

# The Higgs boson

# Higgs physics and data-analysis exercises

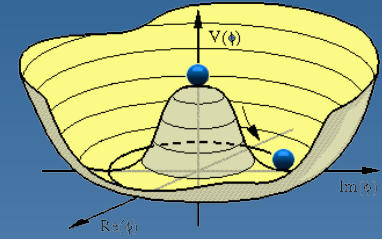


Ivo van Vulpen

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particle Physics, programming, Higgs

**Researcher at Nikhef, Amsterdam**  
ATLAS (top & Higgs physics)

# Lecture 1: Higgs physics intro



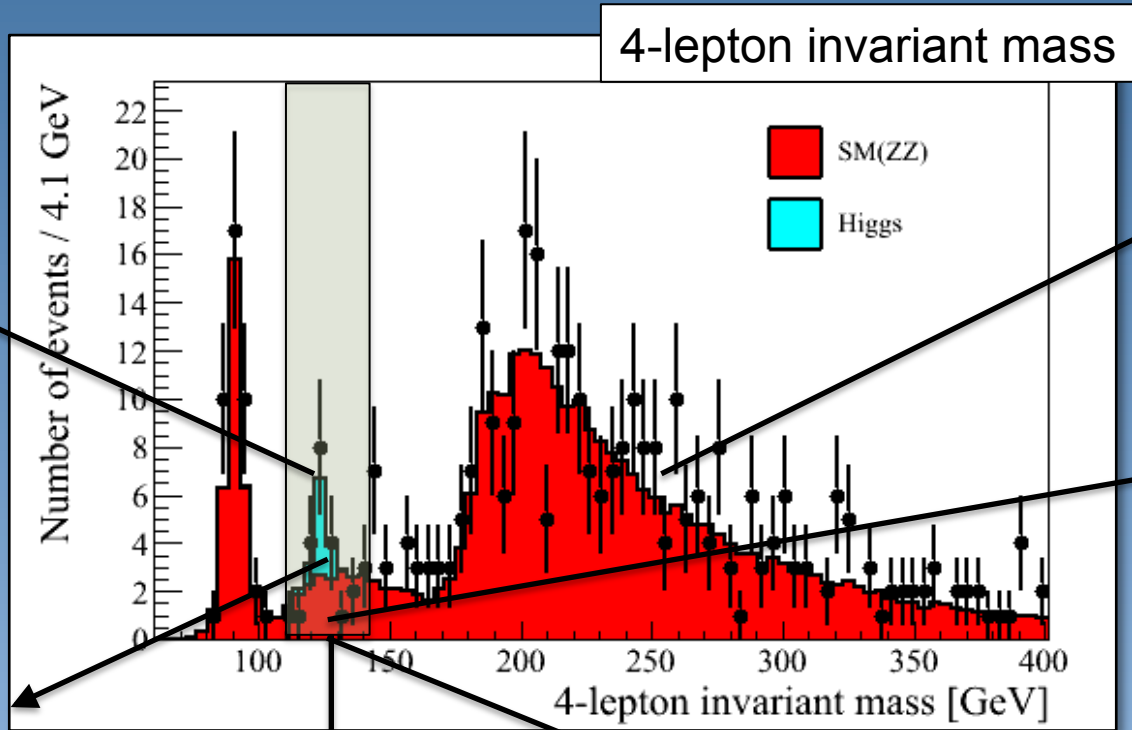
## Theory:

- *Electroweak symmetry breaking in the Standard Model*
- *massive gauge bosons, fermions & extra scalar*

## Experiment:

- *Higgs boson production & decay at the LHC*
- *discovery and current research*
- *open questions, problems and future research*

# Lecture 2: hands-on data analysis



Cross-section measurement

Excluding Higgs masses

Test statistic & Toy-MC

Significance optimization

Mass measurement

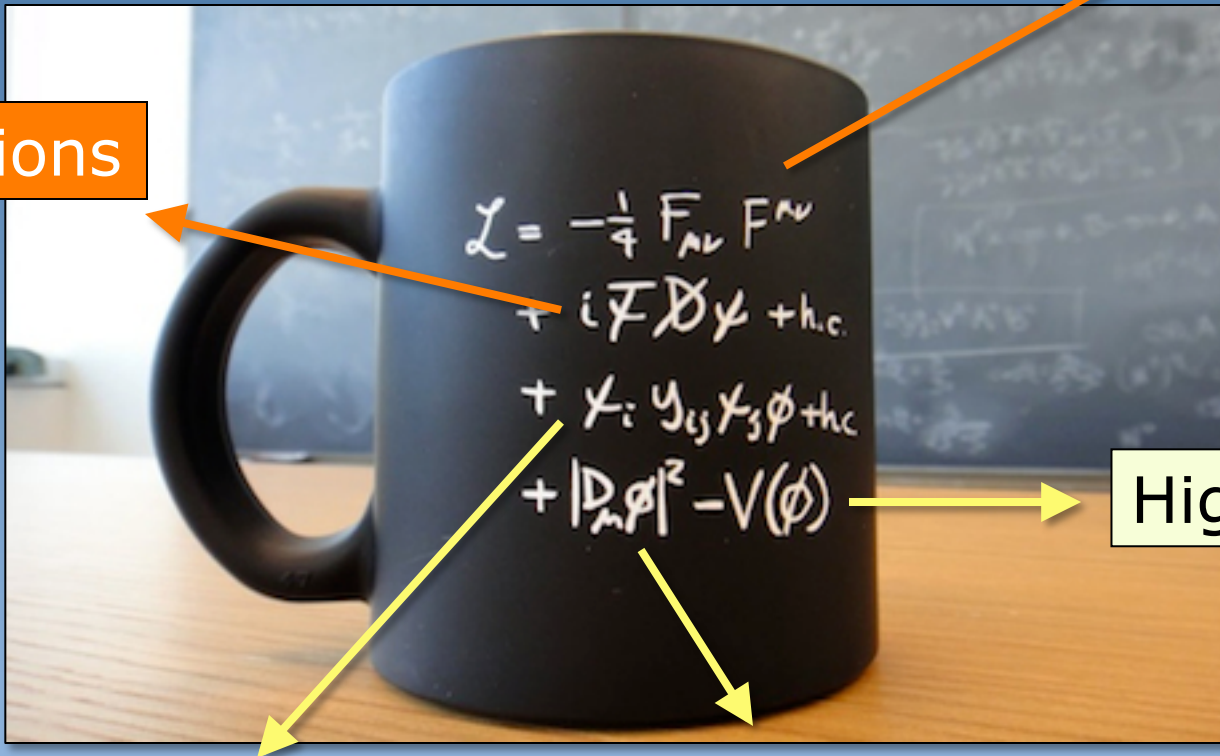
Data-driven background estimate (likelihood fit)

# Higgs boson theory

# Lagrangian of the Standard Model

Gauge fields

Interactions



Higgs particle

Fermion masses

Gauge boson masses

# **'reading' Lagrangians**

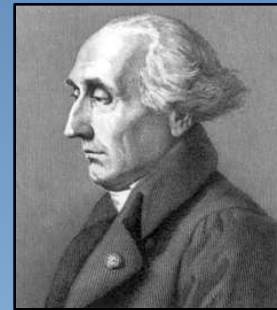
# Lagrange formalism

Lagrangian

$$\mathcal{L} = T(\text{kinetic}) - V(\text{potential})$$

Euler Lagrange equation

$$\frac{d}{dt} \left( \frac{\partial L}{\partial \dot{q}_i} \right) - \frac{\partial L}{\partial q_i} = 0$$



equation of motion

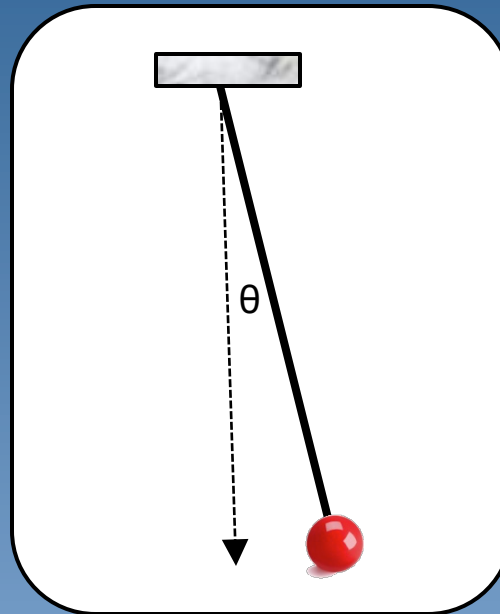


# Classical mechanics

*pendulum*

$$E_{\text{kin}} = \frac{1}{2} m (l\dot{\theta})^2$$

$$E_{\text{pot}} = -mgl \cos(\theta)$$



*Euler-Lagrange*

$$\frac{d}{dt} \frac{\partial L}{\partial \dot{q}_i} - \frac{\partial L}{\partial q_i} = 0$$

*Equation of motion*

$$\ddot{\theta} + \frac{g}{l} \sin(\theta) = 0$$

**Small angles  $\theta \ll 1$ :**

$$\ddot{\theta} = -\frac{g}{l} \theta \longrightarrow \theta(t) = \theta_0 \cos\left(\sqrt{\frac{g}{l}} t\right)$$

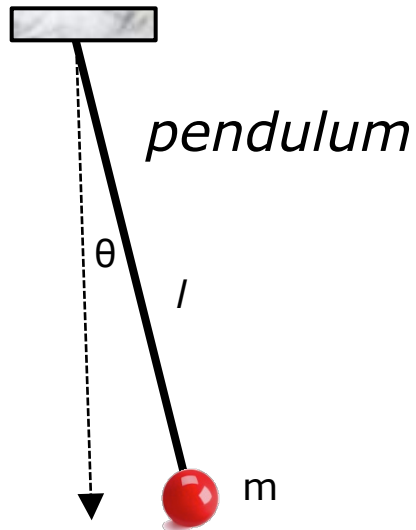
$$T = 2\pi \sqrt{\frac{l}{g}}$$

**All angles:**

$$T = 2\pi \sqrt{\frac{l}{g}} \sum_{n=0}^{\infty} \left[ \left( \frac{(2n)!}{(2^n n!)^2} \right)^2 \sin^{2n} \left( \frac{\theta_0}{2} \right) \right]$$

Tricky: friction, coupled pendula, spring, rotating system, ...

# Equation of motion for elementary particles



$$L = \frac{1}{2} m (l \dot{\theta})^2 + mgl \cos(\theta)$$

$$\ddot{\theta} + \frac{g}{l} \sin(\theta) = 0$$

electron

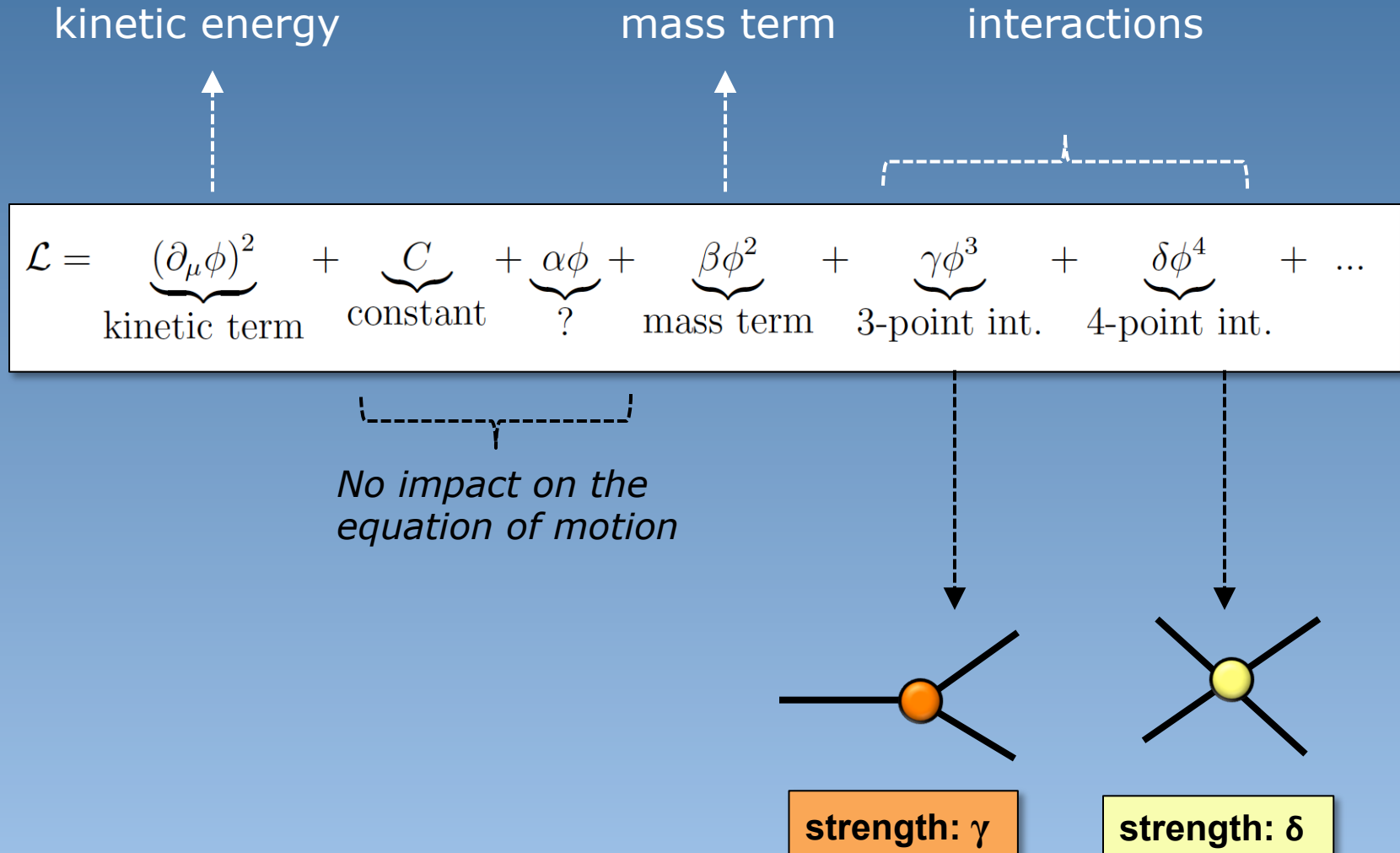


$$\mathcal{L}_{\text{fermion}} = i\bar{\psi}\gamma_{\mu}\partial^{\mu}\psi - m\bar{\psi}\psi$$

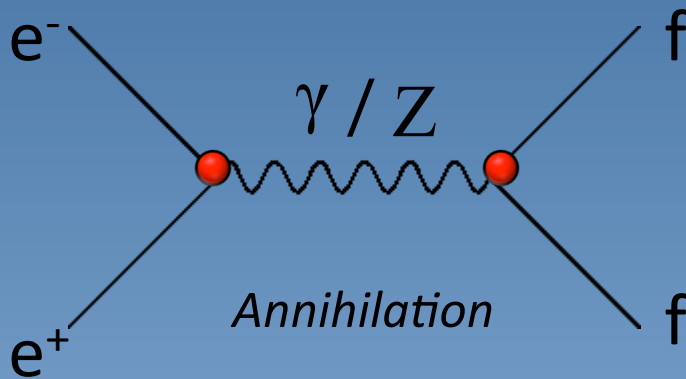
$$(i\gamma_{\mu}\partial^{\mu} - m)\psi = 0$$

**Dirac equation**

# General structure of a Lagrangian



# Cross-sections and interactions



$$\frac{d\sigma}{d\Omega} \Big|_{CM} = \underbrace{\frac{1}{64\pi^2} \frac{p_f}{p_i}}_{\text{kinematics}} \underbrace{|M^2|}_{\text{physics}}$$

Photon

$$i\mathcal{L}_{int}^{QED} = -ie \bar{\psi}_f \gamma_\mu Q \psi_f A^\mu$$

Coupling strength:  $Q$

Z-boson

$$i\mathcal{L}_{int}^{NC} = -i \frac{g}{\cos \theta_w} \bar{\psi}_f \gamma_\mu \left[ \left( \frac{1 - \gamma_5}{2} \right) T_3 - \sin^2 \theta_w Q \right] \psi_f Z^\mu$$

Coupling strength: mix of iso-spin & hypercharge

# Quantum Electro Dynamics

$$L_{QED} = i\bar{\psi}\gamma_{\mu}\partial^{\mu}\psi - \frac{1}{4}F_{\mu\nu}F^{\mu\nu} - e\bar{\psi}\gamma_{\mu}A^{\mu}\psi$$

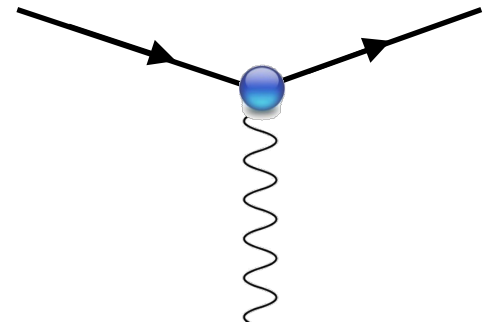
**free electron**



**photon**



**Interaction**



# **(local) gauge invariance**

The origin of forces in the SM

# Local gauge invariance

Schrödinger equation:

$$H\Psi(\vec{r}) = \left( -\frac{\hbar^2}{2m} \vec{\nabla}^2 + V(\vec{r}) \right) \Psi(\vec{r}) = E\Psi(\vec{r})$$

Symmetric under **global** phase ( $\alpha$ ):

$$\Psi(\vec{r}) \rightarrow \Psi'(\vec{r}) = e^{i\alpha} \Psi(\vec{r})$$

**Not** symmetric under **local** phase ( $\alpha(\mathbf{r})$ ):

$$\Psi(\vec{r}) \rightarrow \Psi'(\vec{r}) = e^{i\alpha(\vec{r})} \Psi(\vec{r})$$

U(1) symmetry: rotation

It is possible to keep physics invariant under this local gauge transformation

# Local gauge invariance

Schrödinger equation:

$$H\Psi(\vec{r}) = \left( -\frac{\hbar^2}{2m} \vec{\nabla}^2 + V(\vec{r}) \right) \Psi(\vec{r}) = E\Psi(\vec{r})$$

**solution**

Covariant derivative:

$$\vec{\nabla} \rightarrow \vec{\nabla} - i\vec{A}(\vec{r})$$



**new vector field**

vector field special properties

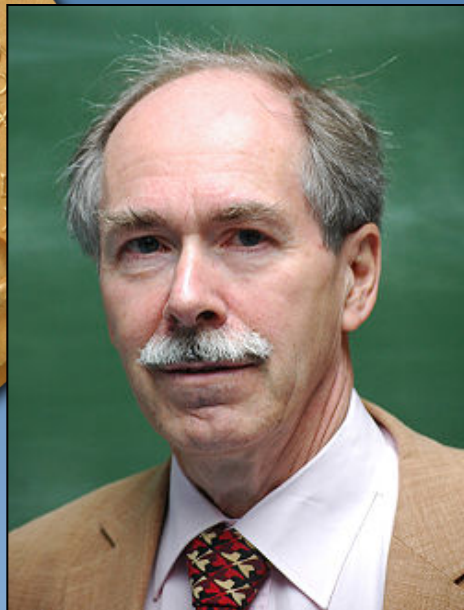
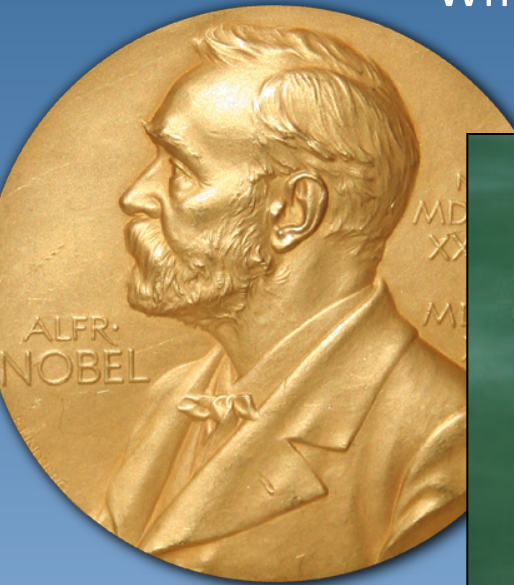
$$\vec{A}(\vec{r}) \rightarrow \vec{A}(\vec{r}) + \vec{\nabla}\alpha(\vec{r})$$

$$\left[ -\frac{\hbar^2}{2m} \left( \vec{\nabla} - i\vec{A}(\vec{r}) \right)^2 + V(\vec{r}) \right] \Psi(\vec{r}) = E\Psi(\vec{r})$$



# Local gauge invariance: why ?

Why demand such a high degree of symmetry ?



*Gerard 't Hooft*



*Martinus Veltman*

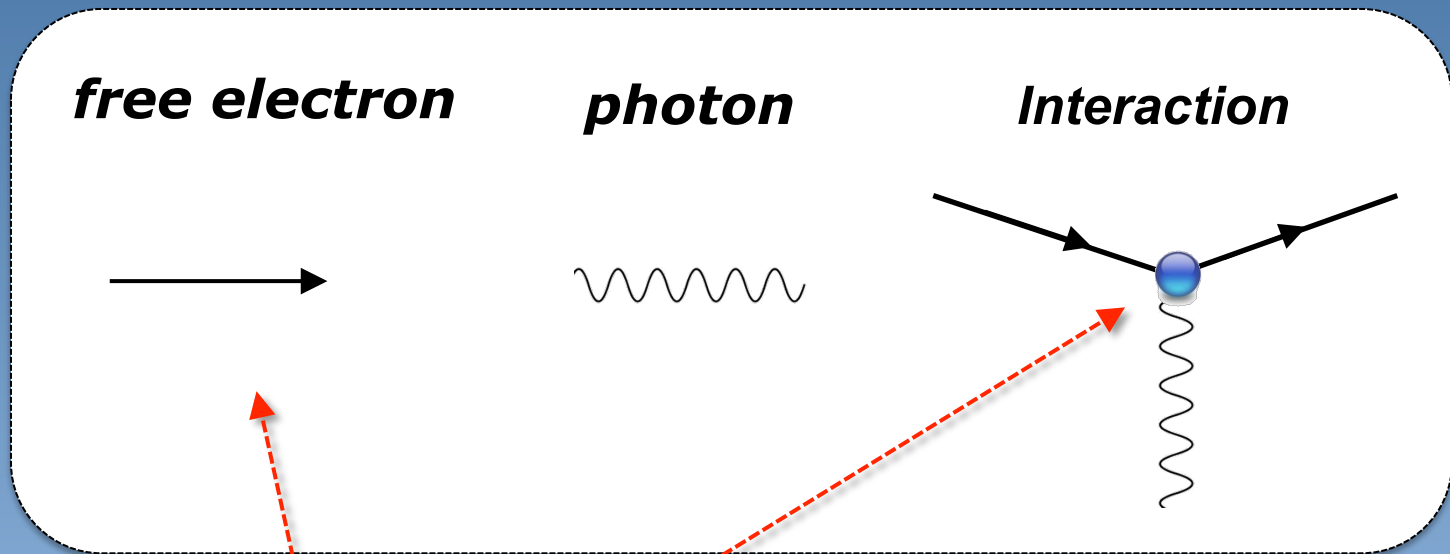


Necessary to keep the Standard Model 'well behaved'

You 'automatically' get gauge fields and interactions

# QED: local U(1) gauge invariance

$$L_{QED} = i\bar{\psi}\gamma_{\mu}\partial^{\mu}\psi - \frac{1}{4}F_{\mu\nu}F^{\mu\nu} - e\bar{\psi}\gamma_{\mu}A^{\mu}\psi$$



$$\begin{aligned}L_{QED} &= i\bar{\psi}\gamma_{\mu}(\partial_{\mu} - ieA_{\mu})\psi \\ &= i\bar{\psi}\gamma_{\mu}D_{\mu}\psi\end{aligned}$$

Linked to  $U(1)_Q$  invariance:

$$\psi(\vec{r}) \rightarrow e^{iQ\alpha(\vec{r})}\psi(\vec{r})$$

# Symmetry-basis of the Standard Model

$$U(1)_Y \otimes SU(2)_L \otimes SU(3)_C$$

Rotations in hypercharge space

Rotations in colour space

Rotations in weak iso-spin space

QED  $U(1)_Y \rightarrow 1 \text{ d.o.f} \rightarrow 1 \text{ gauge boson}$

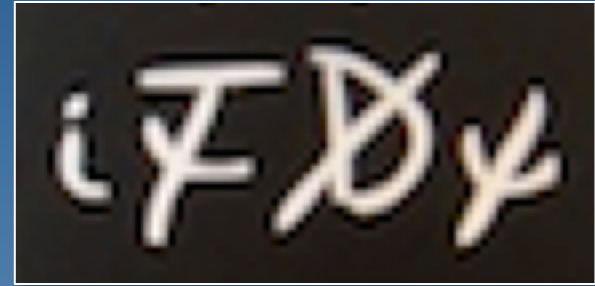
Weak force  $SU(2)_L \rightarrow 3 \text{ d.o.f} \rightarrow 2 \text{ gauge bosons}$

Strong force  $SU(3)_C \rightarrow 8 \text{ d.o.f} \rightarrow 8 \text{ gauge bosons}$

$\gamma, W^+, W^-, Z^0$

**8 gluons**

# Electroweak theory



Covariante derivative

$$D_\mu = \partial_\mu + ig\frac{1}{2}\vec{\tau} \cdot \vec{W}_\mu + ig'\frac{1}{2}Y B_\mu$$

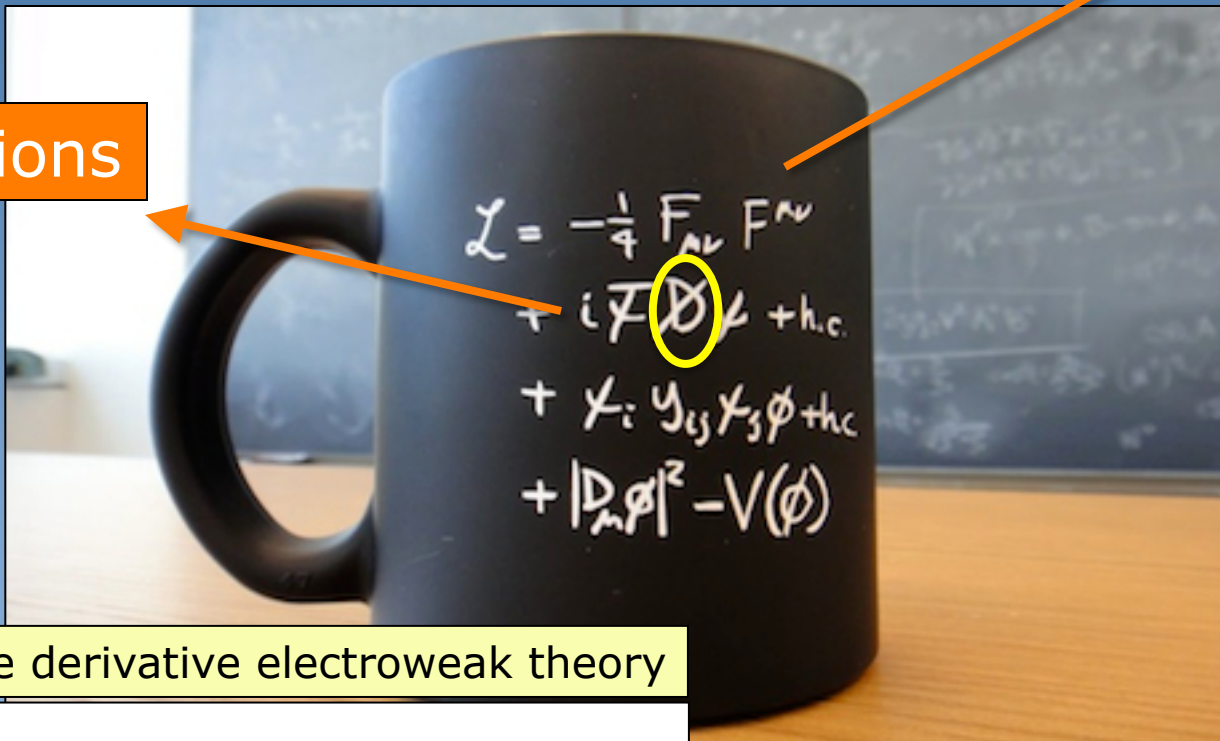
*Rotations in weak iso-spin space  
 $SU(2)_L$ : 3 gauge fields:  $W_1, W_2, W_3$*

*Rotations in hypercharge space  
 $U(1)_Y$ : 1 gauge field:  $B$*

# Lagrangian of the Standard Model

Gauge fields

Interactions



Covariante derivative electroweak theory

$$D_\mu = \partial_\mu + ig \frac{1}{2} \vec{\tau} \cdot \vec{W}_\mu + ig' \frac{1}{2} Y B_\mu$$

# Self-coupling gauge fields: prediction

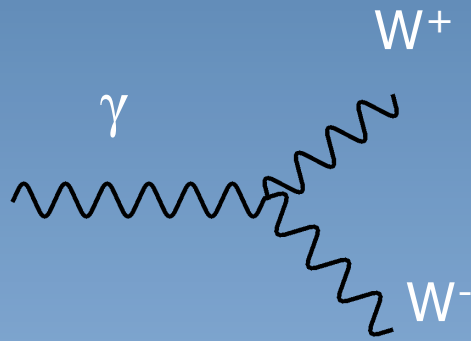
Rotations in  $SU(2)$  do not commute  $\rightarrow$  self interaction gauge fields

$W^+, W^-, Z, \gamma$



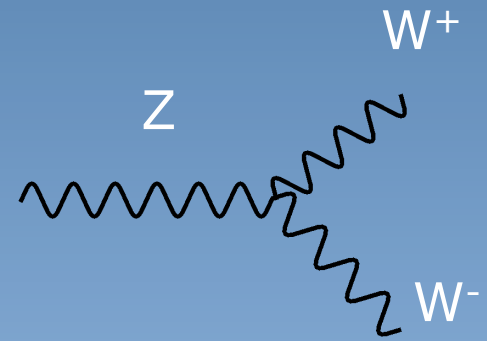
*boson propagator*

$\gamma$



*self-coupling*

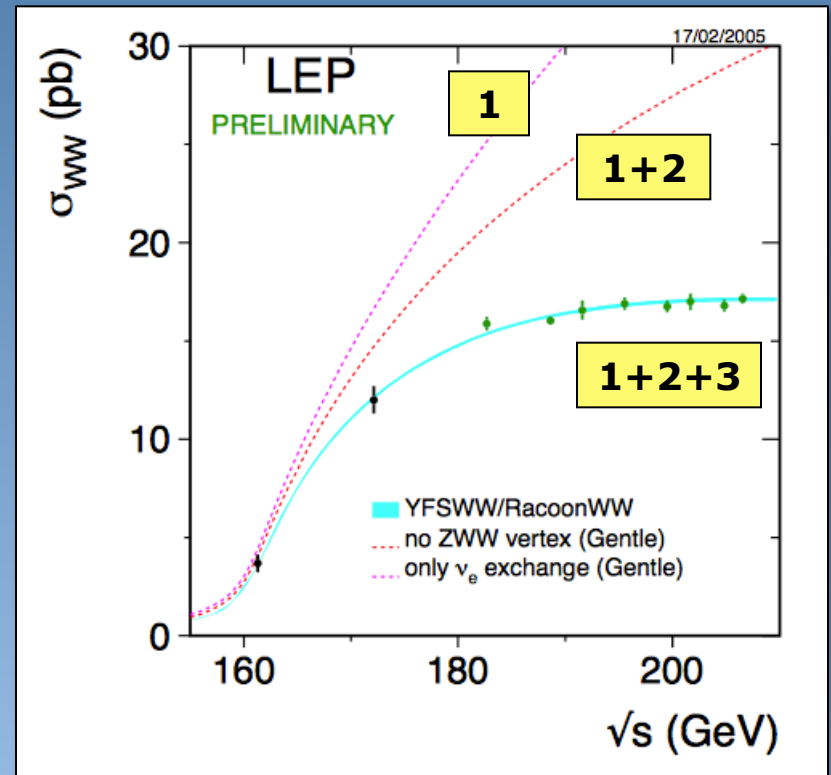
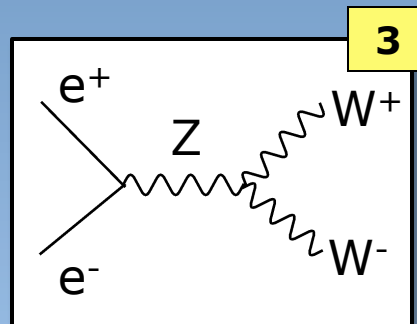
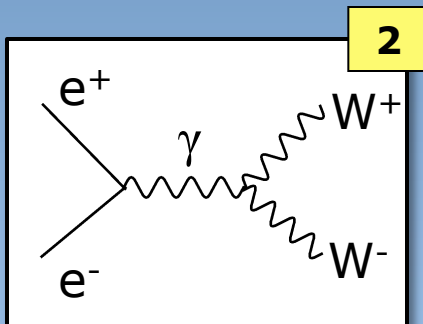
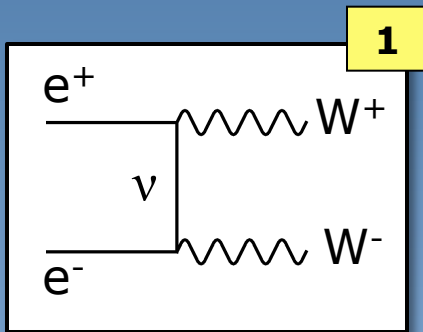
$Z$



*self-coupling*

# Self-coupling gauge fields: measurement

Measurement of  $e^+e^- \rightarrow W^+W^-$  cross-section at LEP accelerator



*particles*

*anti-particles*

problems

$$-m\bar{\psi}\psi$$

Mass term fermion

$$-\frac{1}{2}m_V^2 V_\mu V^\mu$$

Mass term gauge boson

Standard Model does ***not*** allow for massive gauge bosons or fermions





# Higgs in the SM

Symmetry breaking

# Adding a new field $\phi$ to the model

$$\mathcal{L}_{\text{tot}} = \mathcal{L}_{\text{old}} +$$



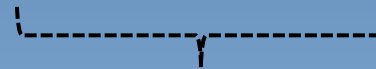
Current theory

$$\begin{aligned}\mathcal{L}_\phi &= \frac{1}{2}(\partial_\mu\phi)^2 - V(\phi) \\ &= \frac{1}{2}(\partial_\mu\phi)^2 - \frac{1}{2}\mu^2\phi^2 - \frac{1}{4}\lambda\phi^4\end{aligned}$$

extra



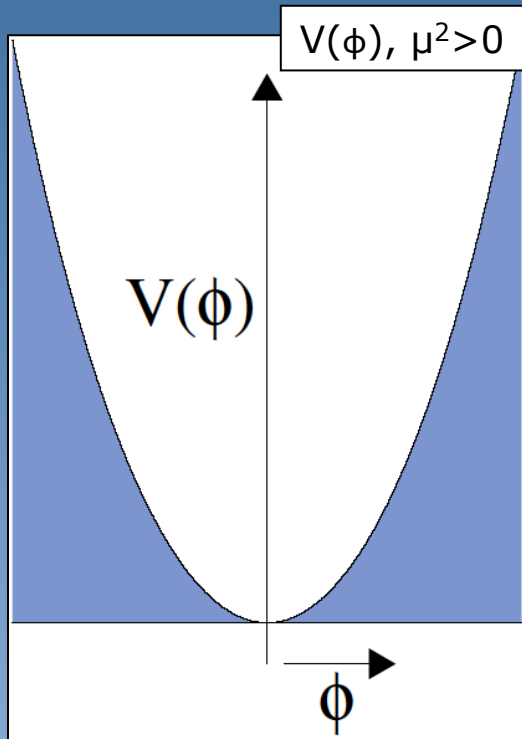
kinetic energy



potential energy

- Note:
- potential symmetric under  $\phi \rightarrow -\phi$
  - Two possibilities  $V(\phi)$ :  $\mu^2 > 0$  and  $\mu^2 < 0$
  - Particle content interpretation? Look at excitations around vacuum

# Option 1: $\mu^2 > 0$

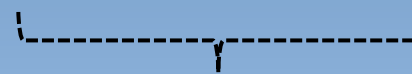


## Particle content:

- Minimum at  $\phi=0 \rightarrow$  excitations in  $\phi$

$$\begin{aligned} \mathcal{L}_\phi &= \frac{1}{2}(\partial_\mu \phi)^2 - V(\phi) \\ &= \frac{1}{2}(\partial_\mu \phi)^2 - \frac{1}{2}\mu^2 \phi^2 - \frac{1}{4}\lambda \phi^4 \end{aligned}$$

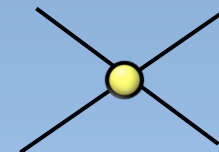
extra



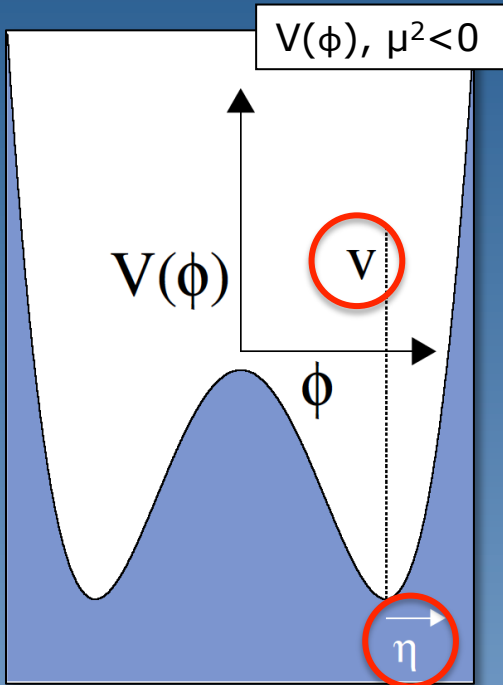
massive particle  
 $m_\phi = \mu$



self-interaction



# Option 2: $\mu^2 < 0$



## Particle content of the model:

- Minimum at  $\phi = \phi_0 = v = \sqrt{-\frac{\mu^2}{\lambda}} \rightarrow$  excitations in  $\eta$
- Potential is symmetric in  $\phi$ , but not in  $\eta$

rewrite in terms of  $\eta = \phi - v$

$$\begin{aligned} \mathcal{L}_\phi &= \frac{1}{2}(\partial_\mu \phi)^2 - V(\phi) \\ &= \frac{1}{2}(\partial_\mu \phi)^2 - \frac{1}{2}\mu^2 \phi^2 - \frac{1}{4}\lambda \phi^4 \end{aligned}$$

extra

constant

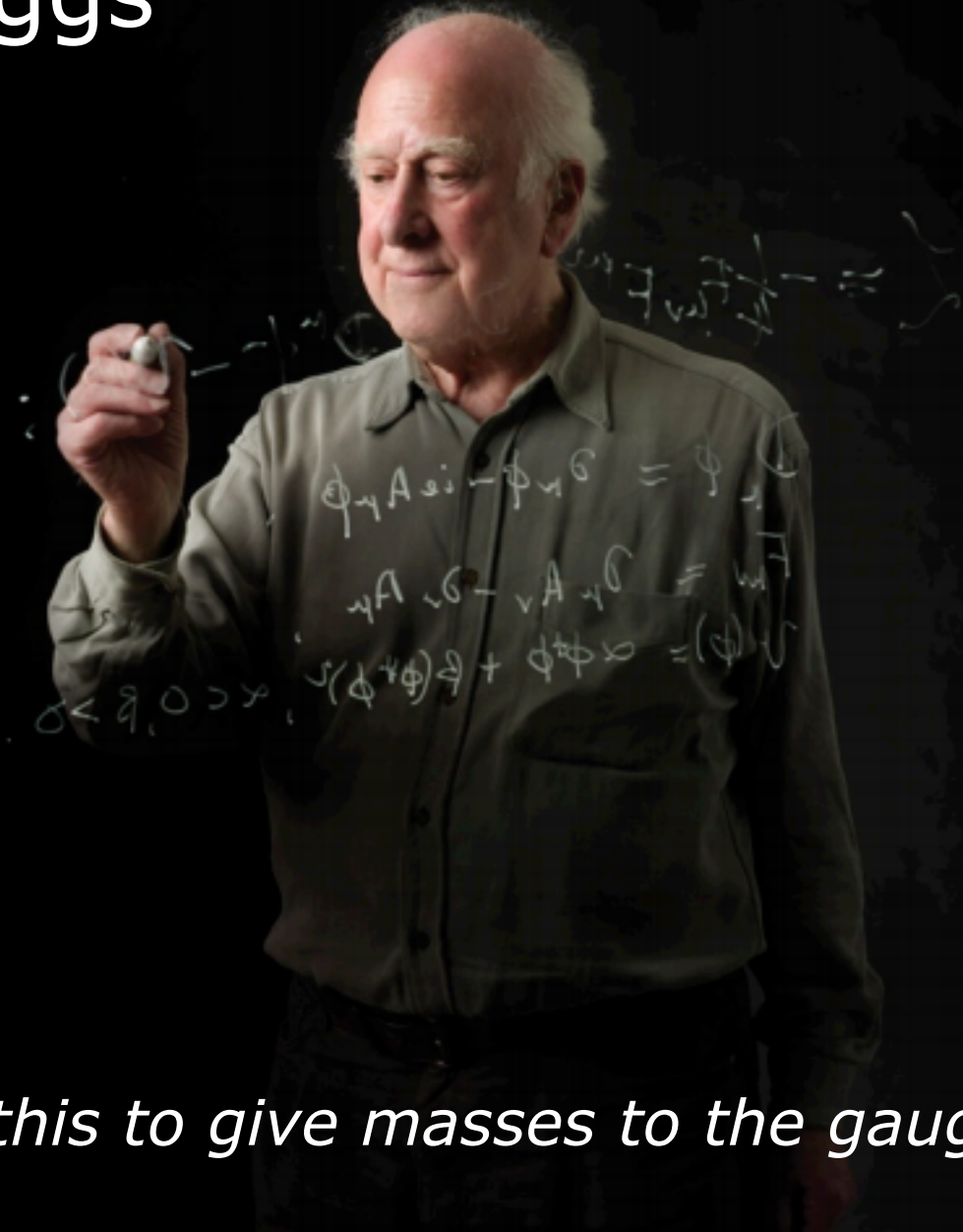
$$\mathcal{L}(\eta) = \frac{1}{2}(\partial_\mu \eta)(\partial^\mu \eta) - \lambda v^2 \eta^2 - \lambda v \eta^3 - \frac{1}{4}\lambda \eta^4 - \frac{1}{4}\lambda v^4$$

massive particle  
 $m_\eta = \sqrt{-\mu^2}$

self-interactions



# Peter Higgs

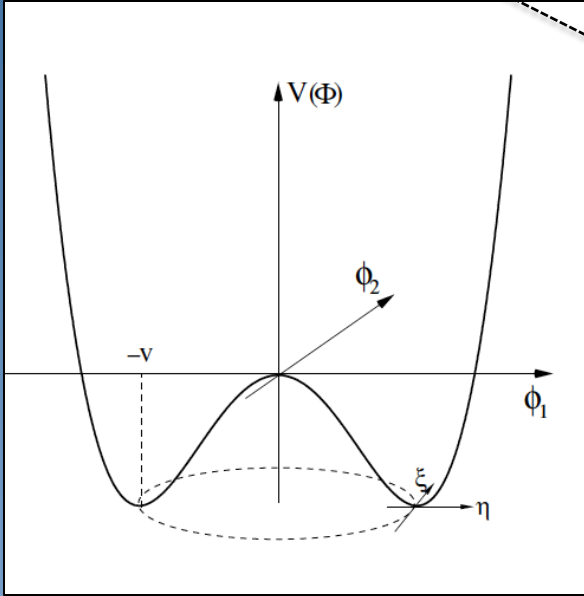


*"I can use this to give masses to the gauge bosons"*

# Adding a complex field to Standard Model

$$+ |D_\mu \phi|^2 - V(\phi)$$

Basic 'object' in SM, like (neutrino electron)



$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} \phi_1 + i\phi_2 \\ \phi_3 + i\phi_4 \end{pmatrix} \quad \phi_0 = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h \end{pmatrix}$$

$$\mathcal{L} = (D^\mu \phi)^\dagger (D_\mu \phi) - V(\phi^\dagger \phi)$$

massive scalar + self-int.

Terms  $\sim (v+h)^2 X^2$ , with  $X = W_1, W_2, W_3, B$

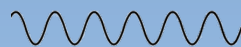
$$+ |D_\mu \phi|^2 - V(\phi)$$

$$D_\mu = \partial_\mu + ig \frac{1}{2} \vec{\tau} \cdot \vec{W}_\mu + ig' \frac{1}{2} Y B_\mu$$

$$\phi = (v + h)$$

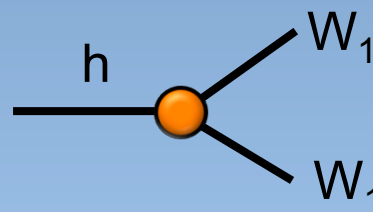
Terms  $W_1$  boson =  $(v+h)^2 W_1^2$

$$= v^2 W_1^2$$

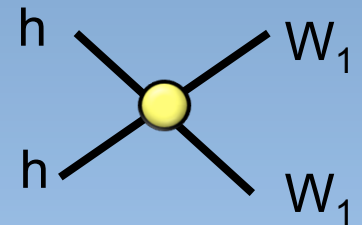


Mass term  $W_1$  boson

$$+ 2vh W_1^2$$



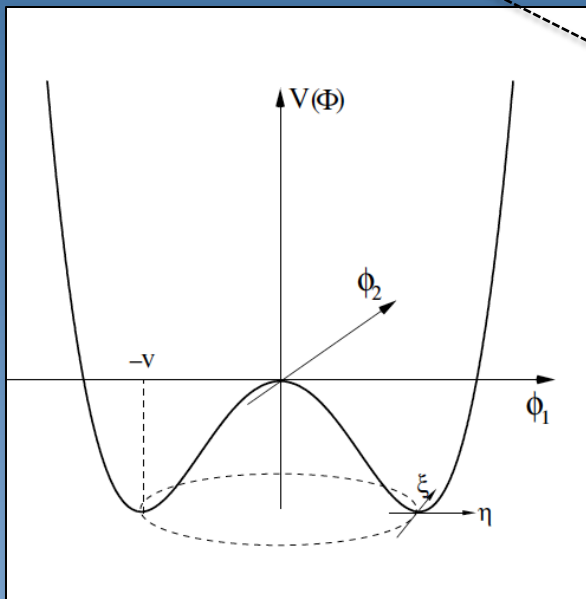
$$+ h^2 W_1^2$$



# Adding a complex field to Standard Model

$$+ |D_\mu \phi|^2 - V(\phi)$$

Basic 'object' in SM, like (neutrino electron)



$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} = \frac{1}{\sqrt{2}} \begin{pmatrix} \phi_1 + i\phi_2 \\ \phi_3 + i\phi_4 \end{pmatrix} \quad \phi_0 = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + h \end{pmatrix}$$

$$\mathcal{L} = (D^\mu \phi)^\dagger (D_\mu \phi) - V(\phi^\dagger \phi)$$

massive scalar + self-int.

Terms  $\sim (v+h)^2 X^2$ , with  $X = W_1, W_2, W_3, B$

Part associated to gauge boson masses ( $\sim v^2 X^2$ ):

$$(D^\mu \phi)^\dagger (D_\mu \phi) = \frac{1}{8} v^2 \left[ g^2 (W_1^2 + W_2^2) + (-gW_3 + g'Y_{\phi_0} B_\mu)^2 \right]$$

Problem: -  $W_1$  and  $W_2$  not charge eigenstates  
-  $W_3$  and  $B$  not mass eigenstates

Solution: use other basis to span rotations in  $SU(2)_L \times U(1)_Y$  space



# Part of Lagrangian with $\sim \alpha v V^2$

$$(D^\mu \phi)^\dagger (D_\mu \phi) = \frac{1}{8} v^2 \left[ g^2 (W_1^2 + W_2^2) + (-gW_3 + g'Y_{\phi_0} B_\mu)^2 \right]$$



$$W^\pm = \frac{1}{\sqrt{2}} (W_1 \mp iW_2)$$

*electroweak mixing*

$$\frac{1}{\sqrt{g^2 + g'^2}} (g'W_3 + gB_\mu) = A_\mu \quad \text{photon}(\gamma)$$

$$\frac{1}{\sqrt{g^2 + g'^2}} (gW_3 - g'B_\mu) = Z_\mu \quad \text{Z-boson (Z)}$$

$$(D^\mu \phi)^\dagger (D_\mu \phi) = \frac{1}{8} v^2 [g^2 (W^+)^2 + g^2 (W^-)^2 + (g^2 + g'^2) Z_\mu^2 + 0 \cdot A_\mu^2]$$

$M_{W^+} = M_{W^-} = \frac{1}{2} v g$

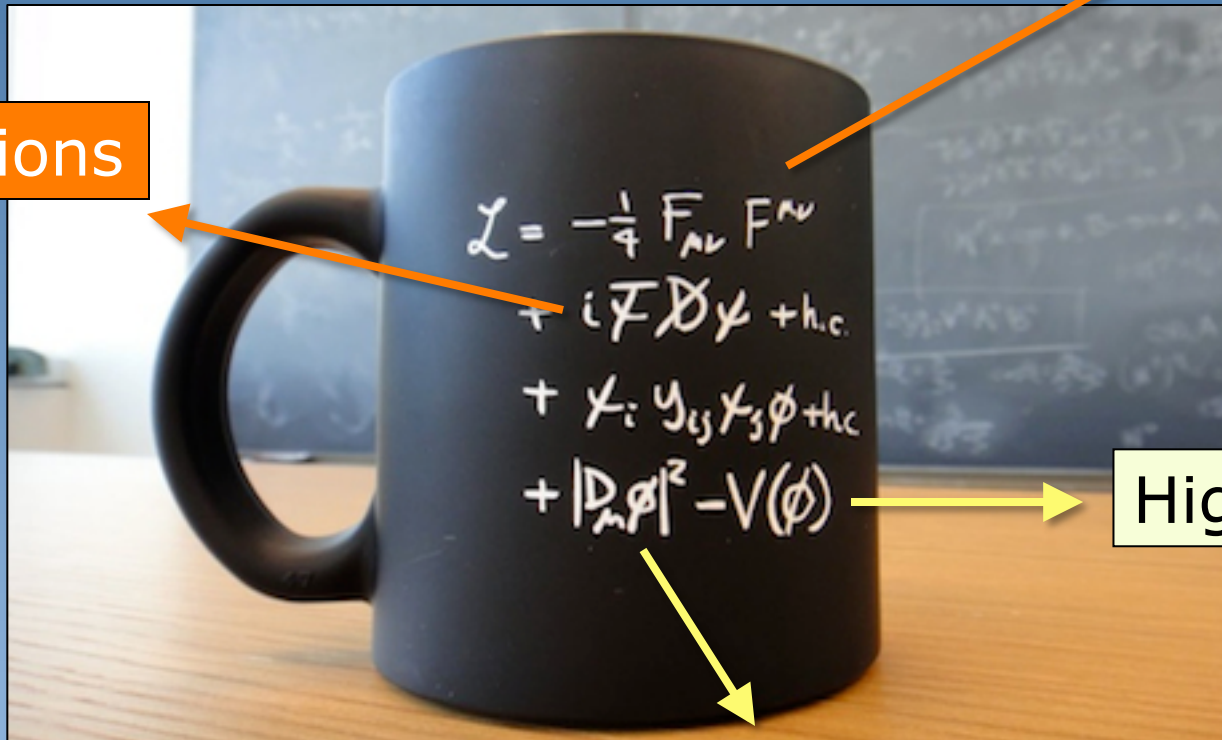
$M_\gamma = 0.$

$M_Z = \frac{1}{2} v \sqrt{(g^2 + g'^2)}$

# Lagrangian of the Standard Model

Gauge fields

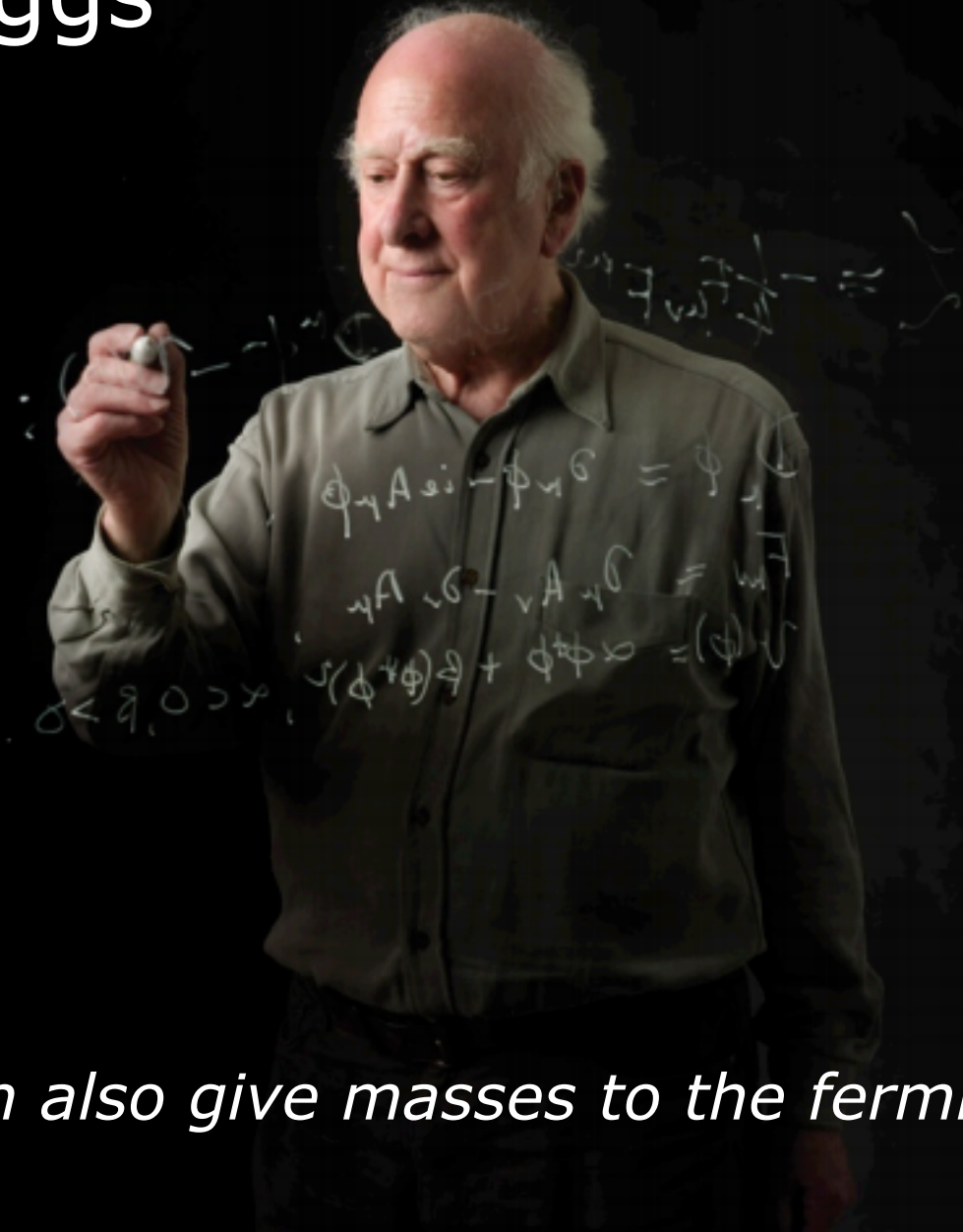
Interactions



Higgs particle

Gauge boson masses

# Peter Higgs



*"I can also give masses to the fermions"*

# Fermion masses

$$L_{QED} = i\bar{\psi}\gamma_\mu\partial^\mu\psi - \boxed{m\bar{\psi}\psi}$$

**Not** local gauge invariant

$$-m[\bar{\psi}_L\psi_R + \bar{\psi}_R\psi_L]$$

$$L_{QED} = i\bar{\psi}\gamma_\mu\partial^\mu\psi - \boxed{m\bar{\psi}\phi\psi}$$

local gauge invariant

$$\mathcal{Y} = Y_{ij}\mathcal{Y}_j\phi$$

$$-m\bar{\psi}(\underbrace{v}_{\text{v}} + \underbrace{h}_{\text{h}})\psi$$

Fermion mass-term

Interaction fermion-Higgs

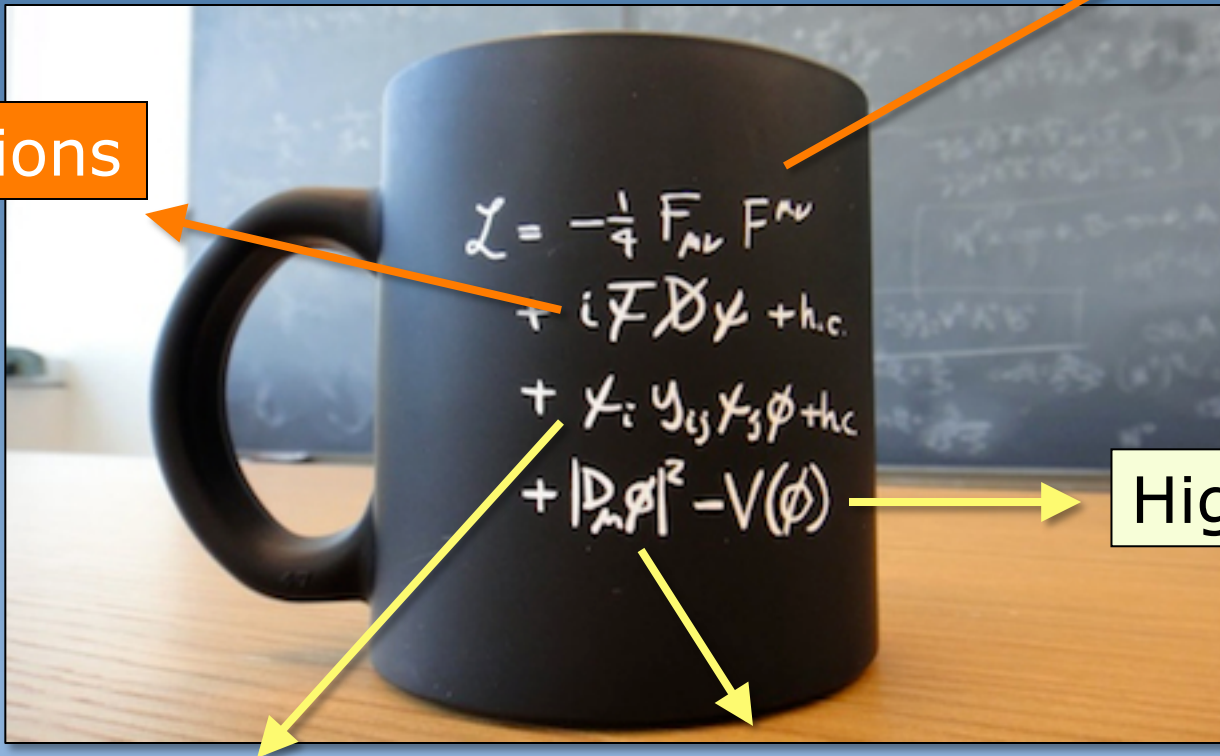
$$\mathcal{L}_e = - \underbrace{\frac{\lambda_e v}{\sqrt{2}} \bar{e}e}_{\text{electron mass term}} - \underbrace{\frac{\lambda_e}{\sqrt{2}} h \bar{e}e}_{\text{electron-higgs interaction}}$$

$$m_e = \frac{\lambda_e v}{\sqrt{2}} \qquad \frac{\lambda_e}{\sqrt{2}} \propto m_e$$

# Lagrangian of the Standard Model

Gauge fields

Interactions

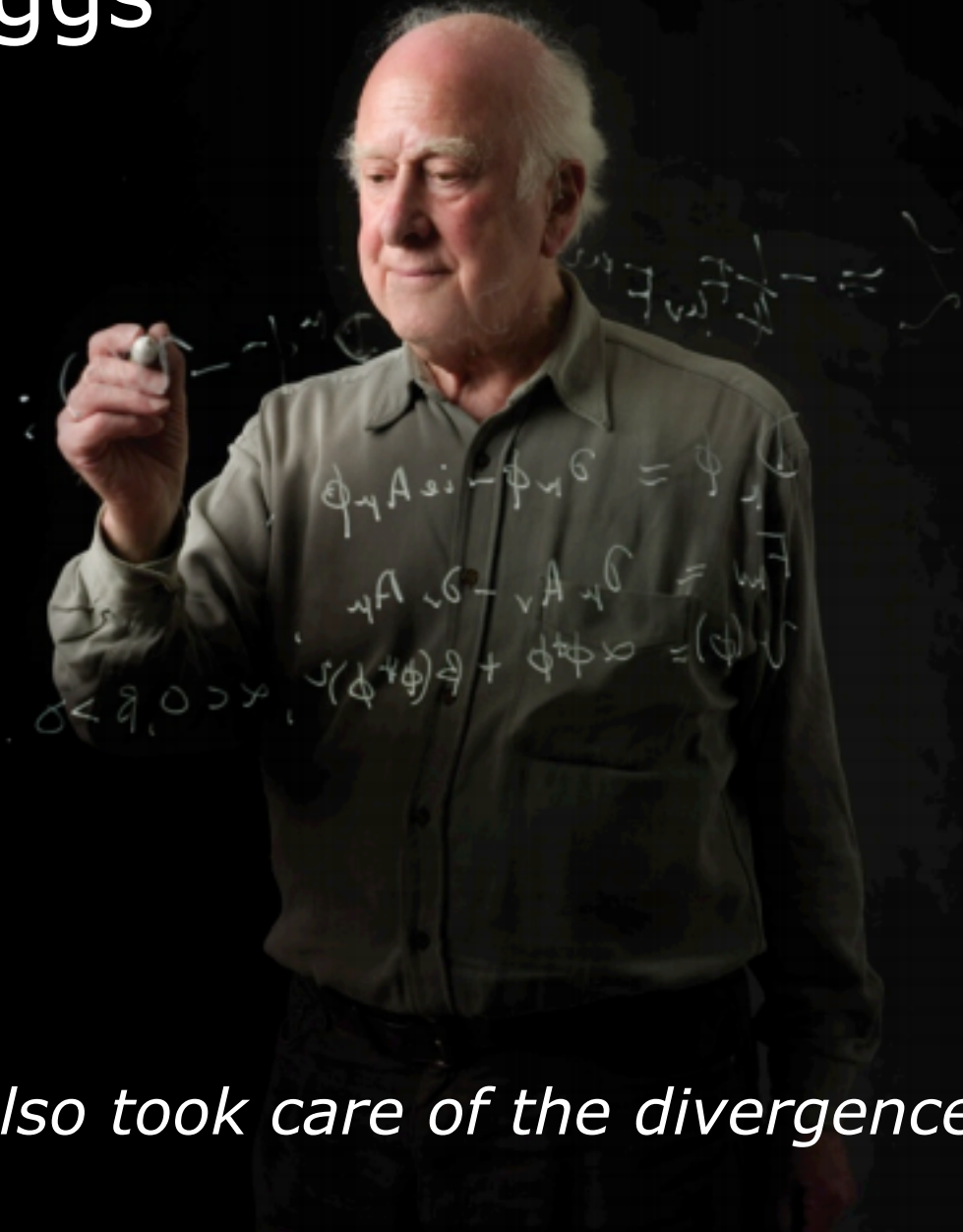


Fermion masses

Gauge boson masses

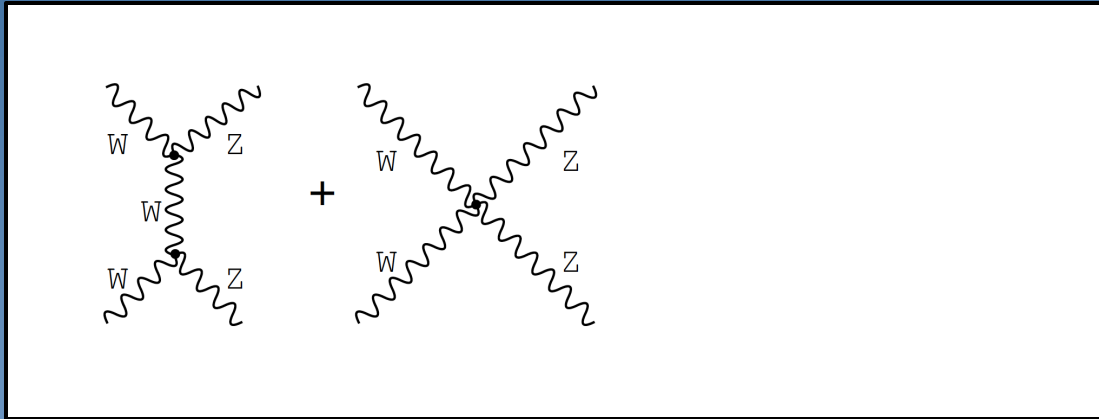
Higgs particle

# Peter Higgs

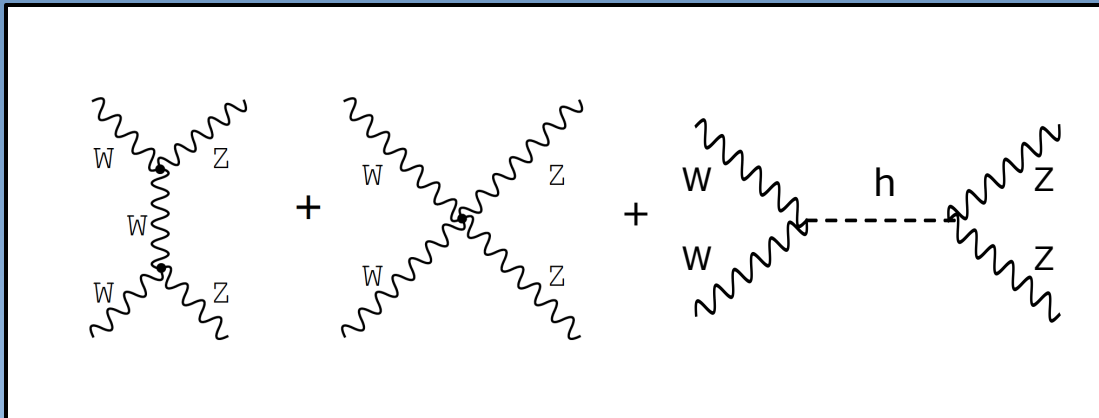


*" I also took care of the divergences"*

# Higgs boson regulates vector boson scattering



$$M^2 \propto E^2$$



$$M^2 \propto \text{constant}$$

# Higgs mechanisms

Summary



# The Higgs mechanism

You have:

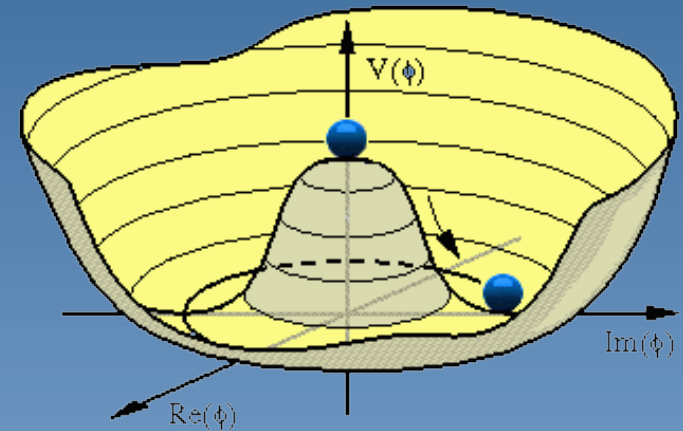
An  $SU(2)_L \times U(1)_Y$  local gauge invariant theory

You put in:

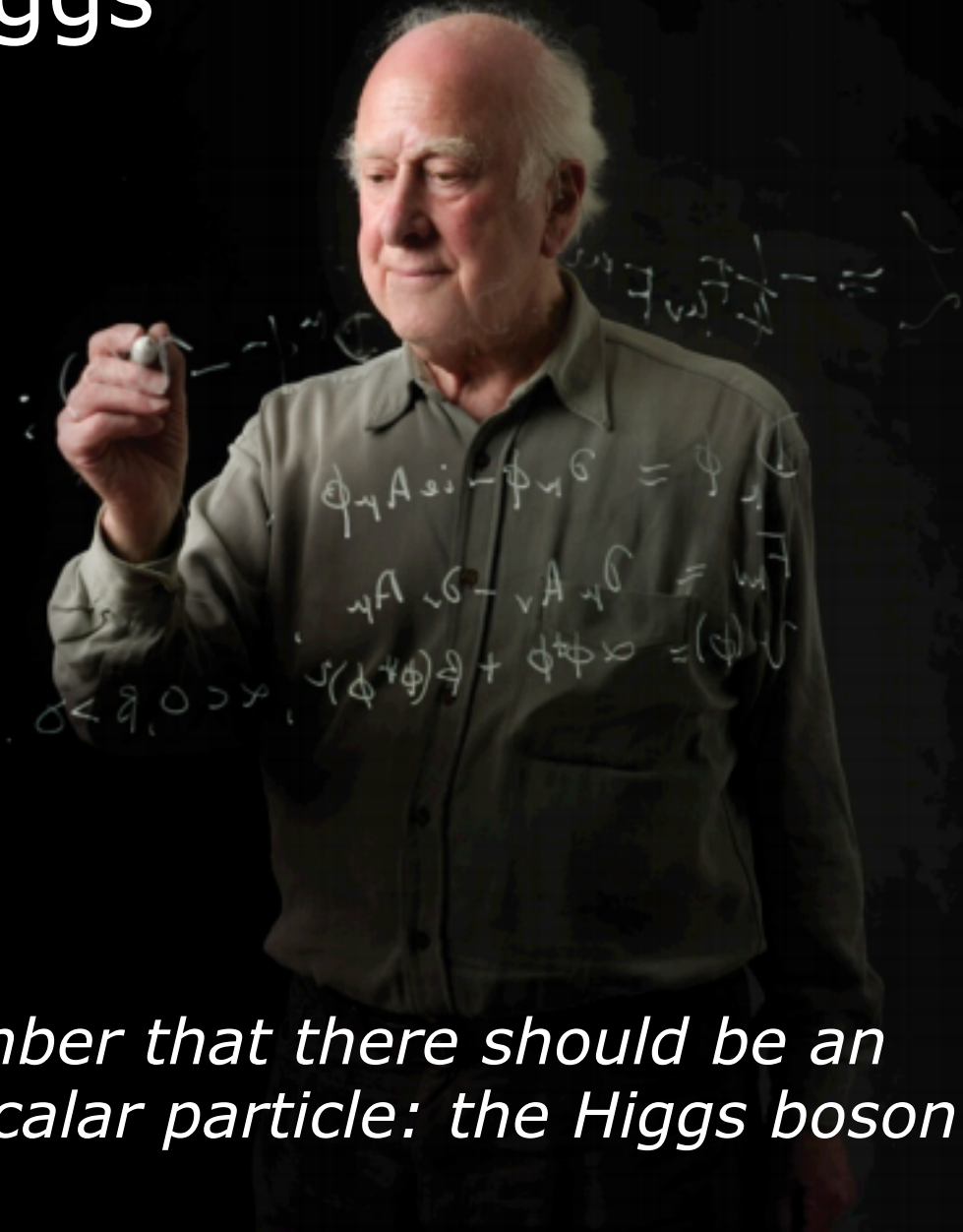
- Extra  $SU(2)_L$  doublet  $\phi_{\text{Higgs}}$  with  $Y=+1$
- Mexican hat potential  $V(\phi)$

You get out:

- 1) Masses for the gauge bosons  
→ automatic coupling between gauge bosons and Higgs boson
- 2) Masses for the fermions  
→ automatic coupling between the fermions and the Higgs boson
- 3) Renormalizable Standard Model
- 4) Scalar particle: the Higgs boson



# Peter Higgs



*"Remember that there should be an extra scalar particle: the Higgs boson"*

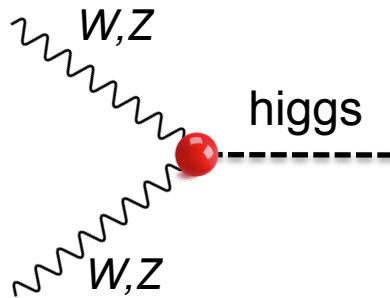


# **Higgs production & decay at the LHC**

# Production of the Higgs boson

## Gauge bosons

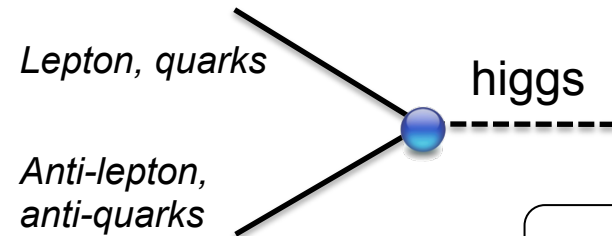
*Massive gauge boson ?  
... then the Higgs couples to it*



$$\propto m_V^2$$

## Fermions

*Massive fermion ?  
... then the Higgs couples to it*

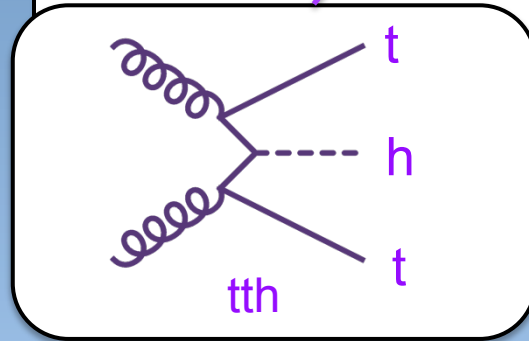
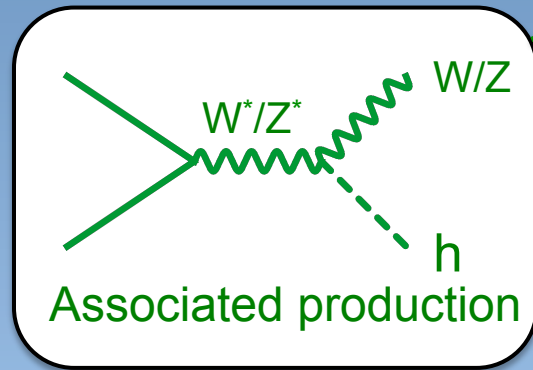
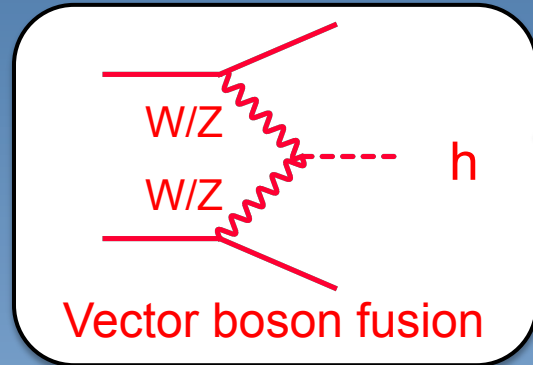
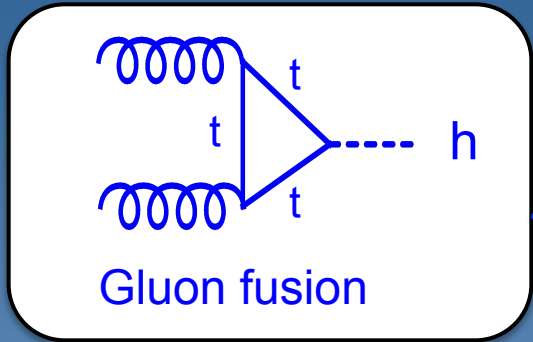
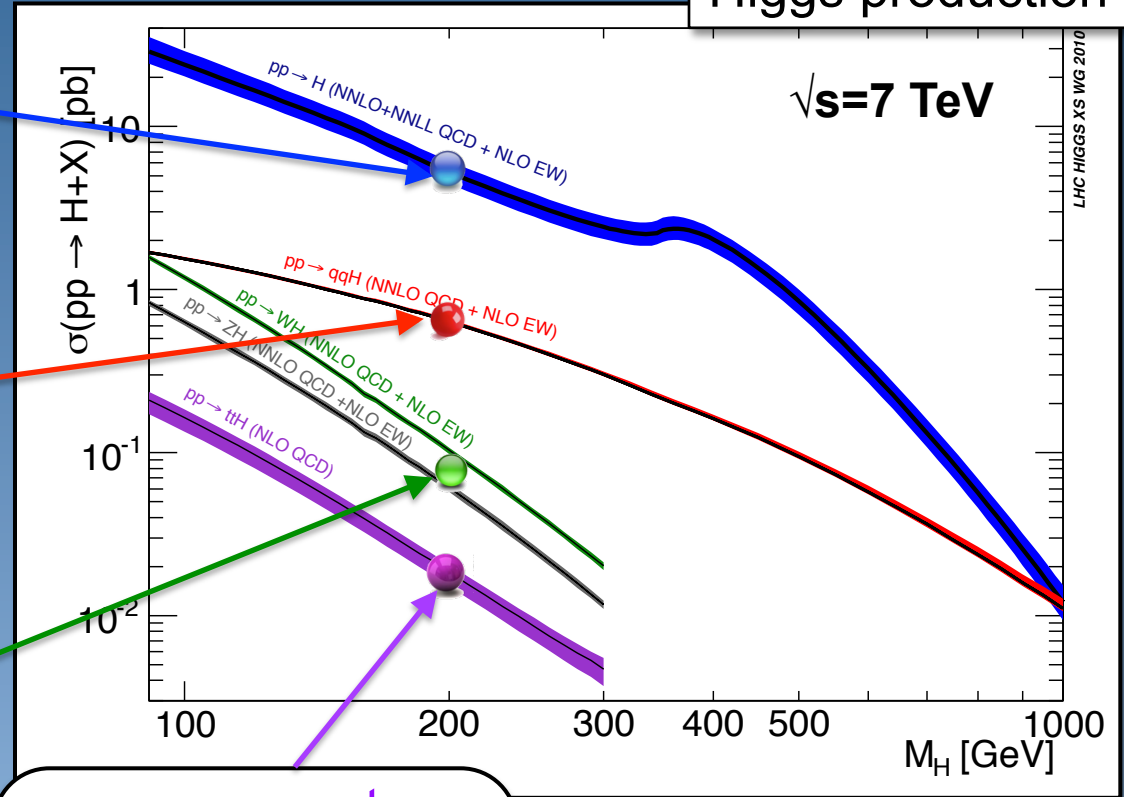


$$\propto m_f^2$$

For a specific mass, all Higgs boson's properties (like couplings) are fixed

# Production of the Higgs boson

Higgs production



How many Higgs bosons have been produced at the LHC run-1

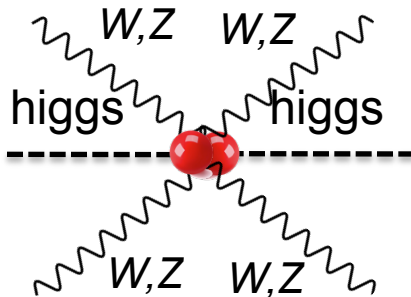


$m_h = 125 \text{ GeV}$ :  $\sim 500\text{k}$

# Decay of the Higgs boson

## Gauge boson

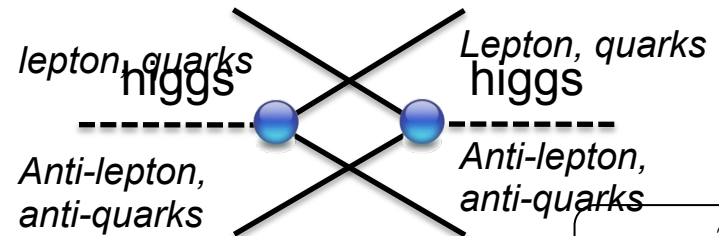
*Massive gauge boson ?  
... then the Higgs couples to it*



$$\propto m_V^2$$

## Fermion

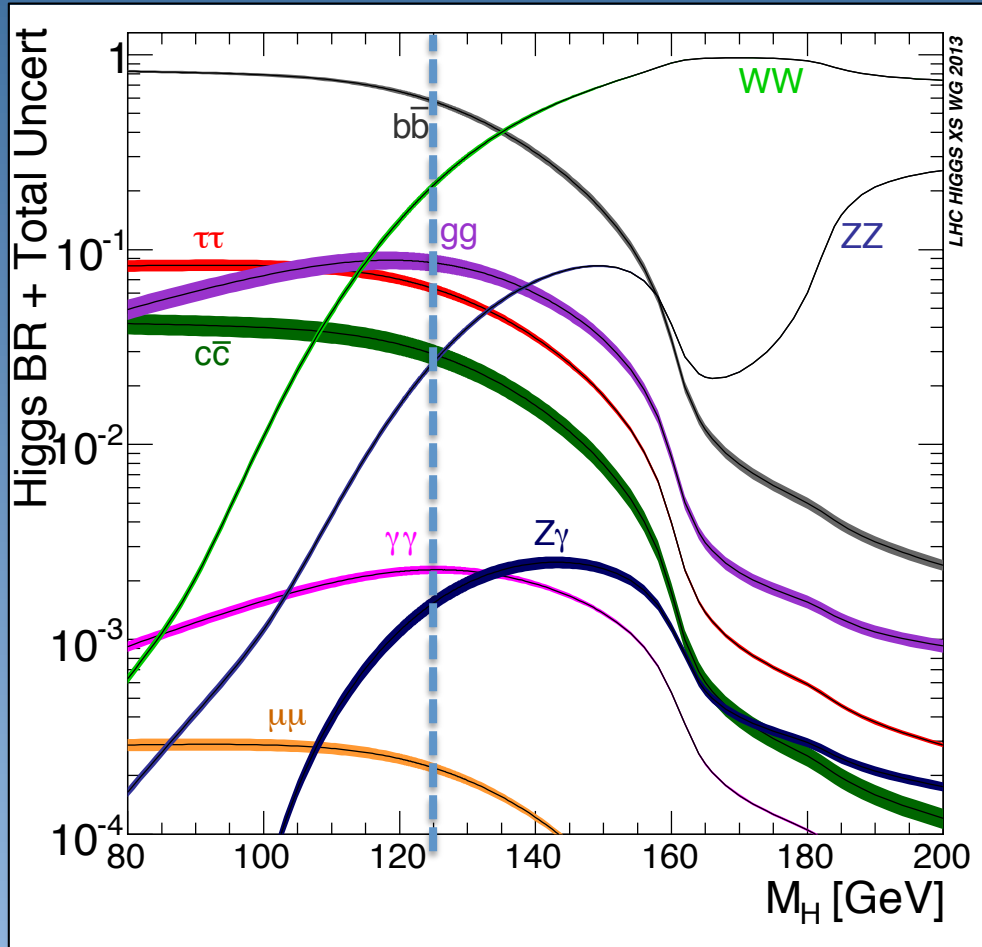
*Massive fermion ?  
... then the Higgs couples to it*



$$\propto m_f^2$$

Higgs boson production

# Higgs branching fractions



$m_h = 125 \text{ GeV}$

$\text{Br}(h \rightarrow bb) = 57.7 \%$

$\text{Br}(h \rightarrow WW) = 21.5 \%$

$\text{Br}(h \rightarrow \tau\tau) = 6.32 \%$

$\text{Br}(h \rightarrow ZZ) = 2.64 \%$

$\text{Br}(h \rightarrow \gamma\gamma) = 0.23 \%$

$\text{Br}(h \rightarrow Z\gamma) = 0.15 \%$

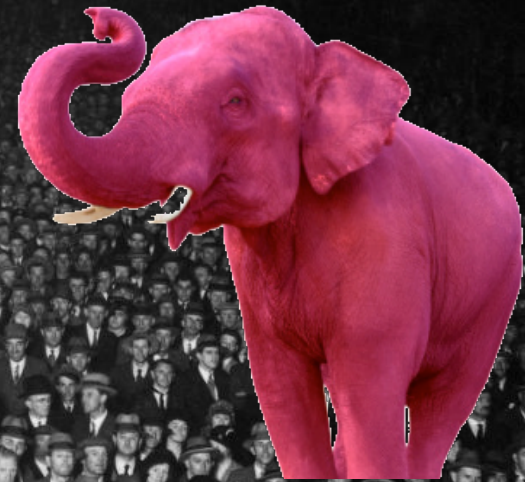






**discovery**

Does the Higgs boson have a unique fingerprint ?

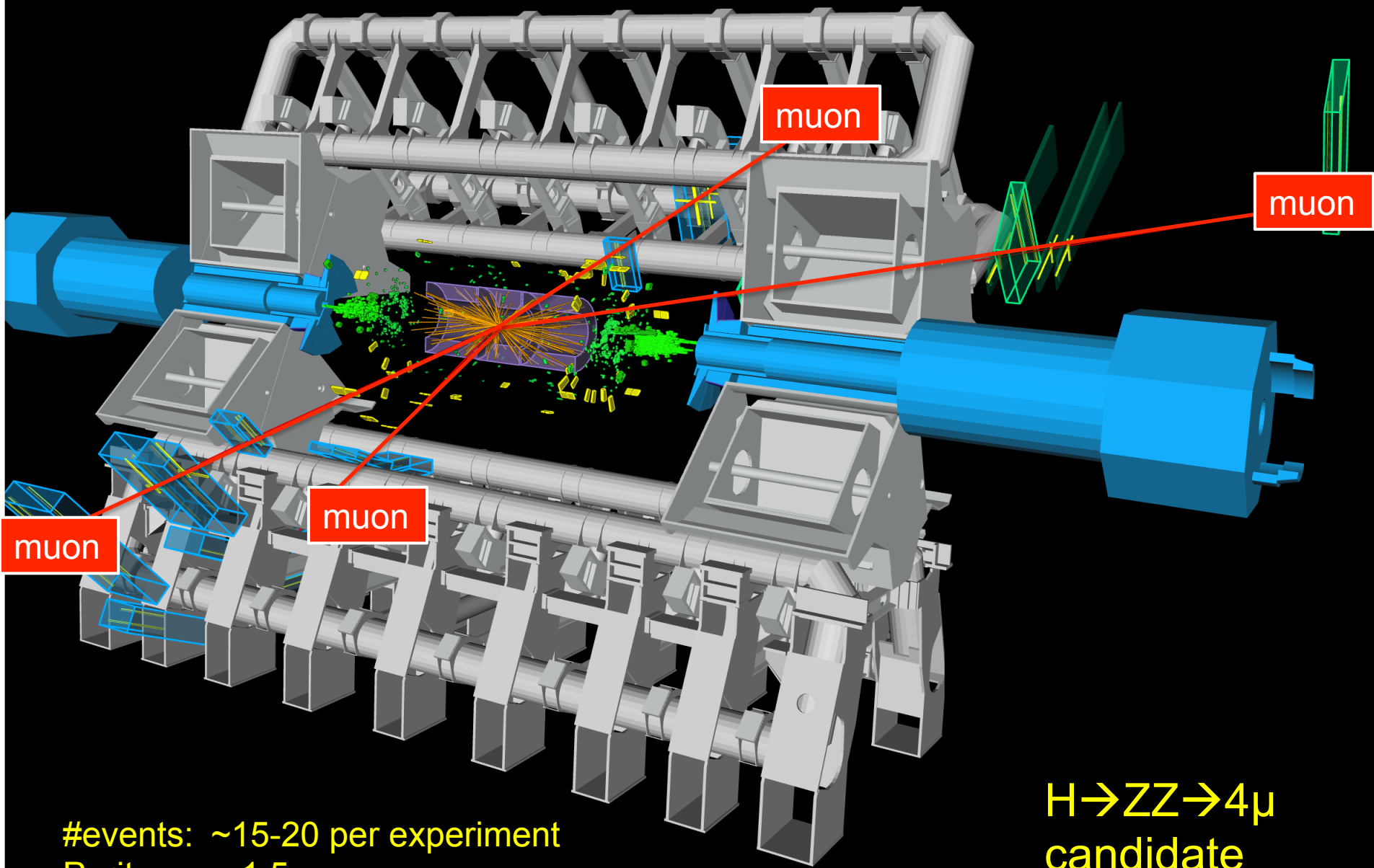


Liu Bolin

Or is it hidden in the background?







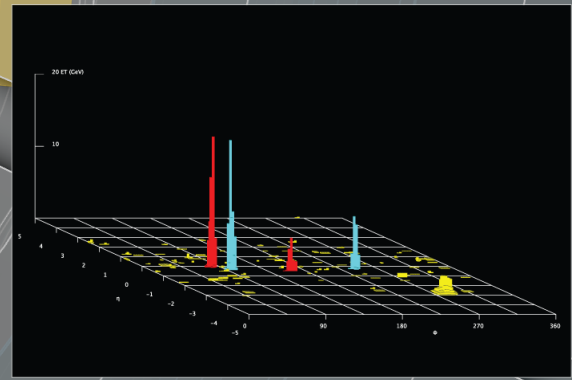
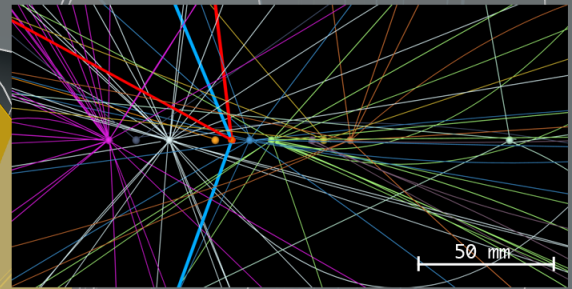
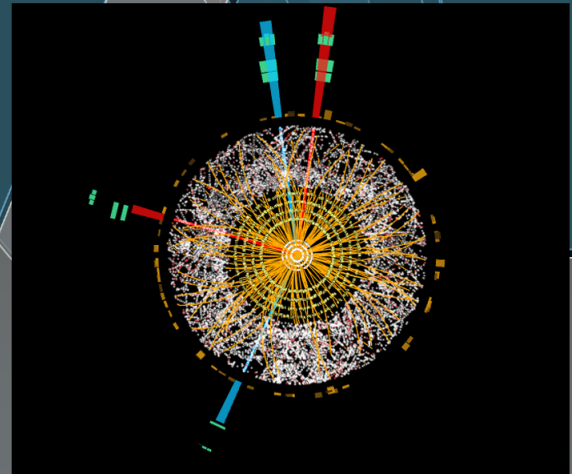
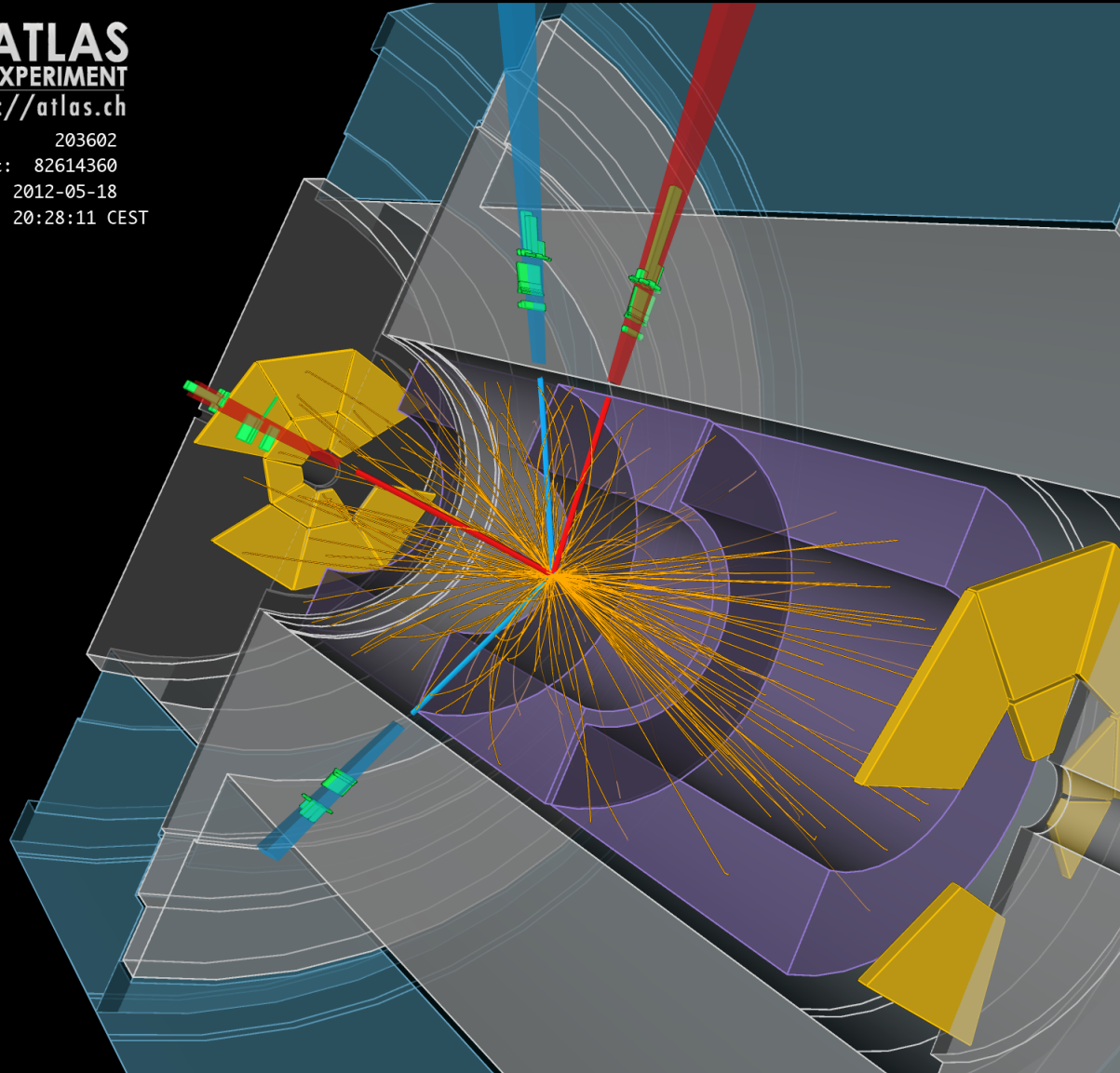
#events: ~15-20 per experiment  
Purity: ~ 1.5

$H \rightarrow ZZ \rightarrow 4\mu$   
candidate

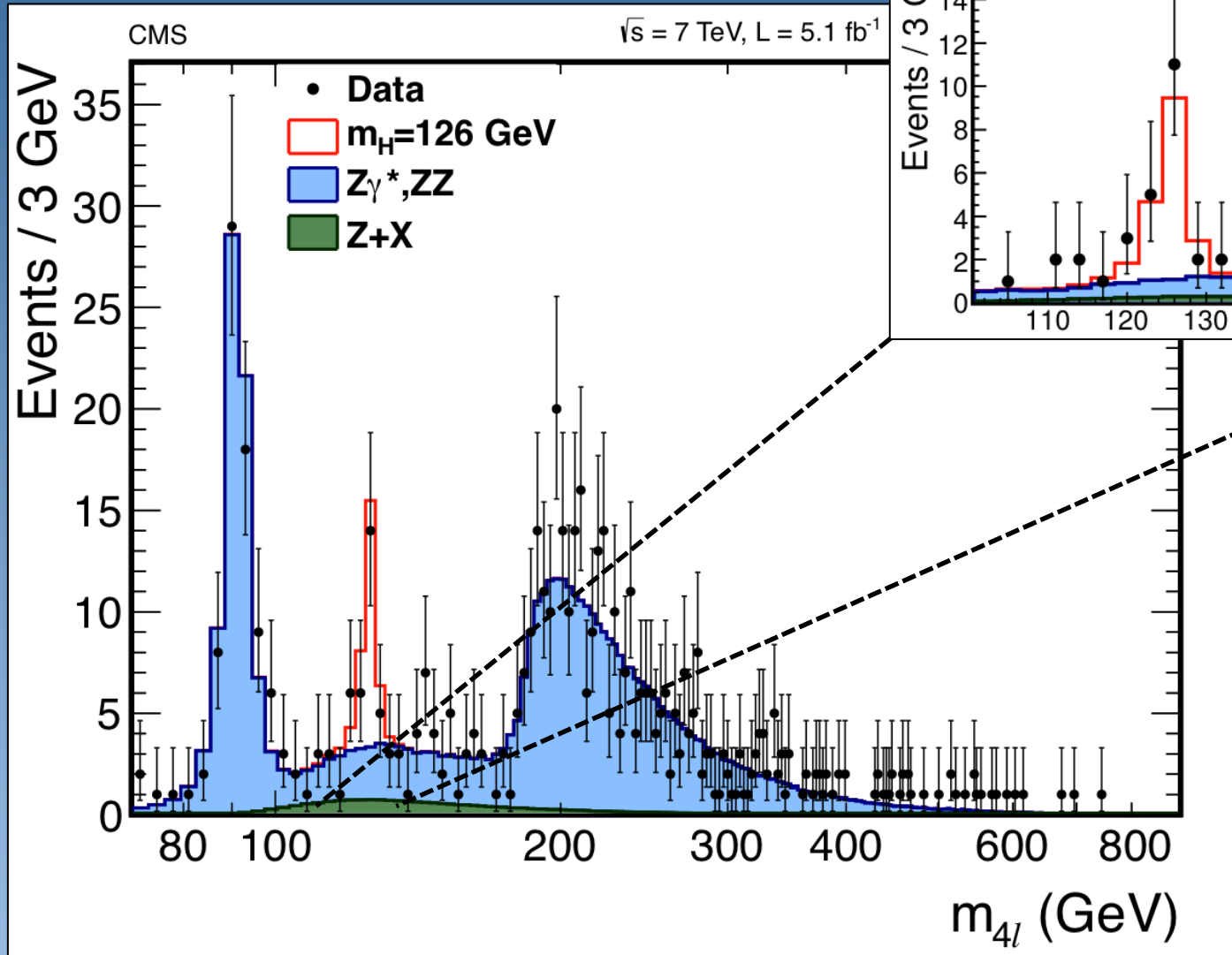
# Another 4-lepton candidate

**ATLAS**  
EXPERIMENT  
<http://atlas.ch>

Run: 203602  
Event: 82614360  
Date: 2012-05-18  
Time: 20:28:11 CEST



# 4 lepton invariant mass



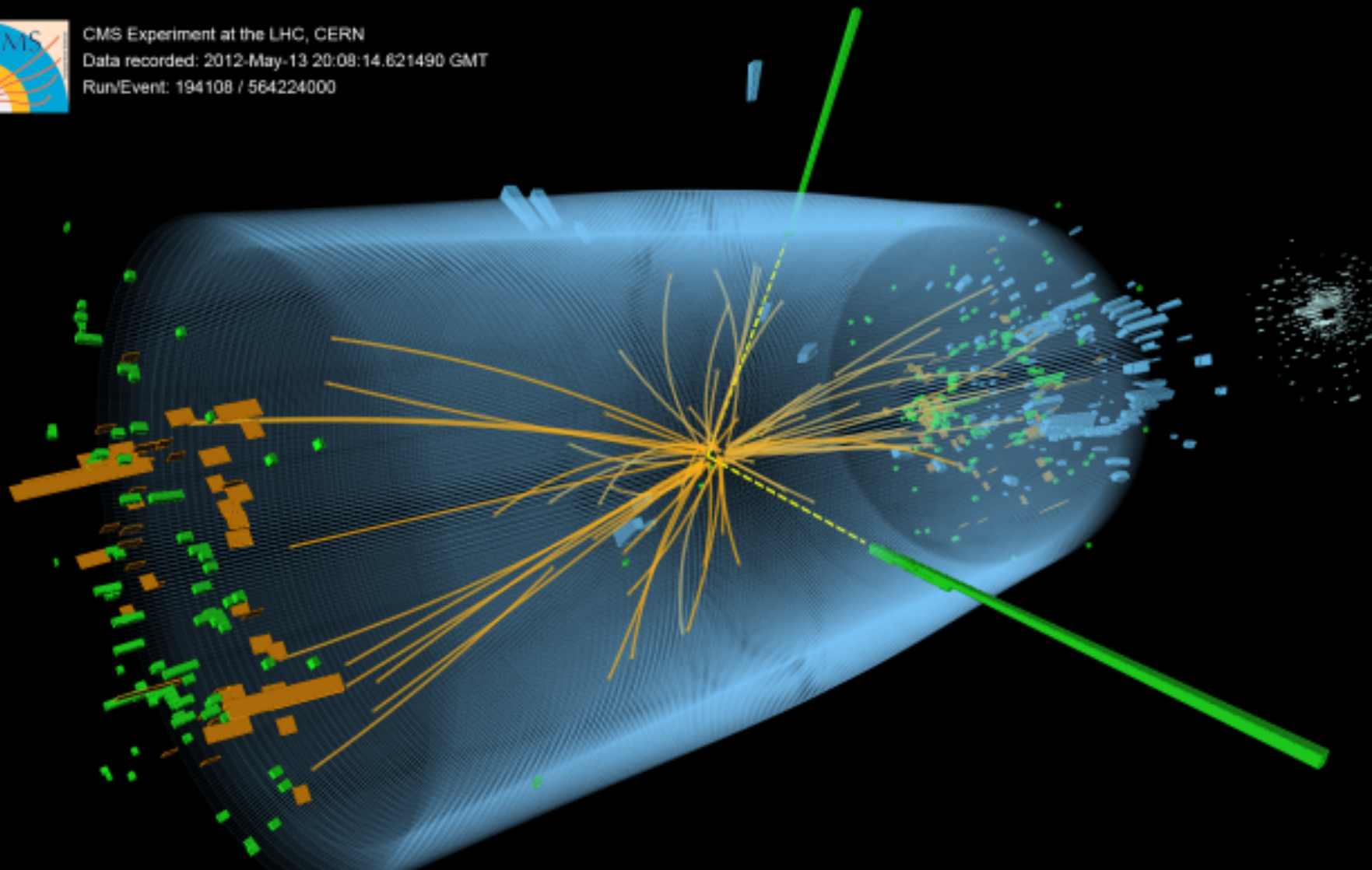




CMS Experiment at the LHC, CERN

Data recorded: 2012-May-13 20:08:14.621490 GMT

Run/Event: 194108 / 564224000



#events: ~ 500 per experiment

Purity: ~ 2%-60%

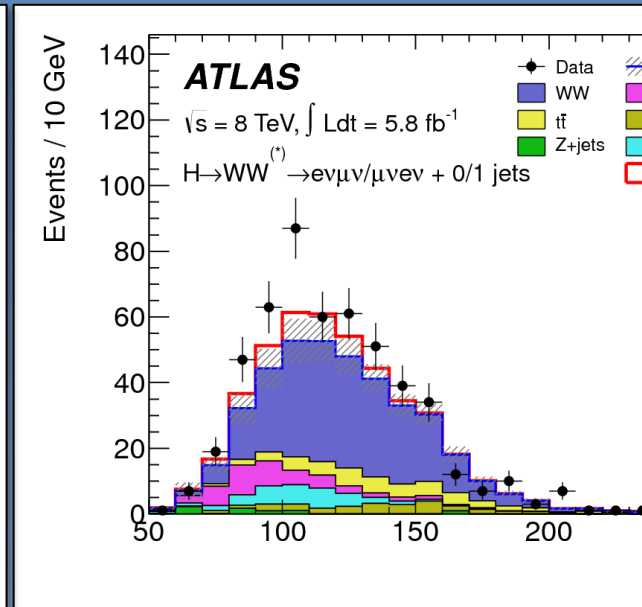
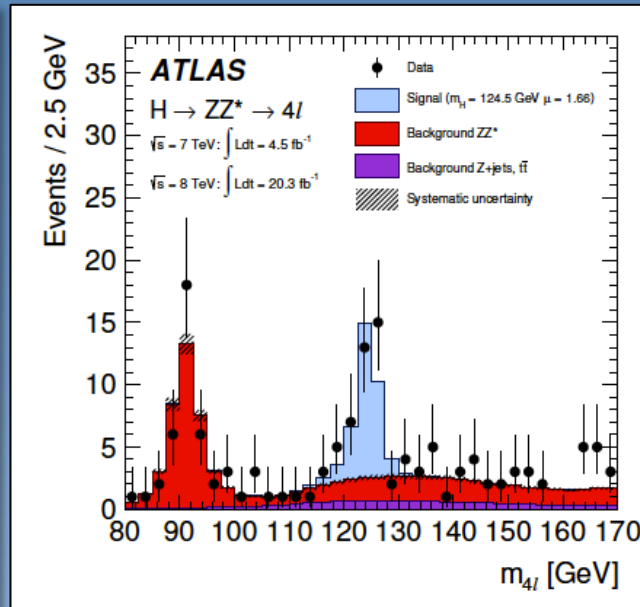
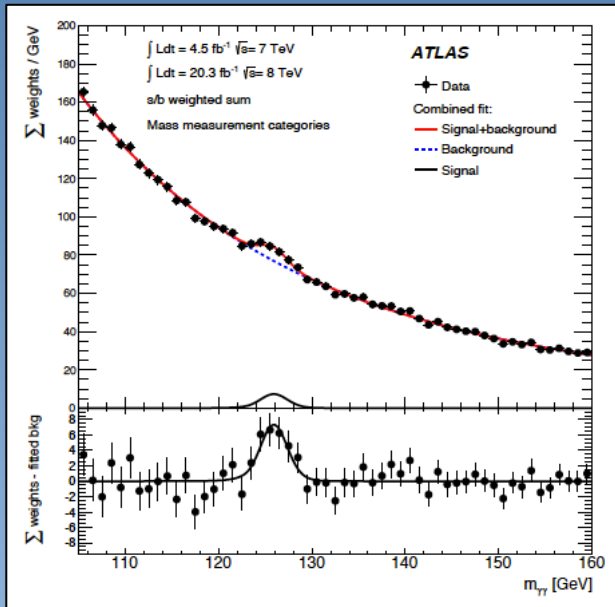
$H \rightarrow \gamma\gamma$  candidate

# Discovery channels

$$h \rightarrow \gamma\gamma$$

$$h \rightarrow ZZ \rightarrow 4 \text{ leptons}$$

$$h \rightarrow WW^{(*)} \rightarrow l\nu l\nu$$



Invariant mass

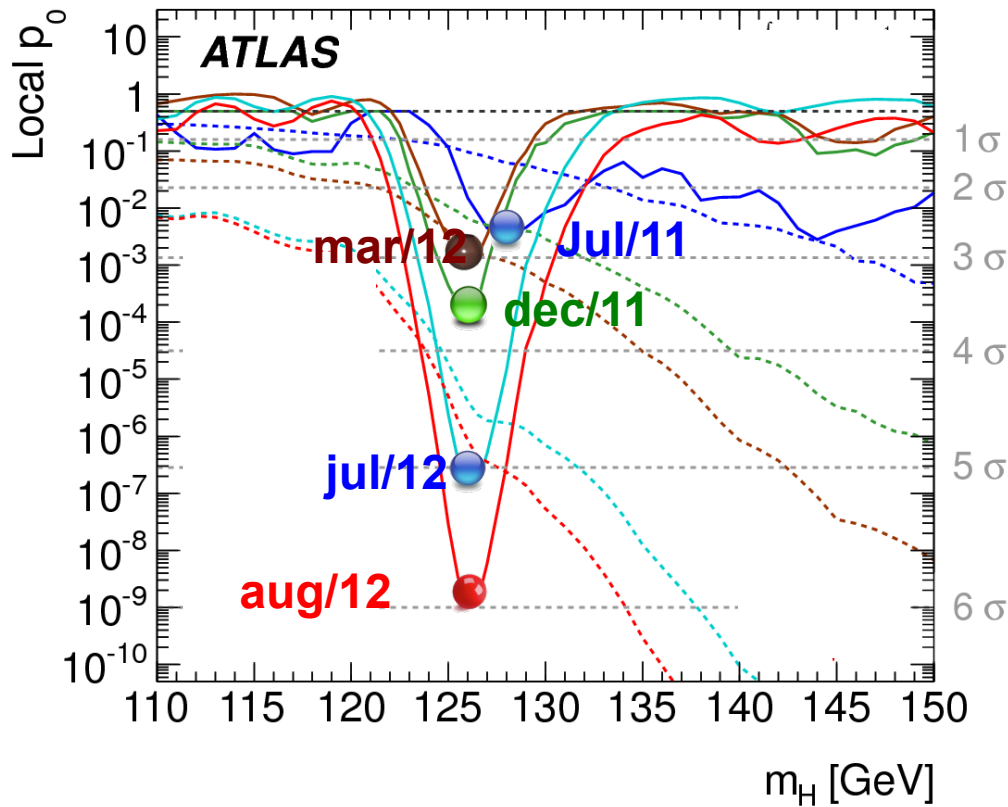


# **statistics**



We'll do this in the exercise session

# A textbook discovery in slow-motion

Local p-value versus mass



EUROPEAN ORGANISATION FOR NUCLEAR RESEARCH (CERN)

CERN-PH-EP-2012-218  
Accepted by: Physics Letters B

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**Observation of a New Particle in the Search for the Standard Model Higgs Boson with the ATLAS Detector at the LHC**

The ATLAS Collaboration

This paper is dedicated to the memory of our ATLAS colleagues who did not live to see the full impact and significance of their contributions to the experiment.

**Abstract**

A search for the Standard Model Higgs boson in proton-proton collisions with the ATLAS detector at the LHC is presented. The datasets used correspond to integrated luminosities of approximately  $4.8 \text{ fb}^{-1}$  collected at  $\sqrt{s} = 7 \text{ TeV}$  in 2011 and  $5.8 \text{ fb}^{-1}$  at  $\sqrt{s} = 8 \text{ TeV}$  in 2012. Individual searches in the channels  $H \rightarrow ZZ^{(0)} \rightarrow 4\ell$ ,  $H \rightarrow \gamma\gamma$  and  $H \rightarrow WW^{(0)} \rightarrow \ell\nu\ell\nu$  in the 8 TeV data are combined with previously published results of searches for  $H \rightarrow ZZ^{(0)}$ ,  $WW^{(0)}$ ,  $b\bar{b}$  and  $^-\tau^+$  in the 7 TeV data and results from improved analyses of the  $H \rightarrow ZZ^{(0)} \rightarrow 4\ell$  and  $H \rightarrow \gamma\gamma$  channels in the 7 TeV data. Clear evidence for the production of a neutral boson with a measured mass of  $126.0 \pm 0.4 \text{ (stat)} \pm 0.4 \text{ (sys)} \text{ GeV}$  is presented. This observation, which has a significance of 5.9 standard deviations, corresponding to a background fluctuation probability of  $1.7 \times 10^{-9}$ , is compatible with the production and decay of the Standard Model Higgs boson.

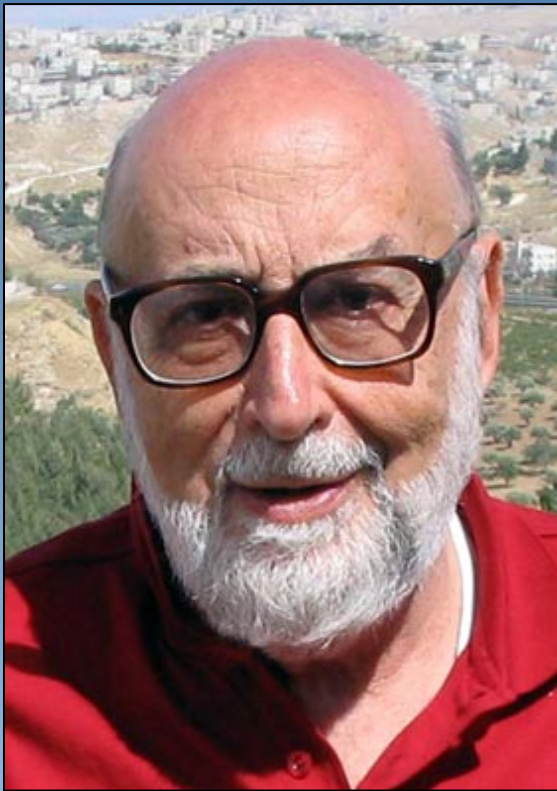
arXiv:1207.7214v2 [hep-ex] 31 Aug 2012

# Physics is forever

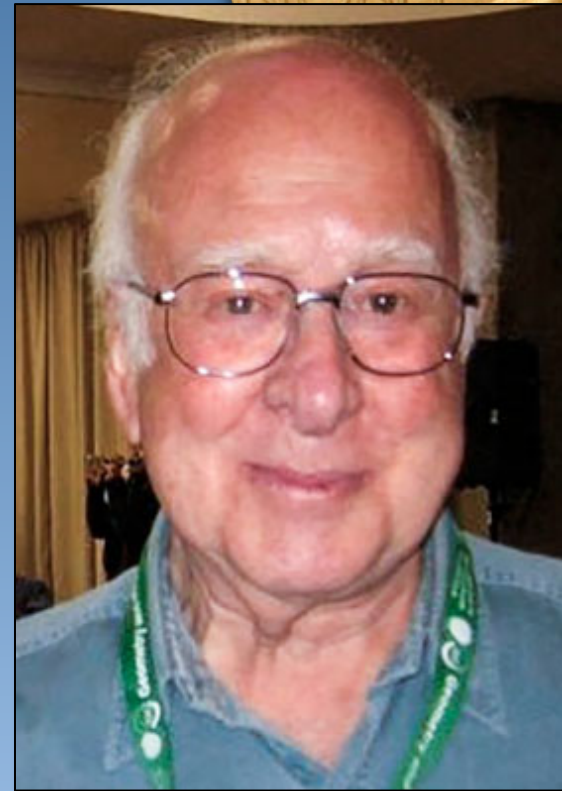


# Nobelprize Physics 2013

*“There is a Higgs field in the vacuum”*

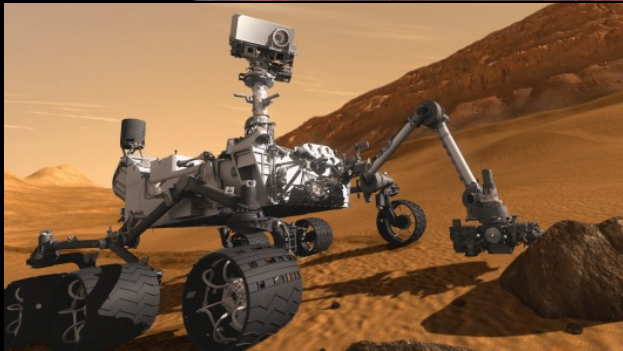
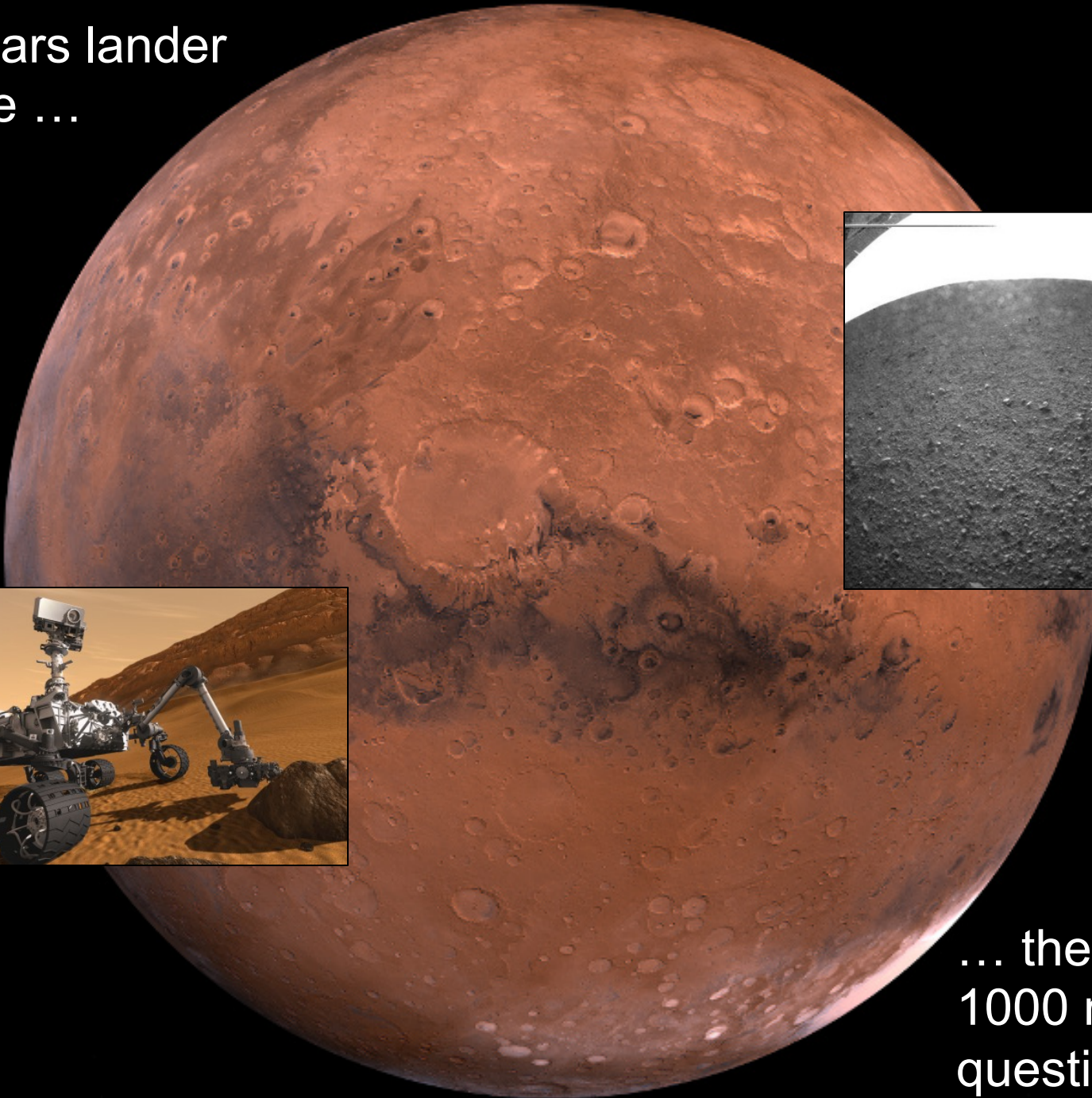


*François Englert*



*Peter Higgs*

If the Mars lander  
finds life ...



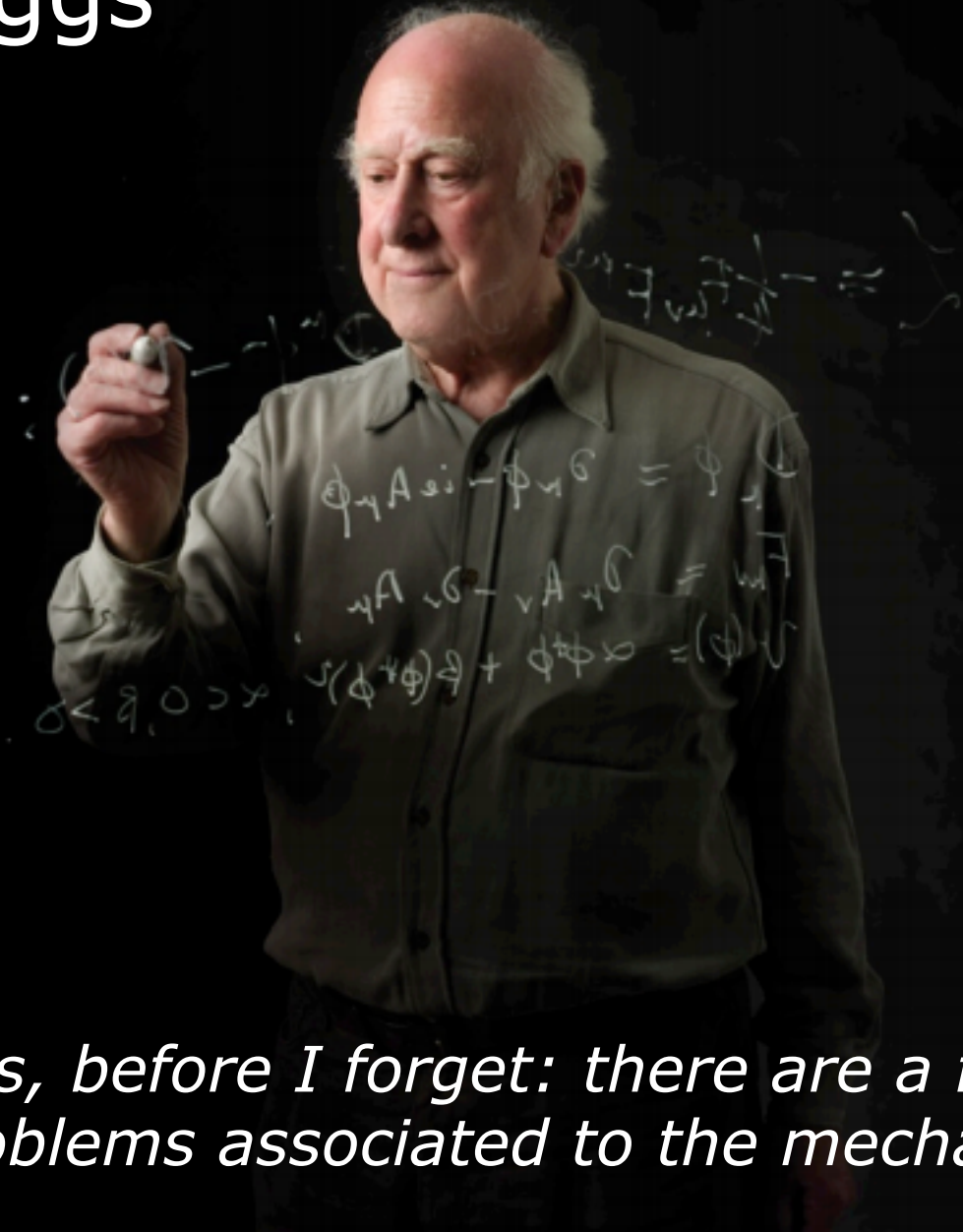
... there are a  
1000 new  
questions



# Problems



# Peter Higgs



*" Ah yes, before I forget: there are a few tiny problems associated to the mechanism"*



# Questions regarding the Higgs boson

Is it the SM Higgs boson – couplings, spin, parity, ... ?

Are there more Higgs bosons (singlets, SUSY, ...) ?

What explains the mass hierarchy ?

Is it possible that Higgs field is linked to inflation ?

Each new idea changes the Higgs boson's properties

Higgs results are public



ATLAS experiment

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/HiggsPublicResults>



CMS experiment

<http://cms.web.cern.ch/org/cms-higgs-results>



**mass**

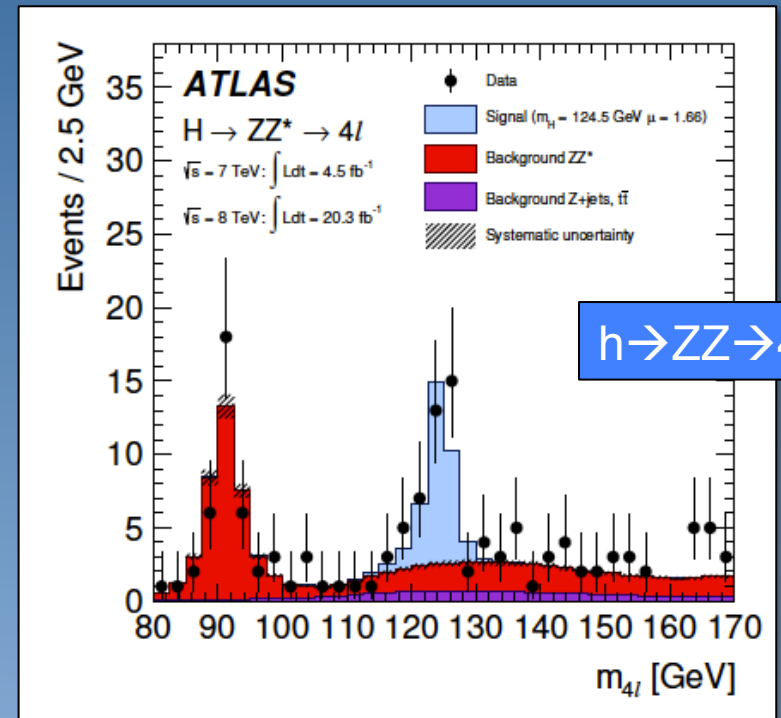
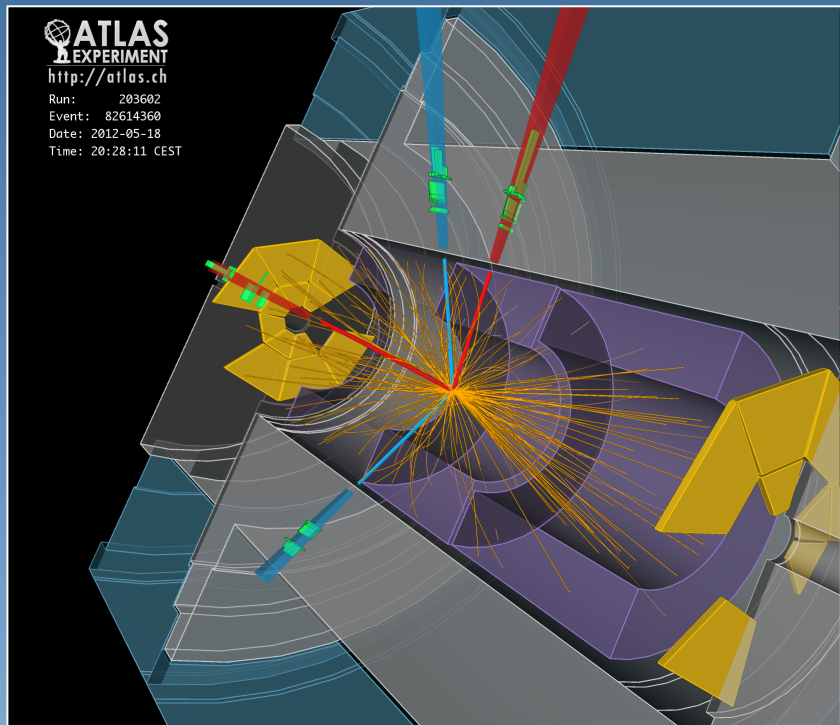
Why would you want to measure  
the Higgs mass to high accuracy ?

# Why measure the mass to high precision ?

Branching ratio's depend on the mass of the Higgs boson

		$\Delta m$	$\Delta \Gamma/\Gamma_{125}$
$m_h = 123.7 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.34\%$	-1%	-11%
$m_h = 124.0 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.41\%$		
$m_h = 124.5 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.52\%$	0.4%	-4.5%
$m_h = 125.0 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.64\%$	0.0%	0.0%
$m_h = 125.5 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.76\%$	0.4%	+4.5%
$m_h = 126.0 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.89\%$		
$m_h = 126.3 \text{ GeV}$	$\Gamma(h \rightarrow ZZ) = 2.97\%$	+1%	+12%

# Mass measurement in the 4-lepton channel



Small number of events:	26.5 expected (37 observed), 4 categories
Clean signature:	S/B $\sim 2$ in mass region 120-130 GeV
Excellent mass resolution:	1.6 (2.2) GeV in the $4\mu$ ( $4e$ ) channel
Backgrounds:	$ZZ^*$ , $Z$ +jets, $t\bar{t}$

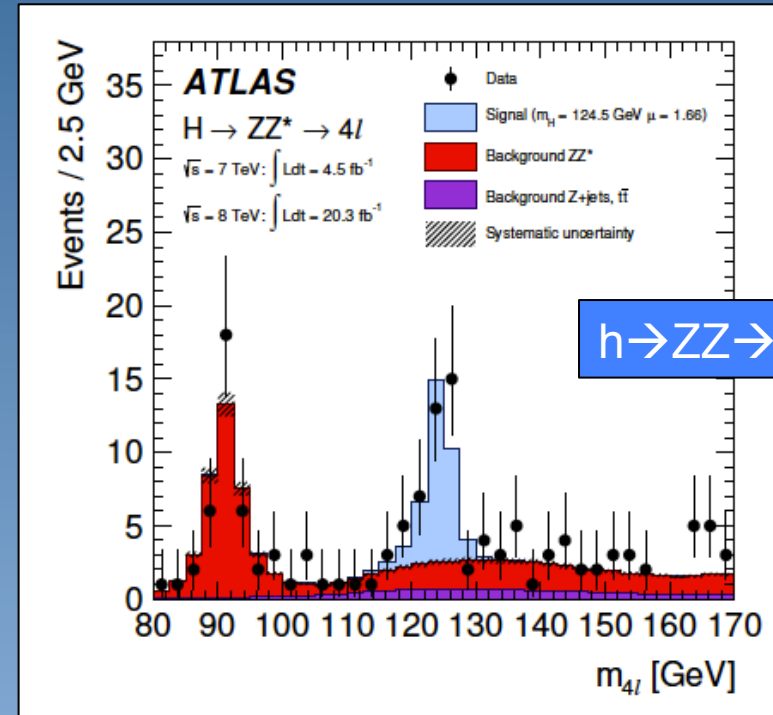
# Mass measurement in the 4-lepton channel

## Mass and signal strength 4-lepton channel

$$m_h = 124.51 \pm 0.52 \text{ GeV}$$

$$\mu = 1.66^{+0.45}_{+0.38}$$

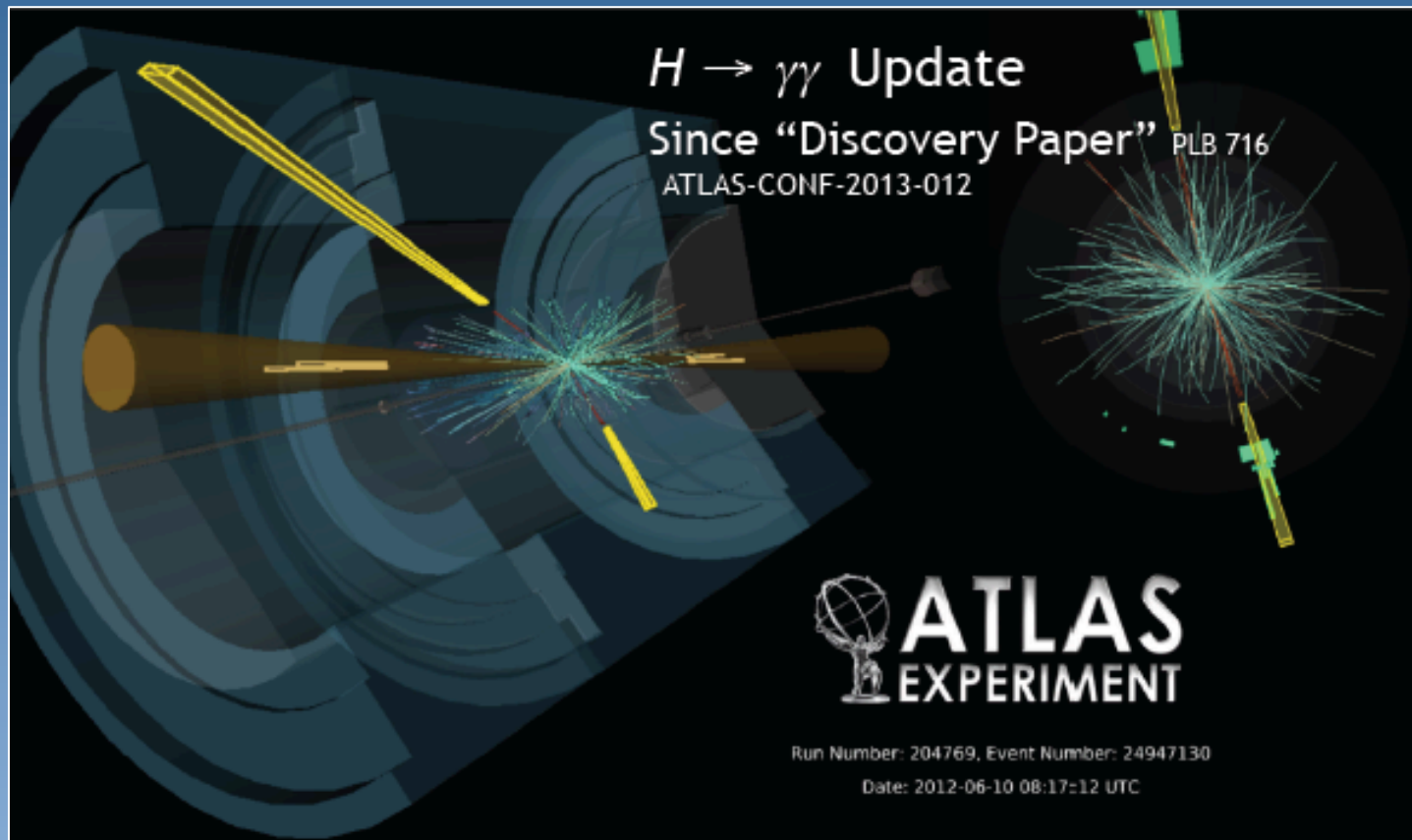
*cross-section w.r.t SM*



Excellent mass measurement, more events than expected



# Difficulties in the 2-photon channel



Many topologies:

450 events in 10 categories

S/B from 0.02 – 0.60

Excellent mass resolution:

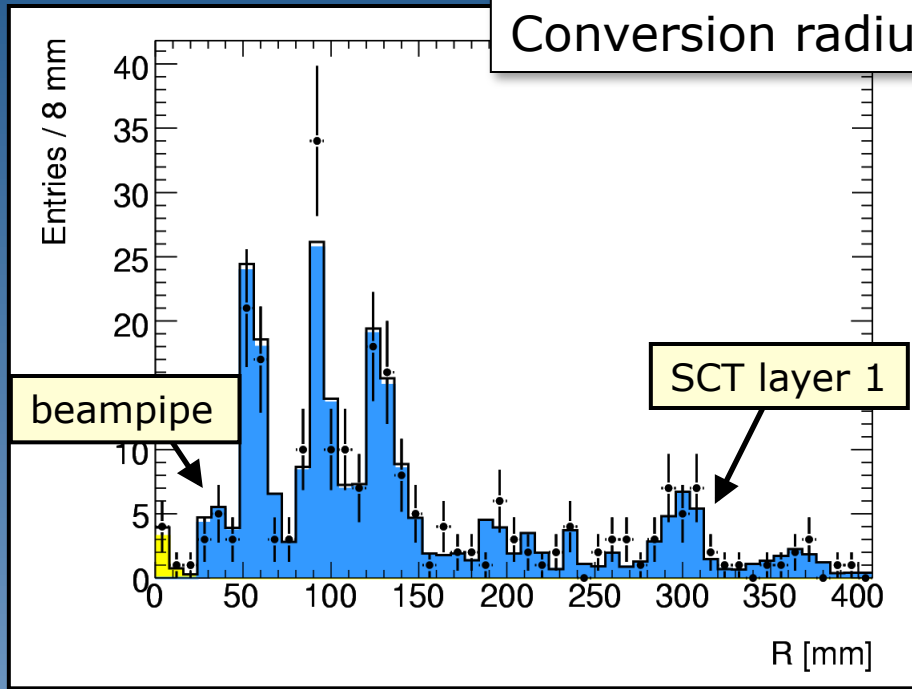
1.2-2.4 GeV (1.7 GeV on average)

Backgrounds:

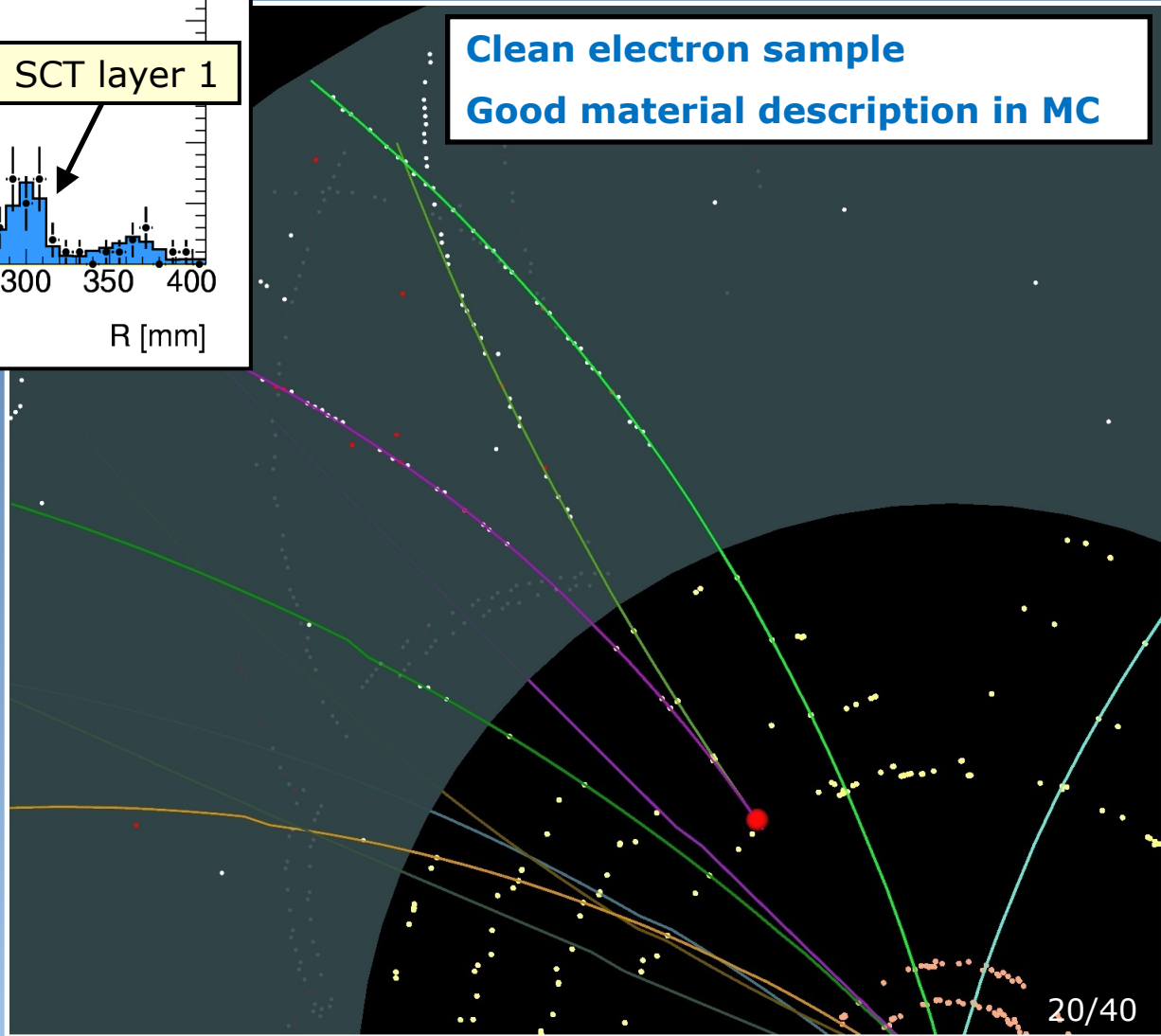
$\gamma\gamma$ ,  $\gamma j$ ,  $jj$

# Photon conversions

Conversion radius



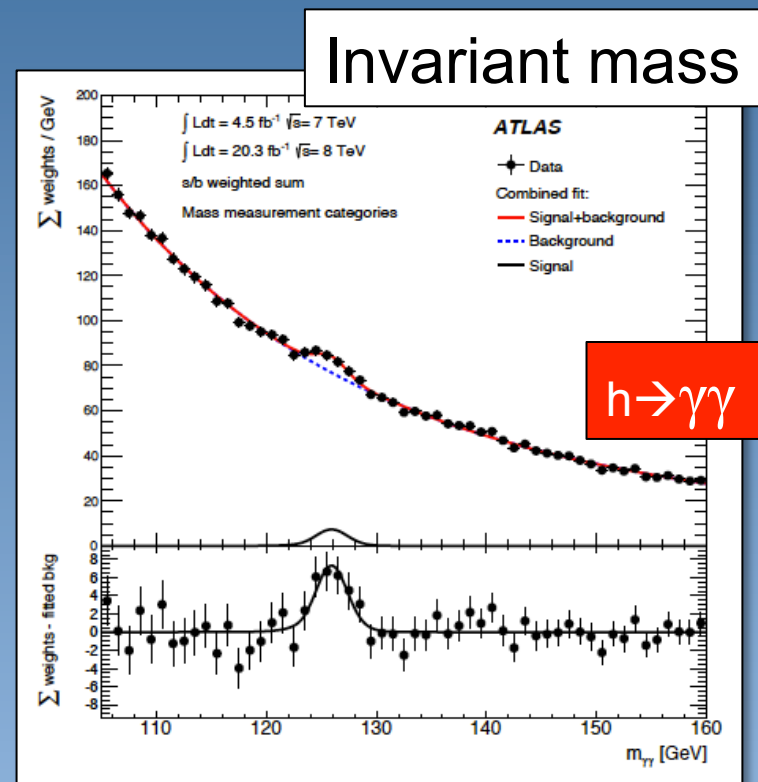
Clean electron sample  
Good material description in MC



# Event categories in 2-photon channel

## Event categories

Category	$n_{\text{sig}}$
Inclusive	402.
Unconv. central low $p_{\text{T}}$	59.3
Unconv. central high $p_{\text{T}}$	7.1
Unconv. rest low $p_{\text{T}}$	96.2
Unconv. rest high $p_{\text{T}}$	10.4
Unconv. transition	26.0
Conv. central low $p_{\text{T}}$	37.2
Conv. central high $p_{\text{T}}$	4.5
Conv. rest low $p_{\text{T}}$	107.2
Conv. rest high $p_{\text{T}}$	11.9
Conv. transition	42.1



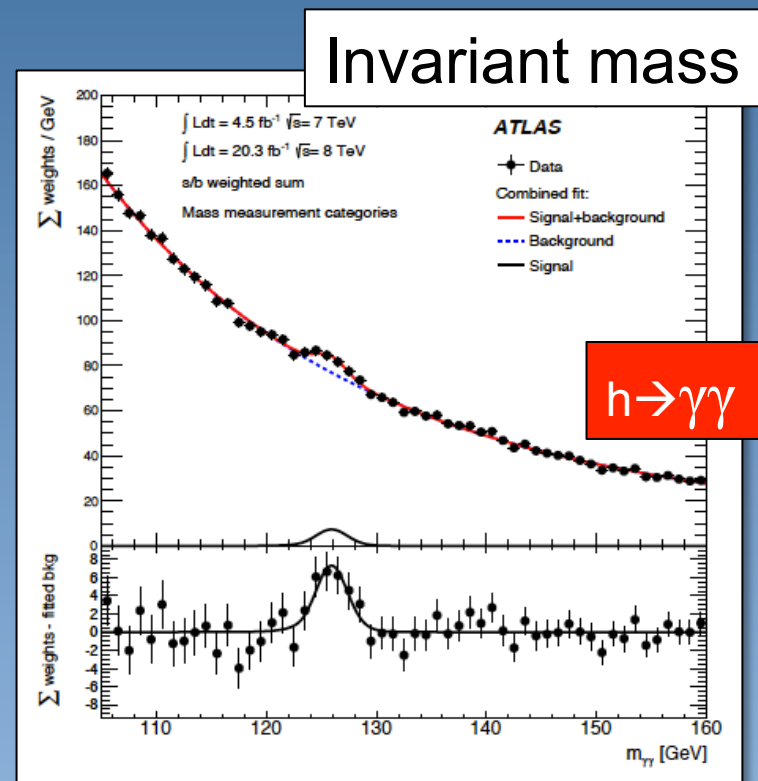
# Event categories in 2-photon channel

## Mass and signal strength 2-photon channel

$$m_h = 125.98 \pm 0.50 \text{ GeV}$$

$$\mu = 1.29 \pm 0.30$$

*cross-section w.r.t SM*

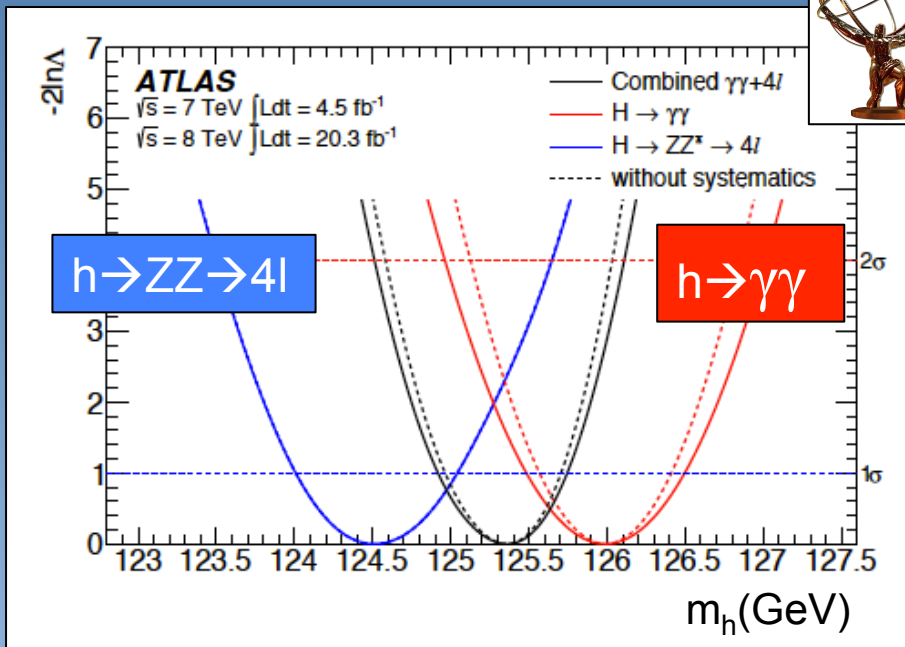


Nice mass measurement, more events than expected

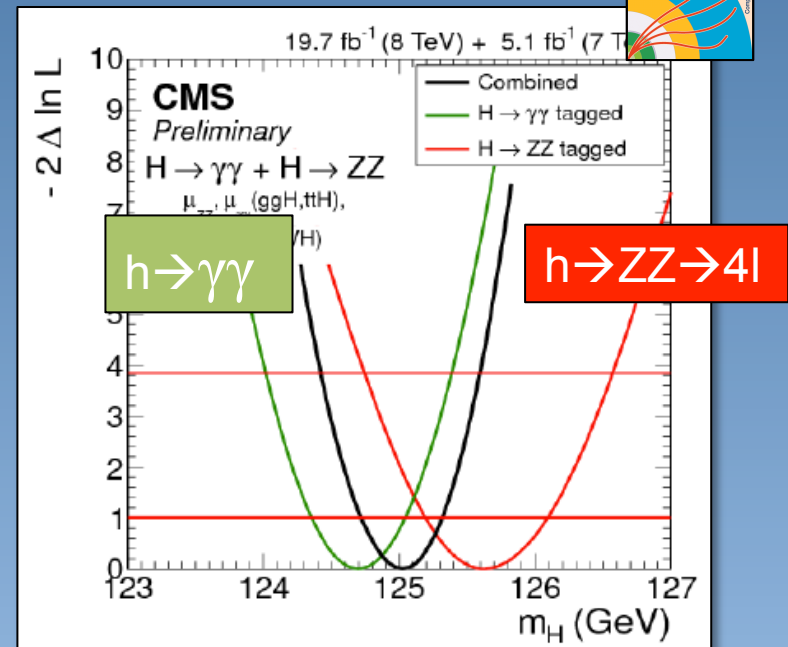
Mass differences ?

# Mass difference between ZZ and $\gamma\gamma$ final state

## ATLAS experiment



## CMS experiment



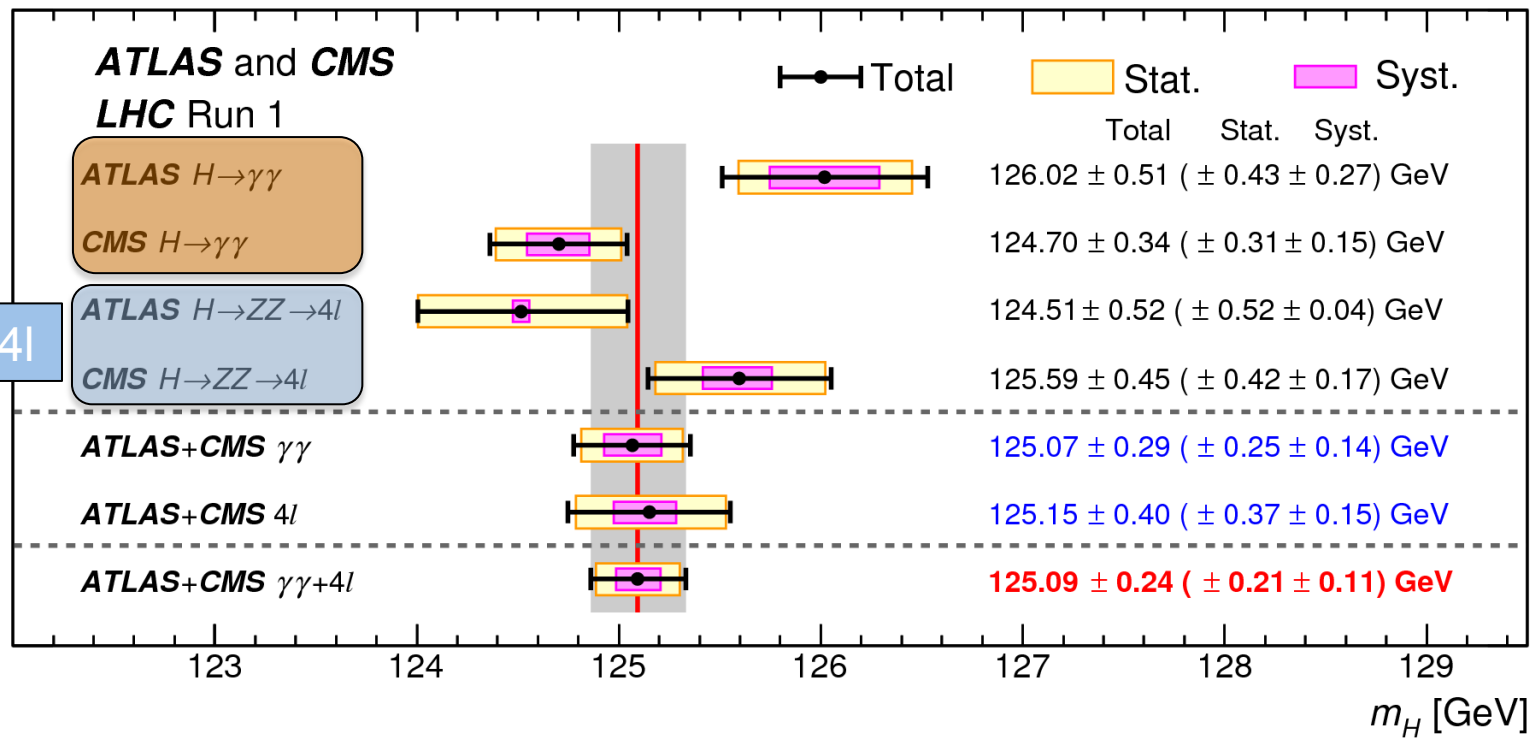
$\Delta m_h = 1.47 \pm 0.72 \text{ GeV}$   
 1.98 sigma

# ATLAS & CMS combination

# ATLAS + CMS combined mass measurement

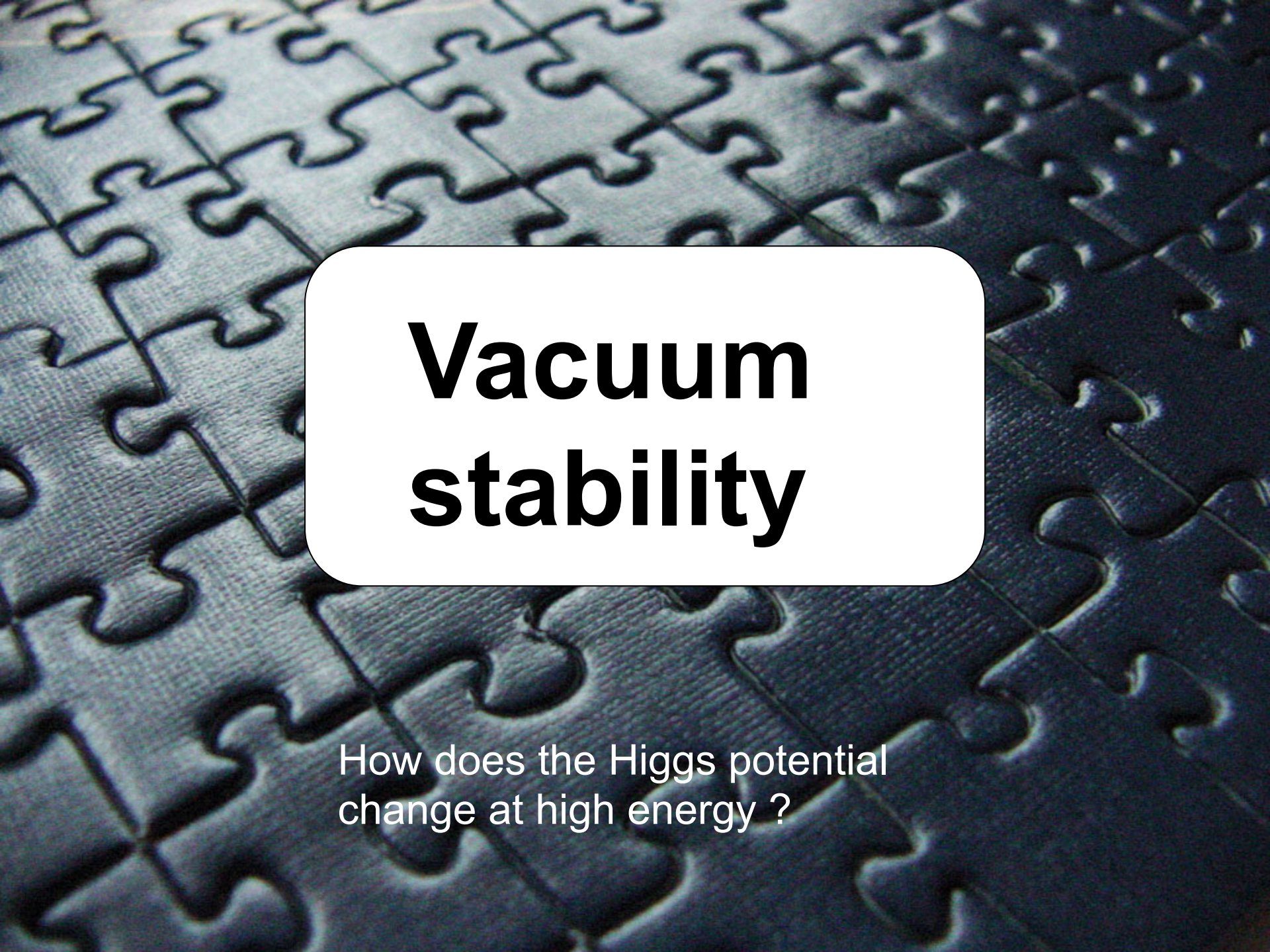
$h \rightarrow \gamma\gamma$

$h \rightarrow ZZ \rightarrow 4l$



$$m_h = 125.09 \pm 0.21(stat) \pm 0.11(syst)$$





# **Vacuum stability**

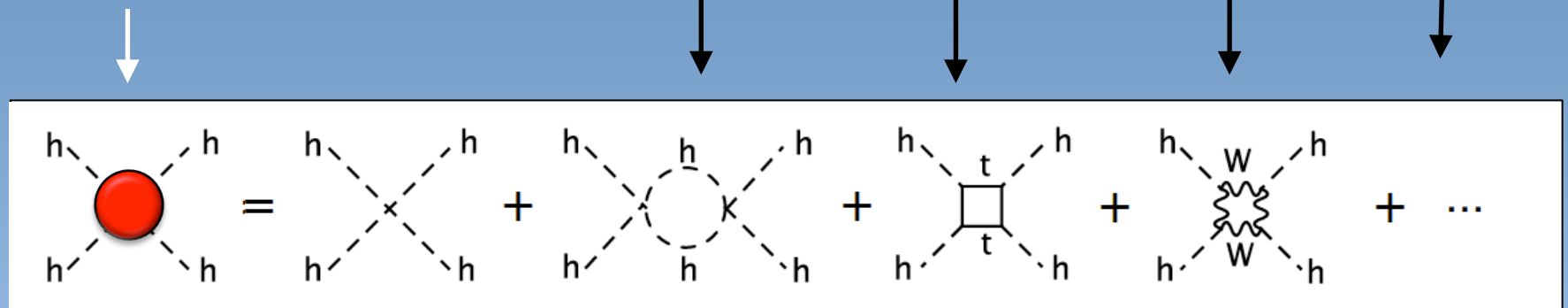
How does the Higgs potential  
change at high energy ?

# Theoretical implications of particular Higgs mass

$$\frac{d\lambda}{dt} = \beta_\lambda, \text{ with } t = \ln(Q^2) \quad \text{Relates strength } \lambda(\Lambda) \text{ with that at } \lambda(v)$$

$$32\pi^2 \frac{d\lambda}{dt} = 24\lambda^2 - 24y_t^4 + \frac{3}{8}g'^4 + \frac{3}{4}g'^2 g^2 + \frac{9}{8}g^4 - \lambda(3g'^2 + 9g^2 - 24y_t^2) + \dots$$

effective  $\lambda$



2 regimes:  $\lambda \gg g, g', y_t$  and  $\lambda \ll g, g', y_t$

**triviality**

**vacuum stability**

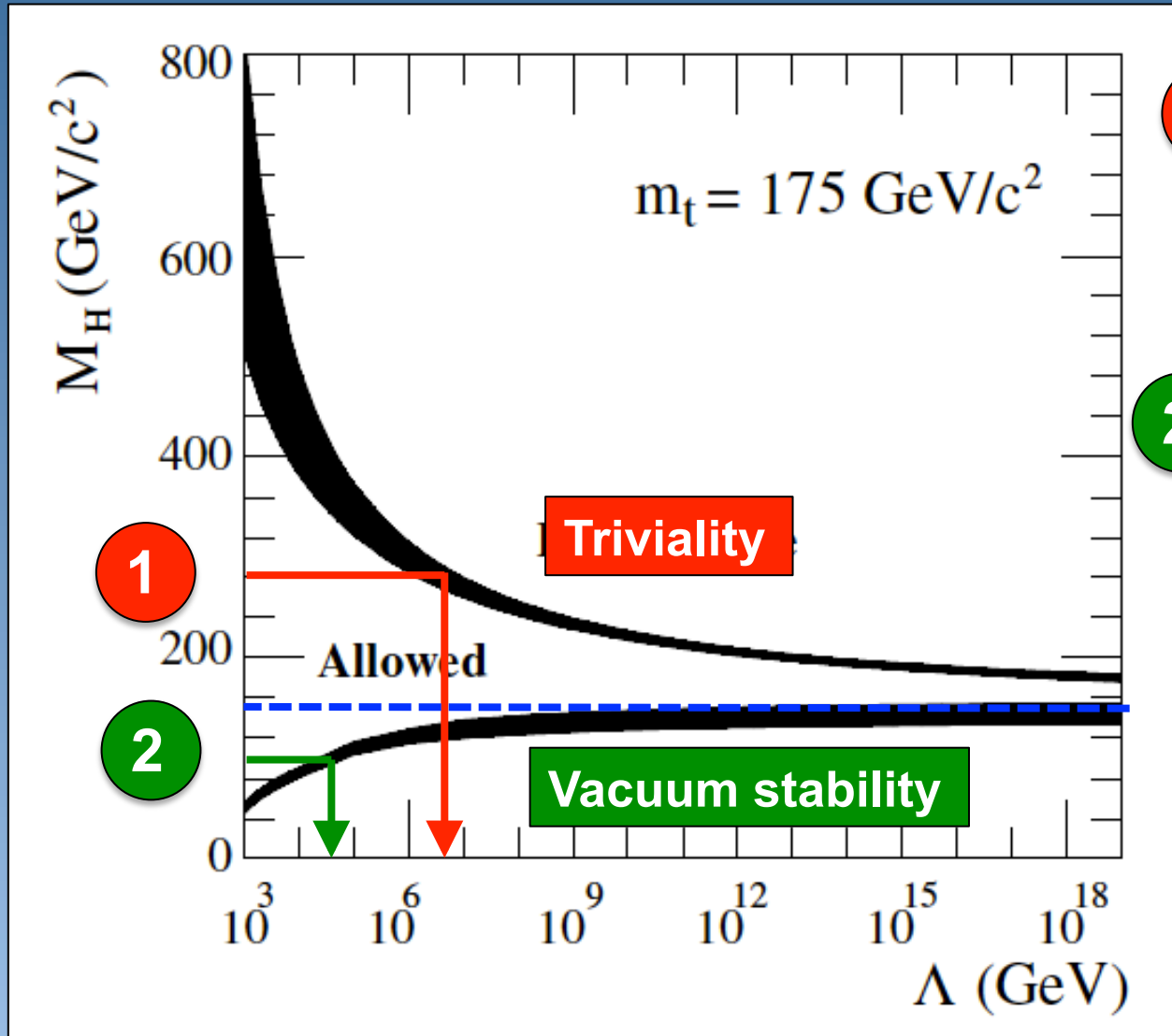
# Vacuum stability

$$\frac{d\lambda}{dt} = -\frac{3}{4\pi^2} y_t^4$$



$\Lambda$  gets smaller at higher energy  
... and eventually becomes negative

# Theoretical limits on the Higgs boson mass

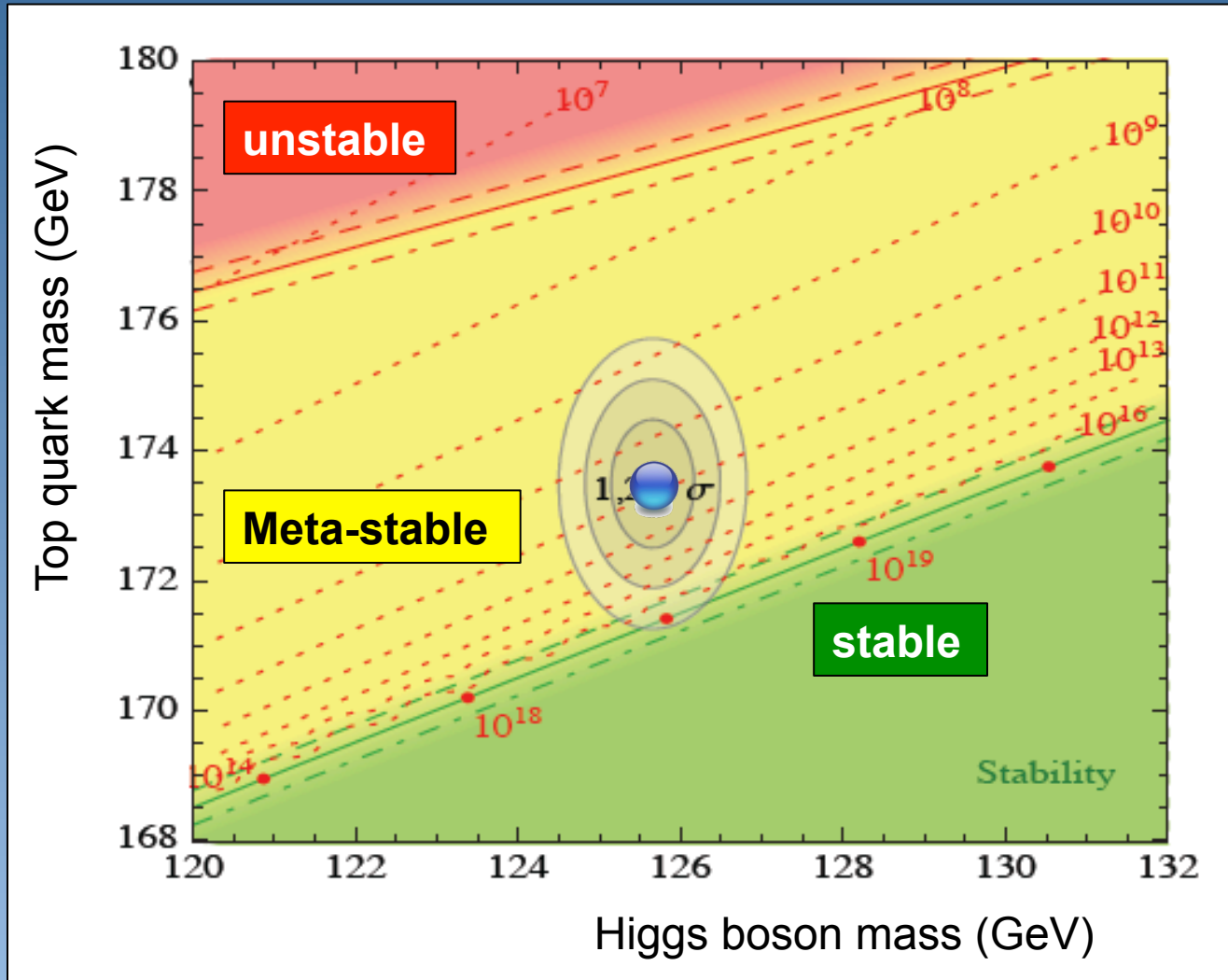


1 Heavy Higgs boson  
→ new physics  
before  $M_{\text{planck}}$

2 Light Higgs boson  
→ new physics  
before  $M_{\text{planck}}$

LHC data

# Stability of the vacuum



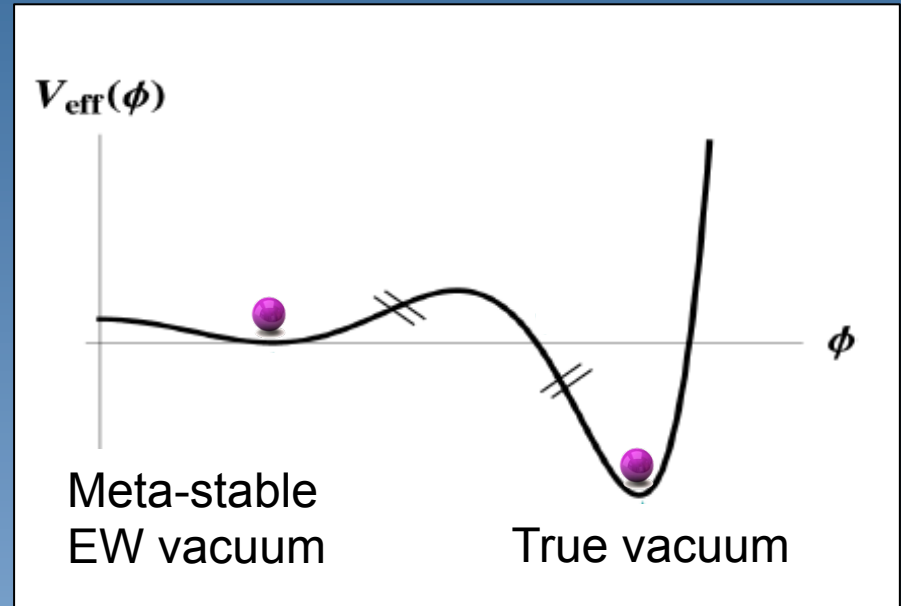
# Stability of the vacuum: meta-stability

New physics at the Planck scale:  
2 higher dimensional operators

$$V(\phi) = \frac{\lambda}{4} \phi^4 + \frac{\lambda_6}{6} \frac{\phi^6}{M_P^2} + \frac{\lambda_8}{8} \frac{\phi^8}{M_P^4}$$

Tunneling time to true vacuum

$$\Gamma = \frac{1}{\tau} = T_U^3 \frac{S[\phi_b]^2}{4\pi^2} \left| \frac{\det' [-\partial^2 + V''(\phi_b)]}{\det [-\partial^2 + V''(v)]} \right|^{-1/2} e^{-S[\phi_b]}$$



*Not before these guys become World Champion*

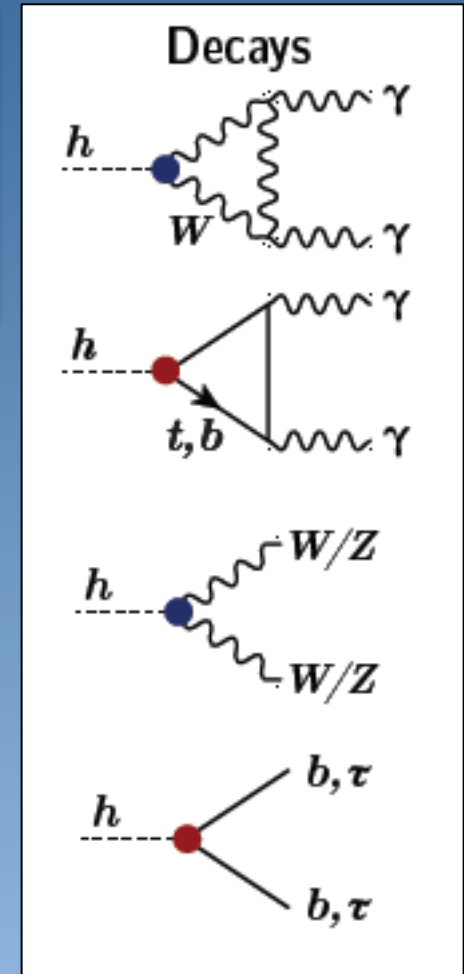
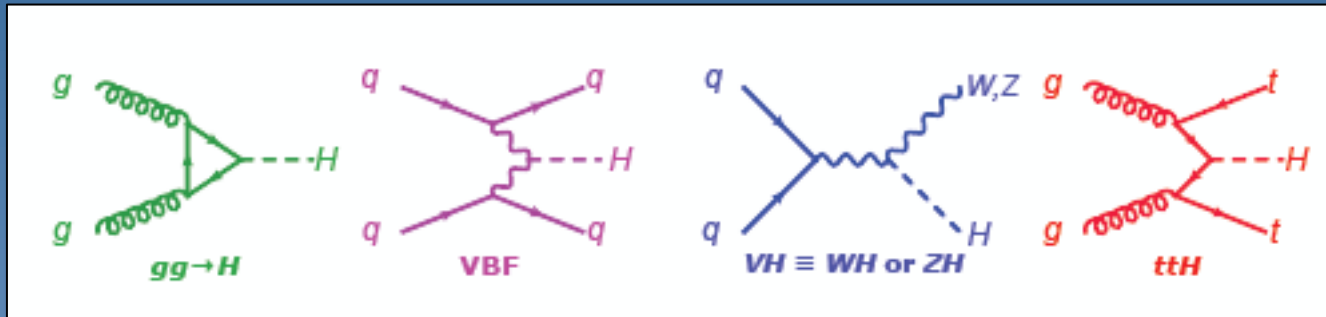




# Couplings

Does the Higgs boson couple  
to particle as SM dictates ?

# Higgs production and decay



All production and decay modes ?  
In agreement with prediction ?

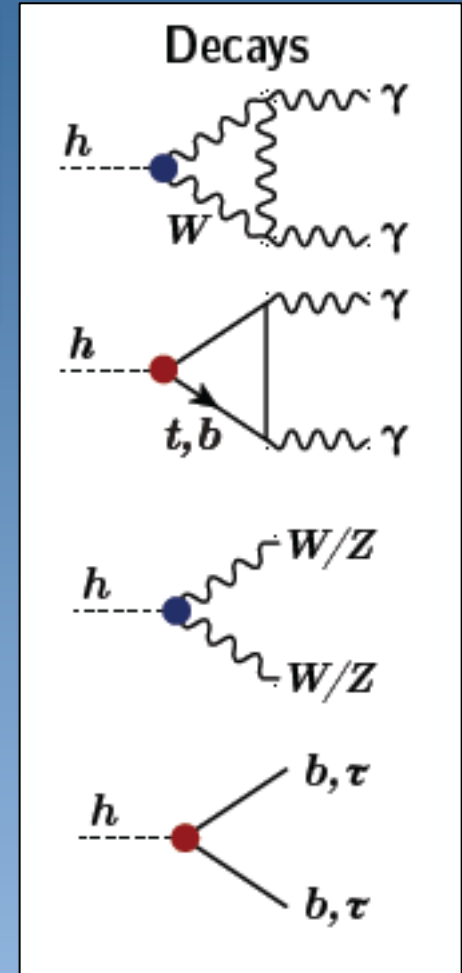
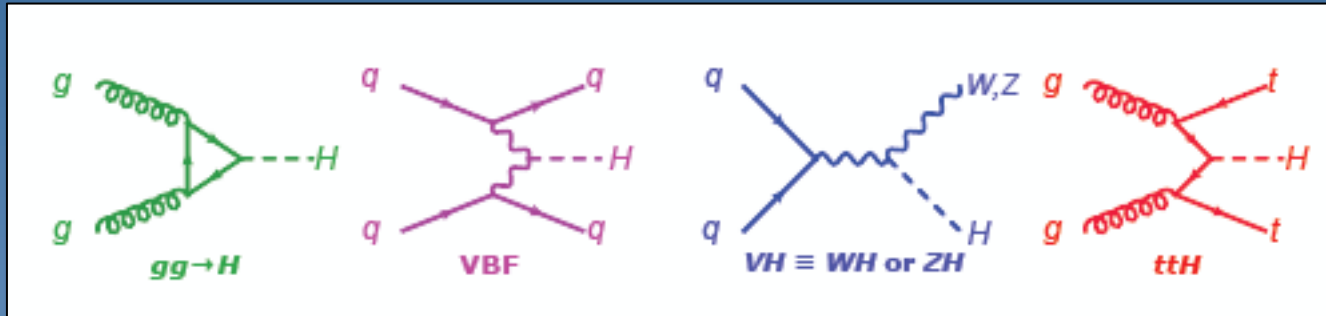
Rate differences expressed as:

$$\mu = \frac{\sigma^{observed}}{\sigma^{SM}}$$

Note: characteristics SM Higgs boson are **fixed** once mass is known



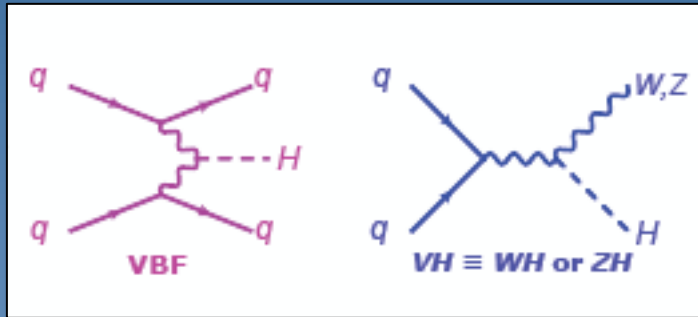
# Higgs production and decay



Decay tag	incl.(ggH)	VBF tag	VH tag	ttH tag
H → ZZ	✓	✓		
H → γγ	✓	✓	✓	✓
H → WW	✓	✓	✓	✓
H → ττ	✓	✓	✓	✓
H → bb		✓	✓	✓
H → Zγ	✓	✓		
H → μμ	✓	✓		
H → inv.		✓	✓	

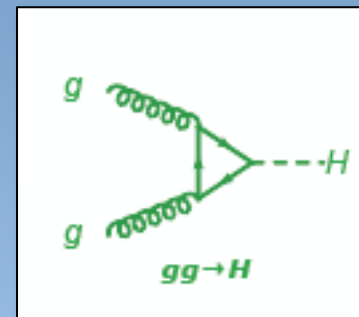
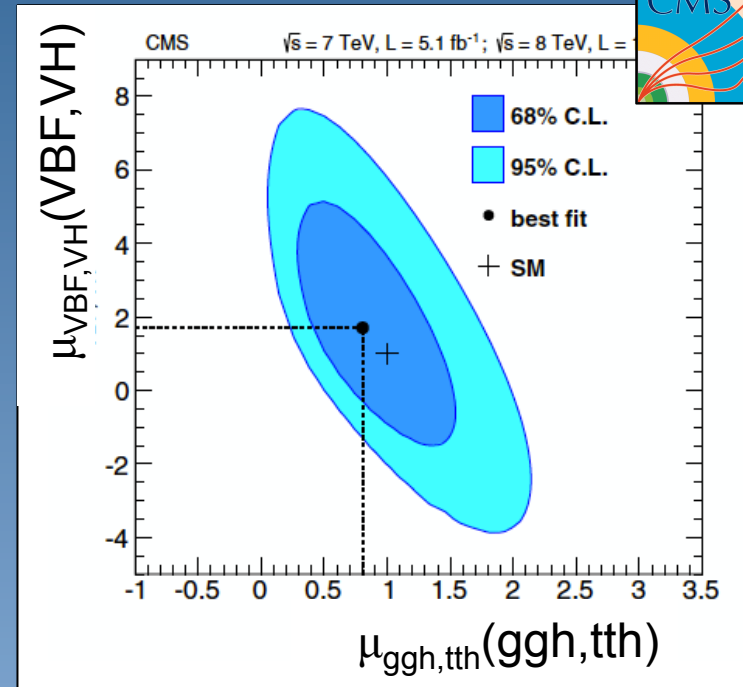


# Disentangle production modes



40-60% uncertainty

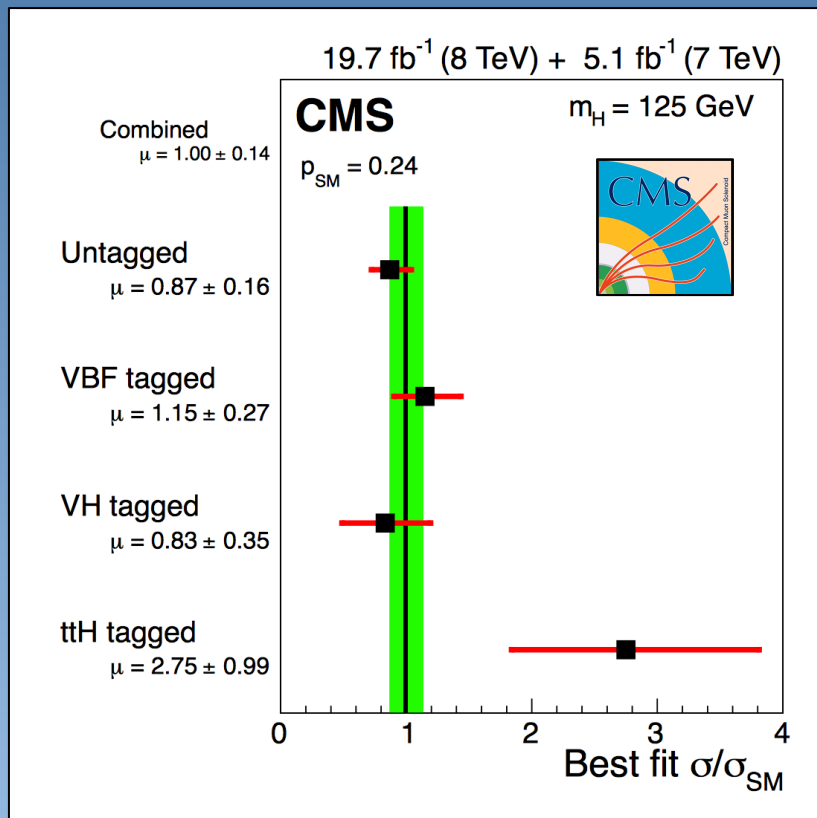
Exploit differences  
in topology (jets)



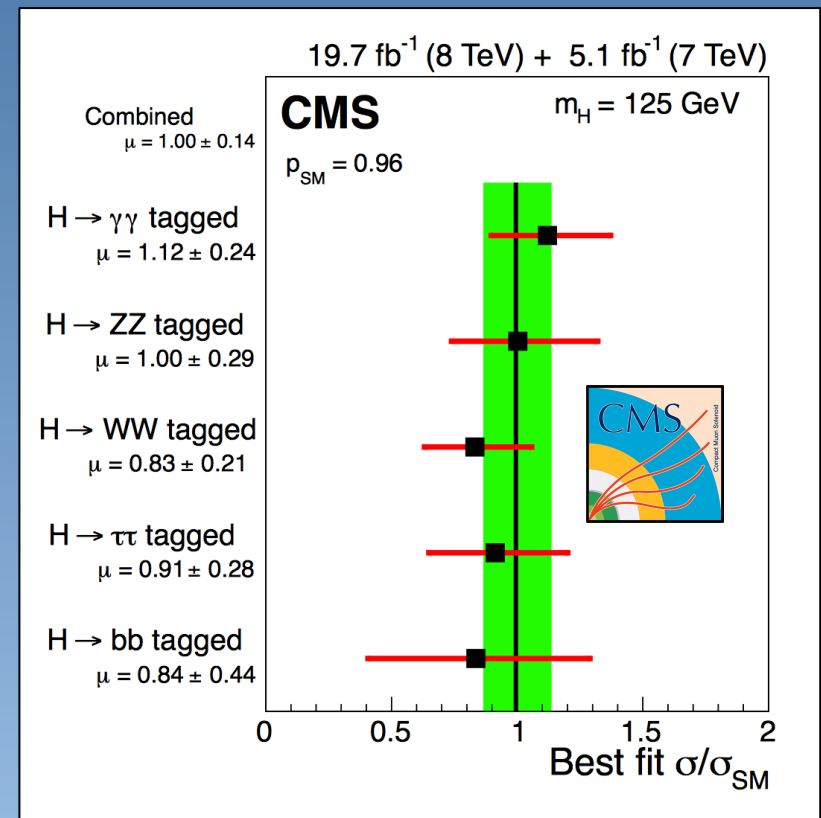
25-30% uncertainty

# Rate measurement summary CMS experiment

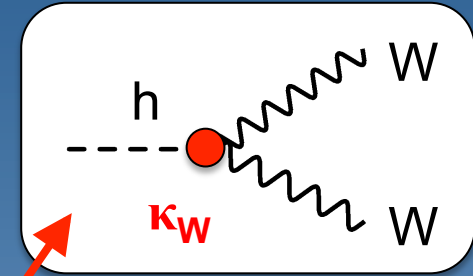
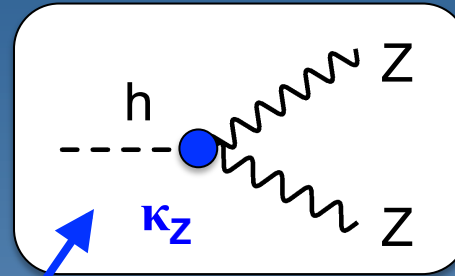
## *production modes*



## *decay modes*

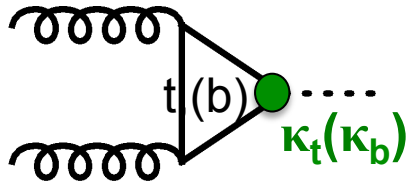


# Effective Lagrangian

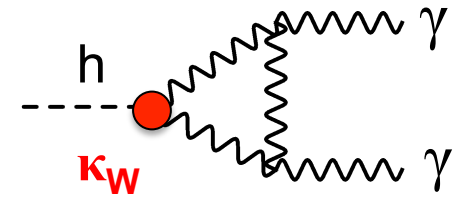
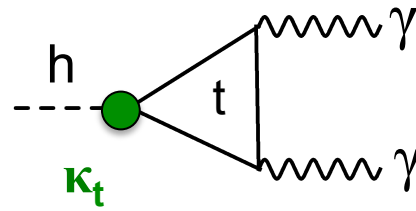


Use scale factors  $\kappa$  to parametrise deviations from SM ( $\kappa=1$ ):

$$\begin{aligned} \mathcal{L} = & \kappa_3 \frac{m_H^2}{2v} H^3 + \kappa_Z \frac{m_Z^2}{v} Z_\mu Z^\mu H + \kappa_W \frac{2m_W^2}{v} W_\mu^+ W^{-\mu} H \\ & + \kappa_g \frac{\alpha_s}{12\pi v} G_{\mu\nu}^a G^{a\mu\nu} H + \kappa_\gamma \frac{\alpha}{2\pi v} A_{\mu\nu} A^{\mu\nu} H + \kappa_{Z\gamma} \frac{\alpha}{\pi v} A_{\mu\nu} Z^{\mu\nu} H \\ & - \left( \kappa_t \sum_{f=u,c,t} \frac{m_f}{v} f\bar{f} + \kappa_b \sum_{f=d,s,b} \frac{m_f}{v} f\bar{f} + \kappa_\tau \sum_{f=e,\mu,\tau} \frac{m_f}{v} f\bar{f} \right) H \end{aligned}$$



$$\kappa_g^2 \propto 1.06\kappa_t^2 - 0.07\kappa_t\kappa_b + 0.01\kappa_b^2$$



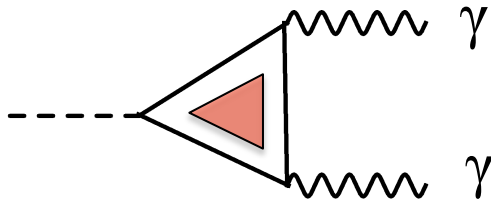
$$\kappa_\gamma^2 \propto 1.59\kappa_W^2 - 0.66\kappa_W\kappa_t + 0.07\kappa_t^2$$

$$\begin{aligned} \mathcal{L} = & \kappa_3 \frac{m_H^2}{2v} H^3 + \kappa_Z \frac{m_Z^2}{v} Z_\mu Z^\mu H + \kappa_W \frac{2m_W^2}{v} W_\mu^+ W^{-\mu} H \\ & + \kappa_g \frac{\alpha_s}{12\pi v} G_{\mu\nu}^a G^{a\mu\nu} H + \kappa_\gamma \frac{\alpha}{2\pi v} A_{\mu\nu} A^{\mu\nu} H + \kappa_{Z\gamma} \frac{\alpha}{\pi v} A_{\mu\nu} Z^{\mu\nu} H \\ & - \left( \kappa_t \sum_{f=u,c,t} \frac{m_f}{v} f\bar{f} + \kappa_b \sum_{f=d,s,b} \frac{m_f}{v} f\bar{f} + \kappa_\tau \sum_{f=e,\mu,\tau} \frac{m_f}{v} f\bar{f} \right) H \end{aligned}$$

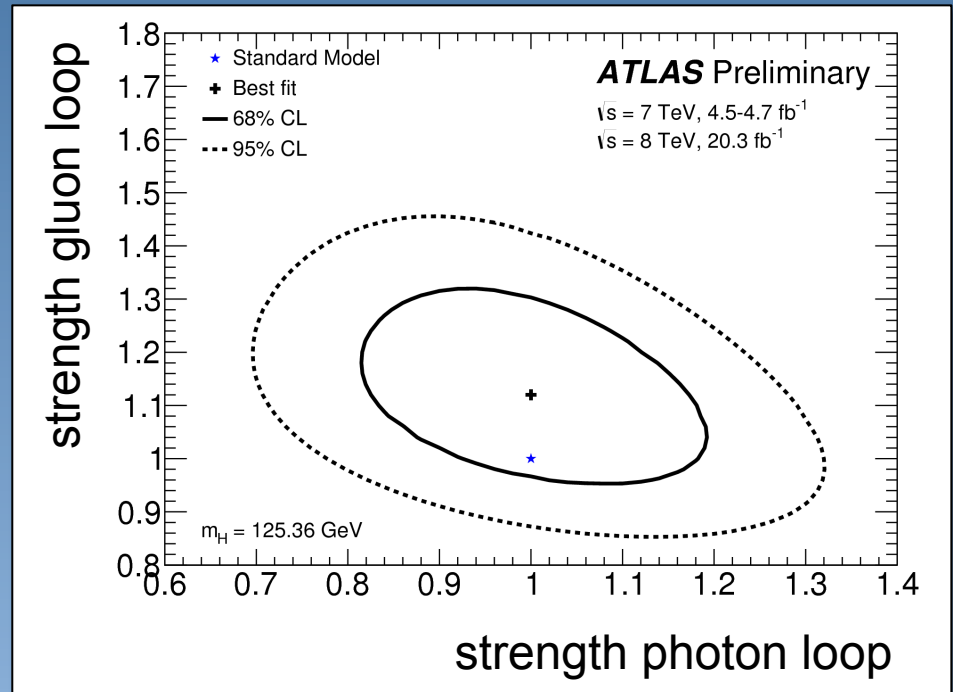
Rates and relations are modified if non-SM particles enter in the loops

# Evidence for new particles in loops ?

New particles can enter loop

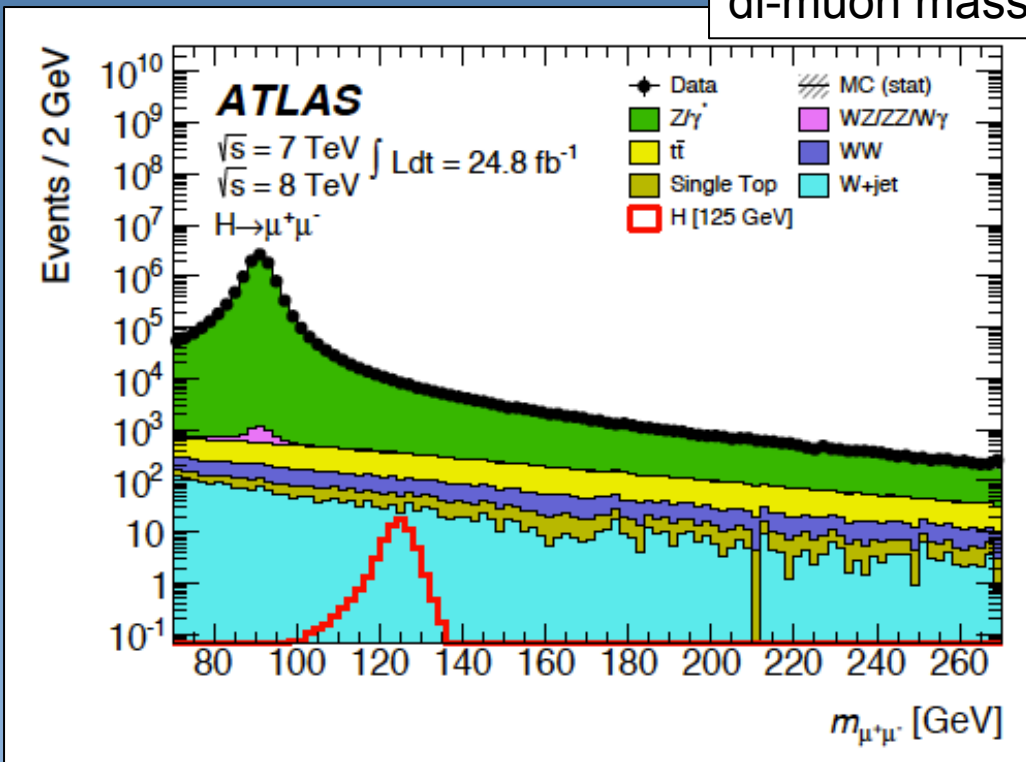


SUSY particles, ...



Because it's difficult doesn't mean wont try:  $h \rightarrow \mu\mu$

di-muon mass

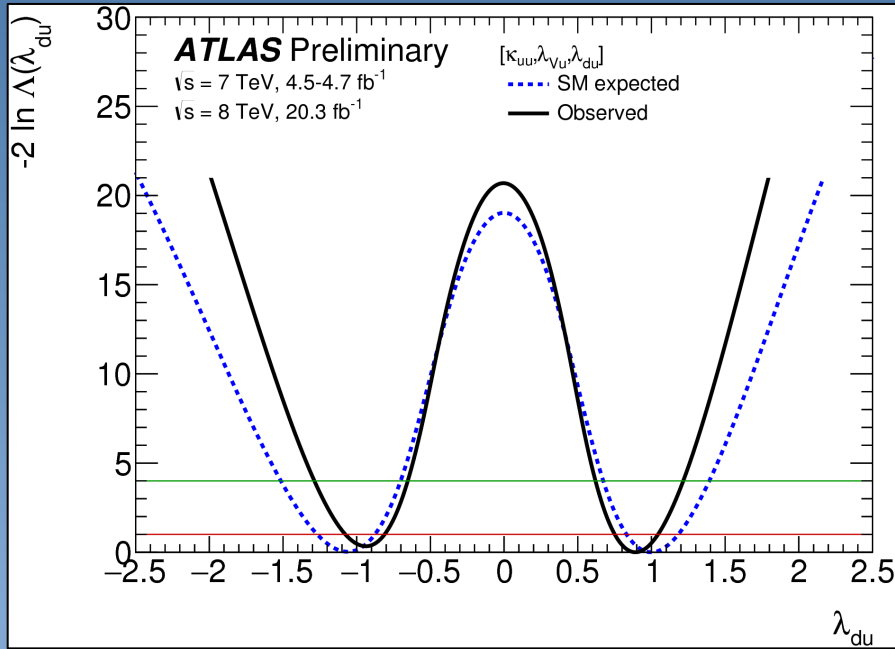


$$\Gamma(h \rightarrow \mu\mu) = 0.02\%$$

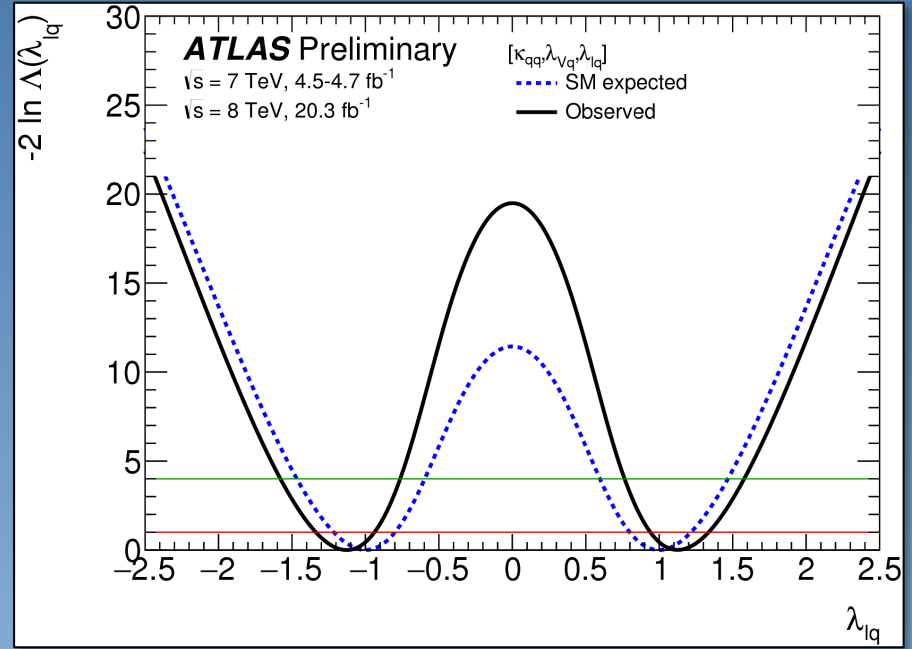
Enormous Drell-Yan background

# Coupling ratio's

*up-type versus down type quarks*



*leptons versus quarks*







# **interpretation**

What do these couplings mean ?

## 2 Higgs doublet models (general)

$$H_u = \begin{pmatrix} H_u^+ \\ H_u^0 \end{pmatrix} \quad H_d = \begin{pmatrix} H_d^0 \\ H_d^- \end{pmatrix}$$

5 Higgs bosons

Several models predict that there are more Higgs bosons

Properties of lightest (SM-like) Higgs boson are different from SM one

# 2-Higgs doublet models (general)

## Differences in couplings in 2HDM's

Coupling scale factor	Type I	Type II	Type III	Type IV
$\kappa_V$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$	$\sin(\beta - \alpha)$
$\kappa_u$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$	$\cos(\alpha) / \sin(\beta)$
$\kappa_d$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$
$\kappa_l$	$\cos(\alpha) / \sin(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$-\sin(\alpha) / \cos(\beta)$	$\cos(\alpha) / \sin(\beta)$

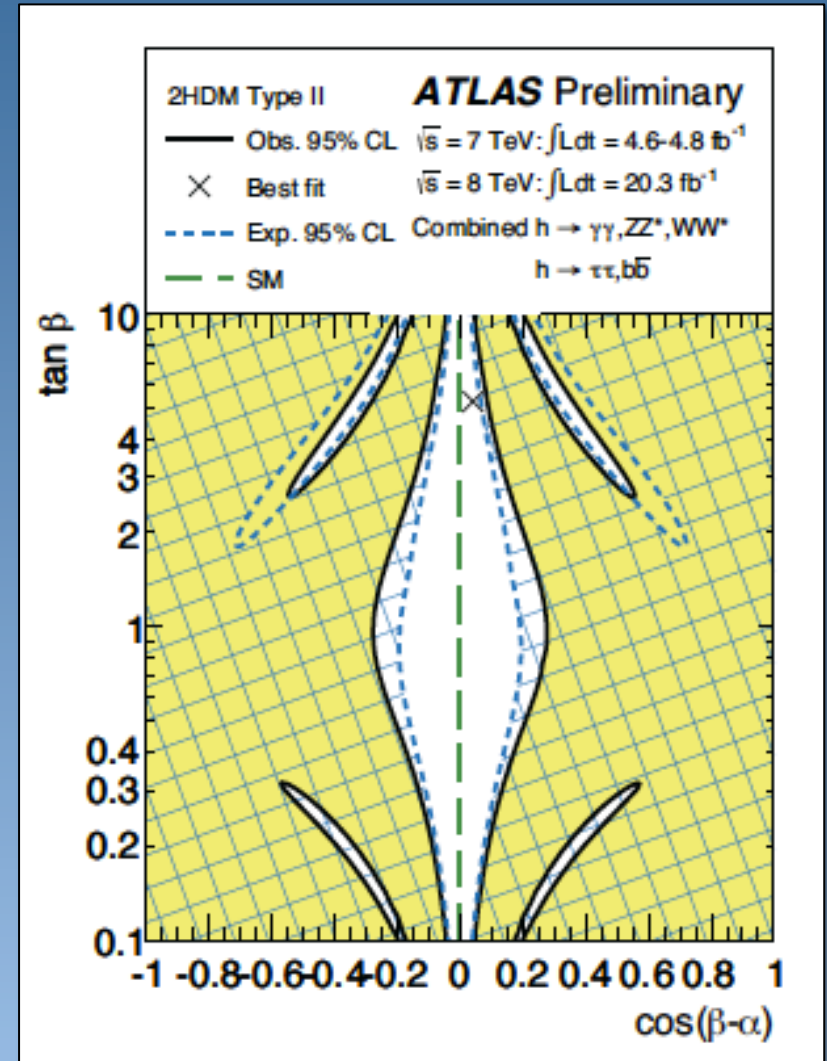
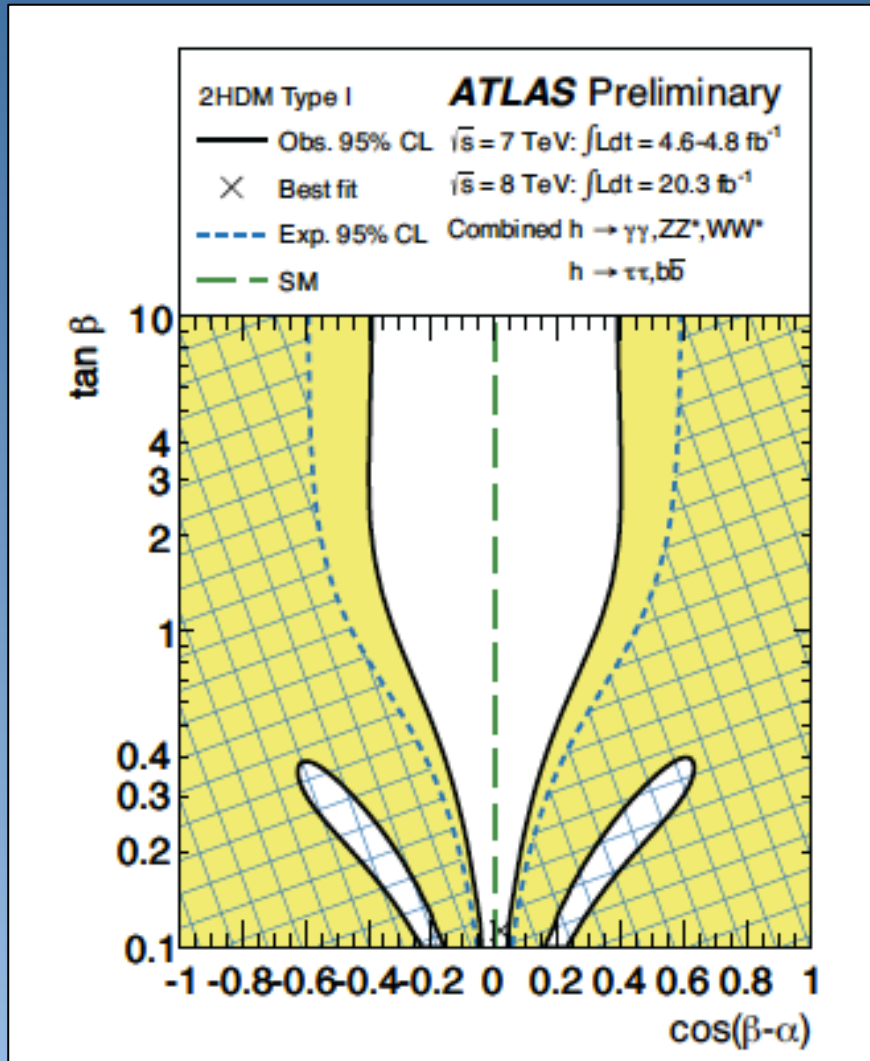
### TYPE I:

- 1 doublet for vector bosons (fermiophobic)
- 1 doublet for fermions

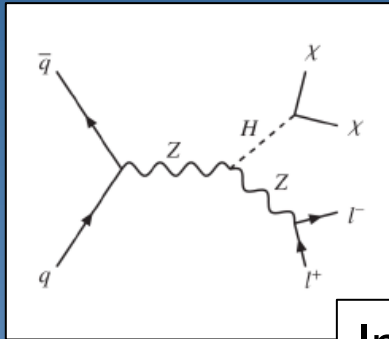
### TYPE II: MSSM-like:

- 1 doublet for up-type
- 1 doublet for down-type

# 2-Higgs doublet models (general)



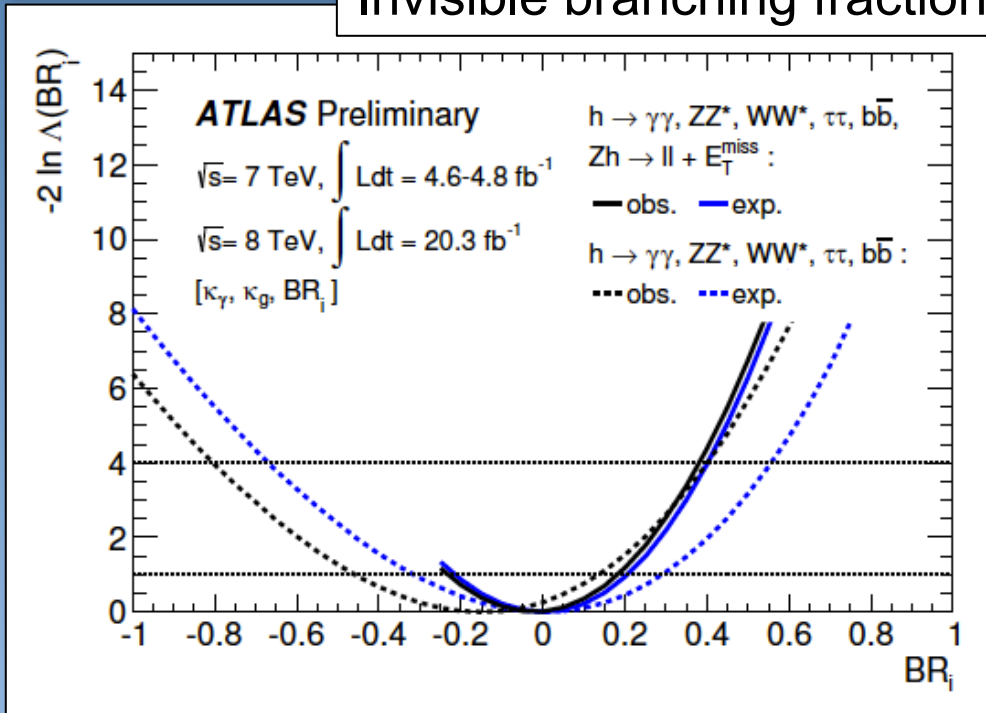
# Invisible decays & portal to dark matter



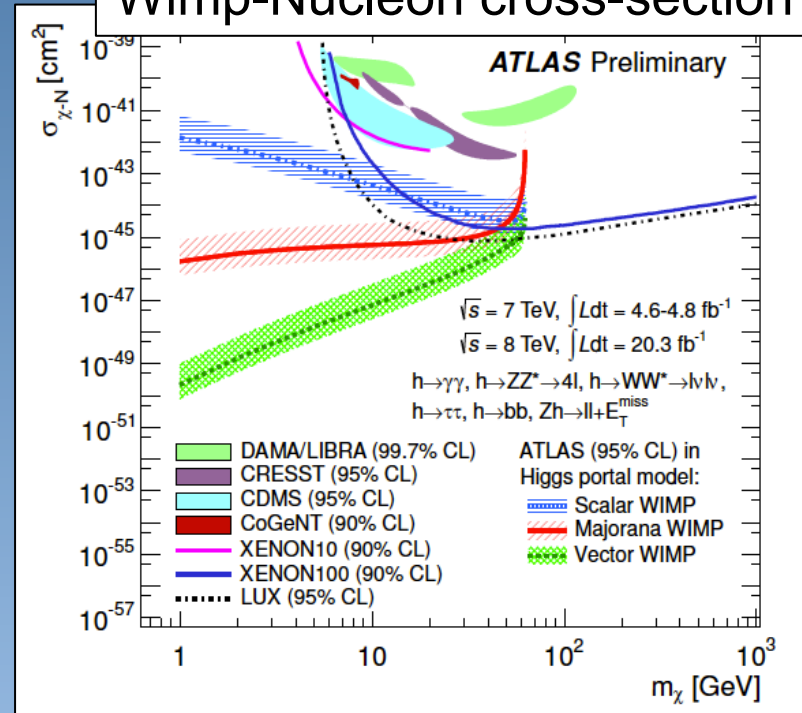
Higgs couples to WIMP



Invisible branching fraction



Wimp-Nucleon cross-section

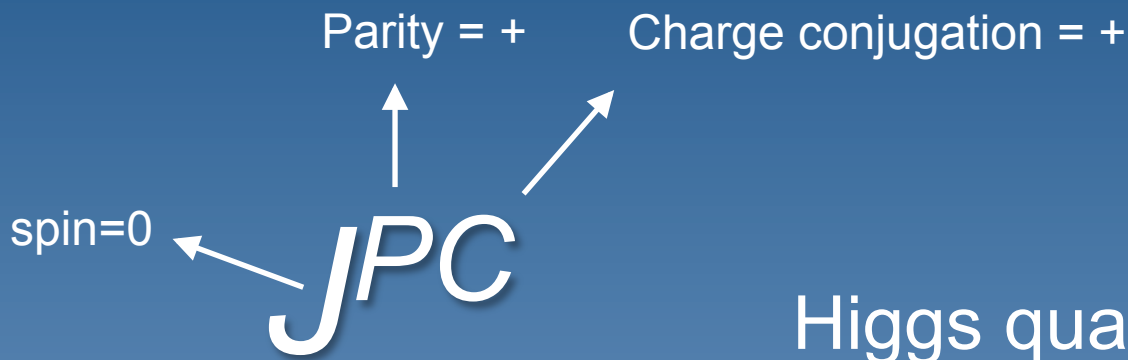


$Br_{\text{invisible}} < 37\%$  at 95% CL



**spin**

Is the Higgs boson a scalar particle ?



## Higgs quantum numbers

*scenario*      *mode*      *physics model*

$0_m^+$	$gg \rightarrow X$	SM Higgs scalar boson
$0_h^+$	$gg \rightarrow X$	scalar higher-dim. op.
$0^-$	$gg \rightarrow X$	pseudo-scalar
$1^+$	$q\bar{q} \rightarrow X$	exotic pseudo-vector
$1^-$	$q\bar{q} \rightarrow X$	exotic vector
$2_m^+$	$g_1^{(2)} \neq 0$	RS graviton min. coupl.
$2_h^+$	$g_4^{(2)} \neq 0$	tensor higher-dim. op.
$2_h^-$	$g_8^{(2)} \neq 0$	"pseudo-tensor"

# Event topology for different $J^{PC}$ scenario's

## Spin 0 (qq production)

$$A(X \rightarrow V_1 V_2) = v^{-1} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \left( a_1 g_{\mu\nu} m_X^2 + a_2 q_\mu q_\nu + a_3 \epsilon_{\mu\nu\alpha\beta} q_1^\alpha q_2^\beta \right) \tilde{f}^{*(2),\mu\nu}$$

## Spin 1 (qq production)

$$A(X \rightarrow V_1 V_2) = b_1 [(\epsilon_1^* q)(\epsilon_2^* \epsilon_X) + (\epsilon_2^* q)(\epsilon_1^* \epsilon_X)] + b_2 \epsilon_{\alpha\mu\nu\beta} \epsilon_X^\alpha \epsilon_1^{*\mu} \epsilon_2^{*\nu} \tilde{q}^{\beta}$$

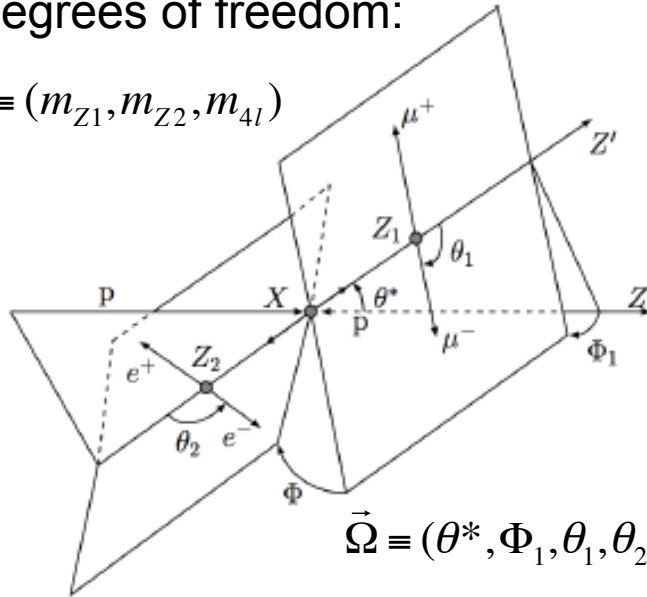
## Spin 2 (qq and gg production)

$$A(X \rightarrow V_1 V_2) = \Lambda^{-1} \left[ 2g_1^{(2)} t_{\mu\nu} f^{*(1)\mu\alpha} f^{*(2)\nu\alpha} + 2g_2^{(2)} t_{\mu\nu} \frac{q_\alpha q_\beta}{\Lambda^2} f^{*(1)\mu\alpha} f^{*(2)\nu\beta} + g_3^{(2)} \frac{\tilde{q}^\beta \tilde{q}^\alpha}{\Lambda^2} t_{\beta\nu} \left( f^{*(1)\mu\nu} f_{\mu\alpha}^{*(2)} + f^{*(2)\mu\nu} f_{\mu\alpha}^{*(1)} \right) \right. \\ \left. + g_4^{(2)} \frac{\tilde{q}^\nu \tilde{q}^\mu}{\Lambda^2} t_{\mu\nu} f^{*(1)\alpha\beta} f_{\alpha\beta}^{*(2)} + m_V^2 \left( 2g_5^{(2)} t_{\mu\nu} \epsilon_1^{*\mu} \epsilon_2^{*\nu} + 2g_6^{(2)} \frac{\tilde{q}^\mu q_\alpha}{\Lambda^2} t_{\mu\nu} (\epsilon_1^{*\nu} \epsilon_2^{*\alpha} - \epsilon_1^{*\alpha} \epsilon_2^{*\nu}) + g_7^{(2)} \frac{\tilde{q}^\mu \tilde{q}^\nu}{\Lambda^2} t_{\mu\nu} \epsilon_1^* \epsilon_2^* \right) \right. \\ \left. + g_8^{(2)} \frac{\tilde{q}_\mu \tilde{q}_\nu}{\Lambda^2} t_{\mu\nu} f^{*(1)\alpha\beta} f_{\alpha\beta}^{*(2)} + m_V^2 \left( g_9^{(2)} \frac{t_{\mu\alpha} \tilde{q}^\alpha}{\Lambda^2} \epsilon_{\mu\nu\rho\sigma} \epsilon_1^{*\nu} \epsilon_2^{*\rho} q^\sigma + \frac{g_{10}^{(2)} t_{\mu\alpha} \tilde{q}^\alpha}{\Lambda^4} \epsilon_{\mu\nu\rho\sigma} q^\rho \tilde{q}^\sigma (\epsilon_1^{*\nu} (q\epsilon_2^*) + \epsilon_2^{*\nu} (q\epsilon_1^*)) \right) \right]$$



8 degrees of freedom:

$$\vec{M} \equiv (m_{Z_1}, m_{Z_2}, m_{4l})$$



$$\vec{\Omega} \equiv (\theta^*, \Phi_1, \theta_1, \theta_2, \Phi)$$

4 lepton final state

**Analysis strategy:**

*Build an 8-dimensional likelihood and fit for the anomalous couplings*



**CMS**

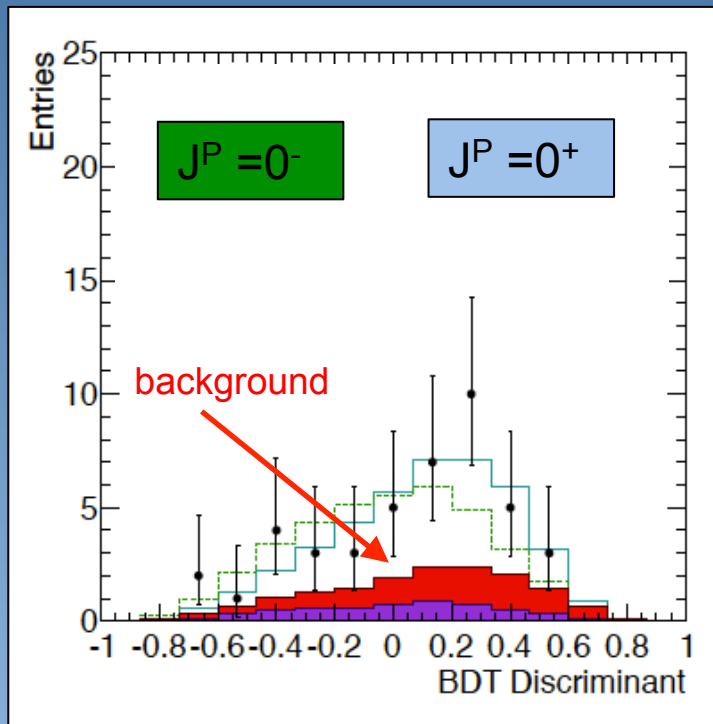
**Analysis strategy:**

*Train BDT on two hypotheses. Use likelihood ratio to test compatibilities*



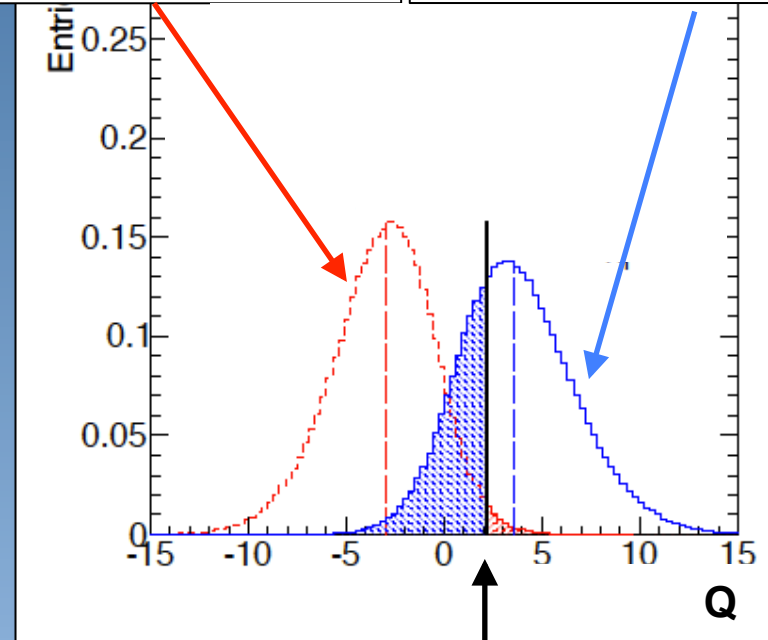
**ATLAS**

# Testing a $0^+$ versus a $0^-$ hypothesis



distribution for Q for 100.000  $0^-$  experiments

distribution for Q for 100.000  $0^+$  experiments



Exclude  $0^-$  hypothesis at 97.8% Confidence level

DATA



# $J^P$ : combination ZZ, WW and $\gamma\gamma$ channel

Exclusion levels for different scenario's:

$J^P = 2^+$ : excluded at  $> 99.9\%$  CL independent of  $f_{qq}$  (WW+ZZ+ $\gamma\gamma$ )

$J^P = 0^-$ : excluded at  $> 97.8\%$  CL (ZZ)

$J^P = 1^-$ : excluded at  $> 99.73\%$  CL (WW+ZZ)

$J^P = 1^+$ : excluded at  $> 99.97\%$  CL (WW+ZZ)



ATLAS

spin-1 excluded at  $\geq 99.9\%$  CL (WW+ZZ) and  $\gamma\gamma$  observation ( $5.70\sigma$ )

spin-2 excluded at  $\geq 99.9\%$  CL (WW+ZZ)



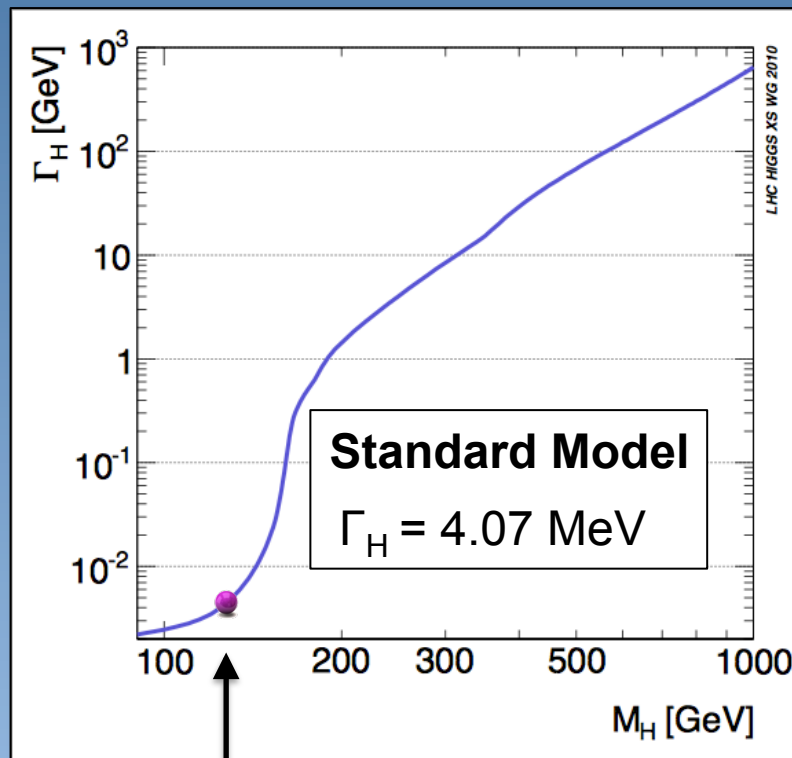
CMS

The quantum numbers of the Higgs boson seems to as predicted by the Standard Model: a spin-0 particle with positive parity



**WIDTH**

# The width of the Higgs boson: $\Gamma_H$



$m_h = 125$  GeV

## Gauge bosons:

$$\Gamma_Z = 2.495 \text{ GeV}$$

$$\Gamma_W = 2.085 \text{ GeV}$$

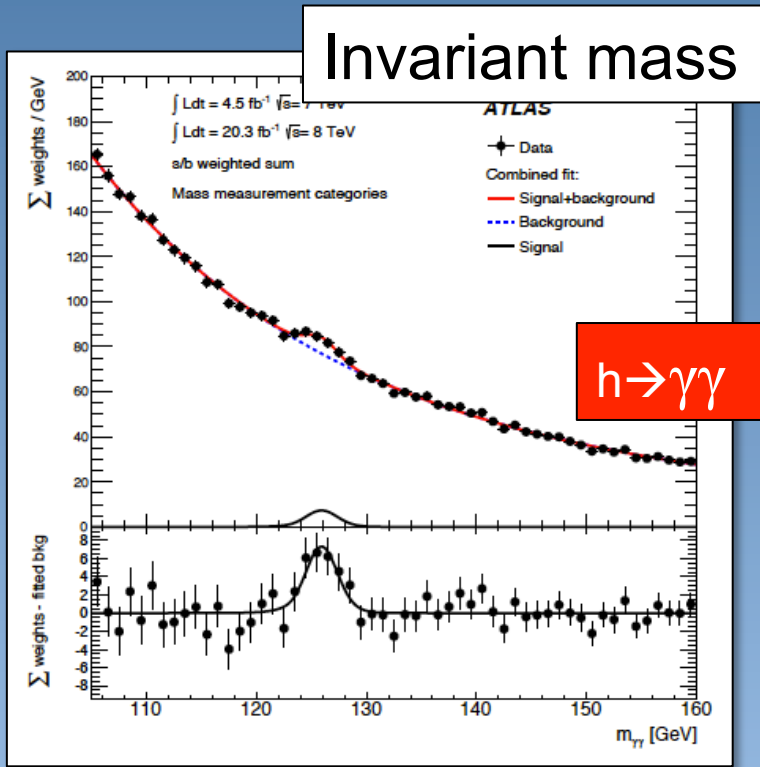
## Importance of the width:

- BR into non-SM particles
- Invisible decays
- Couplings different to SM

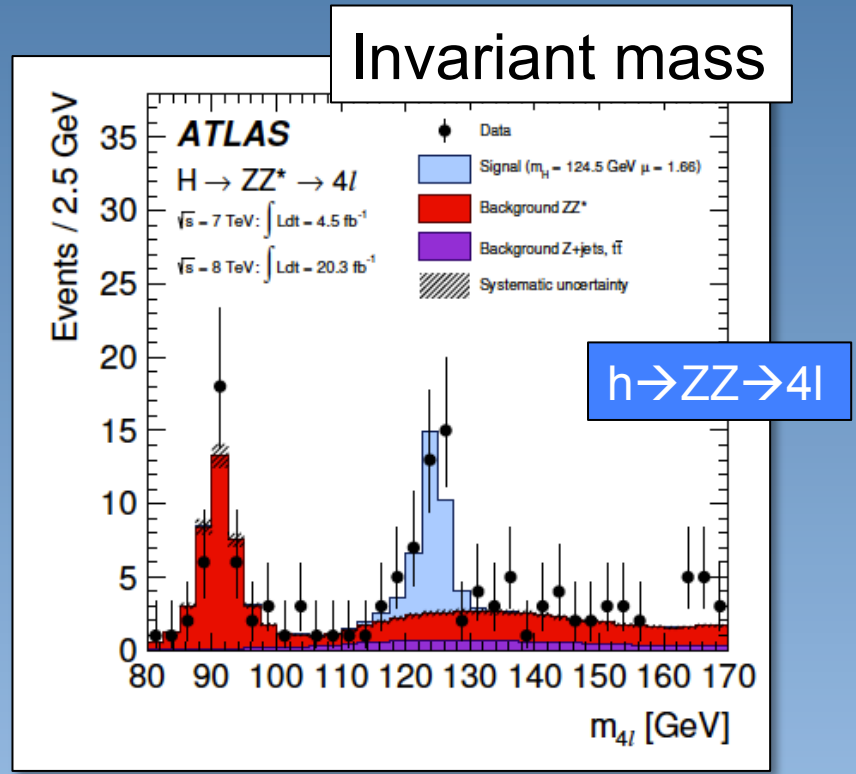
# Estimate of $\Gamma_H$ : direct

Mass distribution brings sensitivity to width of the Higgs boson

$$\sigma_{tot} = \sqrt{\sigma_{resol.}^2 + \Gamma_H^2} \quad \longrightarrow \quad resolution \sim 400 \times \Gamma_H$$

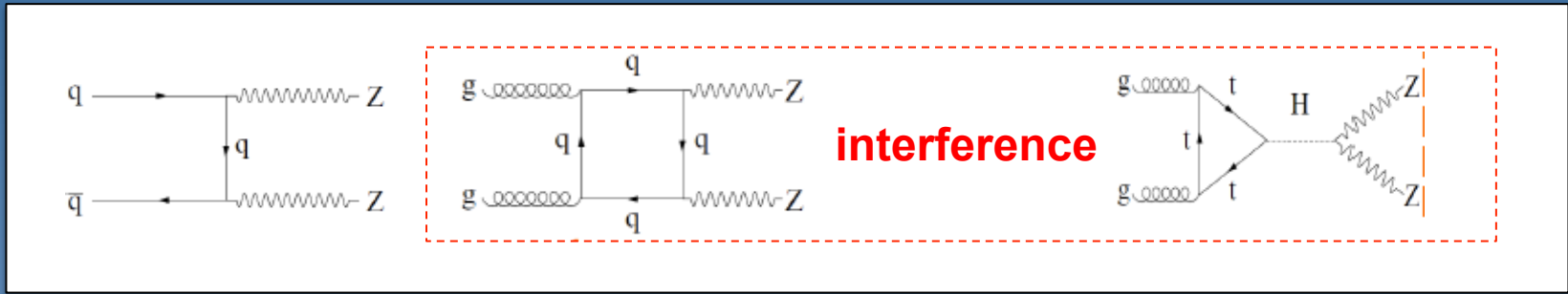


$$\Gamma_{4l} < 2.6 \text{ (3.5) GeV}$$

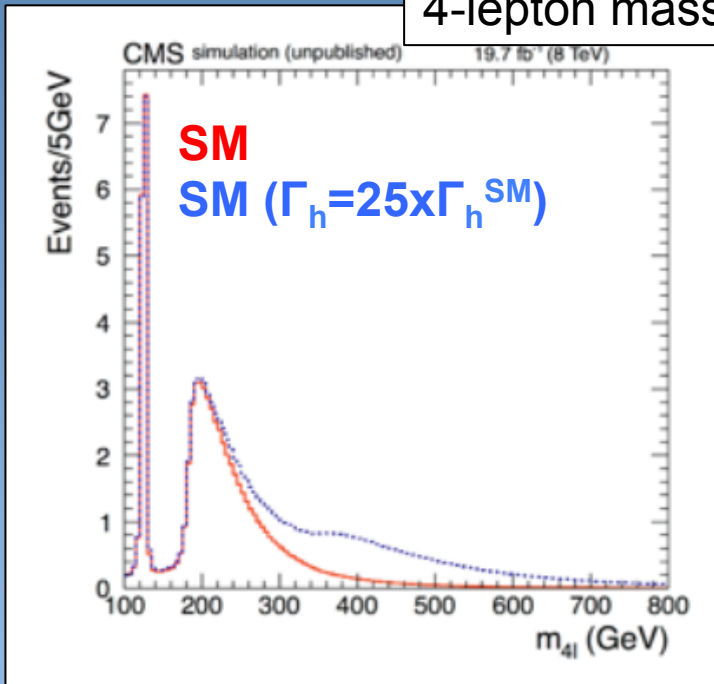


$$\Gamma_{\gamma\gamma} < 5.0 \text{ (6.2) GeV}$$

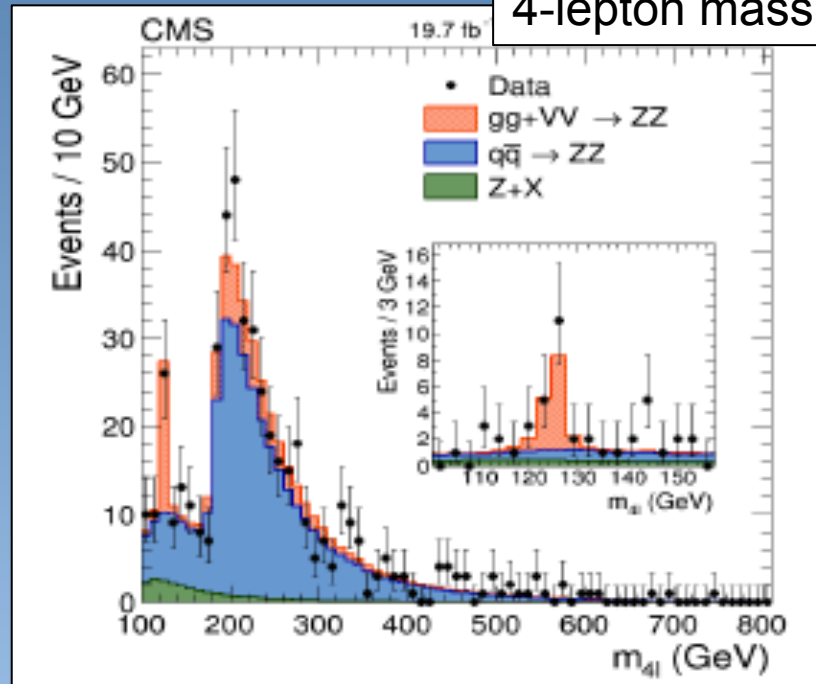
# Estimate of $\Gamma_H$ : off-shell couplings



4-lepton mass



4-lepton mass



$$\Gamma_h = 1.8^{+7.7}_{-1.8} \text{ MeV}$$

$$\Gamma_h < 22 \text{ MeV at 95\% CL}$$





**rare decays**

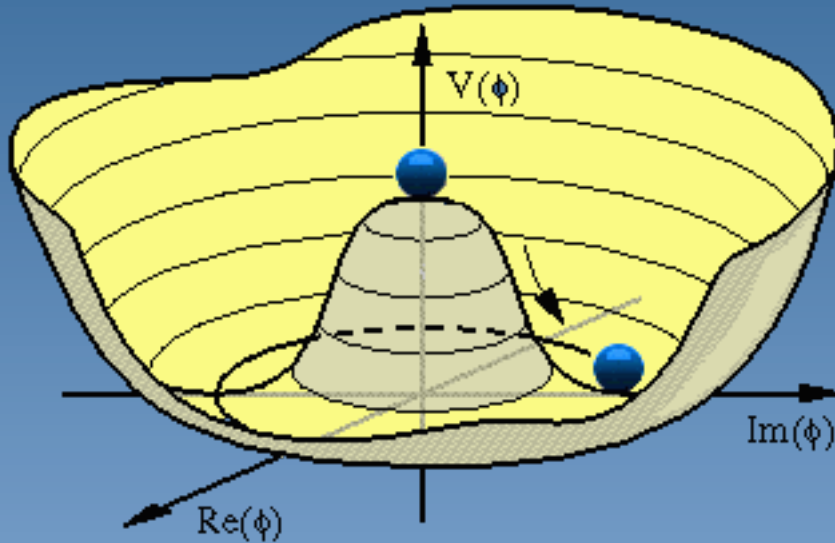
**weird stuff**

**compositeness**

**self-coupling**

**Extra Higgs bosons**

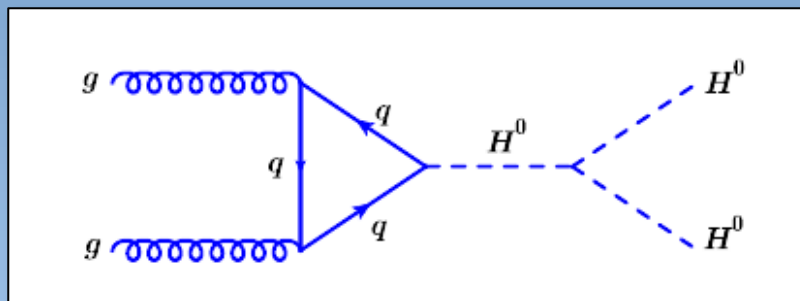
# Higgs self-coupling



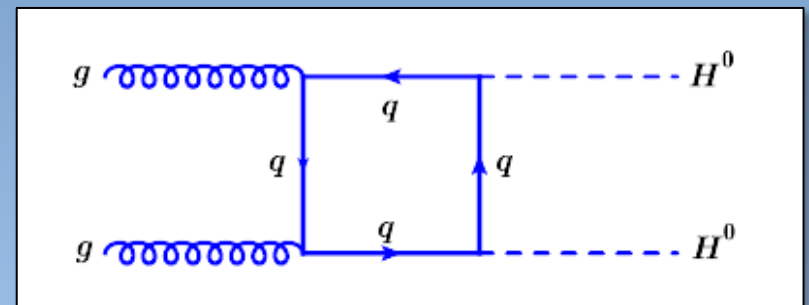
Higgs self-couplings

$$\lambda_{3H} = \frac{3m_H^2}{v}, \quad \lambda_{4H} = \frac{3m_H^2}{v^2}.$$

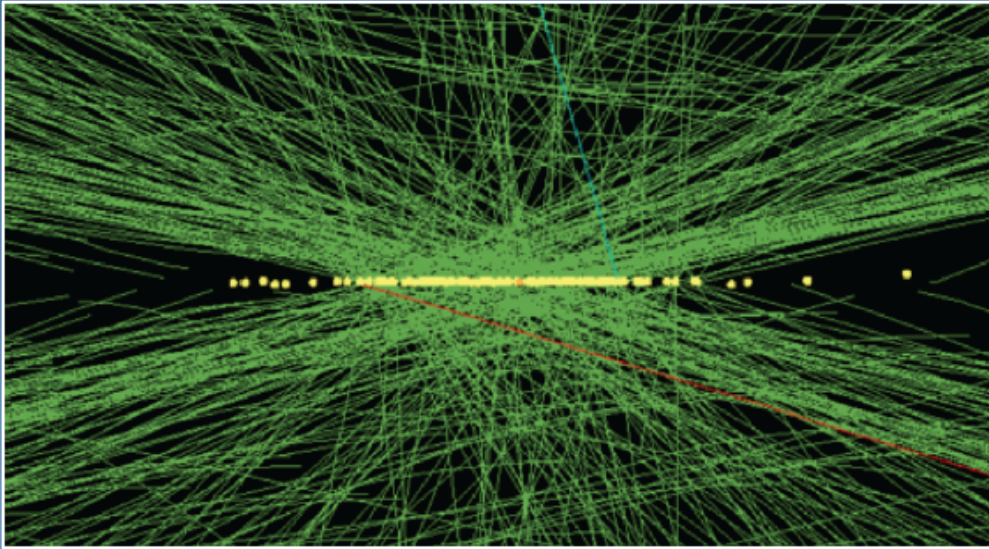
**signal**



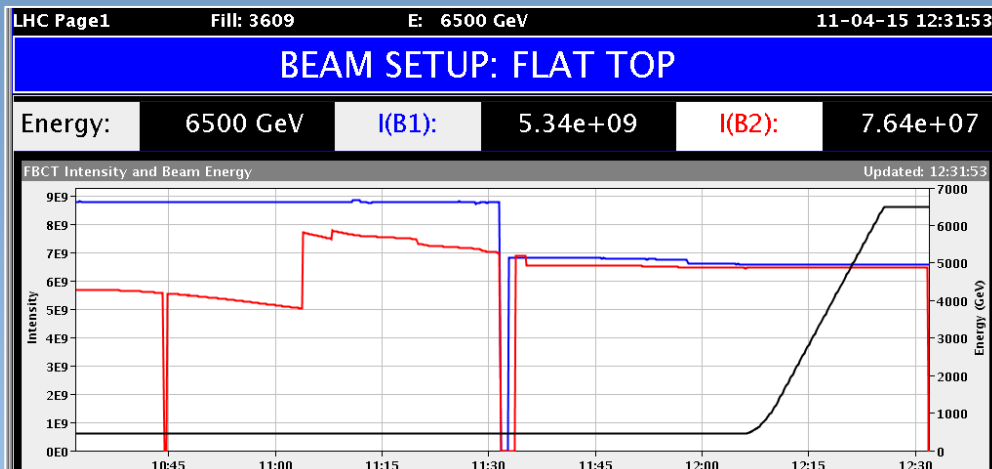
**'background'**



# Future LHC operation



CMS event with 78 vertices



LHC back in business

# Longer future: muon collider



## EP Seminar

SPEAKER: Prof. Carlo Rubbia (GSSI-INFN (IT))

TITLE: **A complete demonstrator of a muon cooled Higgs factory**

DATE: Tue 14/04/2015 16:00

PLACE: Main Auditorium

### ABSTRACT

In analogy with the discovery of the W and Z with hadrons and the subsequent study of the Z resonance in the pure s-state with LEP, the recent discovery of the Higgs particle of 125 GeV has revised the interest in the so-called second generation Higgs factories. However the direct production of the  $H^0$  scalar resonance in the s-state has a remarkably small narrow width, since  $\Delta E/E < 4 \text{ MeV} / 125 \text{ GeV} \approx 3.2 \times 10^{-5}$ . We describe here a  $\mu^+\mu^-$  collider at a modest energy of 62.5 GeV and the adequate cooled muon intensity of about  $6 \times 10^{12}$  muons of each sign, a repetition rate of 15-50 p/s and  $L \approx 10^{10} \text{ cm}^{-2} \text{ s}^{-1}$ , corresponding to about 10'000  $H^0$  for each detector x year. Its partial widths can be studied with remarkable accuracies. With the help of the decay frequency of the polarized  $\mu^- \rightarrow e \nu \mu$  decay electrons, the  $H^0$  mass itself can also be measured to about  $\pm 100 \text{ keV}$ , i.e.  $\Delta m/m \approx 10^{-6}$ .

The next modest step, prior to but adequate for the subsequent  $H^0$  physics programme, could be the practical realization of an appropriate *muon cooling demonstrator*. Starting from a conventional pion beam, the required longitudinal and transverse emittances are achieved with a cascade of two unconventional but very small muon rings of few meters radius. Low momentum muons of about 250 MeV/c, initially with  $\Delta p/p \approx 0.1$ , are cooled in a first ring, extracted and ionization cooled to about 70 MeV/c, and cooled ultimately in a second small ring up to a longitudinal momentum spread of 0.7 MeV/c r.m.s. The operation of the demonstrators may be initially explored and fully demonstrated with the help of a modest muon beam already available in a number of different accelerators.

The additional but relatively conventional components necessary to realize the facility with the appropriate muon current and luminosity should then be constructed only after this *initial cooling experiment* has been successfully demonstrated. The ultimate  $\mu^+\mu^-$  collider for a Higgs Factory may be situated within the existing CERN site or elsewhere.

Organised by: Rolf Heuer, Livio Mapelli.....  
\*\*Tea and Coffee will be served at 15h30\*\*

## Colloquium Alain Blondel (University of Geneva)

17-04-2015

Friday 17 April, 11:00h, at Nikhef in H331

Speaker: Prof. Alain Blondel (University of Geneva)

Title: "Higgs Factories"

Abstract:

With the discovery of the Higgs boson the question arises of the means of investigation of this unique spin zero particle, as well as possibly using it as portal to discovery of the solution to some of the burning questions of particle physics today.

The present and future 'Higgs Factory' accelerators: HL-LHC, linear e+e- colliders, circular colliders (CEPC/FCC-ee), muon collider, and finally the 100 TeV FCC-hh will be reviewed. It will be shown that the most powerful combination is the Future Circular Collider complex under study at CERN, hosting in a first step a high luminosity, 90-350 GeV circular e+e- collider, with the ultimate goal of hosting a 100 TeV pp collider.

14 April 2015 CERN colloquium

17 April 2015 Nikhef colloquium

Observed particle looks very much like SM Higgs boson

A sphere constructed from numerous interlocking puzzle pieces, with the text "Higgs boson" centered on its surface. The sphere is dark and reflective, with highlights and shadows that give it a three-dimensional appearance. The puzzle pieces are also dark and have a metallic sheen. The sphere is positioned on the left side of the frame, with several loose puzzle pieces scattered to its right and slightly below. The background is a plain, light-colored surface.

**Higgs boson**

Last pieces of the puzzle during LHC run2

**BACKUP**

# Systematics ... how can we improve this ?

