



THE  
RCFT ORIENTIFOLD  
“LANDSCHAP”



# EXPLORING THE LANDSCAPE

1986 (with Lerche, Lüst): many “vacua”

A few people: string theory must be wrong, or “just a framework”.

Most people: wait and see...

Some people: probably true, but who cares?

My conclusion: “anthropic landscape”

## Present motivation

Landscape remains to a large extent unexplored.

Very few “standard model spectra” known.

Are there any generic features?

How many fit current data?



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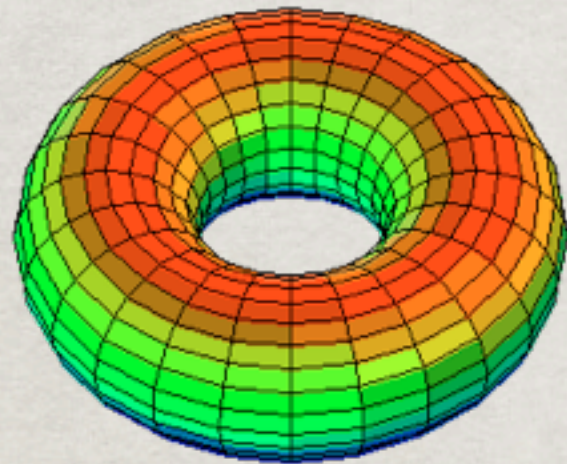
How many fit current data?

*“Is the standard model a plausible solution to the landscape and anthropic constraints?”*

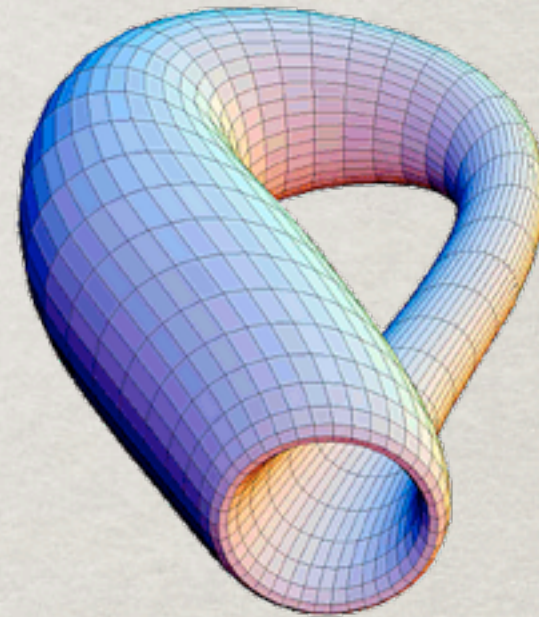


# ORIENTIFOLD PARTITION FUNCTIONS

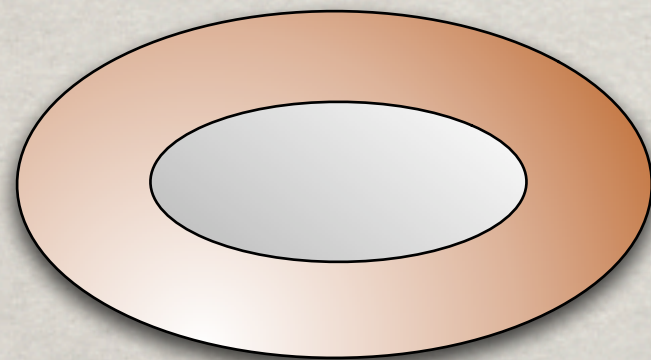
$\frac{1}{2}$



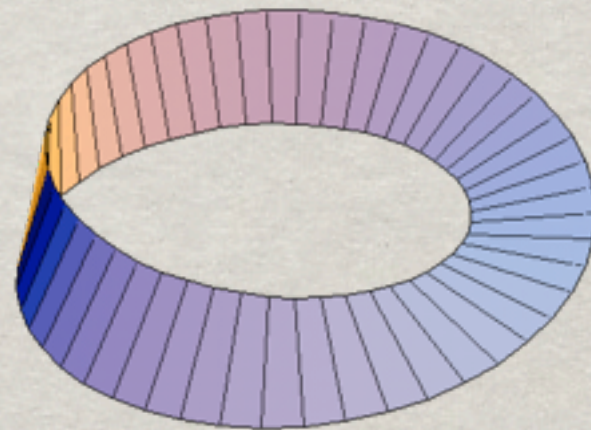
+



$\frac{1}{2}$





+





# ORIENTIFOLD PARTITION FUNCTIONS

 Closed  $\frac{1}{2} \left[ \sum_{ij} \chi_i(\tau) Z_{ij} \chi_i(\bar{\tau}) + \sum_i K_i \chi_i(2\tau) \right]$

 Open  $\frac{1}{2} \left[ \sum_{i,a,n} N_a N_b A^i_{ab} \chi_i\left(\frac{\tau}{2}\right) + \sum_{i,a} N_a M^i_a \hat{\chi}_i\left(\frac{\tau}{2} + \frac{1}{2}\right) \right]$

$i$  : Primary field label (finite range)

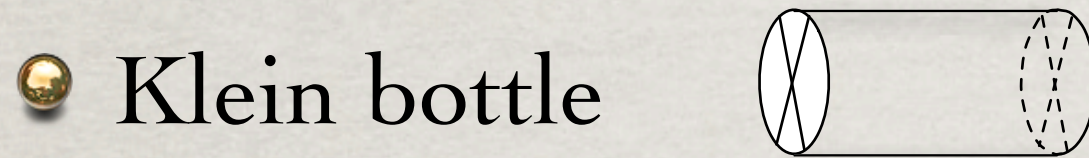
$a$  : Boundary label (finite range)

$\chi_i$  : Character

$N_a$  : Chan-Paton (CP) Multiplicity



# COEFFICIENTS



$$K^i = \sum_{m, J, J'} \frac{S_m^i U_{(m, J)} g_{J, J'}^{\Omega, m} U_{(m, J')}}{S_{0m}}$$



$$A_{[a, \psi_a][b, \psi_b]}^i = \sum_{m, J, J'} \frac{S_m^i R_{[a, \psi_a]}(m, J) g_{J, J'}^{\Omega, m} R_{[b, \psi_b]}(m, J')}{S_{0m}}$$



$$M_{[a, \psi_a]}^i = \sum_{m, J, J'} \frac{P_m^i R_{[a, \psi_a]}(m, J) g_{J, J'}^{\Omega, m} U_{(m, J')}}{S_{0m}}$$

$$g_{J, J'}^{\Omega, m} = \frac{S_{m0}}{S_{mK}} \beta_K(J) \delta_{J', J^c}$$



# BOUNDARIES AND CROSSCAPS

- Boundary coefficients

$$R_{[a,\psi_a](m,J)} = \sqrt{\frac{|\mathcal{H}|}{|C_a||S_a|}} \psi_a^*(J) S_{am}^J$$

- Crosscap coefficients

$$U_{(m,J)} = \frac{1}{\sqrt{|\mathcal{H}|}} \sum_{L \in \mathcal{H}} e^{\pi i(h_K - h_{KL})} \beta_K(L) P_{LK,m} \delta_{J,0}$$

*Cardy (1989)*

*Sagnotti, Pradisi, Stanev (~1995)*

*Huiszoon, Fuchs, Schellekens, Schweigert, Walcher (2000)*



# ALGEBRAIC CHOICES

- Basic CFT ( $N=2$  tensor, free fermions...)  
(Type IIB closed string theory)
- Chiral algebra extension(\*)  
*May imply space-time symmetry (e.g. Susy: GSO projection).  
Reduces number of characters.*
- Modular Invariant Partition Function (MIPF)(\*)  
*May imply bulk symmetry (e.g Susy), not respected by all boundaries.  
Defines the set of boundary states  
(Sagnotti-Pradisi-Stanev completeness condition)*
- Orientifold choice(\*)

(\*) all these choices are simple current related



# TADPOLES & ANOMALIES

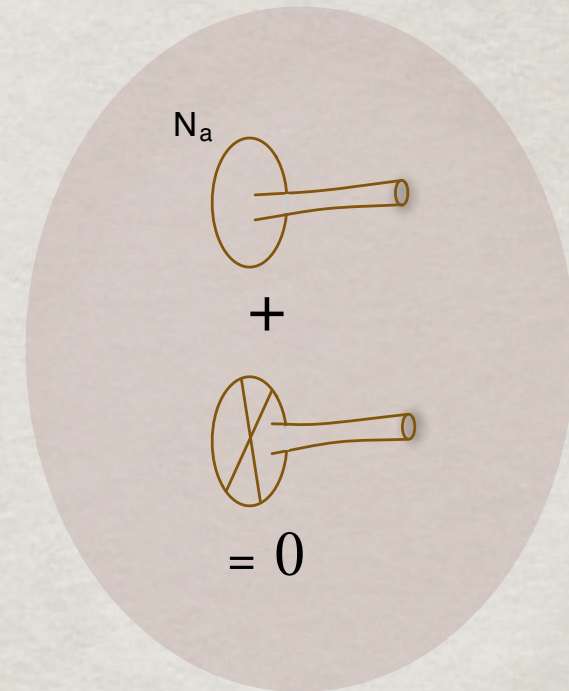
- Tadpole cancellation condition:

$$\sum_b N_b R_{b(m,J)} = 4\eta_m U_{(m,J)}$$

- Cubic anomalies cancel

- Remaining anomalies by Green-Schwarz mechanism

- In rare cases, additional conditions for global anomaly cancellation\*

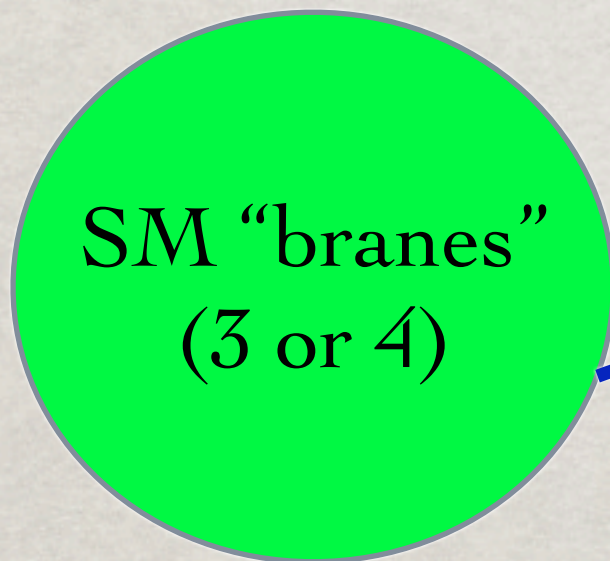


\*Gato-Rivera, Schellekens (2005)



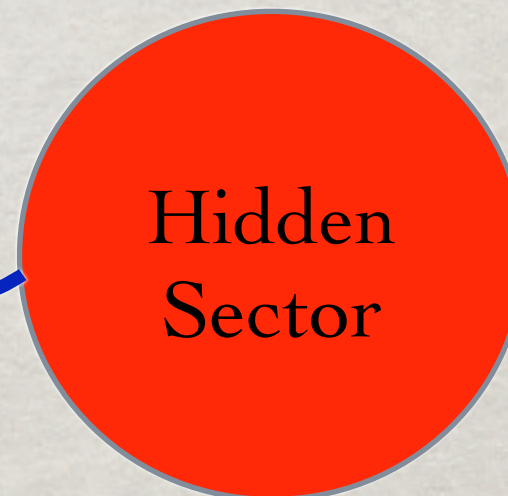
# MODELS

3 families  
+ anything vector-like



Anything that cancels the tadpoles  
(not always needed)

Fully vector-like  
(not always present)



Vector-like: mass allowed by  $SU(3) \times SU(2) \times U(1)$   
(Higgs, right-handed neutrino, gauginos, sparticles....)



# MODELS

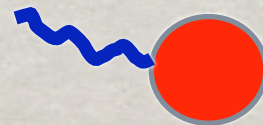
SM “branes”  
(3 or 4)

$$G_{\text{CP}} \supset SU(3) \times SU(2) \times U(1)$$

Chiral fermions  $\rightarrow$  3 families

## *Criteria for distinguishing spectra*

1. Chiral  $G_{\text{CP}}$  spectrum (“chiral type”), e.g SU(5), Pati-Salam, ....
2. Massless  $G_{\text{CP}}$  spectrum
3. Massless  $G_{\text{CP}}$  spectrum +





# FREE FERMION MODELS\*

The following real and complex free fermion models are accessible

$(\text{NSR}) (\text{D}_1)^9$	685 MIPFs	①
$(\text{NSR}) (\text{D}_1)^7 (\text{Ising})^4$	3858 MIPFs	②
$(\text{NSR}) (\text{D}_1)^5 (\text{Ising})^8$	111604 MIPFs	③
$(\text{NSR}) (\text{D}_1)^3 (\text{Ising})^{12}$	$> 2^{28}$ MIPFs	

- ① One SM config, no tadpole solutions
- ② Nothing!
- ③  $> 40000$  MIPFs done,  $> 30$  days, Nothing yet!

(\* ) with E. Kiritsis



# GEPNER MODELS\*

- 168 tensor combinations (Susy extension)
- 5403 MIPFs (880 Hodge number pairs)
- 49322 Orientifolds

## Two scans:

*with Dijkstra, Huiszoon (2004/2005)*

- \* 19 Chiral types (“Madrid models”)
- \* 18 with tadpole cancellation
- \* 211000 non-chirally distinct spectra (criterion 2)

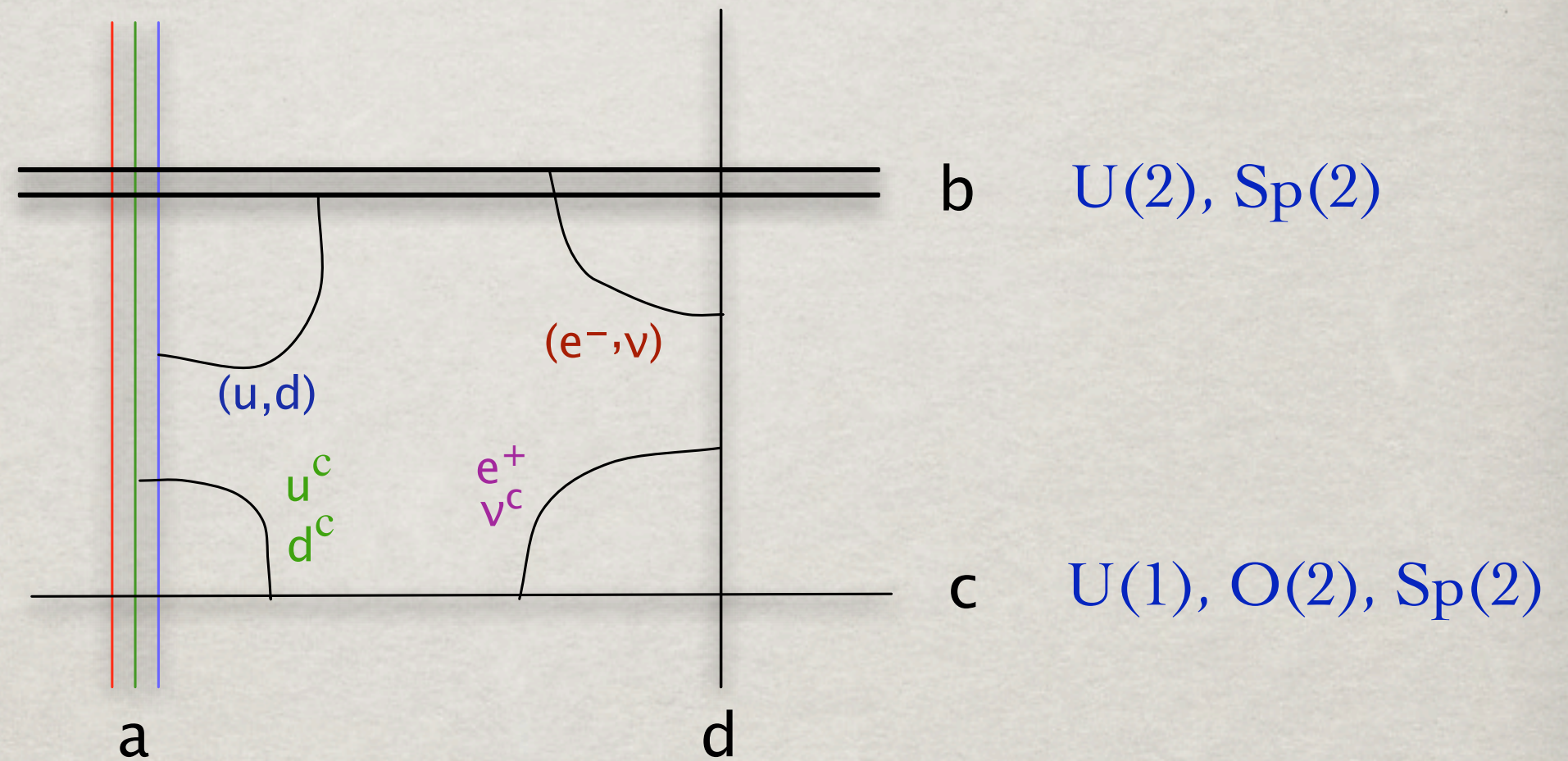
*with Anastasopoulos, Dijkstra, Kiritsis (2005/2006)*

- \* 19345 Chiral types
- \* 1900 with tadpole cancellation
- \* 1900 non-chirally distinct spectra (criterion 1)

*(\*) Also: Angelantonj et. al, Blumenhagen et. al., Aldazabal et. al, Brunner et al.....*



# THE MADRID MODEL\*



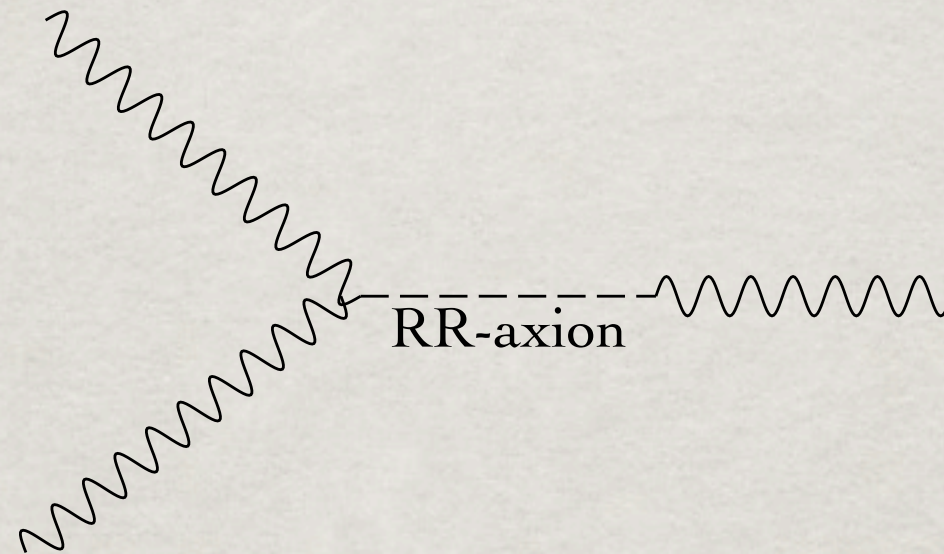
$$Y = \frac{1}{6}Q_a - \frac{1}{2}Q_c - \frac{1}{2}Q_d$$

(\* ) Ibanez, Marchesano, Rabadan

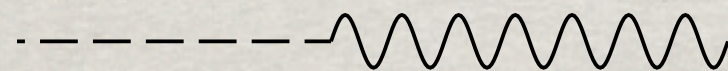


# ABELIAN MASSES

Green-Schwarz mechanism



Axion-Vector boson vertex



Generates mass vector bosons of anomalous symmetries

(*e.g.*  $B + L$ )

But may also generate mass for non-anomalous ones

( $Y, B - L$ )



# A “MADRID” MODEL

Gauge group: Exactly  $SU(3) \times SU(2) \times U(1)$ !

$[U(3) \times Sp(2) \times U(1) \times U(1)$ , Massive B-L, No hidden sector]

3 x ( V ,V ,0 ,0 )	chirality 3	Q
3 x ( V ,0 ,V ,0 )	chirality -3	U*
3 x ( V ,0 ,V* ,0 )	chirality -3	D*
3 x ( 0 ,V ,0 ,V )	chirality 3	L
5 x ( 0 ,0 ,V ,V )	chirality -3	E* + (E+E*)
3 x ( 0 ,0 ,V ,V* )	chirality 3	N*
18 x ( 0 ,V ,V ,0 )		Higgs
2 x ( V ,0 ,0 ,V )		
2 x ( Ad ,0 ,0 ,0 )		
2 x ( A ,0 ,0 ,0 )		
6 x ( S ,0 ,0 ,0 )		
14 x ( 0 ,A ,0 ,0 )		
6 x ( 0 ,S ,0 ,0 )		
9 x ( 0 ,0 ,Ad ,0 )		
6 x ( 0 ,0 ,A ,0 )		
14 x ( 0 ,0 ,S ,0 )		
3 x ( 0 ,0 ,0 ,Ad )		
4 x ( 0 ,0 ,0 ,A )		
6 x ( 0 ,0 ,0 ,S )		



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3 x ( 0 ,V ,0 ,V )	chirality 3	L
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3 x ( 0 ,0 ,V ,V* )	chirality 3	N*
18 x ( 0 ,V ,V ,0 )		Higgs

2 x ( V ,0 ,0 ,V )
2 x ( Ad ,0 ,0 ,0 )
2 x ( A ,0 ,0 ,0 )
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14 x ( 0 ,A ,0 ,0 )
6 x ( 0 ,S ,0 ,0 )
9 x ( 0 ,0 ,Ad ,0 )
6 x ( 0 ,0 ,A ,0 )
14 x ( 0 ,0 ,S ,0 )
3 x ( 0 ,0 ,0 ,Ad )
4 x ( 0 ,0 ,0 ,A )
6 x ( 0 ,0 ,0 ,S )

## Vector-like matter

V=vector

A=Anti-symm. tensor

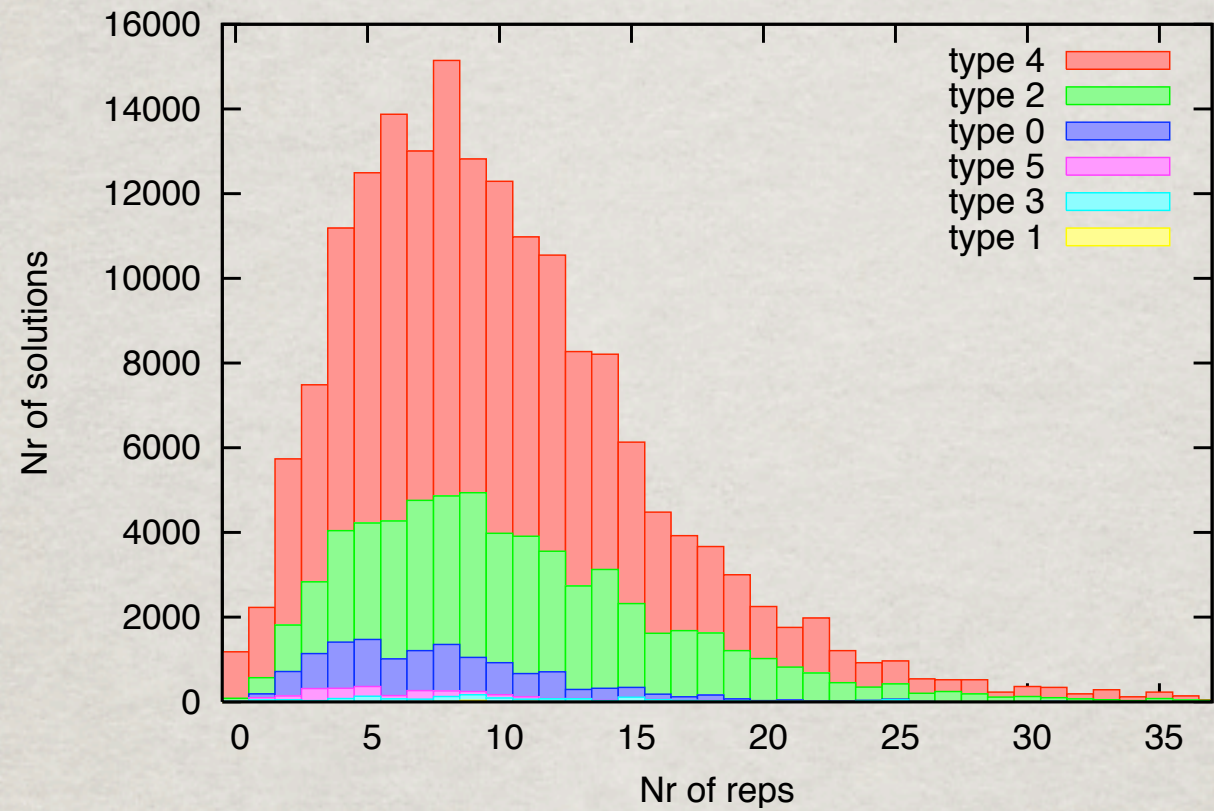
S=Symmetric tensor

Ad=Adjoint

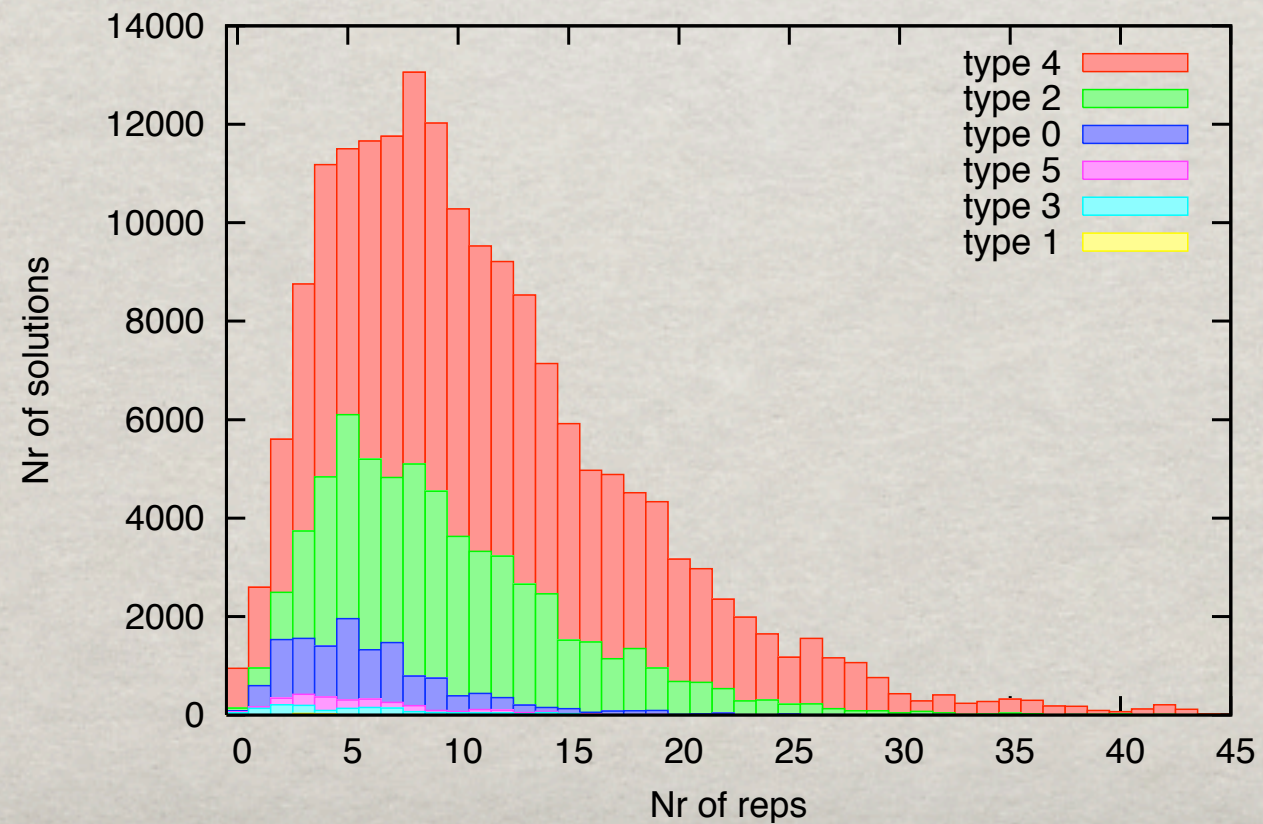


# RANK-2 TENSORS

Total number of Symmetric tensors in SM gauge groups



Total number of Anti-symmetric tensors in SM gauge groups





# NO MIRRORS, NO RANK-2 TENSORS

(Left-right symmetric model)

**U3 S2 S2 U1 S6 S4 S2**

3 x (V ,V ,0 ,0 ,0 ,0 ,0 )	chirality 3	Q
3 x (V ,0 ,V ,0 ,0 ,0 ,0 )	chirality -3	U*,D*
3 x (0 ,V ,0 ,V ,0 ,0 ,0 )	chirality 3	L
3 x (0 ,0 ,V ,V ,0 ,0 ,0 )	chirality -3	E*,N*
2 x (V ,0 ,0 ,V ,0 ,0 ,0 )		Leptoquark pair
2 x (0 ,V ,V ,0 ,0 ,0 ,0 )		2 Higgs pairs
2 x (V ,0 ,0 ,0 ,V ,0 ,0 )		
2 x (V ,0 ,0 ,0 ,0 ,V ,0 )		
2 x (V ,0 ,0 ,0 ,0 ,0 ,V )		
1 x (0 ,V ,0 ,0 ,V ,0 ,0 )		
1 x (0 ,0 ,V ,0 ,V ,0 ,0 )		
2 x (0 ,0 ,0 ,V ,0 ,V ,0 )		
1 x (0 ,0 ,0 ,0 ,V ,0 ,V )		
2 x (0 ,0 ,0 ,0 ,0 ,V ,V )		
2 x (0 ,0 ,0 ,0 ,A ,0 ,0 )		
1 x (0 ,0 ,0 ,0 ,S ,0 ,0 )		
5 x (0 ,0 ,0 ,0 ,0 ,A ,0 )		
5 x (0 ,0 ,0 ,0 ,0 ,S ,0 )		
1 x (0 ,0 ,0 ,0 ,0 ,0 ,S )		



# A CURIOSITY

Gauge group  $SU(3) \times SU(2) \times U(1) \times [U(2)_{\text{Hidden}}]$

**U3 S2 U1 U1 U2**


3 x ( V ,V ,0 ,0 ,0 )	chirality 3	Q
3 x ( 0 ,0 ,V ,V ,0 )	chirality -3	E*
1 x ( V ,0 ,0 ,V* ,0 )	chirality -1	U*
2 x ( V ,0 ,V ,0 ,0 )	chirality -2	D*
2 x ( 0 ,V ,0 ,V ,0 )	chirality 2	L
3 x ( V ,0 ,0 ,V ,0 )	chirality -1	D*+(D+D*)
3 x ( 0 ,V ,V ,0 ,0 )	chirality 1	L+H <sub>1</sub> +H <sub>2</sub>
2 x ( V ,0 ,V* ,0 ,0 )	chirality -2	U*
1 x ( 0 ,0 ,V ,V* ,0 )	chirality 1	N*
4 x ( A ,0 ,0 ,0 ,0 )		U+U*
2 x ( 0 ,0 ,0 ,S ,0 )		E+E*



# A CURIOSITY

Gauge group  $SU(3) \times SU(2) \times U(1) \times [U(2)_{\text{Hidden}}]$

	U3	S2	U1	U1	U2		
3 x	( V	,V	,0	,0	,0 )	chirality 3	Q
3 x	( 0	,0	,V	,V	,0 )	chirality -3	E*
1 x	( V	,0	,0	,V*	,0 )	chirality -1	U*
2 x	( V	,0	,V	,0	,0 )	chirality -2	D*
2 x	( 0	,V	,0	,V	,0 )	chirality 2	L
3 x	( V	,0	,0	,V	,0 )	chirality -1	D*+(D+D*)
3 x	( 0	,V	,V	,0	,0 )	chirality 1	L+H <sub>1</sub> +H <sub>2</sub>
2 x	( V	,0	,V*	,0	,0 )	chirality -2	U*
1 x	( 0	,0	,V	,V*	,0 )	chirality 1	N*
4 x	( A	,0	,0	,0	,0 )		U+U*
2 x	( 0	,0	,0	,S	,0 )		E+E*

  
 Truly hidden  
 hidden sector



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**U3 S2 U1 U1 U2**

3 x ( V ,V ,0 ,0 ,0 )	chirality 3	Q
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2 x ( V ,0 ,V ,0 ,0 )	chirality -2	D*
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3 x ( V ,0 ,0 ,V ,0 )	chirality -1	D*+(D+D*)
3 x ( 0 ,V ,V ,0 ,0 )	chirality 1	L+H <sub>1</sub> +H <sub>2</sub>
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1 x ( 0 ,0 ,V ,V* ,0 )	chirality 1	N*
4 x ( A ,0 ,0 ,0 ,0 )		U+U*
2 x ( 0 ,0 ,0 ,S ,0 )		E+E*

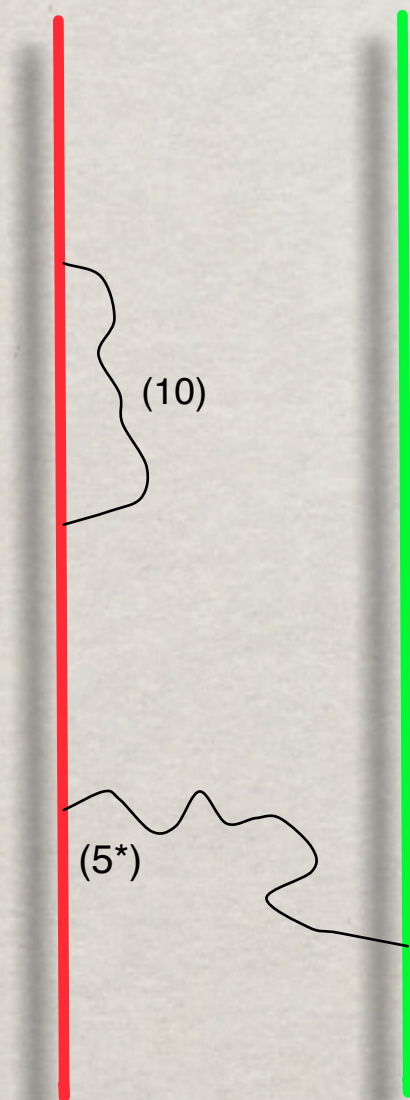
**Free-field realization with  $(2)^6$  Gepner model**



# AN SU(5) MODEL

*Gauge group is just SU(5)!*

U(5)



**U5 O1 O1**

3 x	(A ,0 ,0 )	chirality 3
11 x	(V ,V ,0 )	chirality -3
8 x	(S ,0 ,0 )	
3 x	(Ad ,0 ,0 )	
1 x	(0 ,A ,0 )	
3 x	(0 ,V ,V )	
8 x	(V ,0 ,V )	
2 x	(0 ,S ,0 )	
4 x	(0 ,0 ,S )	
4 x	(0 ,0 ,A )	

Top quark Yukawa's?



# ONE IN HOW MANY?

$$\frac{\text{Madrid configurations}}{\text{All 4-brane configurations}} = 10^{-12}$$

$$\frac{\text{With tadpole solution}}{\text{All 4-brane configurations}} = 3.8 \times 10^{-14}$$

} *Dijkstra et. al. (2005)*

$$\frac{\text{Madrid configurations}}{\text{All SM configurations}} = 1/6$$

*Anastasopoulos et. al. (2006)*

$$T^6 / Z_2 \times Z_2 \text{ orientifolds}$$

*Gmeiner, Blumenhagen, Honecker, Lüst, Weigand (2005)*

*Douglas, Taylor (2006)*

$$\frac{\text{Madrid configurations with tadpole solution}}{\text{All tadpole solutions}} \sim 1 \times 10^{-9}$$

$$T^6 / Z_6 \text{ orientifolds}$$

*Gmeiner, Lüst, Stein (2007)*

$$\frac{\text{Madrid configurations with tadpole solution}}{\text{All tadpole solutions}} \sim 1 \times 10^{-22}$$



# Holistic Wellness with Tachyons

A practical guide to the use of tachyons

Martina Bochnik & Tommy Thomsen

MATERIA TACHYON INCOGNITA



Galaxy N° 1

The First European Tachyon Products!

## NON-SUPERSYMMETRIC MODELS



# NON-SUPERSYMMETRIC MODELS\*

Four ways of removing closed string tachyons

- Chiral algebra extension (non-susy)
- Automorphism MIPF
- Susy MIPF (non-susy extension)
- Klein Bottle

(\* ) *with Beatriz Gato-Rivera*



# NON-SUPERSYMMETRIC MODELS\*

## Four ways of removing closed string tachyons

- Chiral algebra extension (non-susy) ✖
- Automorphism MIPF ✔ (44054 MIPFs)
- Susy MIPF (non-susy extension) ✔ (40261 MIPFs)
- Klein Bottle ✔ (186951 Orientifolds)

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# NON-SUPERSYMMETRIC MODELS\*

## Four ways of removing closed string tachyons

- Chiral algebra extension (non-susy) ✗
- Automorphism MIPF ✓ (44054 MIPFs)
- Susy MIPF (non-susy extension) ✓ (40261 MIPFs)
- Klein Bottle ✓ (186951 Orientifolds)

Huge number of possibilities!

(\* ) *with Beatriz Gato-Rivera*





# NEUTRINO MASSES



# NEUTRINO MASSES\*

- In field theory: easy; several solutions.

Most popular:

add three right-handed neutrinos

add “natural” Dirac & Majorana masses (see-saw)

$$m_\nu = \frac{(M_D)^2}{M_M}; \quad M_D \approx 100 \text{ MeV}, \quad M_M \approx 10^{11} \dots 10^{13} \text{ GeV}$$

- In string theory: non-trivial.  
(String theory is much more falsifiable!).

- Potentially anthropic.

(\* ) *Ibañez, Schellekens, Uranga, arXiv:0704.1079, JHEP (to appear)*  
*Blumenhagen, Cvetič, Weigand, hep-th/0609191*  
*Ibañez, Uranga, hep-th/0609213*

*Other ideas: see e.g. Conlon, Cremades; Giedt, Kane, Langacker, Nelson;*  
*Buchmuller, Hamaguchi, Lebedev, Ratz, ....*



# NEUTRINO MASSES IN MADRID MODELS

All these models have three right-handed neutrinos (required for cubic anomaly cancellation)

In most of these models:

B-L survives as an exact gauge symmetry

Neutrino's can get Dirac masses, but not Majorana masses (both needed for see-saw mechanism).

In a very small\* subset, B-L acquires a mass due to axion couplings.

(\* ) 391 out of 10000 models with  $SU(3) \times Sp(2) \times U(1) \times U(1)$   
(out of 211000 in total)



# B-L VIOLATION BY INSTANTONS

B-L still survives as a perturbative symmetry.  
It may be broken to a discrete subgroup by instantons.

RCFT instanton boundary state  $M$ :  
“Matter” boundary state  $m$ , change space-time boundary conditions from Neumann to Dirichlet.

Condition for B-L violation:  $I_{Ma} - I_{Ma'} - I_{Md} + I_{Md'} \neq 0$

Non-gauge (stringy, exotic) instanton:  
CP multiplicity of the associated matter brane = 0

- Does not introduce new anomalies/tadpoles
- Suppression factor not related to gauge coupling strengths

$$M_M \propto M_s e^{-\frac{1}{g_M^2}}$$



# ZERO-MODES

Majorana mass term  $\nu^c \nu^c$  violates c and d brane charge by two units.  
To compensate this, we must have

$$I_{Mc} = 2; \quad I_{Md} = -2$$

or

$$I_{Md'} = 2; \quad I_{Mc'} = -2$$

Furthermore there must be precisely two susy zero-modes to generate an F-term contribution.

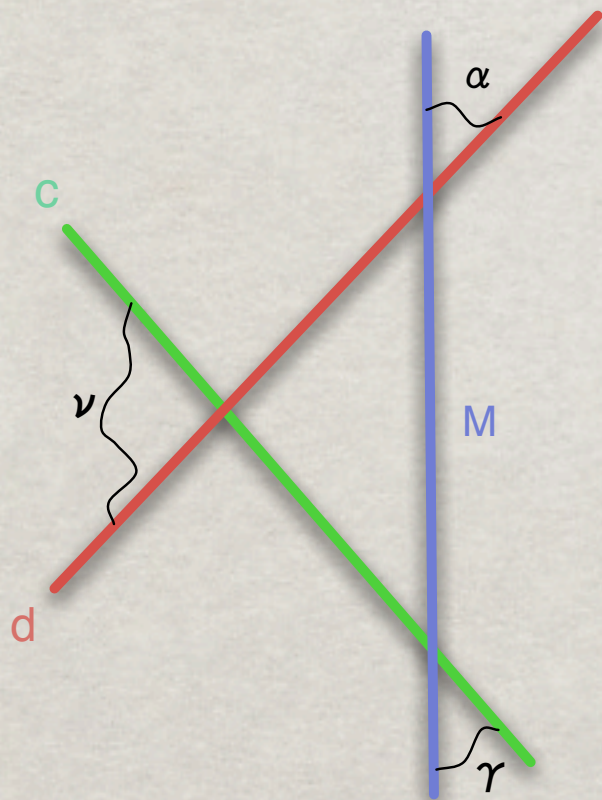
And nothing else!

$I_{Ma} = \text{chiral } [\# (V, V^*) - \# (V^*, V)]$  between branes M and a  
 $a' = \text{boundary conjugate of a}$



# ZERO-MODE INTEGRAL

Zero-mode/neutrino coupling



$$L_{\text{disk}} \propto d_a^{ij} (\alpha_i \nu^a \gamma_j)$$

$$a = 1, 2, 3; \quad i, j = 1, 2$$

$$\int d^2 \alpha d^2 \gamma e^{-d_a^{ij} (\alpha_i \nu^a \gamma_j)} = \nu_a \nu_b (\epsilon_{ij} \epsilon_{kl} d_a^{ik} d_b^{jl})$$



# INSTANTON TYPES

Matter brane $m$	Instanton brane $M$
$U(N)$	$U(k)$
$O(N)$	$Sp(2k)$
$Sp(2N)$	$O(k)$

Matter/Instanton  
zero modes:  $0, \pm 2$

Instanton-Instanton  
susy zero modes: 2

Possible for:

- $U, k=1$  or  $2$
- $Sp, k=1$
- $O, k=1,2$

- $U(k): 4 \text{ Adj}$
- $Sp(2k): 2 A + 2 S$
- $O(k): 2 S + 2 A$

**Only solution:  $O(1)$**



# INSTANTON SCAN

Can we find such branes  $M$  in the 391 models with massive B-L?

- About 30.000 “instanton branes” ( $I_{Ma} - I_{Ma'} - I_{Md} + I_{Md'} \neq 0$ )
- Quantized in units of 1,2 or 4  
(1 may give R-parity violation, 4 means no Majorana mass)
- Some models have no RCFT instantons
- 1315 instantons with correct *chiral* intersections
- None of these models has R-parity violating instantons.
- Most instantons are symplectic in this sample.
- There are examples with exactly the right number, *non-chirally*, except for the spurious extra susy zero-modes (Sp(2) instantons).

...almost



# AN $SP(2)$ INSTANTON MODEL

## U3 S2 U1 U1 O

3 x	( V ,V ,0 ,0 ,0 )	chirality 3
3 x	( V ,0 ,V ,0 ,0 )	chirality -3
3 x	( V ,0 ,V* ,0 ,0 )	chirality -3
3 x	( 0 ,V ,0 ,V ,0 )	chirality 3
5 x	( 0 ,0 ,V ,V ,0 )	chirality -3
3 x	( 0 ,0 ,V ,V* ,0 )	chirality 3
1 x	( 0 ,0 ,V ,0 ,V )	chirality -1
1 x	( 0 ,0 ,0 ,V ,V )	chirality 1
18 x	( 0 ,V ,V ,0 ,0 )	
2 x	( V ,0 ,0 ,V ,0 )	
2 x	( Ad, 0 ,0 ,0 ,0 )	
2 x	( A ,0 ,0 ,0 ,0 )	
6 x	( S ,0 ,0 ,0 ,0 )	
14 x	( 0 ,A ,0 ,0 ,0 )	
6 x	( 0 ,S ,0 ,0 ,0 )	
9 x	( 0 ,0 ,Ad, 0 ,0 )	
6 x	( 0 ,0 ,A ,0 ,0 )	
14 x	( 0 ,0 ,S ,0 ,0 )	
3 x	( 0 ,0 ,0 ,Ad, 0 )	
4 x	( 0 ,0 ,0 ,A ,0 )	
6 x	( 0 ,0 ,0 ,S ,0 )	



# AN $SP(2)$ INSTANTON MODEL

**U3 S2 U1 U1 O**

3 x	( V ,V ,0 ,0 ,0 )	chirality 3
3 x	( V ,0 ,V ,0 ,0 )	chirality -3
3 x	( V ,0 ,V* ,0 ,0 )	chirality -3
3 x	( 0 ,V ,0 ,V ,0 )	chirality 3
5 x	( 0 ,0 ,V ,V ,0 )	chirality -3
3 x	( 0 ,0 ,V ,V* ,0 )	chirality 3
1 x	( 0 ,0 ,V ,0 ,V )	chirality -1
1 x	( 0 ,0 ,0 ,V ,V )	chirality 1
18 x	( 0 ,V ,V ,0 ,0 )	
2 x	( V ,0 ,0 ,V ,0 )	
2 x	( Ad, 0 ,0 ,0 ,0 )	
2 x	( A ,0 ,0 ,0 ,0 )	
6 x	( S ,0 ,0 ,0 ,0 )	
14 x	( 0 ,A ,0 ,0 ,0 )	
6 x	( 0 ,S ,0 ,0 ,0 )	
9 x	( 0 ,0 ,Ad, 0 ,0 )	
6 x	( 0 ,0 ,A ,0 ,0 )	
14 x	( 0 ,0 ,S ,0 ,0 )	
3 x	( 0 ,0 ,0 ,Ad, 0 )	
4 x	( 0 ,0 ,0 ,A ,0 )	
6 x	( 0 ,0 ,0 ,S ,0 )	



# THE O1 INSTANTON

Type:	U	S	U	U	U	O	O	U	O	O	O	U	S	S	O	S	
Dimension	3	2	1	1	1	2	2	3	1	2	3	1	2	2	2	--	
5 x	( V , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -3															
5 x	( 0 , 0 , V , V* , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 3															
3 x	( V , 0 , V* , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -3															
3 x	( 0 , 0 , V , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -3															
3 x	( V , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 3															
3 x	( 0 , V , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 3															
2 x	( 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V )	chirality 2															
12 x	( 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V )	chirality -2															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , V )																
2 x	( 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V )																
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , V )																
2 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , V )																
1 x	( 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V )																
3 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , S )																
4 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , V )																
2 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , A )																
2 x	( V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V )																
3 x	( 0 , 0 , 0 , 0 , S , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -1															
3 x	( 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 )	chirality 1															
1 x	( 0 , 0 , 0 , 0 , A , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -1															
2 x	( 0 , 0 , 0 , 0 , V , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 2															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 )	chirality -1															
1 x	( 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -1															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 1															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , V , 0 , 0 , 0 , 0 , 0 )	chirality -1															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 )	chirality -1															
1 x	( 0 , 0 , 0 , 0 , V , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality -1															
1 x	( 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 )	chirality 1															
1 x	( 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V* , 0 , 0 , 0 , 0 , 0 )	chirality -1															
3 x	( 0 , 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 )	chirality 1															
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )	chirality 1															
2 x	( 0 , 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 )																
1 x	( Ad , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )																
2 x	( 0 , S , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )																
1 x	( 0 , 0 , 0 , Ad , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )																
6 x	( 0 , 0 , V , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , V , 0 , 0 , 0 )																
1 x	( 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , A , 0 )																
1 x	( 0 , 0 , 0 , 0 , Ad , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 , 0 )																



# CONCLUSIONS

- Many desirable SM features can be realized in the RCFT orientifold landscape...

- Chiral SM spectrum
- No mirrors
- No adjoints, rank-2 tensors
- No hidden sector
- No hidden-observable massless matter
- Matter free hidden sector
- Exact  $SU(3) \times SU(2) \times U(1)$
- $O1$  instantons

....but not all at the same time.

Seems just a matter of statistics.

- Neutrino masses from instantons: probably possible, but very rare in RCFT.