## NON-SUPERSYMMETRIC Gepner Orientifolds

A.N. Schellekens

NIKHEF


## BASED ON

Q B. Gato-Rivera and A.N. Schellekens,

Phys.Lett.B656:127-131,2007
and to appear.
Q Also:
Dijkstra, Huiszoon, Schellekens,
Phys.Lett.B609:408-417,2005, Nucl.Phys.B710:3-57,2005,
Anastasopoulos, Dijkstra, Kiritsis, Schellekens.
Nucl.Phys.B759:83-146,2006

## LHC may provide evidence in favor of this picture:



Finding supersymmetry plus better evidence for GUT unification would be an exciting event in "Beyond the Standard Model" phenomenology.

It would point to a new fundamental theory with more symmetries.

But we are string phenomenologists, so we already have some idea what that new fundamental theory should be.

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Ibanez, Marchesano, Rabadan, Cveltic, Shiu, Uranga, Lüst, Blumenhagen, Gorlich, Ott, Honecker, Quevedo, Cremades, Conlon, Verlinde, Wijnholt, Weigand, Gmeiner, Aldazabal, Andres, Font, Juknevich, Li, Liu, Körs, Stieberger, Cascales, Camara, Antoniadis, Kiritsis, Anastasopoulos, Kokorelis, Rizos, Tomaras, Bailin, Love, Nanopoulos, ....

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## So we are in excellent company...



Dijkstra, Huiszoon, Schellekens, Nucl.Phys.B710:3-57,2005

## MOTIVATION

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If coupling constant convergence is just a coincidence, who needs susy?Q Even if not, this part of the landscape must be explored anyway, in order to know why we don't live there.
Q Can we really eradicate susy from the spectrum?
Q The supersymmetric results suggest that Gepner models are more "generic" that free-field theory based approaches (free fermions, orbifolds)
Q It can be done.



RCFT ORIENTIFOLDS

## ORIENTIFOLD PARTITION FUNCTIONS

Q Closed $\frac{1}{2}\left[\sum_{i j} \chi_{i}(\tau) Z_{i j} \chi_{i}(\bar{\tau})+\sum_{i} K_{i} \chi_{i}(2 \tau)\right]$

Q Open $\frac{1}{2}\left[\sum_{i, a, n} N_{a} N_{b} A_{a b}^{i}{ }_{i}\left(\frac{\tau}{2}\right)+\sum_{i, a} N_{a} M_{a}^{i} \hat{\chi}_{i}\left(\frac{\tau}{2}+\frac{1}{2}\right)\right]$
$i$ : Primary field label (finite range)
$a$ : Boundary label (finite range)
$\chi_{i}$ : Character
$N_{a}$ : Chan-Paton (CP) Multiplicity

## COEFFICIENTS

## Q Klein bottle



$$
K^{i}=\sum_{m, J, J^{\prime}} \frac{S^{i}{ }_{m} U_{(m, J)} g_{J, J^{\prime}}^{\Omega, m} U_{\left(m, J^{\prime}\right)}}{S_{0 m}}
$$

Q Annulus


$$
A_{\left[a, \psi_{a}\right]\left[b, \psi_{b}\right]}^{i}=\sum_{m, J, J^{\prime}} \frac{S^{i} R_{\left[a, \psi_{a}\right](m, J)} g_{J, J^{\prime}}^{\Omega, m} R_{\left[b, \psi_{b}\right]\left(m, J^{\prime}\right)}}{S_{0 m}}
$$

- Moebius


$$
M_{\left[a, \psi_{a}\right]}^{i}=\sum_{m, J, J^{\prime}} \frac{P_{m}^{i} R_{\left[a, \psi_{a}\right](m, J)} g_{J, J^{\prime}}^{\Omega, m} U_{\left(m, J^{\prime}\right)}}{S_{0 m}} \quad g_{J, J^{\prime}}^{\Omega, m}=\frac{S_{m 0}}{S_{m K}} \beta_{K}(J) \delta_{J^{\prime}, J^{c}}
$$

## BoUndaries and Crosscaps

Q Boundary coefficients

$$
R_{\left[a, \psi_{a}\right](m, J)}=\sqrt{\frac{|\mathcal{H}|}{\left|\mathcal{C}_{a}\right|\left|\mathcal{S}_{a}\right|}} \psi_{a}^{*}(J) S_{a m}^{J}
$$

9 Crosscap coefficients

$$
U_{(m, J)}=\frac{1}{\sqrt{|\mathcal{H}|}} \sum_{L \in \mathcal{H}} e^{\pi i\left(h_{K}-h_{K L}\right)} \beta_{K}(L) P_{L K, m} \delta_{J, 0}
$$

Cardy (1989)
Sagnotti, Pradisi, Stanev (~1995)
Huiszoon, Fuchs, Schellekens, Schweigert, Walcher (2000)

## Algebraic CHOICES

Q Basic CFT ( $\mathrm{N}=2$ tensor ${ }^{(1)}$, free fermions ${ }^{(2)}$...)
Q Chiral algebra extension
May imply space-time symmetry (e.g. Susy: GSO projection).
But this is optional!
Reduces number of characters.
Q Modular Invariant Partition Function (MIPF)
May imply bulk symmetry (e.g Susy), not respected by all boundaries. Defines the set of boundary states (Sagnotti-Pradisi-Stanev completeness condition)

Q Orientifold choice
${ }^{(1)}$ Dijkstra et. al.
${ }^{(2)}$ Kiritsis, Lennek, Schellekens, to appear.

## NON-SUPERSYMMETRIC STRING THEORIES

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Many examples in four dimensions, e.g.

Kawai, Tye, Lewellen, Lerche, Lüst, A.N.S, Kachru, Silverstein, Kumar, Shiu, Dienes, Blum, Angelantonj, Sagnotti, Blumenhagen, Font, .....

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Once again we are in excellent company.

## NON-SUPERSYMMETRIC STRINGS

Additional complications:

9 Tachyons: Closed sector, Open sector
Q Tadpoles: Separate equations for NS and R.

## NON-SUPERSYMMETRIC STRINGS

Best imaginable outcome:
9 Exactly the standard model (open sector)

But even then, there will be plenty of further problems: tadpoles at genus 1 , how to compute anything of interest without the help of supersymmetry, etc.

## CLOSED SECTOR

## Four ways of removing closed string tachyons:

9 Chiral algebra extension (non-susy) All characters non-supersymmetric, but tachyon-free.
9 Automorphism MIPF
No tachyons in left-right pairing of characters.
Q Susy MIPF
Non-supersymmetric CFT, but supersymmetric bulk.
Allows boundaries that break supersymmetry.
Q Klein Bottle
This introduces crosscap tadpoles. Requires boundaries with non-zero CP multiplicity.

## CLOSED SECTOR

Do these possibilities occur?

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Q Automorphism MIPF
Q Susy MIPF
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$\checkmark$ (44054 MIPFs)
$\checkmark$ (40261 MIPFs)

- (186951 Orientifolds)


## TACHYON-FREE CLOSED STRINGS

|  | 63 | 26 | 816 | $0,0,0,0$ | $4,0,0,0$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | 333 | 130 | 33804 | 72,48,0,0 | 635,40,0,0 |
|  | 12 | 3 | 14 | 0,0,0,0 | 1,0,0,0 |
|  | 36 | 10 | 162 | 0,12,0,0 | 0,0,0,0 |
|  | 123 | 61 | 1160 | 15,16,0,0 | 0,0,0,0 |
|  | 36 | 12 | 186 | 0,6,0,0 | 0,0,0,0 |
| ) | 78 | 29 | 1208 | 16,24,0,0 | 1,1,0,0 |
|  | 108 | 35 | 892 | 0,8,0,0 | 0,0,0,0 |
|  | 228 | 106 | 8888 | 16,24,0,0 | 39,3,0,0 |
|  | 88 | 43 | 3652 | 0,0,0,0 | 0,16,0,0 |
|  | 197 | 113 | 8534 | 430,95,0,0 | 395,78,0,0 |
|  | 216 | 100 | 16972 | 408,148,0,0 | 676,0,0,0 |
|  | 265 | 164 | 49008 | 160,120,0,0 | 396,172,0,0 |
|  | 546 | 403 | 388155 | 2912,1583,0,387 | 4180,1564,0,0 |
|  | 754 | 617 | 2112682 | 17680,12560,0,1942 | 105653,43836,6818,4202 |
| 1) | 56 | 31 | 2984 | 28,52,0,0 | 0,0,0,0 |
|  | 120 | 80 | 8668 | 270,200,26,0 | 97,86,0,0 |
|  | 126 | 82 | 12832 | 0,84,32,0 | 27,50,4,0 |
|  | 120 | 91 | 38228 | 0,448,0,186 | 0,416,0,0 |
| 4) | 60 | 41 | 4426 | 218,190,95,0 | 9,11,8,0 |
| 2) | 35 | 24 | 2838 | 0,18,24,0 | 0,0,0,0 |
| 1,1) | 289 | 202 | 161774 | 52058,17568,5359,0 | 41168,10292,3993,478 |


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## EXAMPLES OF TADPOLE AND TACHYON-FREE SPECTRA

I. Orientifolds of tachyon-free closed strings

CFT 11111111, Extension 176, MIPF 35, orientifold 0
Gauge group $\operatorname{Sp}(4)$
Bosons: $2 \times(\mathrm{S}) \quad$ (Symmetric Tensor)
Fermions: None

CFT 11111111, Extension 70, MIPF 56, orientifold 0

Gauge group Sp(4)
Bosons: None (Symmetric Tensor)
Fermions: $2 \times(\mathrm{S})$

CFT 11111111, Extension 176, MIPF 21, orientifold 0
Gauge group $\operatorname{Sp}(4)$ Bosons: None Fermions: None

## CFT 11111111, Extension 67, MIPF 508, orientifold 0

## Gauge group $\mathrm{Sp}(2) \times \mathrm{U}(1)$

Fermions

$$
\begin{aligned}
& 8 \times(\mathrm{V}, \mathrm{~V}) \\
& 6 \times(\mathrm{S}, 0) \\
& 6 \times(0, \mathrm{Ad}) \\
& 8 \times(0, \mathrm{~S}) \\
& 8 \times(\mathrm{V}, \mathrm{~V}) \\
& 5 \times(\mathrm{S}, 0) \\
& 5 \times(0, \mathrm{Ad}) \\
& 8 \times(0, \mathrm{~S})
\end{aligned}
$$

Bosons

## CFT 1112410, Extension 157, MIPF 63, orientifold 0

## Gauge group $\mathrm{O}(4) \times \mathrm{U}(1) \times \mathrm{U}(2)$

Fermions

$$
\begin{aligned}
& 2 \times(\mathrm{V}, 0, \mathrm{~V}) \text { chirality }-2 \\
& 2 \times(0, \mathrm{~V}, \mathrm{~V}) \text { chirality } 2 \\
& 2 \times\left(0, \mathrm{~V}, \mathrm{~V}^{*}\right) \text { chirality }-2 \\
& 6 \times(0,0, \mathrm{~A}) \text { chirality }-2 \\
& 4 \times(\mathrm{V}, \mathrm{~V}, 0) \\
& 2 \times(\mathrm{S}, 0,0) \\
& 6 \times(0, \mathrm{Ad}, 0) \\
& 4 \times(0, \mathrm{~S}, 0) \\
& 2 \times(0,0, \mathrm{Ad}) \\
& 2 \times(\mathrm{V}, 0, \mathrm{~V}) \\
& 2 \times(\mathrm{A}, 0,0) \\
& 3 \times(\mathrm{V}, \mathrm{~V}, 0) \\
& 6 \times(0, \mathrm{Ad}, 0) \\
& 3 \times(0, \mathrm{~A}, 0) \\
& 4 \times(0, \mathrm{~S}, 0) \\
& 3 \times(0,0, \mathrm{Ad}) \\
& 4 \times(0,0, \mathrm{~S})
\end{aligned}
$$

## EXAMPLES OF TADPOLE AND TACHYON-FREE SPECTRA

II. Orientifolds of tachyonic closed strings, with tachyons projected out by the Klein bottle

## CFT 22266, Extension 710, MIPF 635, orientifold 6 Gauge group $\mathrm{U}(1) \times \mathrm{U}(1) \times \mathrm{U}(4) \times \mathrm{U}(2)$

```
3x(V,0,0,V ) chirality 3
3x(V,0,0,V*) chirality -3
3x(0,V,0,V) chirality -3
3x(0,V,0,V*) chirality 3
1x(V,0,V,0) chirality 1
1x(V,0,\mp@subsup{V}{}{*},0) chirality -1
1\times(0,V,V,0 ) chirality -1
1\times(0,V,V*,0) chirality 1
6x(V,V ,0,0)
6x(V,V*,0,0)
2x(0,0,V,V)
1x(0,0,Ad,0)
3x (0,0,0,Ad)
4x(0,0,V,V*)
2 x (Ad,0,0,0 )
4x(A,0,0,0 )
4x ( S,0,0,0 )
2x(0,Ad,0,0)
4x(0,A,0,0)
4x(0,S,0,0)
4x(0,0,0,S )
```

$$
\begin{aligned}
& 3 x(\mathrm{~V}, 0,0, \mathrm{~V}) \\
& 3 x\left(\mathrm{~V}, 0,0, \mathrm{~V}^{*}\right) \\
& 3 x(0, V, 0, V) \\
& 3 x\left(0, V, 0, V^{*}\right) \\
& 1 \times(\mathrm{V}, 0, \mathrm{~V}, 0) \\
& 1 \times\left(\mathrm{V}, 0, \mathrm{~V}^{*}, 0\right) \\
& 1 \times(0, V, V, 0) \\
& 1 \times\left(0, V, V^{*}, 0\right) \\
& 6 x(\mathrm{~V}, \mathrm{~V}, 0,0) \\
& 6 x\left(\mathrm{~V}, \mathrm{~V}^{*}, 0,0\right) \\
& 2 \times(0,0, V, V) \\
& 2 \times(0,0,0, A d) \\
& 3 \times(\text { Ad, } 0,0,0 \text { ) } \\
& 2 \times(\mathrm{A}, 0,0,0) \\
& 2 \times(S, 0,0,0) \\
& 3 \times(0, A d, 0,0) \\
& 2 \times(0, A, 0,0) \\
& 2 \times(0, S, 0,0) \\
& 2 \times(0,0, A, 0) \\
& 2 \times(0,0, S, 0) \\
& 6 \times(0,0,0, A) \\
& 2 \times(0,0,0, S)
\end{aligned}
$$

■ chirality


Based on a sample of 72912 tadpole and tachyon-free spectra

FINDING THE SM

## MODELS



Vector-like: mass allowed by $\mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1)$ (Higgs, right-handed neutrino, gauginos, sparticles....)

## SEARCH CRITERIA(*)

## Require only:

$9 \mathrm{U}(3)$ from a single brane
$9 \mathrm{U}(2)$ from a single brane
9 Quarks and leptons, Y from at most four branes

- $\mathrm{G}_{\mathrm{CP}} \supset \mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1)$

9 Chiral $G_{C P}$ fermions reduce to quarks, leptons (plus non-chiral particles)
Q Massless Y
(*) Anastasopoulos et. al. (2006)

## SUPERSYMMETRIC GEPNER MODELS

Q 168 tensor combinations(Susy extension)
95403 MIPFs (880 Hodge number pairs)
Q 49322 Orientifolds

## Two scans:

with Dijkstra, Huiszoon (2004/2005)

* 19 Chiral types ("Madrid models")
* 18 with tadpole cancellation
*211000 non-chirally distinct spectra
with Anastasopoulos, Dijkstra, Kiritsis (2005/2006)
* 19345 Chiral types
* 1900 with tadpole cancellation


## SEARCH FOR NON-SUSY SM CONFIGURATIONS

Total number of tachyon-free boundary state combinations satisfying our criteria:

$$
3456601
$$

Subdivided as follows

| Bulk Susy | 3389835 | $98.1 \%$ |
| :--- | :--- | :--- |
| Tachyon-free <br> automorphism | 66378 | $1.9 \%$ |
| Tachyon-free <br> Klein bottle projection | 388 | $0.01 \%$ |

## An EXAMPLE

CFT 44716, Extension 124, MIPF 27, Orientifold 0 N=1 Susy Bulk symmetry

Spectrum type 20088 (Not on ADKS list) Gauge Group $\mathrm{U}(3) \times \mathrm{U}(2) \times \mathrm{Sp}(4) \times \mathrm{U}(1)$
(broken by axion couplings to $\mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{Sp}(4) \times \mathrm{U}(1)$ )

| $3 \times(\mathrm{A}, 0,0,0)$ chirality 3 | $3 \times(\mathrm{S}, 0,0,0)$ |
| :--- | :--- |
| $3 \times(0, \mathrm{~A}, 0,0)$ chirality 3 | $3 \times(0, \mathrm{~S}, 0,0)$ |
| $4 \times(0,0,0, \mathrm{~A})$ chirality -2 | $4 \times(0,0,0, \mathrm{~A})$ |
| $5 \times(0,0,0, \mathrm{~S})$ chirality -3 | $5 \times(0,0,0, \mathrm{~S})$ |
| $3 \times(\mathrm{V}, 0, \mathrm{~V}, 0)$ chirality -1 | $3 \times(\mathrm{V}, 0, \mathrm{~V}, 0)$ |
| $1 \times(\mathrm{V}, 0,0, \mathrm{~V})$ chirality 1 | $2 \times(\mathrm{V}, 0,0, \mathrm{~V})$ |
| $1 \times(0, \mathrm{~V}, 0, \mathrm{~V})$ chirality 1 | $2 \times(0, \mathrm{~V}, 0, \mathrm{~V})$ |
| $1 \times(0,0, \mathrm{~V}, \mathrm{~V})$ chirality 1 | $3 \times(0,0, \mathrm{~V}, \mathrm{~V})$ |
| $5 \times(\mathrm{V}, \mathrm{V}, 0,0)$ chirality 3 | $5 \times(\mathrm{V}, \mathrm{V}, 0,0)$ |
| $1 \times(0, \mathrm{~V}, \mathrm{~V}, 0)$ chirality -1 | $1 \times(0, \mathrm{~V}, \mathrm{~V}, 0)$ |
| $3 \times(\mathrm{Ad}, 0,0,0)$ | $2 \times(\mathrm{Ad}, 0,0,0)$ |
| $3 \times(0, \mathrm{Ad}, 0,0)$ | $2 \times(0, \mathrm{Ad}, 0,0)$ |
| $4 \times(0,0,0, \mathrm{Ad})$ | $3 \times(0,0,0, \mathrm{Ad})$ |
| $2 \times(0,0, \mathrm{~A}, 0)$ | $1 \times(0,0, \mathrm{~S}, 0)$ |
| $4 \times(\mathrm{S}, 0,0,0)$ | $4 \times(\mathrm{A}, 0,0,0)$ |
| $4 \times(0, \mathrm{~S}, 0,0)$ | $4 \times(0, \mathrm{~A}, 0,0)$ |
| $2 \times\left(\mathrm{V}, 0,0, \mathrm{~V}^{*}\right)$ |  |
| $2 \times\left(0, \mathrm{~V}, 0, \mathrm{~V}^{*}\right)$ | $2 \times\left(\mathrm{V}, \mathrm{V}^{*}, 0,0\right)$ |


|  | $3 \times(\mathrm{A}, 0,0,0)$ chirality 3 |
| :--- | :--- |
| $3 \times(0, \mathrm{~A}, 0,0)$ chirality 3 | $3 \times(\mathrm{S}, 0,0,0)$ |
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| $3 \times(\mathrm{V}, 0, \mathrm{~V}, 0)$ chirality -1 | $5 \times(0,0,0, \mathrm{~S})$ |
| $1 \times(\mathrm{V}, 0,0, \mathrm{~V})$ chirality 1 | $3 \times(\mathrm{V}, 0, \mathrm{~V}, 0)$ |
| $1 \times(0, \mathrm{~V}, 0, \mathrm{~V})$ chirality 1 | $2 \times(\mathrm{V}, 0,0, \mathrm{~V})$ |
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| $3 \times(\mathrm{Ad}, 0,0,0)$ | $1 \times(0, \mathrm{~V}, \mathrm{~V}, 0)$ |
| $3 \times(0, \mathrm{Ad}, 0,0)$ | $2 \times(\mathrm{Ad}, 0,0,0)$ |
| $4 \times(0,0,0, \mathrm{Ad})$ | $2 \times(0, \mathrm{Ad}, 0,0)$ |
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| $4 \times(\mathrm{S}, 0,0,0)$ | $1 \times(0,0, \mathrm{~S}, 0)$ |
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| $2 \times\left(0, \mathrm{~V}, 0, \mathrm{~V}^{*}\right)$ |  |
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| $1 \times(0,0, \mathrm{~V}, \mathrm{~V})$ chirality 1 | $3 \times(0,0, \mathrm{~V}, \mathrm{~V})$ |
| $5 \times(\mathrm{V}, \mathrm{V}, 0,0)$ chirality 3 | $5 \times(\mathrm{V}, \mathrm{V}, 0,0)$ |
| $1 \times(0, \mathrm{~V}, \mathrm{~V}, 0)$ chirality -1 | $1 \times(0, \mathrm{~V}, \mathrm{~V}, 0)$ |
| $3 \times(\mathrm{Ad}, 0,0,0)$ | $2 \times(\mathrm{Ad}, 0,0,0)$ |
| $3 \times(0, \mathrm{Ad}, 0,0)$ | $2 \times(0, \mathrm{Ad}, 0,0)$ |
| $4 \times(0,0,0, \mathrm{Ad})$ | $3 \times(0,0,0, \mathrm{Ad})$ |
| $2 \times(0,0, \mathrm{~A}, 0)$ | $1 \times(0,0, \mathrm{~S}, 0)$ |
| $4 \times(\mathrm{S}, 0,0,0)$ | $4 \times(\mathrm{A}, 0,0,0)$ |
| $4 \times(0, \mathrm{~S}, 0,0)$ | $4 \times(0, \mathrm{~A}, 0,0)$ |
| $2 \times\left(\mathrm{V}, 0,0, \mathrm{~V}^{*}\right)$ |  |
| $2 \times\left(0, \mathrm{~V}, 0, \mathrm{~V}^{*}\right)$ | $2 \times\left(\mathrm{V}, \mathrm{V}^{*}, 0,0\right)$ |
| $2 \times\left(\mathrm{V}, \mathrm{V}^{*}, 0,0\right)$ |  |

## FINDING HIDDEN SECTORS

## A tachyon-free, tadpole-free hidden sector could be found for 896 of the 3456601 SM configurations.

All of these have bulk susy.
"Statistically" 16 would be expected for the tachyon-free automorphism, 0 for tachyon-free Klein bottles.

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## CONCLUSIONS

Q Non-supersymmetric, tadpole and tachyon-free standard models must exist, but are still hidden in the noise.
Q Supersymmetry is very persistent.

