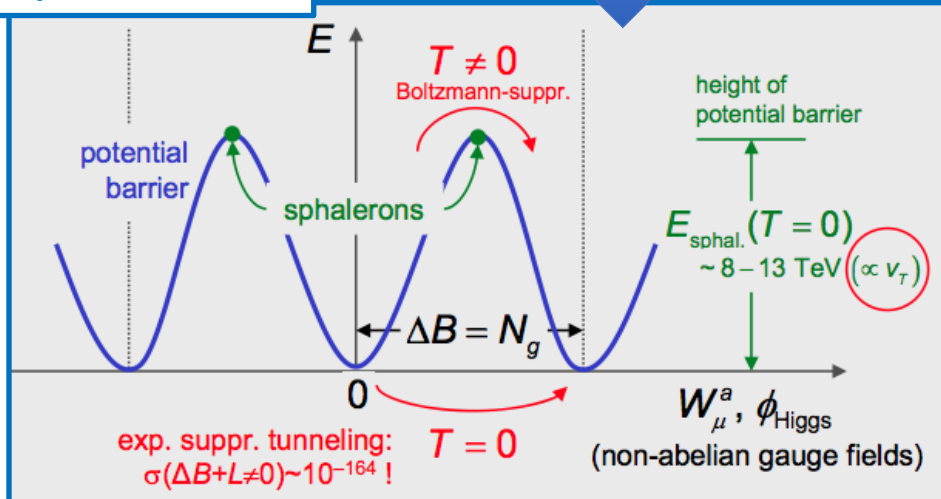
Axial Anomaly:
 $\partial_\mu j^{\mu 5} \neq 0$



Quantum anomaly



✓ **Sphalerons**



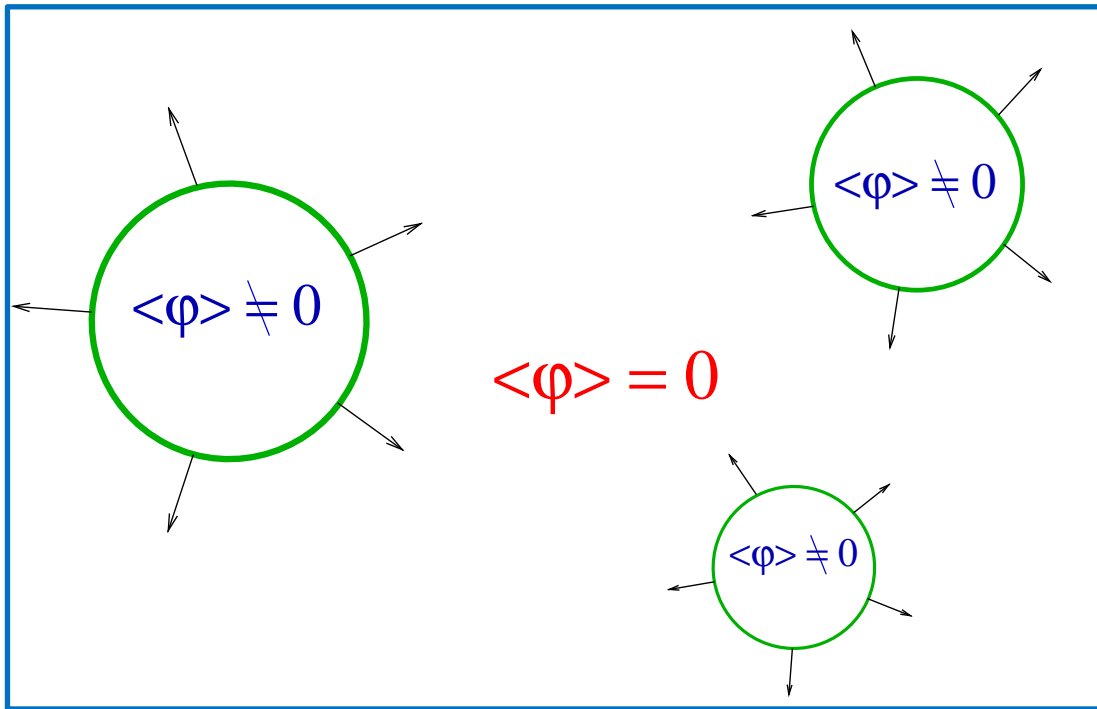
✗ **CPV from CKM**

- BAU: $\frac{\Delta n_B}{n_\gamma} \approx 10^{-10}$
- $A_{CP} = J_{\text{inv}} \times (m_t^2 - m_c^2)(m_c^2 - m_u^2)(m_u^2 - m_t^2) \times (m_b^2 - m_s^2)(m_s^2 - m_d^2)(m_d^2 - m_b^2)$
 - From CKM: $A_{CP}/T_c^{12} \approx 10^{-20} \rightarrow$ Too small
 - Used $T_c \sim 100 \text{ GeV}$

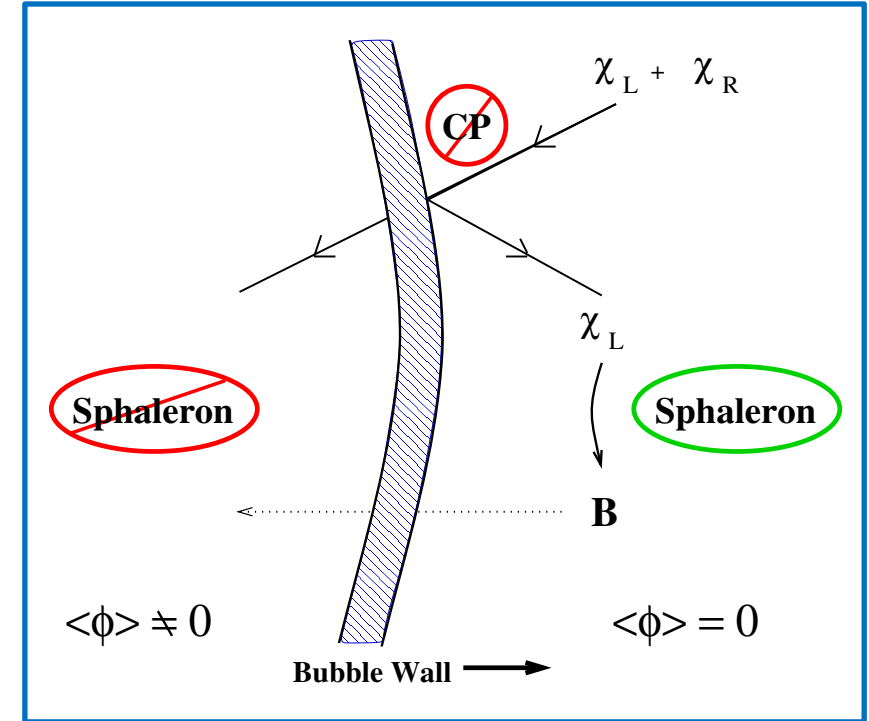
✗ **1st order?**

- SM: $M_H < \sim 70 \text{ GeV}$
- THDM: $M_H \sim 125 \text{ OK}$

Expanding bubbles of broken phase
In a medium of symmetric phase



Baryon production in
front of bubble wall



→ Was the phase transition in the early universe of 1st order?
→ Higgs potential?

→ If new physics is abundant in thermal plasma of early universe:
→ Likely to be of TeV energy scale.

Alternative Explanation...



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